Projects 17 out
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Department of Computer Science, Data Structures (CSC212), Final Exam 2nd Semester 1429-30H 25/06/1430 (18/06/2009G)

Instructors: Eng. Gamal Shorbagy, Dr. Inayatullah Shah, Dr. Muhammad Hussain Time: 2 hours

Marks: 100

Question 1. (4 + (2+2+3+3+6) = 20 Marks)

- (a) Draw the graphical representation of a doubly-linked list with sentinel header and trailer nodes, and with the following data elements in it: 4, 5, 2 and 7.
- (b) Write the class declaration for the doubly-linked list with sentinel header and trailer nodes, **DoubleLinkListSen**, implementing the ADT List specification, with the following members,
 - (i) the data members of the class.
 - (ii) the constructor of the class.
 - (iii) the method **empty()** that returns true if the list is empty otherwise false.
 - (iv) the method **last()** that returns true if the current is pointing to the last node otherwise false.
 - (v) the method **insertAtEnd()** that inserts a new node at the end of the list (as the last node) and makes the current point to the new node.

Question 2. (10 Marks)

Write a client method using the operations of ADT Stack to return the bottom element of a stack.

public static <T> T popBottom (Stack<T> S)

Preconditions: Stack S is not empty.

Results: The element at the bottom of the stack S is removed and returned. The order of the remaining elements remains unchanged in S.

Question 3. (8+8+4=20 Marks)

- (a) You have to store information about each student in a group of about 200 students in a hash table. Each student's key is his id. number, for example, 427102181.
 - (i) Give a suitable table size and a hash function based on **digit selection**, assuming that the external chaining is the collision resolution strategy employed.
 - (ii) Give a suitable table size and a hash function based on **division** if the number of students is exactly 200 and linear rehashing is the collision resolution strategy employed.
- (b) Insert the following keys: 904, 918, 855, 913, 806, 841 and 778, into a hash table with hash function $H(key) = key \mod 7$, using linear rehashing as collision resolution strategy.
- (c) How many probes are required to store 913 and 841?

Question 4. (7+8 = 15 Marks)

(a) A binary tree has ten nodes. The inorder and preorder traversal of the tree are shown below. Draw the tree.

Preorder:

JCBADEFIGH

Inorder:

ABCEDFJGIH

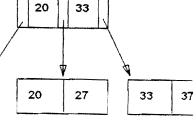
(b) Write a client method that prints keys in a BST in descending order.

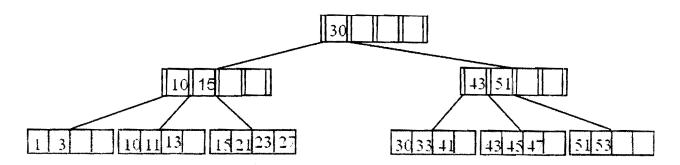
Question 5. (8+7 = 15 Marks)

(a) In the following B⁺-tree of order 3 insert 24 and redraw the tree. In the new tree, insert 21 and 38 and redraw it. Assume leaf node can have minimum 1 and maximum 2 data elements.

(b) From the B+-tree of order 5 (given below) delete 33, 41 and 11 and redraw the tree. From the new tree delete 3 and redraw it.

Assume leaf node can have minimum 2 and maximum 4 data elements





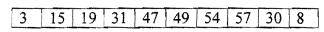
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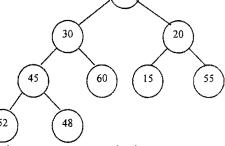
Question 6. (3+7+7+3=20 Marks)

(a) Is the binary tree (shown on the right) a min heap? If not, give the reason why not.

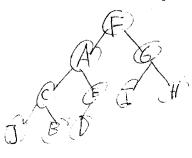
(b) Consider the following array:

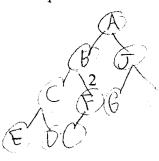


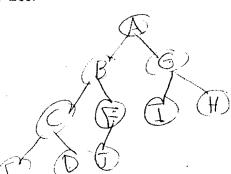
Represent it as a complete binary tree. Is the resulting complete binary tree a max heap? If not using SiftDown operation convert it into a max meap.

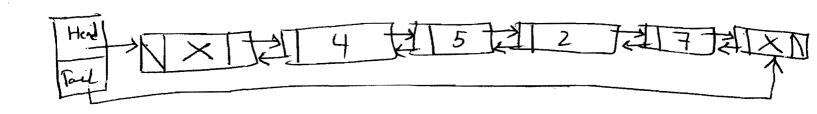


- (c) Enqueue the following elements with the given priority into an empty priority queue implemented as a heap: 9, 13, 1, 15, 6, 5, 8, 7, 4, 11, and 20. Assume that a bigger number indicates higher priority e.g. 13 has higher priority than 9. Draw each operation as a binary tree.
- (d) In the priority queue obtained in part (b) perform one Dequeue (Serve) operation and show the queue after the operation as a binary tree.









```
public class DNode <T>
{
   public T data;
   public DNode<T> next,prev;

public DNode()
   {
      data = null;
      next = prev = null;
   }

   public DNode(T val)
   {
      data = val;
      next = prev = null;
   }
}

private DNode<T> head,tail;
   private DNode<T> current;
```

```
private DNode<T> current;
public SentDLinkList()
 head = current = new DNode<T>();
  tail = new DNode<T>();
  head.next = tail;
 tail.prev = head;
public boolean empty()
  return head.next == tail;
public boolean last()
  return current.next == tail;
public void insertAtEnd(T val)
  DNode <T> tmp = tail.prev;
  tail.prev = new DNode<T>(val);
  current = tail.prev;
  current.next = tail;
  current.prev = tmp;
  tmp.next = current;
```

```
public stadic (T) T poplattom (stack (T) S)

Slack (T) S2 = new stack (T) ().

T x;

while (! S. empty())

x = S. pop().

S2. push (x),

T y = S2. pop().

while (! S2. empty())

x = S2. pop().

y = S2. pop().

y = S2. pop().

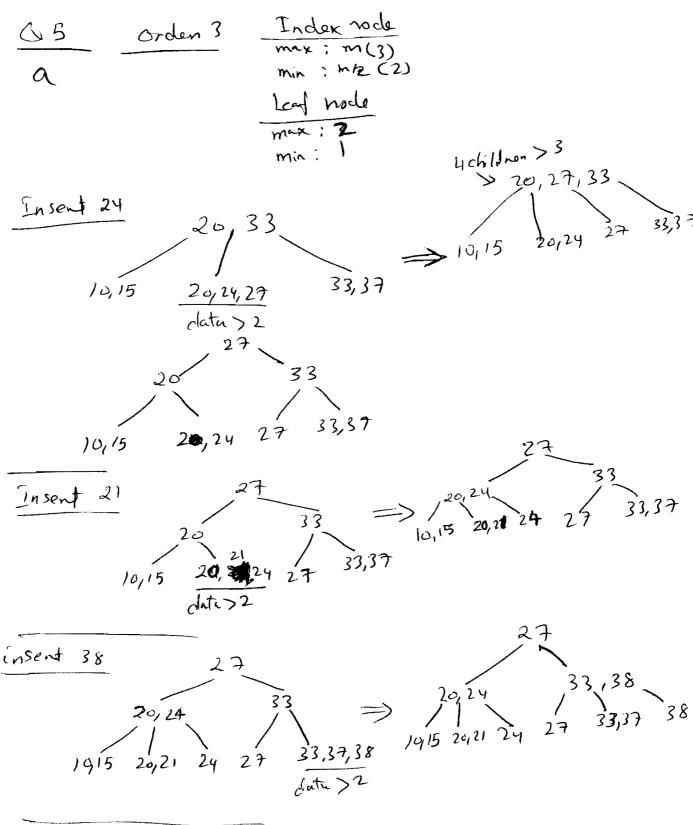
s. push (x).

return y;
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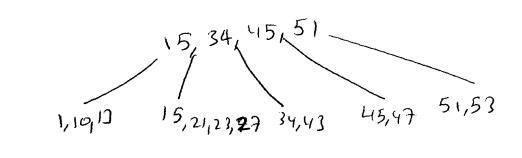
Precorder: JOBADE FIGH InOrden: ABCEDFIGIH The Binary Tree (BT) public vond inorder (BSTKHOLE (T) P)

if (P!= null)

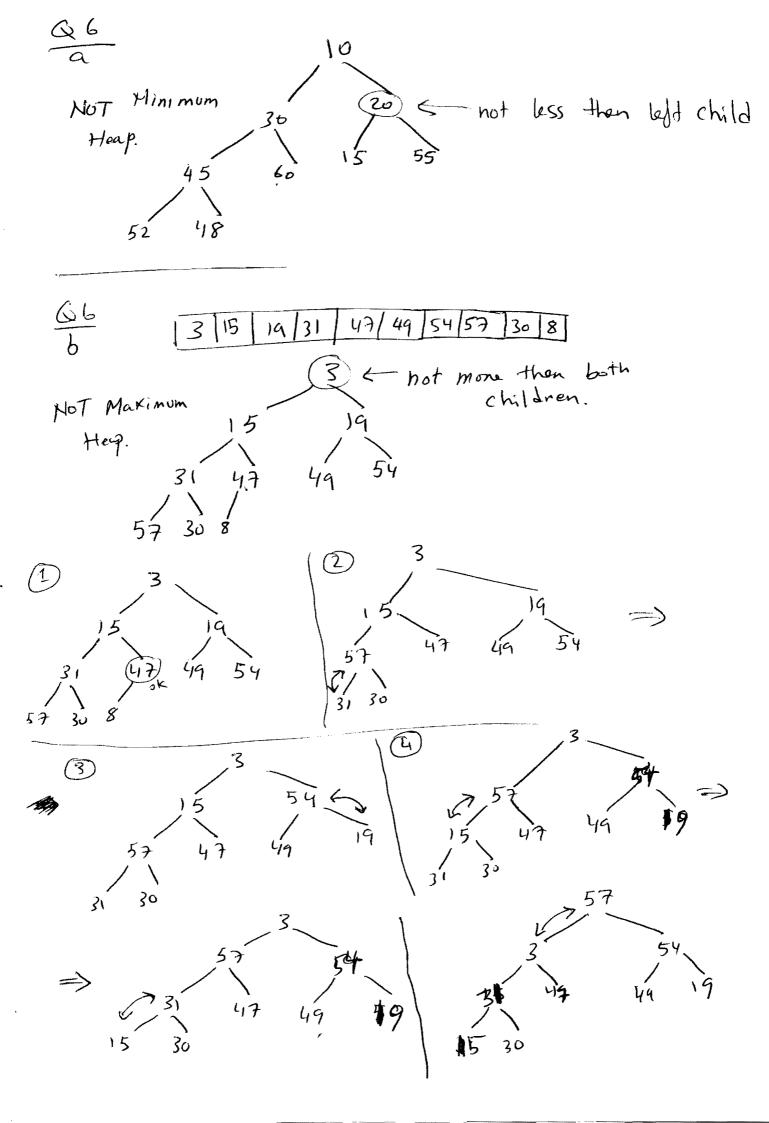
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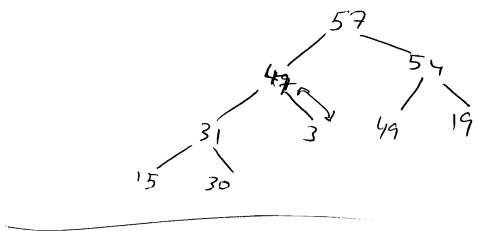


min: 3 children Min: 2 data 30 delite 33 delete 41 delete 11 delite 3 15,21,23,27 1,10,13



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