
		<b>King Saud University</b> College of Computer and Information Sciences Computer Science Department	
<b>CSC 339: Theory of Computation</b>		<b>Homework: First Semester 2020</b>	
Due Date: December 15, 2020 at 11:59 PM			
Name:	<b>Shahad Saad Ibrahim Alfouzan</b>	ID:	
		Section:	<b>44229</b>

Question 1 [2 pts]	Question 2 [2 pts]	Question 3 [2 pts]	Question 4 [2 pts]	Question 5 [2 pts]
Total [10 pts]				

## Instructions

- This homework **should** be solved **individually**.
- All questions **should** be answered on this homework paper.
- Write your **full information** (name, ID, and section) on the specified above table.
- You **should** follow these **submission instructions**:
  - Late submission is **NOT** acceptable.
  - Save your homework as **(.pdf)** file and name it **[Your Section]\_[Your ID]\_[Your Full Name in Arabic]**.
  - Through LMS, go to **\Assignments\Homework** and submit your paper.

Good Luck 😊

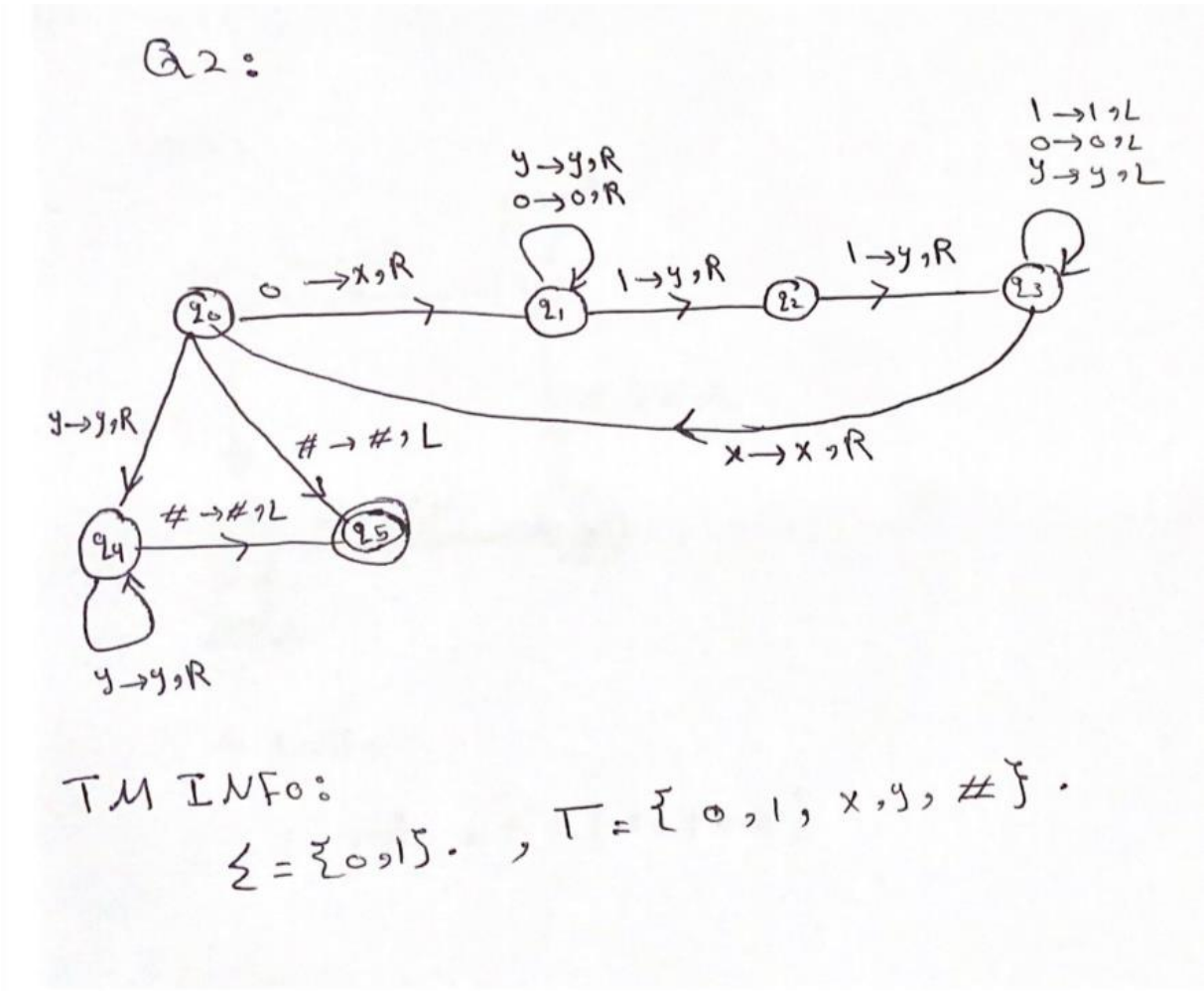
Question 1 [2 pts]

For each of the following statements state if it is true, false or unknown:

1. If $L$ is a regular language; then $L \in P$ .	True
2. There exists some deterministic $TM$ that can decide $3SAT$ in polynomial time.	Unknown
3. A language is in $NP$ if and only if it is decided by some non-deterministic polynomial time $TM$ .	True
4. $3SAT$ is polynomial time reducible to $CLIQUE$ .	True

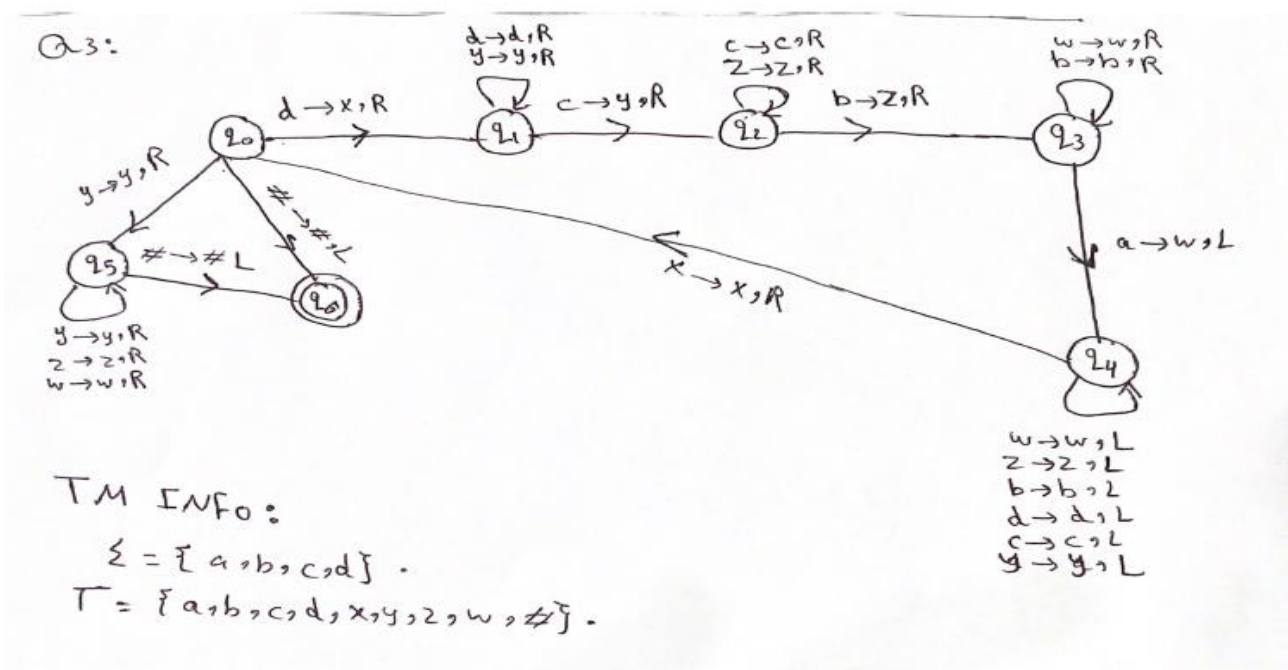
Question 2 [2 pts]

Design a Turing machine with input alphabet  $\Sigma = \{0,1\}$  that accepts the language  $L = \{0^i 1^{2i} \mid i \geq 0\}$ .



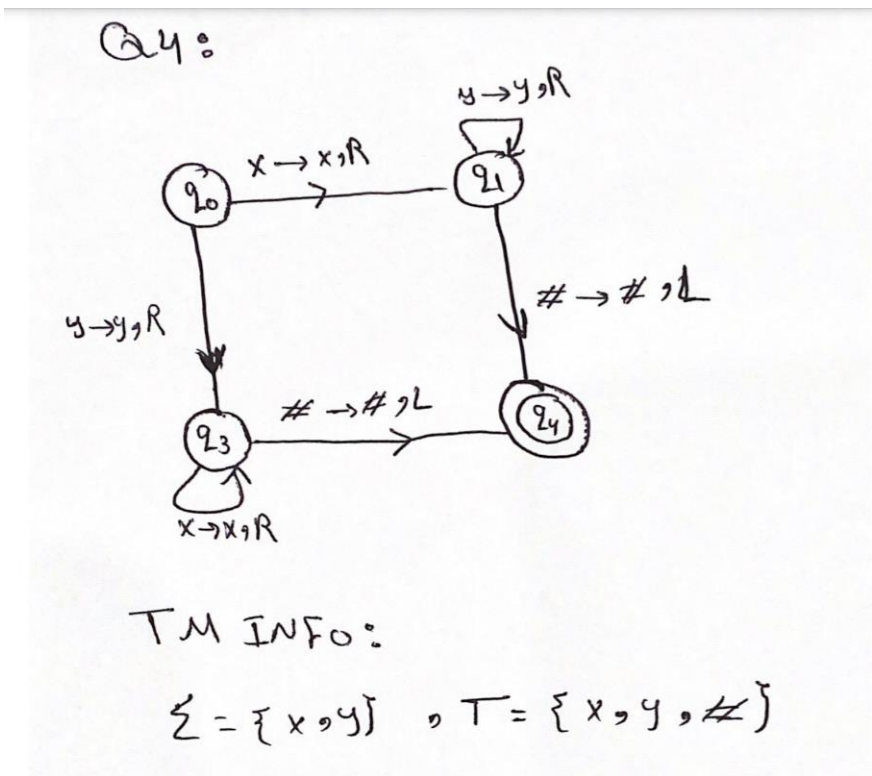
Question 3 [2 pts]

Design a deterministic Turing machine with input alphabet  $\Sigma = \{a, b, c, d\}$  that accepts the language  $L = \{d^n c^n b^n a^n \mid n \geq 0\}$ .



Question 4 [2 pts]

Design a deterministic Turing machine with input alphabet  $\Sigma = \{x, y\}$  that accept the regular language  $L = \{xy^* + yx^*\}$ . In other words,  $L$  is the set of strings in which the first symbol does not appear again on the input.



Question 5 [2 pts]

Let  $M$  be a Turing machine that defined by:

$\delta$	$a$	$b$	$\epsilon$ $\langle \rangle$	$\#$
$q_0$	$q_1, b, S$	$q_1, a, S$	$q_0, \langle \rangle, R$	$q_2, \#, S$
$q_1$	$q_0, a, R$	$q_0, b, R$	$q_1, \langle \rangle, R$	$q_0, \#, R$
$q_2$	-	-	-	-

1. Trace the computation of  $M$  starting from the configuration  $(q_0, \langle \rangle aaabbba)$ .

#  $q_0 \langle \rangle aaabbba\# \succ \# \langle \rangle q_0 aaabbba\# \succ \# \langle \rangle q_1 baabbba\# \succ \# \langle \rangle b q_0 aabbba\# \succ \# \langle \rangle b q_1 babbba\# \succ$   
#  $\langle \rangle bb q_0 abbba\# \succ \# \langle \rangle bb q_1 bbbba\# \succ \# \langle \rangle bbb q_0 bbba\# \succ \# \langle \rangle bbb q_1 abba\# \succ \# \langle \rangle bbba q_0 bba\# \succ$   
#  $\langle \rangle bbba q_1 aba\# \succ \# \langle \rangle bbbba q_0 ba\# \succ \# \langle \rangle bbbba q_1 aa\# \succ \# \langle \rangle bbbbaa q_0 a\# \succ \# \langle \rangle bbbbaa q_1 b\# \succ$   
#  $\langle \rangle bbbbaab q_0\# \succ \# \langle \rangle bbbbaab q_2\#$

2. Describe informally what  $M$  does when it starts from state  $q_0$  and the read\write head points to any cell in the tape.

In state  $q_0$  , when the machine read  $\langle \rangle$  the write  $\langle \rangle$  and stay in state  $q_0$ , move the head to the right . when read  $a$  then write  $b$  and go to state  $q_1$  and stay in that head(i.e stay don't move neither left or right ), then in  $q_1$  when read  $b$  write  $b$  and go to state  $q_0$  and move right.in  $q_0$  when read  $b$  write  $a$  and go to state  $q_1$  and stay in that head (i.e stay don't move neither left or right ), then in  $q_1$  when read  $a$  write  $a$  and go to state  $q_0$  and move right . in  $q_0$  when read  $\#$  write  $\#$  , go to state  $q_2$  and stay in that head( i.e stay don't move neither left or right ).  
In other word this Turing machine change every  $a$  to  $b$  and vice versa.