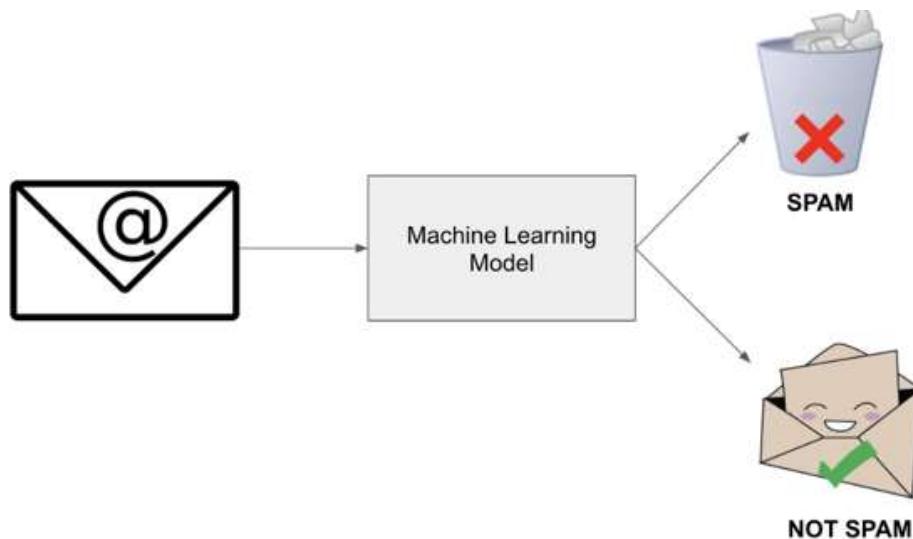


Binary Classification

💡 Binary classification: It is a type of supervised learning in which a machine learning model is trained to predict one of two possible outcomes, usually represented as 0 or 1, true or false, positive, or negative, etc. The goal of binary classification is to separate the data into two classes or categories based on certain features or attributes of the data.

↳ Example :

- Spam vs. Not Spam: In email spam detection, 0 could represent "not spam," indicating that an email is legitimate, while 1 could represent "spam," indicating that an email is unwanted or unsolicited.



```
In [1]: from sklearn.datasets import make_circles  
import tensorflow as tf  
import matplotlib.pyplot as plt  
import pandas as pd
```

```
In [2]: X,y=make_circles(n_samples=10000,  
                      noise=0.03,  
                      random_state=42)
```

```
In [3]: # Check the make_moons dataset features and shape  
print(f"There are {X.shape[0]} rows with {X.shape[1]} features")  
print(f"The first 10 samples of dataset look like: \n{X[:10,]}")
```

There are 10000 rows with 2 features
The first 10 samples of dataset look like:
[[0.0464692 0.82477834]
[1.00506323 -0.43335153]
[-0.58348442 0.79452834]
[0.98478298 -0.32517879]
[0.82993028 -0.54722305]
[-0.13392877 0.77624858]
[0.77919743 0.64581132]
[0.72295477 0.17383084]
[-0.12180665 0.79695076]
[0.84952936 0.50567829]]

In [4]: # Check the make_circles dataset target and shape
print(f"There are {y.shape[0]} rows with 2 binary target")
print(f"The first 10 samples of dataset look like: \n{y[:10]}")

There are 10000 rows with 2 binary target
The first 10 samples of dataset look like:
[1 0 0 0 0 1 0 1 1 0]

In [5]: # Create a dataframe to visualize data
moons=pd.DataFrame({'feature_0':X[:,0],'feature_1':X[:,1],'labels':y})
moons

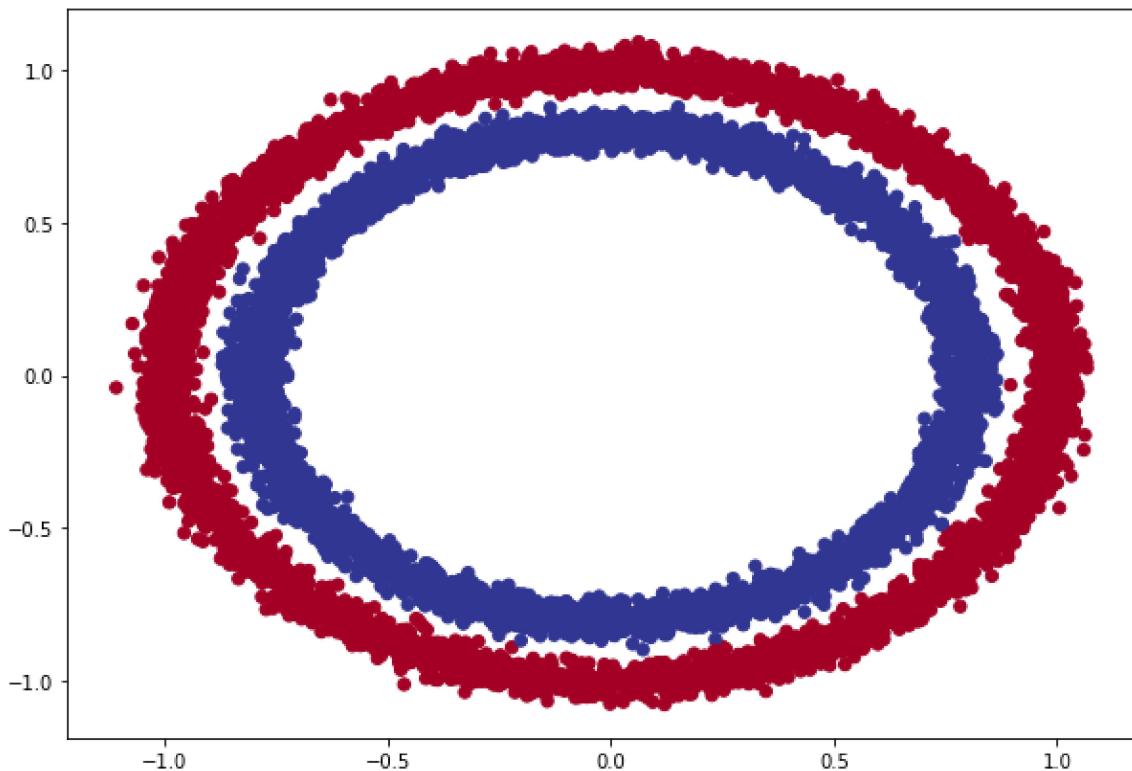
Out[5]:

	feature_0	feature_1	labels
0	0.046469	0.824778	1
1	1.005063	-0.433352	0
2	-0.583484	0.794528	0
3	0.984783	-0.325179	0
4	0.829930	-0.547223	0
...
9995	0.505764	0.662722	1
9996	0.790650	0.218306	1
9997	0.685458	0.372980	1
9998	0.474403	0.884920	0
9999	-0.674410	0.260949	1

10000 rows × 3 columns

In [6]: # Visualizing the data
plt.figure(figsize=(10,7))
plt.scatter(moons['feature_0'],moons['feature_1'],c=y,s=40,cmap=plt.cm.RdYlBu)

Out[6]: <matplotlib.collections.PathCollection at 0x140ab1626b0>



Loss Used In BinaryClassification Problem

- Binary cross-entropy, also known as log loss, is a commonly used loss function in binary classification tasks. It measures the dissimilarity between the predicted probabilities and the true binary labels of the data. The binary cross-entropy loss is calculated using the following formula:

$$\text{Binary Cross-Entropy} = -(y * \log(p) + (1 - y) * \log(1 - p))$$

- In this formula:
 - "y" represents the true binary label (0 or 1) of the data point.
 - "p" represents the predicted probability of the positive class (class 1) by the model.

```
In [7]: # Example binary classification Labels (0 or 1)
true_labels = [1, 0, 1, 1, 0]

# Example predicted probabilities for the positive class
predicted_probs = [0.8, 0.2, 0.6, 0.9, 0.3]

# Convert the true Labels and predicted probabilities to TensorFlow tensors
true_labels_tensor = tf.constant(true_labels, dtype=tf.float32)
predicted_probs_tensor = tf.constant(predicted_probs, dtype=tf.float32)

# Calculate the binary cross-entropy Loss
bce_loss = tf.keras.losses.BinaryCrossentropy()(true_labels_tensor, predicted_probs_tensor)

# Print the calculated Loss
print("Binary Cross-Entropy Loss:", bce_loss.numpy())
```

Binary Cross-Entropy Loss: 0.28382948

Neural Network With Linear Activation

Linear Activation: It is also known as the identity function, is a simple activation function that computes a weighted sum of the inputs without applying any non-linear transformation. Mathematically, the output of a linear activation function can be represented as:

$$f(x) = x$$

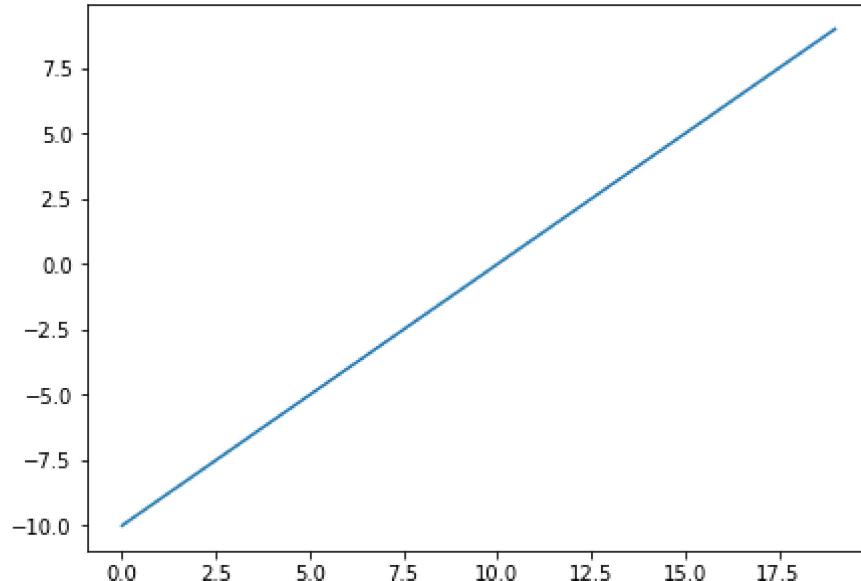
```
In [8]: # Create a toy tensor (similar to the data we pass into our models)
```

```
A=tf.cast(tf.range(-10,10),tf.float32)
A
```

```
Out[8]: <tf.Tensor: shape=(20,), dtype=float32, numpy=
array([-10., -9., -8., -7., -6., -5., -4., -3., -2., -1.,  0.,
       1.,  2.,  3.,  4.,  5.,  6.,  7.,  8.,  9.],  
      dtype=float32)>
```

```
In [9]: plt.figure(figsize=(7,5))
plt.plot(tf.keras.activations.linear(A))
plt.title("Linear Activation Function",fontdict={'size':20})
plt.show()
```

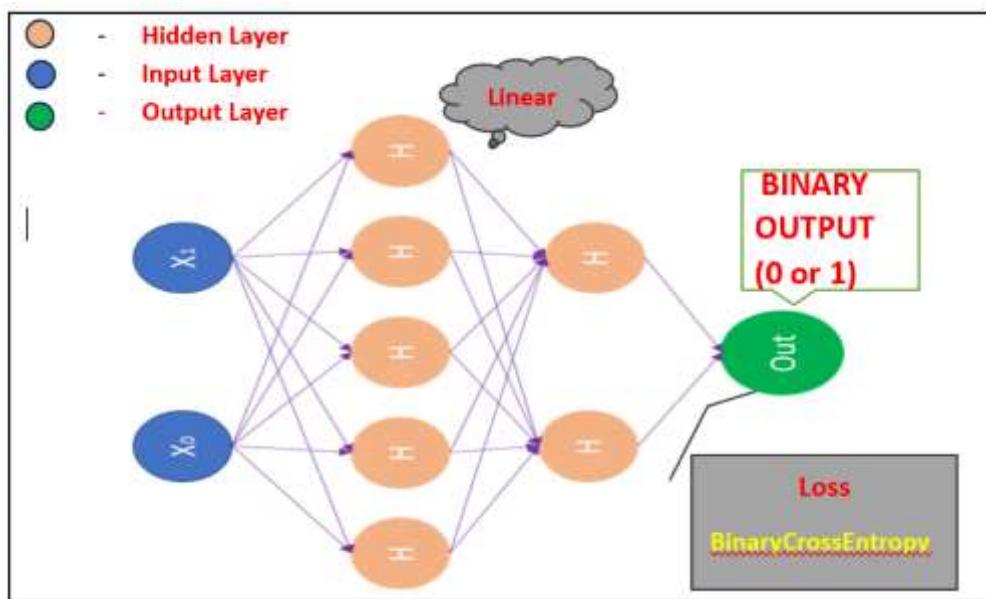
Linear Activation Function



Train Test Splitting Data

```
In [10]: from sklearn.model_selection import train_test_split
X_train,X_test,y_train,y_test=train_test_split(X,y,test_size=0.2,shuffle=True)
```

Create A Neural Network With Linear Activation



Some Important Parameters In Compilation

Terms	Meaning
<code>validation_split</code>	This randomly split data of which one set is used for training and other for testing.
<code>epochs</code>	How many times the model will go through the entire training dataset.
<code>verbose</code>	Show training if set 1 and will not show it if set 0.

```
In [11]: # Set the seed for reproducibility of output
tf.random.set_seed(42)

# 1.Create a model
model_linear=tf.keras.Sequential([
    tf.keras.layers.Dense(20,input_shape=[2]),
    tf.keras.layers.Dense(20),
    tf.keras.layers.Dense(1)
])

# 2.Compile the model
model_linear.compile(loss=tf.keras.losses.BinaryCrossentropy(),
                      optimizer=tf.keras.optimizers.SGD(),
                      metrics=['accuracy'])

# 3.Fit the model
history_linear=model_linear.fit(X_train,y_train,validation_split=0.15,epochs=100)
```

Loss Accuracy Curve Function

```
In [12]: def plot_loss_accuracy_curve(history):
    '''Take history variable and plot loss and accuracy curve'''
    # Creating a subplot

    fig,ax=plt.subplots(1,2,figsize=(10,7))
    fig.subplots_adjust(right=2) # Set left padding in graph
    ax=ax.ravel()
```

```
# This is for plotting Loss curve and lowest accuracy on training data

pd.DataFrame({'Loss':history.history['loss'],'Val_Loss':history.history['val_loss']})
plot(title='Loss',ax=ax[0]) # Plot Loss curve

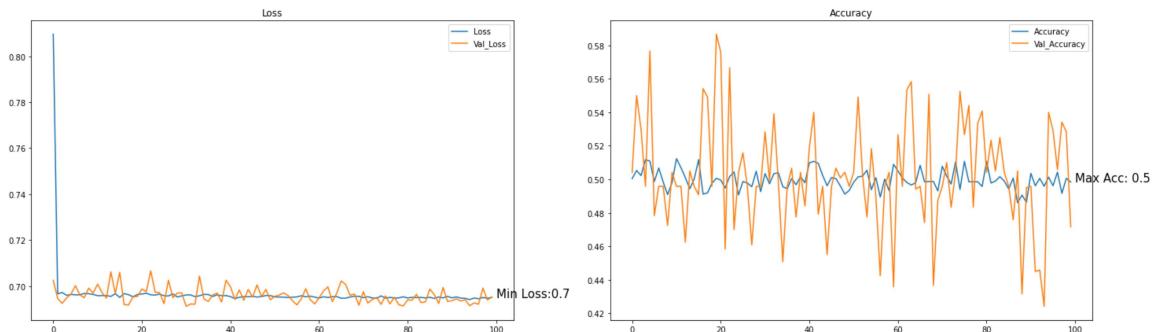
ax[0].text(len(history.history['loss']),history.history['loss'][[-1]], # Annotation
           'Min Loss:{}'.format(round(history.history['loss'][[-1]],2)),
           fontdict={'size':15})

# This is for plotting accuracy curve and highest accuracy on training data

pd.DataFrame({'Accuracy':history.history['accuracy'],'Val_Accuracy':history.history['val_accuracy']})
.plot(title='Accuracy',ax=ax[1]) # Plot accuracy curve

ax[1].text(len(history.history['accuracy']),history.history['accuracy'][[-1]], # Annotation
           'Max Acc: {}'.format(round(history.history['accuracy'][[-1]],2)),
           fontdict={'size':15})
plt.show() # Show plot
```

In [13]: `plot_loss_accuracy_curve(history=history_linear)`



Evaluate Model On Testing Data

In [14]: `model_linear.evaluate(X_test,y_test)`

```
1/63 [........................] - ETA: 0s - loss: 0.6941 - accuracy: 0.5
00063/63 [=====] - 0s 2ms/step - loss: 0.6934 - accuracy: 0.5020
```

Out[14]: `[0.693428635597229, 0.5019999742507935]`

Function To Visualize The Separation Of Data

```
import numpy as np
def plot_decision_boundary(model,X,y):
    """
    Plots the decision boundary created by a model predicting on X
    """

    # Define the axis boundaries of the plot and create a meshgrid
    x_min,x_max=X[:,0].min()-0.1,X[:,0].max()+0.1
    y_min,y_max=X[:,1].min()-0.1,X[:,1].max()+0.1
    xx,yy=np.meshgrid(np.linspace(x_min,x_max,100),
                      np.linspace(y_min,y_max,100))

    # Create X value (we're going to make prediction on these)
    x_in=np.c_[xx.ravel(),yy.ravel()] # Stack 2D arrays together

    # Make prediction
```

```

y_pred=model.predict(x_in)

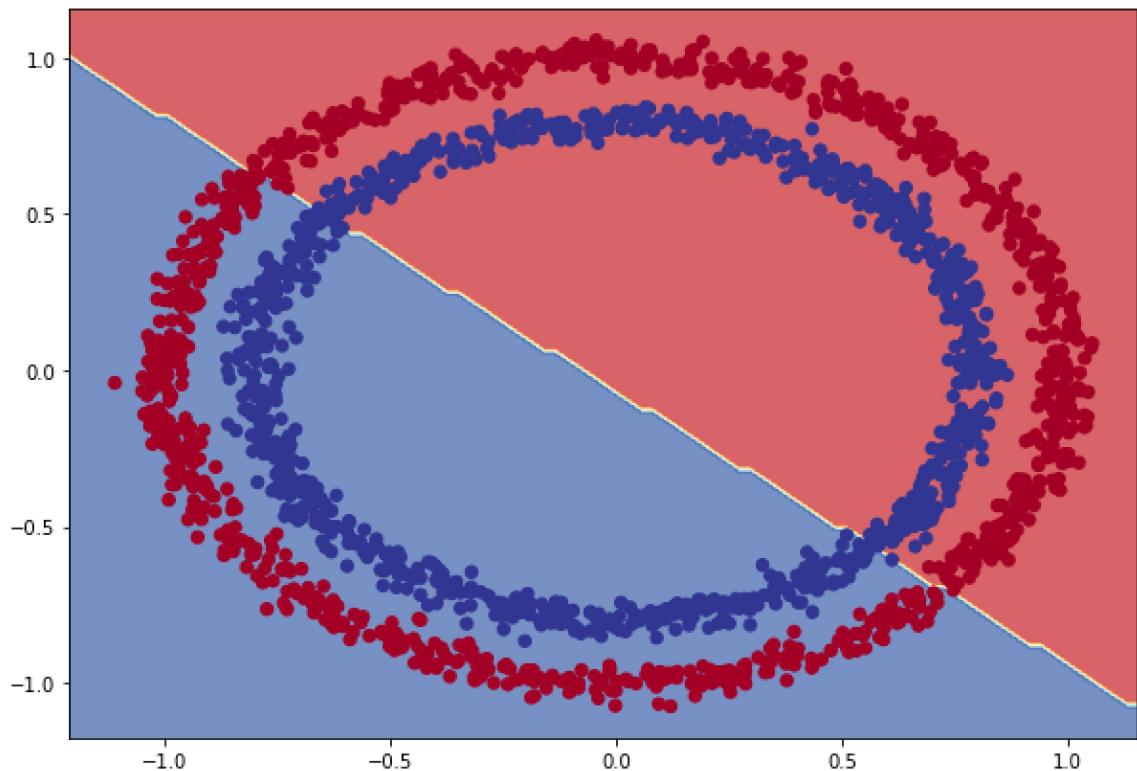
# Check for multi-class
if len(y_pred[0])>1:
    print('doing multiclass classification')
    # We have to reshape our prediction to get them ready for plotting
    y_pred=np.argmax(y_pred,axis=1).reshape(xx.shape)
else:
    print('doing binary classification')
    y_pred=np.round(y_pred).reshape(xx.shape)

# Plot the decision boundary
plt.figure(figsize=(10,7))
plt.contourf(xx,yy,y_pred,cmap=plt.cm.RdYlBu,alpha=0.7)
plt.scatter(X[:,0],X[:,1],c=y,s=40,cmap=plt.cm.RdYlBu)
plt.xlim(xx.min(),xx.max())
plt.ylim(yy.min(),yy.max())

```

In [16]: `plot_decision_boundry(model=model_linear,X=X_test,y=y_test)`

313/313 [=====] - 0s 1ms/step
doing binary classification



Neural Network With Non-Linear Activation

Hidden Layer Activation Functions (Non-Linear)

Relu(Rectified Linear Unit)

- It is a popular non-linear activation function commonly used in neural networks. It introduces non-linearity by outputting the input directly if it is positive, and zero otherwise. Mathematically, the ReLU activation function can be defined as:

$$f(x) = \max(0, x)$$

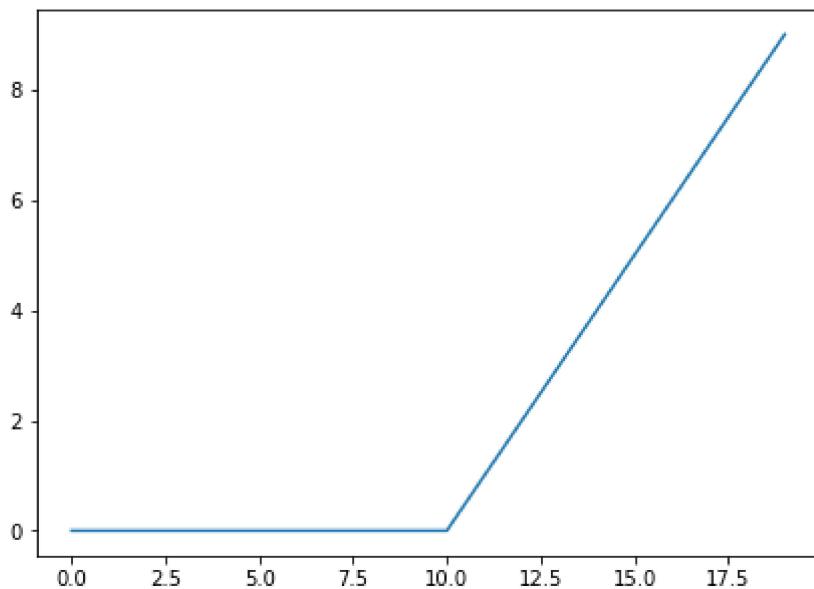
```
In [17]: def relu(a):
    return tf.maximum(0,a)
```

```
In [18]: relu(A)
```

```
Out[18]: <tf.Tensor: shape=(20,), dtype=float32, numpy=
array([0., 0., 0., 0., 0., 0., 0., 0., 0., 0., 1., 2., 3., 4., 5., 6.,
       7., 8., 9.], dtype=float32)>
```

```
In [19]: plt.figure(figsize=(7,5))
plt.plot(relu(A))
plt.title("Relu Activation Function",fontdict={'size':20})
plt.show()
```

Relu Activation Function



Output Layer Activation Functions (Non-Linear)

Sigmoid

- Sigmoid is a popular activation function used in neural networks. It is a smooth, S-shaped function that maps the input to a value between 0 and 1. Mathematically, the sigmoid activation function can be defined as:

$$f(x) = 1 / (1 + e^{-x})$$

💡 Note:

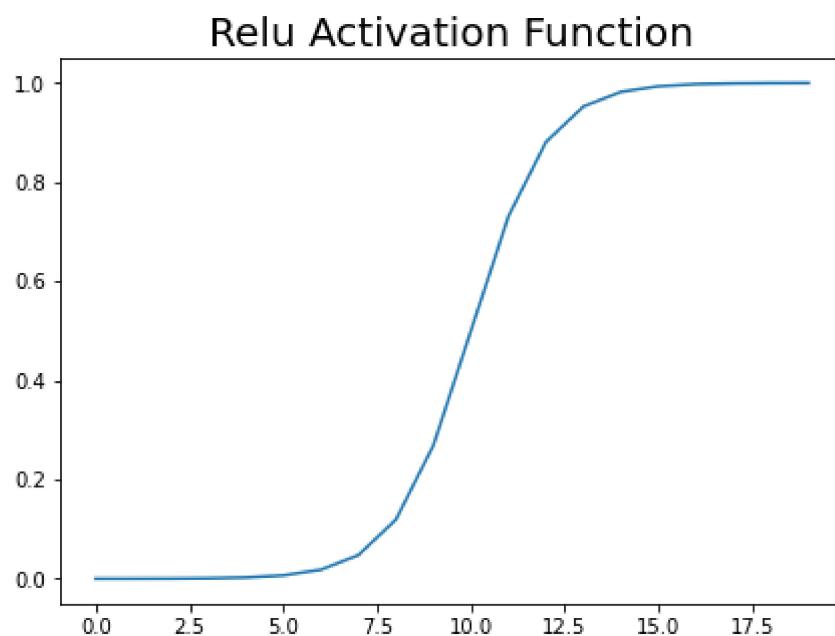
- Because of the vanishing gradient problem, sigmoid activations are not commonly used in hidden layers of deep neural networks. However, they are still used in the output layer of binary classification tasks, where the goal is to predict a probability or make a binary decision.

```
In [20]: def sigmoid(a):
    return (1/(1+tf.math.exp(-a)))
```

```
In [21]: sigmoid(A)
```

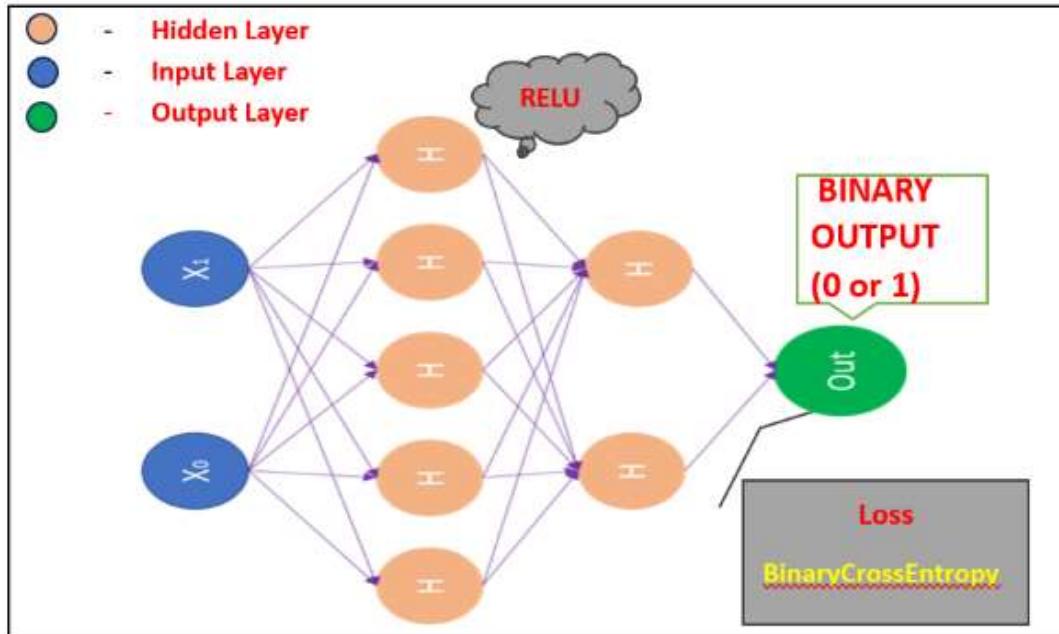
```
Out[21]: <tf.Tensor: shape=(20,), dtype=float32, numpy=
array([4.5397872e-05, 1.2339458e-04, 3.3535014e-04, 9.1105117e-04,
       2.4726233e-03, 6.6928510e-03, 1.7986210e-02, 4.7425874e-02,
       1.1920292e-01, 2.6894143e-01, 5.0000000e-01, 7.3105860e-01,
       8.8079703e-01, 9.5257413e-01, 9.8201376e-01, 9.9330717e-01,
       9.9752742e-01, 9.9908900e-01, 9.9966466e-01, 9.9987662e-01],
      dtype=float32)>
```

```
In [22]: plt.figure(figsize=(7,5))
plt.plot(sigmoid(A))
plt.title("Relu Activation Function", fontdict={'size':20})
plt.show()
```



Create A Neural Network With Non-Linear Activation

- 1) Model_Non_Linear (Only with non-linear Hidden Activation) And Optimizer Adam



```
In [23]: # Set seed for result reproducibility
tf.random.set_seed(42)

# 1. Create model
model_non_linear_hidd=tf.keras.Sequential([
    tf.keras.layers.Dense(4,activation='relu',input_shape=[2]),
    tf.keras.layers.Dense(4,activation='relu'),
    tf.keras.layers.Dense(1)
])

# 2. Compile Model
model_non_linear_hidd.compile(loss=tf.keras.losses.BinaryCrossentropy(),
                               optimizer=tf.keras.optimizers.Adam(),
                               metrics=['accuracy'])

# 3. Fit the model
history_non_linear_hidd=model_non_linear_hidd.fit(X_train,y_train,validation_spl
```

Evaluate Model On Testing Data

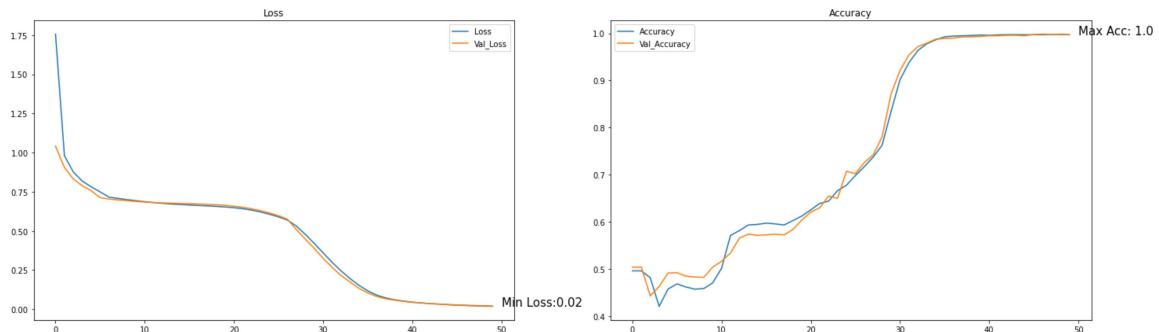
```
In [24]: model_non_linear_hidd.evaluate(X_test,y_test)

63/63 [=====] - 0s 1ms/step - loss: 0.0172 - accuracy: 0.9985

Out[24]: [0.01718233712017536, 0.9984999895095825]
```

Loss And Accuracy Curves

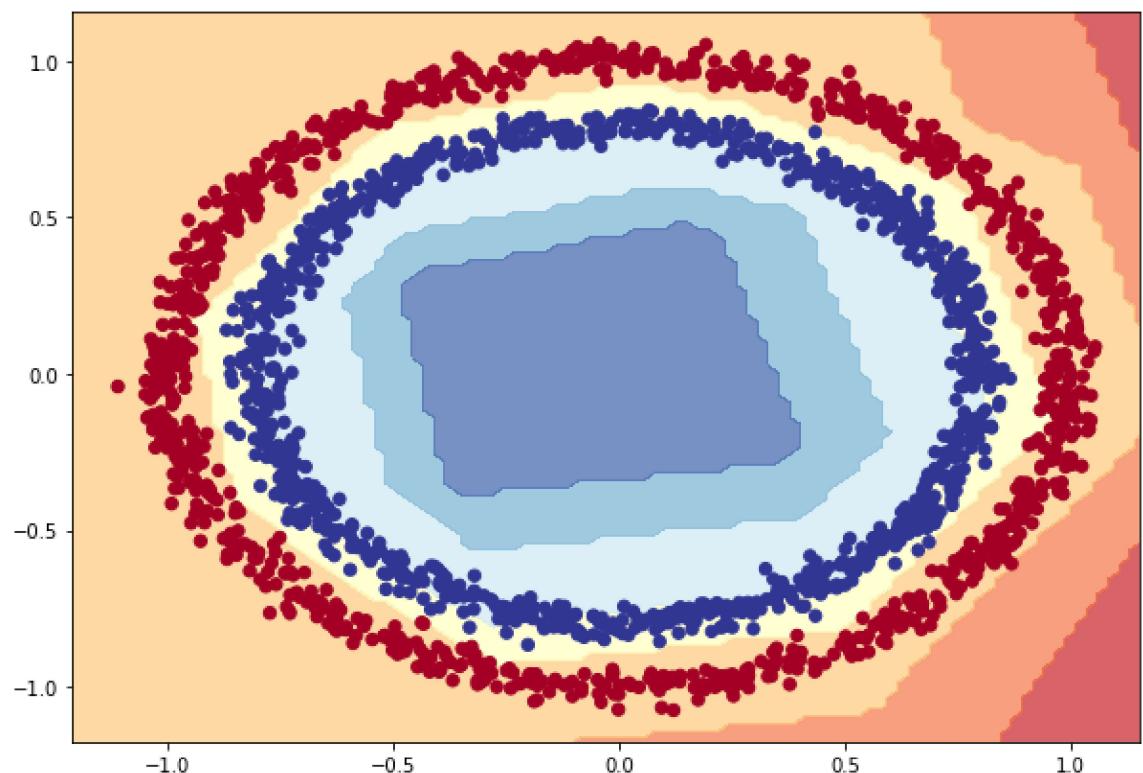
```
In [25]: plot_loss_accuracy_curve(history_non_linear_hidd)
```



Checking From Separation Boundary

```
In [26]: plot_decision_boundary(model=model_non_linear_hidd,X=X_test,y=y_test)
```

```
313/313 [=====] - 0s 956us/step
doing binary classification
```



2) Model_Non_Linear (Only with non-linear Hidden Activation+Output Activation) And Optimizer Adam

```
In [27]: # Set seed for result reproducibility
tf.random.set_seed(42)

# 1. Create model
model_non_linear=tf.keras.Sequential([
    tf.keras.layers.Dense(4,activation='relu',input_shape=[2]),
    tf.keras.layers.Dense(4,activation='relu'),
    tf.keras.layers.Dense(1,activation='sigmoid')
])

# 2. Compile Model
model_non_linear.compile(loss=tf.keras.losses.BinaryCrossentropy(),
                        optimizer=tf.keras.optimizers.Adam(),
                        metrics=['accuracy'])
```

```
# 3. Fit the model
history_non_linear=model_non_linear.fit(X_train,y_train,validation_split=0.15,epochs=50)
```

Evaluate Model On Testing Data

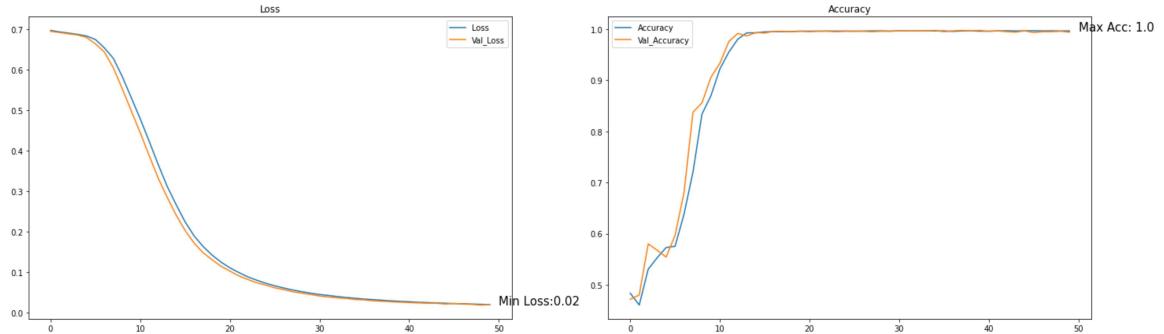
In [28]: `model_non_linear.evaluate(X_test,y_test)`

63/63 [=====] - 0s 1ms/step - loss: 0.0185 - accuracy: 0.9965

Out[28]: [0.018488174304366112, 0.9965000152587891]

Loss And Accuracy Curves

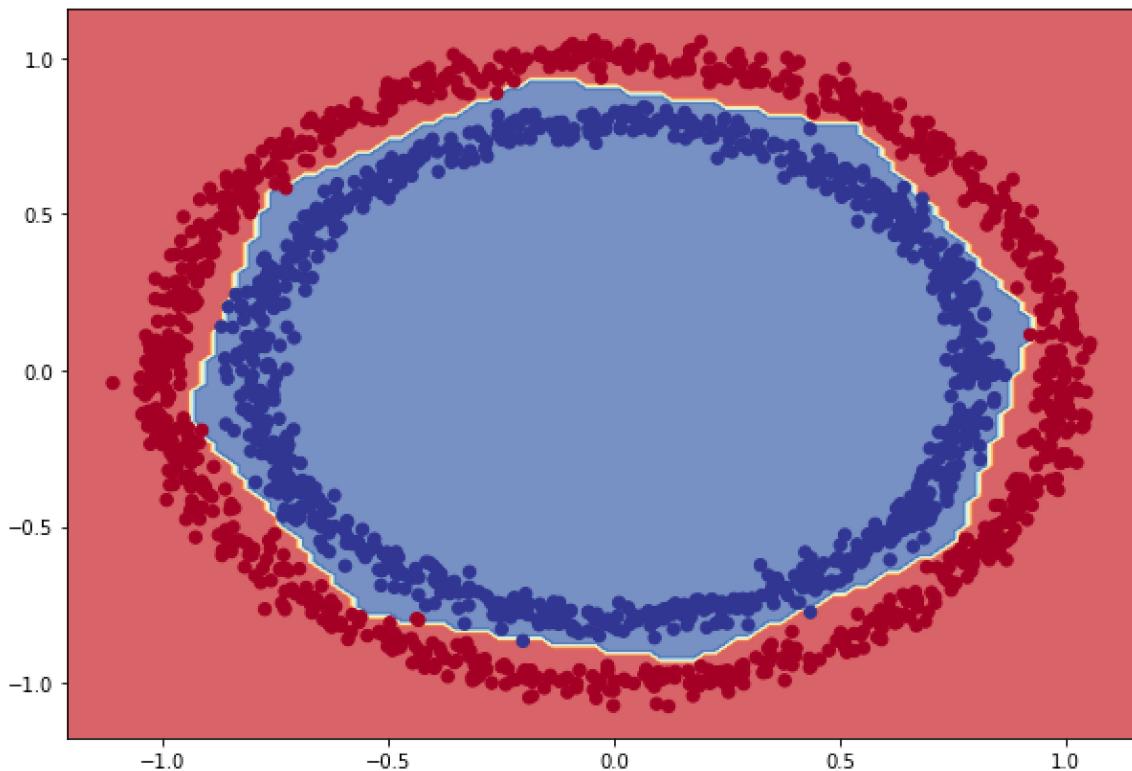
In [29]: `plot_loss_accuracy_curve(history=history_non_linear)`



Checking From Separation Boundary

In [77]: `# Plot the decision boundaries for train and test set's
plot_decision_boundary(model=model_non_linear,
 X=X_test,
 y=y_test)`

313/313 [=====] - 0s 1ms/step
doing binary classification



More classification evaluation methods

Alongside to visualizing our models results as much as possible, there are a handful of the other classification evaluation methods & metrics you should be familiar with.

- Accuracy
- Precision
- Recall
- F1-score
- Confusion matrix
- Classification report (from scikit-learn)

In [31]:

```
# Check the accuracy of our model
loss,accuracy=model_non_linear.evaluate(X_test,y_test)
print(f"Model loss on the test set: {loss}")
print(f"Model accuracy on the test set: {(accuracy*100):.2f}%")
```

1/63 [.....] - ETA: 0s - loss: 0.0120 - accuracy: 1.0
 00063/63 [=====] - 0s 1ms/step - loss: 0.0185 - accuracy: 0.9965
 Model loss on the test set: 0.018488174304366112
 Model accuracy on the test set: 99.65%

In [32]:

```
# Create a confusion matrix
from sklearn.metrics import confusion_matrix
y_pred=tf.round(model_non_linear.predict(X_test))
confusion_matrix(y_test,y_pred)
```

63/63 [=====] - 0s 904us/step

Out[32]: array([[1015, 5],
 [2, 978]], dtype=int64)

How about a confusion matrix.

```
In [33]: from sklearn.metrics import confusion_matrix
y_pred=model_non_linear.predict(X_test)

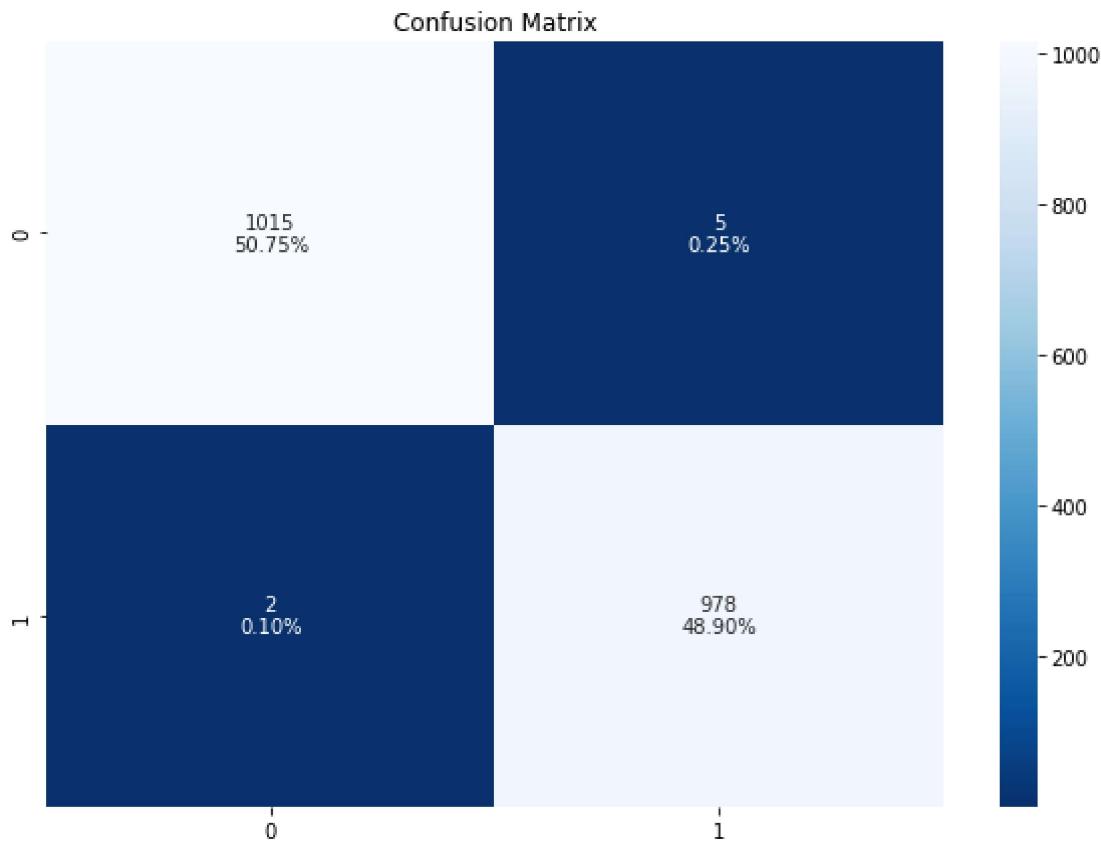
63/63 [=====] - 0s 1ms/step
```

How about we prettyify our confusion matrix

```
In [34]: import seaborn as sns
def plot_confusion_matrix(y_test,y_pred,figsize,classes):
    plt.figure(figsize=figsize)
    plt.title('Confusion Matrix')
    # Check for multi-class
    if y_pred.shape[1]>1:
        print('doing multiclass classification')
        # We have to reshape our prediction to get them ready for plotting
        n=y_pred.shape[1]
        y_pred=np.argmax(y_pred,axis=1)
        cf_matrix=confusion_matrix(y_test,y_pred) # Create a confusion matrix
        group_counts = ['{0:0.0f}'.format(value) for value in cf_matrix.flatten()]
        group_percentages = ['{0:.2%}'.format(value) for value in cf_matrix.flat]
        labels = [f'{v1}\n{v2}' for v1, v2 in zip(group_counts,group_percentages)]
        labels = np.asarray(labels).reshape(n,n)
    else:
        print('doing binary classification')
        y_pred=np.round(y_pred)
        cf_matrix=confusion_matrix(y_test,y_pred) # Create a confusion matrix
        group_counts = ['{0:0.0f}'.format(value) for value in cf_matrix.flatten()]
        group_percentages = ['{0:.2%}'.format(value) for value in cf_matrix.flat]
        labels = [f'{v1}\n{v2}' for v1, v2 in zip(group_counts,group_percentages)]
        labels = np.asarray(labels).reshape(y_pred.shape[1]+1,-1)
    sns.heatmap(cf_matrix, annot=labels,xticklabels=classes, yticklabels=classes,
    plt.show()

In [35]: plot_confusion_matrix(y_test,y_pred,figsize=(10,7),classes=['0','1'])

doing binary classification
```



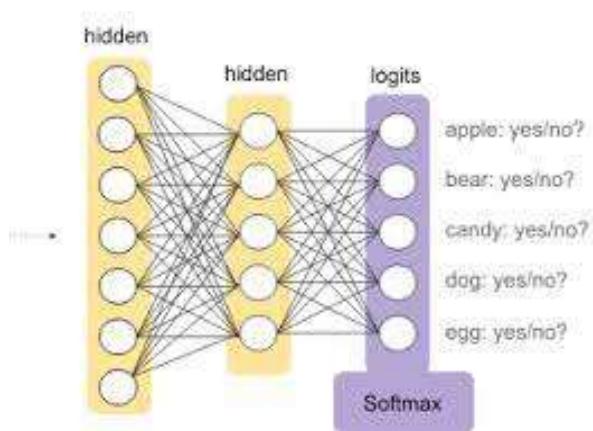
Conclusion of Binary Classification

- As we can see that if we try to solve complex problem of classification without non-linear activation then the model_linear performed worst also to note real world problem are complex
- As we apply non-linear activation to hidden layers in model we can see that it start shaping upon the data,
- And lastly when we applied non-linear activation to both hidden and output layer gave us the best results i.e model_non_linear/;

Multiclass Classification

Multiclass classification : Multiclass classification is a type of classification problem in machine learning where the goal is to classify instances into more than two classes. In multiclass classification, each instance belongs to one of the several predefined classes, and the model must predict the correct class label for each new instance.

Example :



```
In [78]: import tensorflow as tf  
(x_train_mul,y_train_mul),(x_test_mul,y_test_mul)=tf.keras.datasets.fashion_mnis
```



```
In [79]: # Check the make moon dataset features and shape  
print(f"There are {x_train_mul.shape[0]} rows with {x_train_mul.shape[1]} featur  
print(f"The first sample of dataset look likes: \n{x_train_mul[0]}")
```

There are 60000 rows with 28 features

The first sample of dataset look like:

```
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  1  4  0  0  0  0  0  0  1  1  0  0  0  0  0  0  0  0  0  0  1  0  0  0  13  73  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  54  0  0  0  1  3  4  0  0  0  3] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  144 123 23 0  0  0  0  0  0  0  12  10  0] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  107 156 161 109 64 23 77 130 72 15] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  216 163 127 121 122 146 141 88 172 66] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  223 223 215 213 164 127 123 196 229 0] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  235 227 224 222 224 221 223 245 173 0] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  180 212 210 211 213 223 220 243 202 0] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  169 227 208 218 224 212 226 197 209 52] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  198 221 215 213 222 220 245 119 167 56] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  232 213 218 223 234 217 217 209 92 0] ]
[[ 0  0  1  4  6  7  2  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  222 221 216 223 229 215 218 255 77 0] ]
[[ 0  3  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  211 218 224 223 219 215 224 244 159 0] ]
[[ 0  0  0  0  18  44  82  107 189 228 220 222 217 226 200 205 211 230
  224 234 176 188 250 248 233 238 215 0] ]
[[ 0  57 187 208 224 221 224 208 204 214 208 209 200 159 245 193 206 223
  255 255 221 234 221 211 220 232 246 0] ]
[[ 3 202 228 224 221 211 211 214 205 205 205 205 220 240 80 150 255 229 221
  188 154 191 210 204 209 222 228 225 0] ]
[[ 98 233 198 210 222 229 229 234 249 220 194 215 217 241 65 73 106 117
  168 219 221 215 217 223 223 224 229 29] ]
[[ 75 204 212 204 193 205 211 225 216 185 197 206 198 213 240 195 227 245
  239 223 218 212 209 222 220 221 230 67] ]
[[ 48 203 183 194 213 197 185 190 194 192 202 214 219 221 220 236 225 216
  199 206 186 181 177 172 181 205 206 115] ]
[[ 0 122 219 193 179 171 183 196 204 210 213 207 211 210 200 196 194 191
  195 191 198 192 176 156 167 177 210 92] ]
[[ 0  0  74 189 212 191 175 172 175 181 185 188 189 188 193 198 204 209
  210 210 211 188 188 194 192 216 170 0] ]
[[ 2  0  0  0  66 200 222 237 239 242 246 243 244 221 220 193 191 179
  182 182 181 176 166 168 99 58 0 0] ]
[[ 0  0  0  0  0  0  0  0  40  61  44  72  41  35  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0] ]
[[ 0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0  0
  0  0  0  0  0  0  0]]]
```

```
In [80]: # Check the make moon dataset target and shape
print(f"There are {y_train.shape[0]} rows with {np.unique(y_train).shape[0]} target")
print(f"The first 10 samples of dataset look like: \n{y_train[:10].ravel()}")
There are 8000 rows with 2 target
The first 10 samples of dataset look like:
[1 0 0 1 1 0 1 1 1 1]

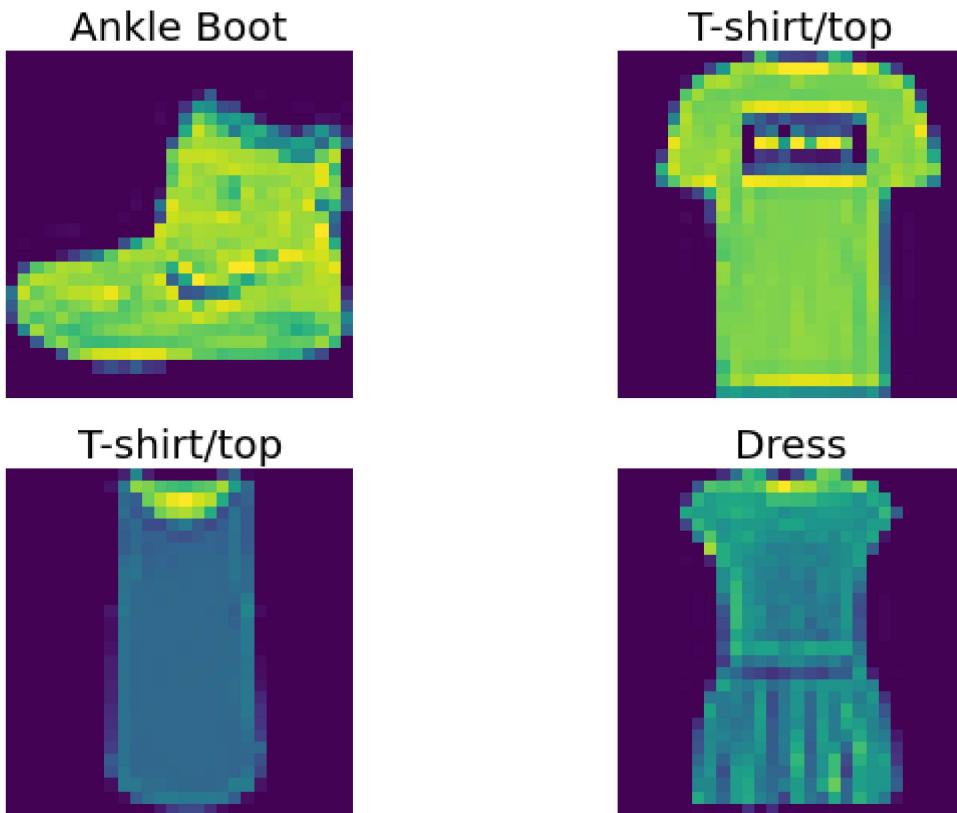
In [81]: # Create a small list so we can index on to our training labels so they're human
class_labels=['T-shirt/top','Trouser','Pullover','Dress','Coat','Sandal','Shirt']
len(class_labels)

Out[81]: 10
```

Visualizing Data

```
In [82]: # This function will help us to create visualization of images
def plot_images(images,labels,classes):
    ...
    This function will help us to visualize the images in dataset
    ...
    fig,ax=plt.subplots(2,2,figsize=(10,7)) # Creating a plot with 1 row and 10 columns
    ax=ax.ravel() # Flattening the axis array
    for i in range(0,4):
        image=images[i] # Getting Image Data
        label=int(labels[i]) # Converting Image Labels from float to int
        ax[i].imshow(image) # Showing Image
        ax[i].set_title(classes[label],fontdict={'size':20}) # Setting title as
        ax[i].axis(False) # Removing the scale axis
```

```
In [83]: plot_images(x_train_mul,y_train_mul,class_labels)
```



Creating Model For Multiclass Classification

1) model_multi_no_one_hot:

- If the labels are not one-hot encode i.e in the form

```
In [84]: y_train_mul
```

```
Out[84]: array([9, 0, 0, ..., 3, 0, 5], dtype=uint8)
```

 **Note:** If the labels are not one-hot encoded we will use the loss as `SparseCategoricalCrossentropy`.

SparseCategoricalCrossentropy:

- `SparseCategoricalCrossentropy` is a loss function used for multi-class classification tasks when the true labels are provided as integers rather than one-hot encoded vectors. It calculates the cross-entropy loss between the predicted class probabilities and the true class labels.
- The formula for the `SparseCategoricalCrossentropy` loss function can be expressed as follows:

$$\text{SparseCategoricalCrossentropy} = - \sum [y_{\text{true}} * \log(y_{\text{pred}})]$$

- In this formula:
 - y_{true} represents the true class labels provided as integers.
 - y_{pred} represents the predicted class probabilities output by the model.

```
In [85]: # Example true Labels (not one-hot encoded)
true_labels = [2, 0, 1, 1, 2]

# Example predicted class probabilities
predicted_probs = [[0.1, 0.2, 0.7],
                    [0.8, 0.1, 0.1],
                    [0.3, 0.6, 0.1],
                    [0.2, 0.7, 0.1],
                    [0.05, 0.05, 0.9]]

# Convert the true Labels and predicted probabilities to TensorFlow tensors
true_labels_tensor = tf.constant(true_labels, dtype=tf.int32)
predicted_probs_tensor = tf.constant(predicted_probs, dtype=tf.float32)

# Calculate the sparse categorical cross-entropy loss
sparse_ce_loss = tf.keras.losses.SparseCategoricalCrossentropy()(true_labels_tensor, predicted_probs_tensor)

# Print the calculated loss
print("Sparse Categorical Cross-Entropy Loss:", sparse_ce_loss.numpy())
```

Sparse Categorical Cross-Entropy Loss: 0.3105359

Output Activation In Classification Problem

- As we used sigmoid function on binary classification.
- But in multiclass classification we use **SOFTMAX**

SOFMAX:

- The softmax function is commonly used as an activation function in the output layer for multiclass classification problems. It is applied to the logits (unnormalized scores) produced by the previous layers of the network to convert them into a probability distribution over the classes.
- When softmax is used as the activation function in the output layer, it ensures that the output values are non-negative and sum up to 1, making them interpretable as class probabilities. Each output value represents the estimated probability of the corresponding class.

Mathematically, the softmax function applied to a vector of logits can be expressed as follows:

$$\text{softmax}(z_i) = \exp(z_i) / \sum(\exp(z_j))$$

- where z_i represents the i -th element of the input vector.

```
In [86]: def softmax(logits):
    exp_logits = tf.math.exp(logits)
    sum_exp_logits = tf.reduce_sum(exp_logits)
    softmax_output = exp_logits / sum_exp_logits
    return softmax_output

# Example Logits (unnormalized scores)
logits = [2.0, 1.0, 0.1]

# Apply softmax using the custom softmax function
softmax_output = softmax(logits)

# Print the softmax output
print("Softmax Output:", softmax_output)
```

Softmax Output: tf.Tensor([0.6590011 0.24243295 0.09856589], shape=(3,), dtype=float32)

Adding A Flattening Layer As Input Shape (28,28)

```
In [87]: # Create a sample input tensor representing a batch of 2D images
input_tensor = x_train_mul

# Create a model
model_flatten= tf.keras.Sequential()

# Add a Flatten Layer
model_flatten.add(tf.keras.layers.Flatten(input_shape=(28,28)))

# Check the shape before and after the Flatten layer
```

```
print("Shape before Flatten:", input_tensor.shape)
print("Shape after Flatten:", model_flatten(input_tensor).shape)
```

Shape before Flatten: (60000, 28, 28)
 Shape after Flatten: (60000, 784)

```
In [88]: # Set the seed
tf.random.set_seed(42)

# 1.Create a model
model_multi_no_one_hot=tf.keras.Sequential([
    tf.keras.layers.Flatten(input_shape=(28,28)),
    tf.keras.layers.Dense(20,activation='relu'),
    tf.keras.layers.Dense(20,activation='relu'),
    tf.keras.layers.Dense(len(class_labels),activation='softmax')
])
)

# 2.Compile the model
model_multi_no_one_hot.compile(loss=tf.keras.losses.SparseCategoricalCrossentropy(),
                                 optimizer=tf.keras.optimizers.Adam(),
                                 metrics=['accuracy'])

# 3.Train model
history_multi_no_one_hot=model_multi_no_one_hot.fit(x_train_mul,
                                                       y_train_mul,
                                                       validation_split=0.15,
                                                       epochs=20,
                                                       verbose=0)
```

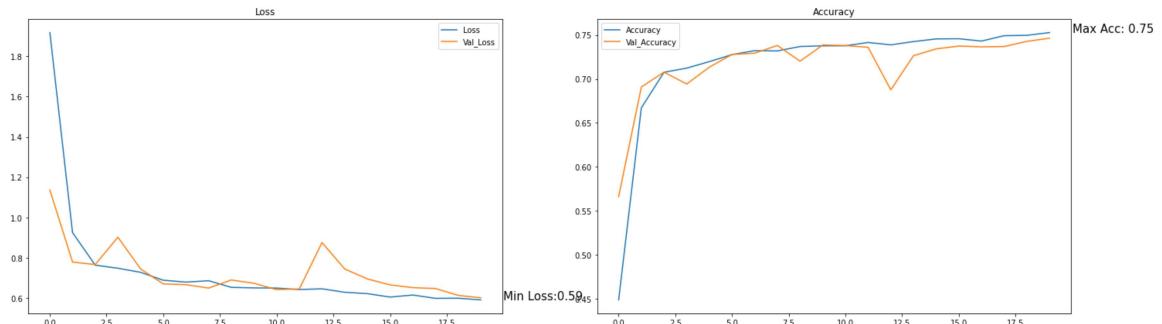
Evaluate Model On Testing Data

```
In [89]: model_multi_no_one_hot.evaluate(x_test_mul,y_test_mul)

1/313 [........................] - ETA: 7s - loss: 0.7651 - accuracy: 0.6875
313/313 [=====] - 0s 1ms/step - loss: 0.6127 - accuracy: 0.7457
```

Out[89]: [0.6126917600631714, 0.7457000017166138]

```
In [90]: plot_loss_accuracy_curve(history_multi_no_one_hot)
```



2) model_multi_one_hot

- If the data in form of one hot encoding as follow:

```
In [91]: # Creating one-hot encoding
tf.one_hot([1,2,3,4],depth=4)
```

```
Out[91]: <tf.Tensor: shape=(4, 4), dtype=float32, numpy=
array([[0., 1., 0., 0.],
       [0., 0., 1., 0.],
       [0., 0., 0., 1.],
       [0., 0., 0., 0.]], dtype=float32)>
```

 **Note:** If the labels are one-hot encoded we will use the loss as `CategoricalCrossentropy`.

CategoricalCrossentropy:

- Categorical CrossEntropy is a loss function commonly used in multiclass classification problems where the true labels are represented as one-hot encoded vectors. It measures the dissimilarity between the predicted class probabilities and the true class labels.
- The formula for the CategoricalCrossentropy loss function can be expressed as follows:

$$\text{Categorical CrossEntropy} = - \sum (y_i * \log(p_i))$$

- In this formula:
 - Σ represents the summation over all classes.
 - y_i represents the true label (1 or 0) for class i.
 - p_i represents the predicted probability for class i.

```
In [92]: # Set the seed
tf.random.set_seed(42)

# 1.Create a model
model_multi_one_hot=tf.keras.Sequential([
    tf.keras.layers.Flatten(input_shape=(28,28)),
    tf.keras.layers.Dense(20,activation='relu'),
    tf.keras.layers.Dense(20,activation='relu'),
    tf.keras.layers.Dense(len(class_labels),activation='softmax')
])

# 2.Compile the model
model_multi_one_hot.compile(loss=tf.keras.losses.CategoricalCrossentropy(),
                             optimizer=tf.keras.optimizers.Adam(),
                             metrics=['accuracy'])

# 3.Train model
history_multi_one_hot=model_multi_one_hot.fit(x_train_mul,
                                                tf.one_hot(y_train_mul,depth=16),
                                                validation_split=0.15,
                                                epochs=20,
                                                verbose=0)
```

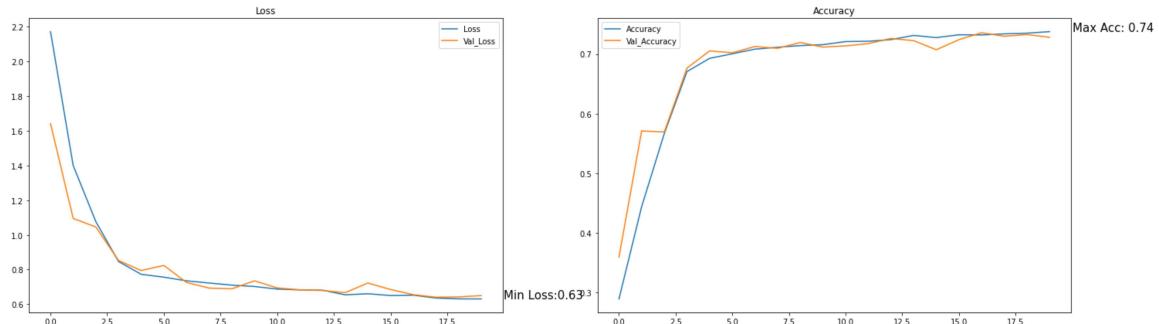
Evaluate Model On Testing Data

```
In [93]: model_multi_one_hot.evaluate(x_test_mul,tf.one_hot(y_test_mul,depth=len(class_la
```

```
313/313 [=====] - 0s 1ms/step - loss: 0.6699 - accuracy: 0.7278
```

```
Out[93]: [0.6699361801147461, 0.727800116348267]
```

```
In [94]: plot_loss_accuracy_curve(history_multi_one_hot)
```



3) model_multi_norm

- When we will normalize data before feeding to neural network

```
In [95]: x_train_norm=x_train_mul/255.0
x_test_norm=x_test_mul/255.0
```

```
# Set the seed
tf.random.set_seed(42)

# 1.Create a model
model_multi_norm=tf.keras.Sequential([
    tf.keras.layers.Flatten(input_shape=(28,28)),
    tf.keras.layers.Dense(20,activation='relu'),
    tf.keras.layers.Dense(20,activation='relu'),
    tf.keras.layers.Dense(len(class_labels),activation='softmax')
])
)

# 2.Compile the model
model_multi_norm.compile(loss=tf.keras.losses.CategoricalCrossentropy(),
                         optimizer=tf.keras.optimizers.Adam(learning_rate=0.001),
                         metrics=['accuracy'])

# 3.Train model
history_multi_norm=model_multi_norm.fit(x_train_norm,
                                         tf.one_hot(y_train_mul,depth=len(class_labels)),
                                         validation_split=0.15,
                                         epochs=20,
                                         verbose=0)
```

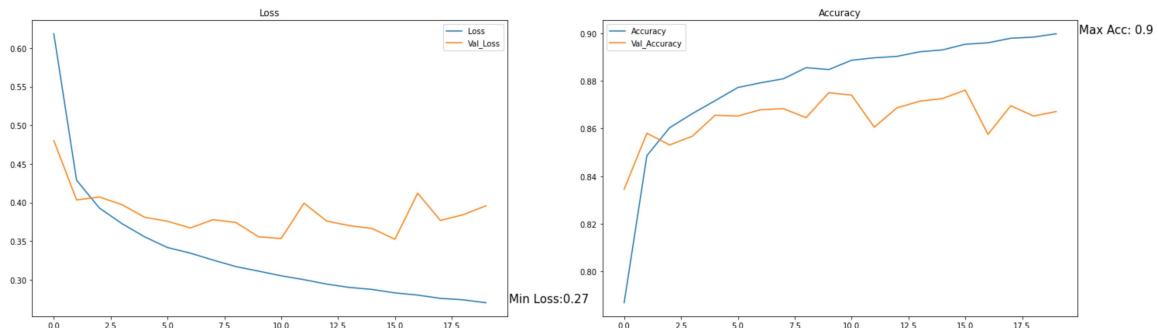
Evaluate Model On Testing Data

```
In [111]: model_multi_norm.evaluate(x_test_norm,tf.one_hot(y_test_mul,depth=len(class_labels)))

313/313 [=====] - 0s 1ms/step - loss: 0.4203 - accuracy: 0.8618
```

```
Out[111]: [0.4202782213687897, 0.8618000149726868]
```

```
In [113]: plot_loss_accuracy_curve(history_multi_norm)
```

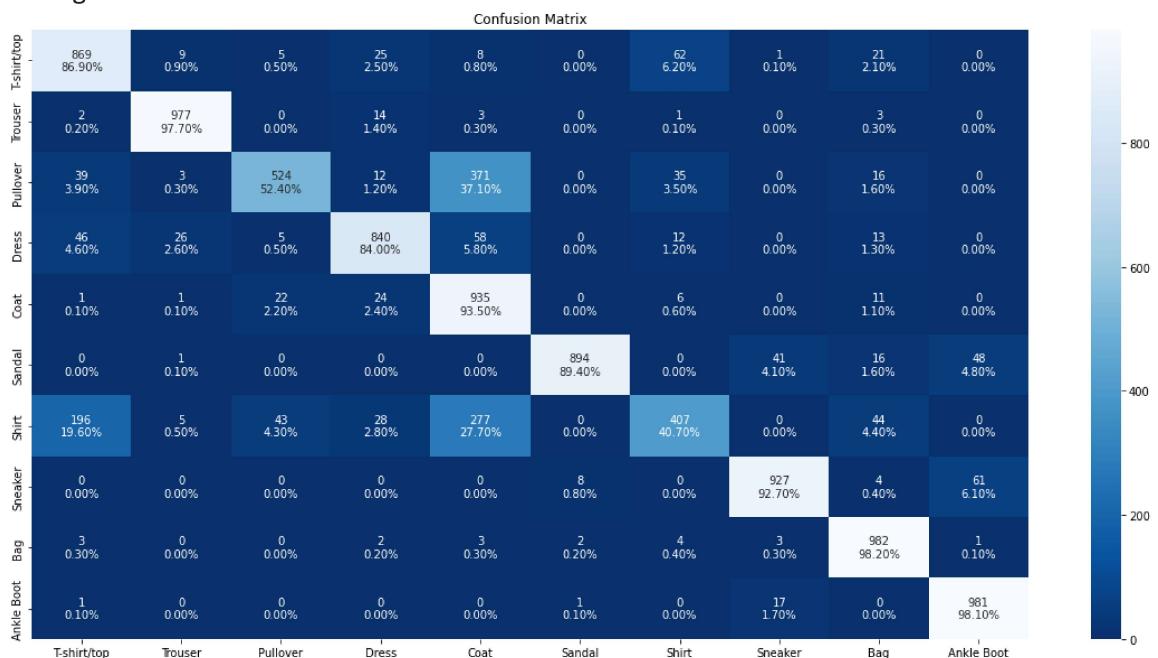


Confusion Matrix

In [114]:

```
y_pred_mul=model_multi_norm.predict(x_test_mul)
plot_confusion_matrix(y_test_mul,y_pred_mul,figsize=(20,10),classes=class_labels)
```

313/313 [=====] - 0s 1ms/step
doing multiclass classification



Conclusion of Multiclass Classification

- As we can see in both the model with not one hot encoded and one-hot encoded are not as good as model trained with normalized data which gets the best accuracy with least epochs.

Thus we can say that `model_multi_norm` was best