Introduction

Toshitaka Aoki and Qi Wang

These are the supporting materials for our paper tilted *On τ-tilting finiteness of blocks of Schur algebras*, see arXiv: 1111,11223, in which we are trying to give a complete list of τ-tilting finite Schur algebras. To understand the list, one needs some bound quiver algebras A and the numbers $\#\mathsf{s}\tau\text{-tilt}\,A$, as displayed below,

A	$\mathbb{F}$	$\mathcal{A}_2$	$\mathcal{A}_3$	$\mathcal{D}_3$	$\mathcal{R}_4$	$\mathcal{H}_4$	$\mathcal{D}_4$	$\mathcal{K}_4$	$\mathcal{U}_4$	$\mathcal{M}_4$	$\mathcal{L}_5$
$\#\mathsf{s}\tau\text{-tilt}\,A$	2	6	20	28	88	96	112	136	136	152	1656

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In this webpage, we give a complete list of g-vectors for each bound quiver algebra in the above table, in order to illustrate the number $\#\mathsf{s}\tau\text{-tilt}\,A$.

We may fix some notations as follows. Let A be a finite-dimensional algebra over an algebraically closed field $\mathbb{F}$. We can determine the g-vectors for all indecomposable two-term presilting complexes in $\mathsf{K}^\mathsf{b}(\mathsf{proj}\,A)$, such that the g-vectors of two-term silting complexes can be displayed as matrixes, where the entries are given by the former ones. We give an example here.

Example. Let $A = \mathbb{F}(\, 1 \underset{\beta}{\overset{\alpha}{\rightleftarrows}} 2 \,)/ < \alpha\beta, \beta\alpha >$. Then, the Hasse quiver $\mathcal{H}(2\text{-silt}\,A)$ is

We deduce that the complete list of g-vectors for A is

$$[\,[\,1, 0\,], \qquad [\,[\,\text{-}1, 0\,], \qquad [\,[\,1, 0\,], \qquad [\,[\,\text{-}1, 1\,], \qquad [\,[\,1, \text{-}1\,], \qquad [\,[\,\text{-}1, 1\,],$$
$$[\,0, 1\,]\,] \qquad [\,0, \text{-}1\,]\,] \qquad [\,1, \text{-}1\,]\,] \qquad [\,0, 1\,]\,] \qquad [\,0, \text{-}1\,]\,] \qquad [\,\text{-}1, 0\,]\,]$$