

Machine Learning with Graphs (MLG)

Network Community Detection (3)

Louvain and LPA algorithms

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Community Detection Approaches

- Propagation-based Method
 - Structural Clustering Algorithm for Networks (SCAN)
- Edge-Removal
 - Girvan-Newman Algorithm (GNA)
 - Fast Newman Algorithm
- Louvain Algorithm
- Label Propagation Algorithm

Louvain Algorithm

- V. D. Blondel, J.-L. Guillaume, R. Lambiotte, and E. Lefebvre. "Fast unfolding of communities in large networks"
 J. Stat. Mech. P10008, 2008.
- Implementations/Packages
 - https://github.com/taynaud/python-louvain
 - https://github.com/patapizza/pylouvain
 - https://github.com/vtraag/louvain-igraph
 - https://python-louvain.readthedocs.io/en/latest/

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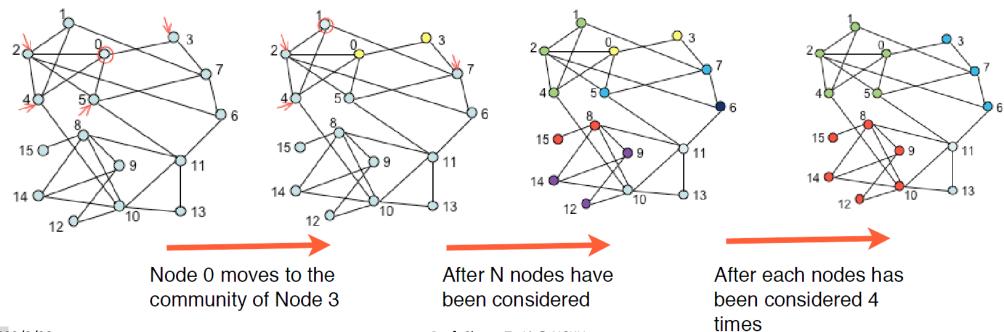
Louvain Algorithm

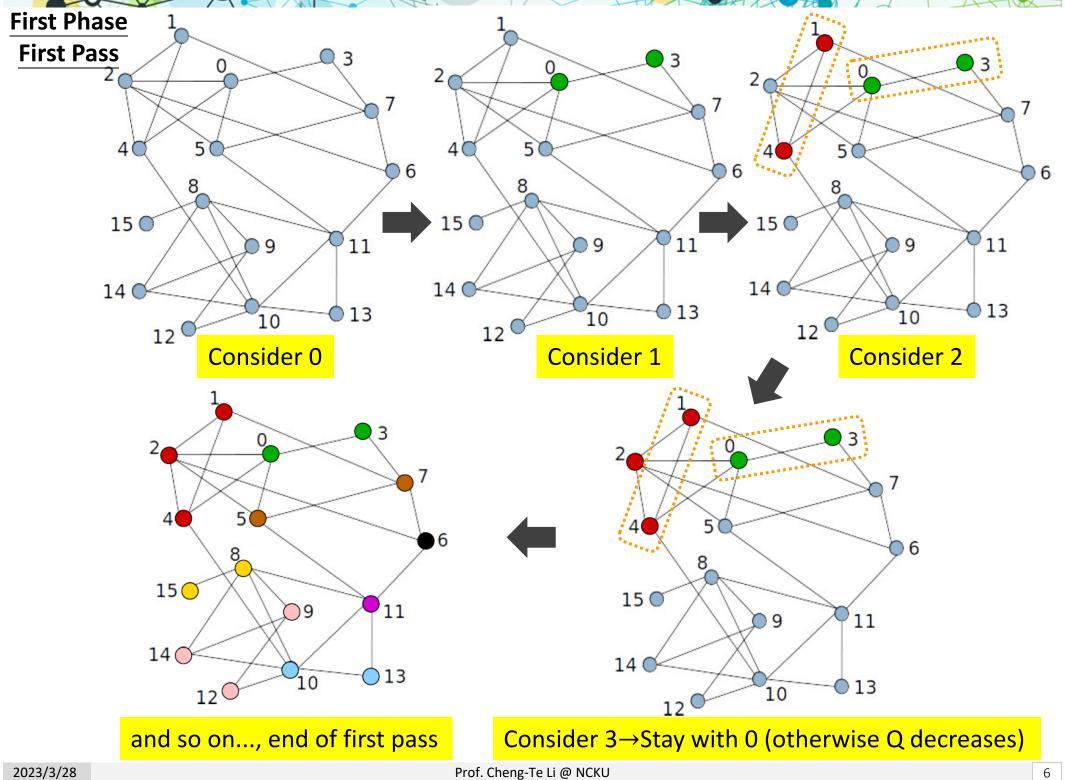
- One of the state-of-the-art methods
- A greedy optimization method that attempts to maximize the modularity of a partition of the network
- Two main steps repeated iteratively

```
while (improvement) {
    mod = detect-communities()  # phase 1
    if( (mod - prev_mod) > 0)
        improvement = true
    else
        improvement = false
        prev_mod = mod
        collapse-graph()  # phase 2
}
```

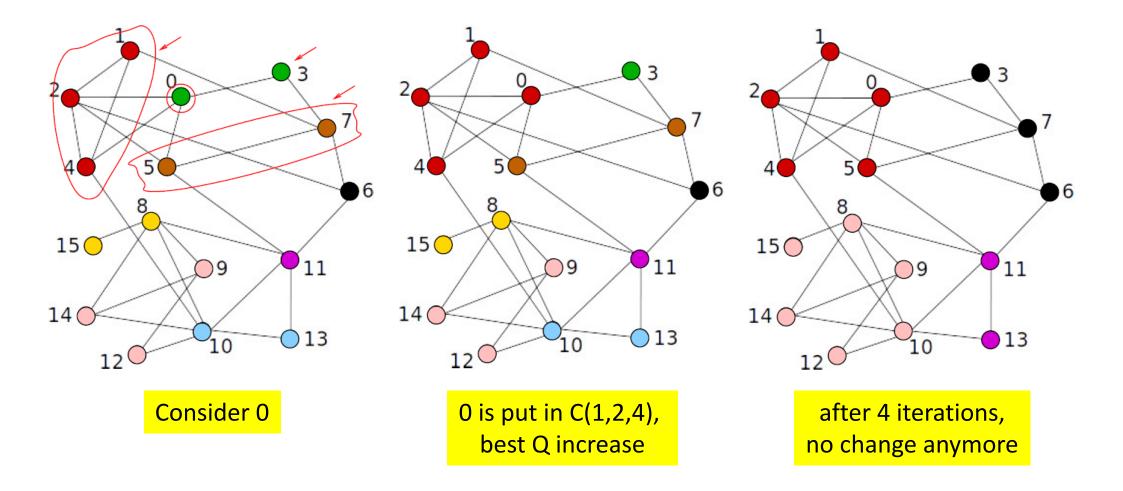
Louvain Algorithm: Phase 1

- Initially, all the nodes belong to their own communities
- One pass: looks through all the nodes in an ordered way
- The nodes look among their neighbors and adopt the community of their neighbor if there is an increase of modularity ($\Delta Q > 0$)
- Perform passes iteratively until a local maximum of modularity is reached (each node could be considered several times)



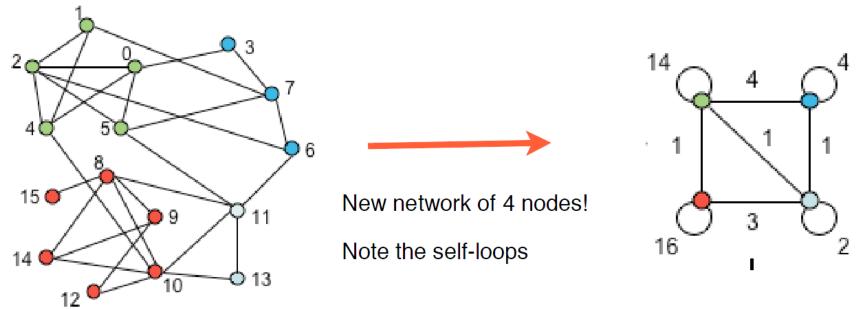


First Phase Second Pass



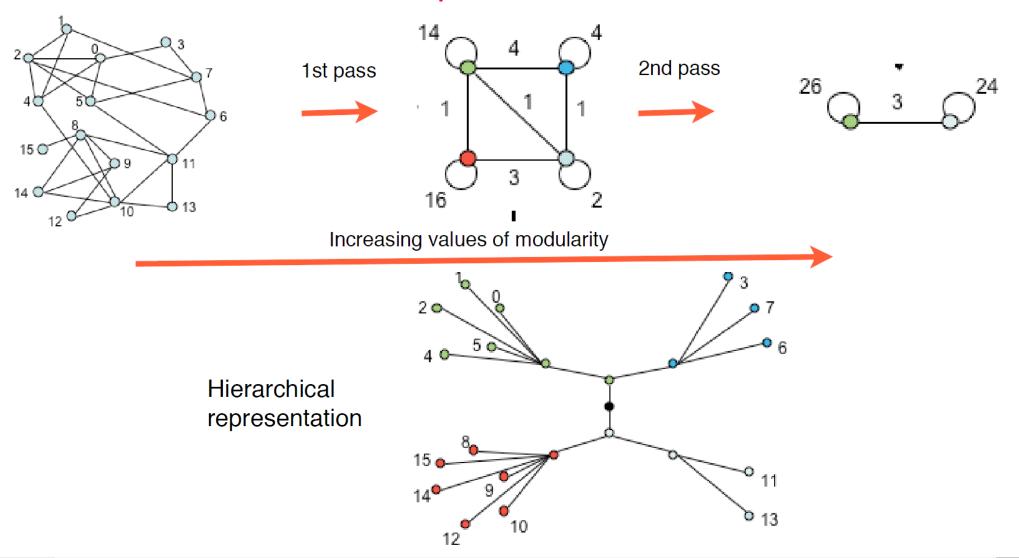
Louvain Algorithm: Phase 2

- Once a local maximum has been attained
 - → build a new network whose nodes are communities
 - Edge weights between communities are the total numbers of edges between nodes of two communities
 - In typical realizations, the number of nodes diminishes drastically at this step
 - This ensures the rapidity of the algorithm for large networks



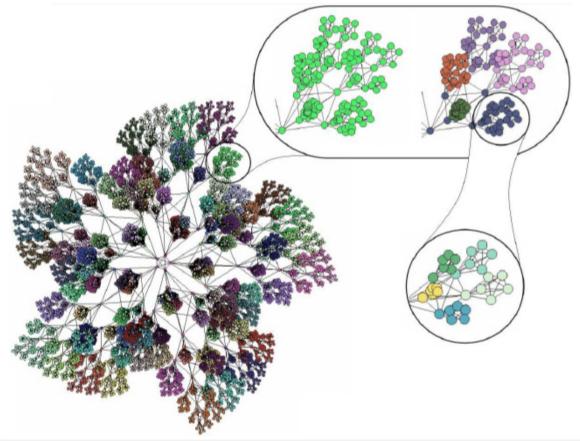
Louvain Algorithm

 The two steps are repeated iteratively, thereby leading to a hierarchical decomposition of the network



Advantages of Louvain Algorithm

- Incredibly simple (local greedy approach)
 - → Easy to implement and to improve
- Very fast! Even in large-scale networks (5.5M)
- Good accuracy
- Multi-resolution



Community Detection Approaches

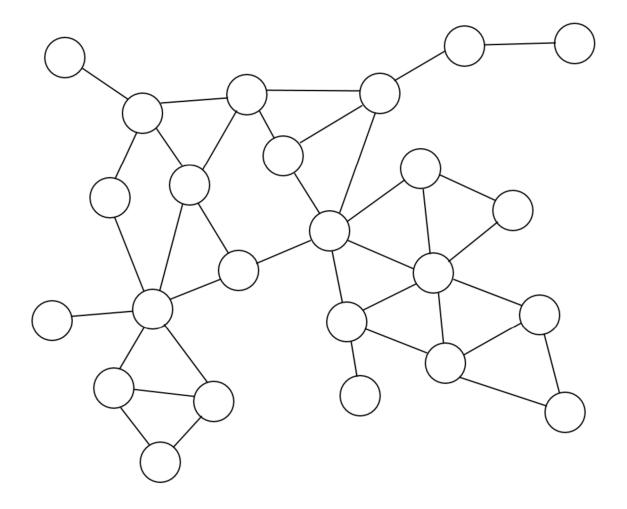
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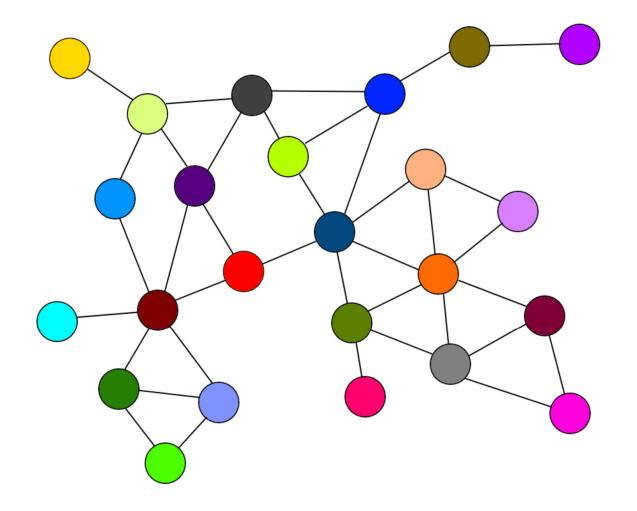
Label Propagation Algorithm

- U. Nandini Raghavan, R. Albert, and S. Kumara.
 "Near linear time algorithm to detect community structures in large-scale networks"
 PHYSICAL REVIEW E 76, 036106, 2007. 2582 cites
- Implementations/Packages
 - https://github.com/benedekrozemberczki/LabelPropagation
 - https://networkx.github.io/documentation/stable/_modules/network
 x/algorithms/community/label_propagation.html
 - https://igraph.org/r/doc/cluster_label_prop.html

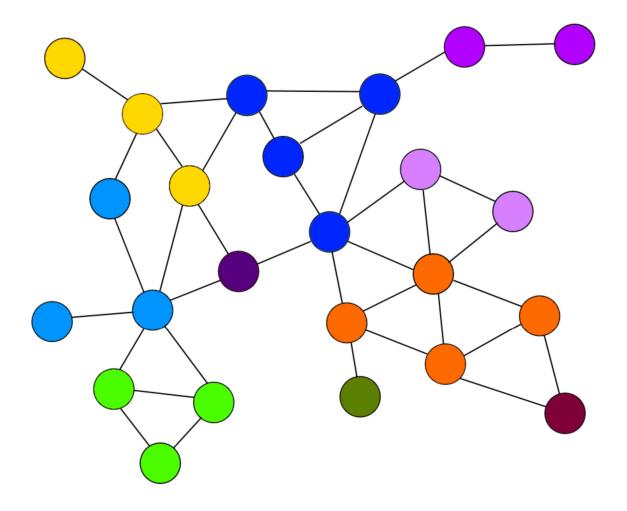
Step 1: Randomly label with n labels



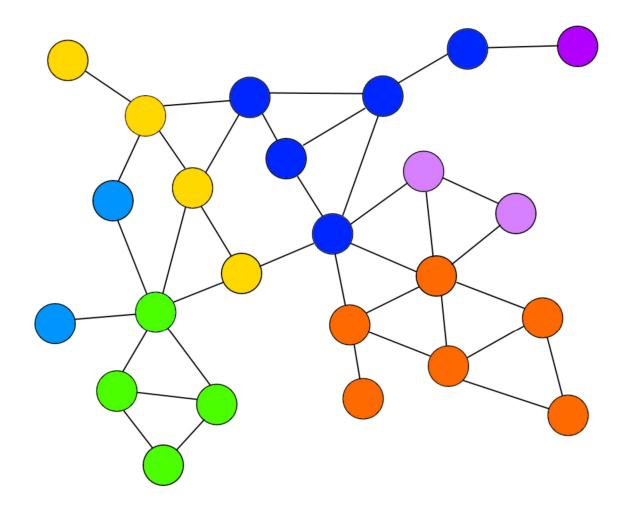
Step 1: Randomly label with n labels



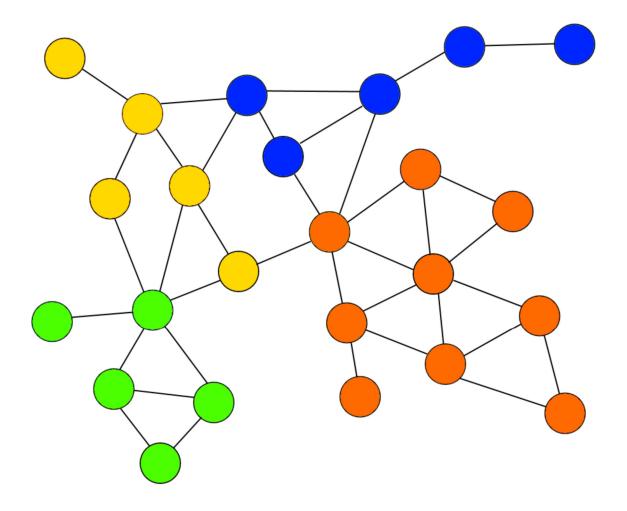
• Step 2: Iteratively update each v with max per-label count over neighbors, ties broken randomly



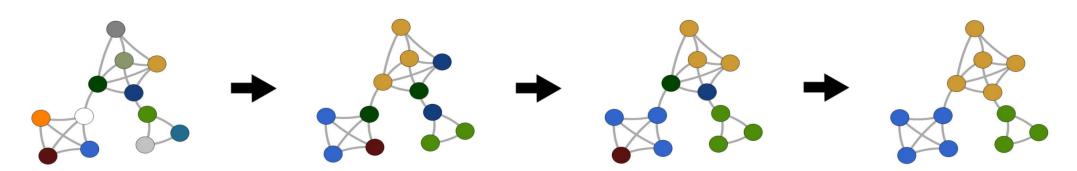
• Step 2: Iteratively update each v with max per-label count over neighbors, ties broken randomly



• Step 3: Algorithm completes when no new updates possible. Otherwise, continue back to Step 2

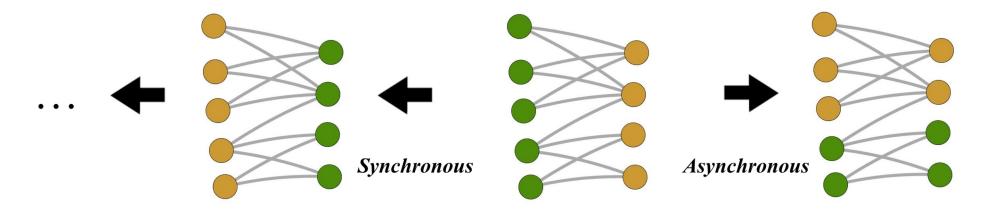


- Given undirected graph G = (V, E) with weights W (and communities $C = \emptyset$)
- Step 1: initialize nodes with unique labels $\forall v \in V : c_v = l_v$
- Step 2: set each node's label to the label shared by most of its neighbors, i.e., $\forall v \in V : c_v = \operatorname{argmax}_l \sum_{u \in \mathcal{N}_n^l} w_{vu}$
 - Nodes are updated sequentially
 - Ties are broken uniformly at random
- Step 3: if not converged, continue to Step 2



Issues with LPA

- Oscillation of labels in, e.g., bipartite graphs
 - Nodes are updated sequentially (asynchronous) in random order



- Convergence issues for,
 e.g., overlapping communities
 - Node's label is retained,
 when among most frequent

