

## 5.8 Consider the following grammar

declaration  $\rightarrow$  type var-list

type  $\rightarrow$  int | float

var-list  $\rightarrow$  identifier, var-list | identifier

a. Rewrite it in a form more suitable for bottom-up parsing.

**Solution:**

declaration  $\rightarrow$  type var-list

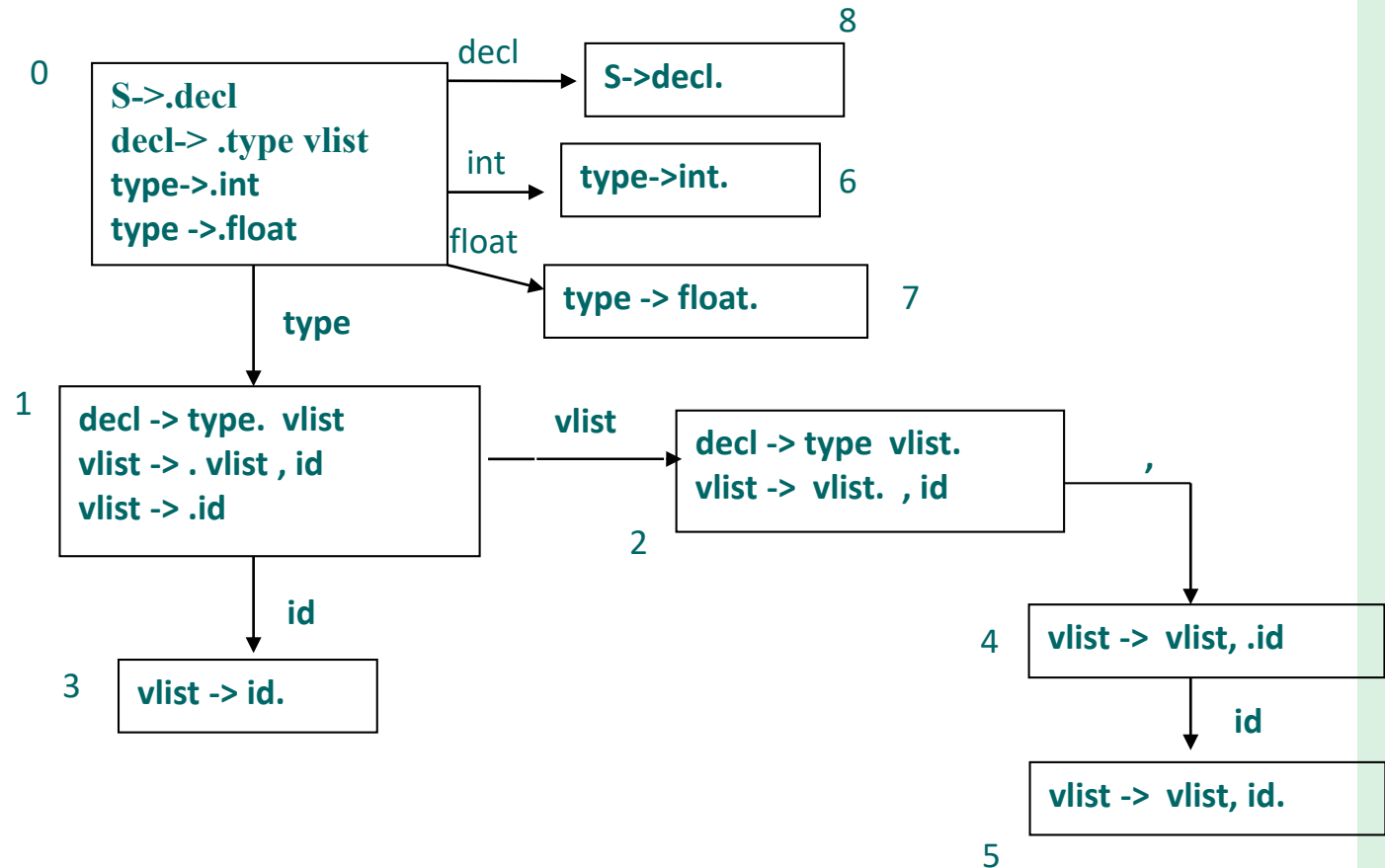
type  $\rightarrow$  int | float

var-list  $\rightarrow$  var-list, identifier | identifier

b. Construct the LR(0) DFA for the rewritten grammar.

Solution:

decl -> type vlist  
 type -> int  
 type -> float  
 vlist -> vlist, id  
 vlist -> id  
 follow(decl) = { \$ },  
 follow(type) = { id },  
 follow(vlist) = { \$, , }



(c) Construct the SLR(1) parsing table for the rewritten grammar.

Solution:

state	input					goto		
	int	float	id	,	\$	type	decl	vlist
0	s6	s7				g1	g8	
1			s3					g2
2				s4	r1			
3				r5	r5			
4			s5					
5				r4	r4			
6			r2					
7			r3					

decl -> type vlist

type -> int

type -> float

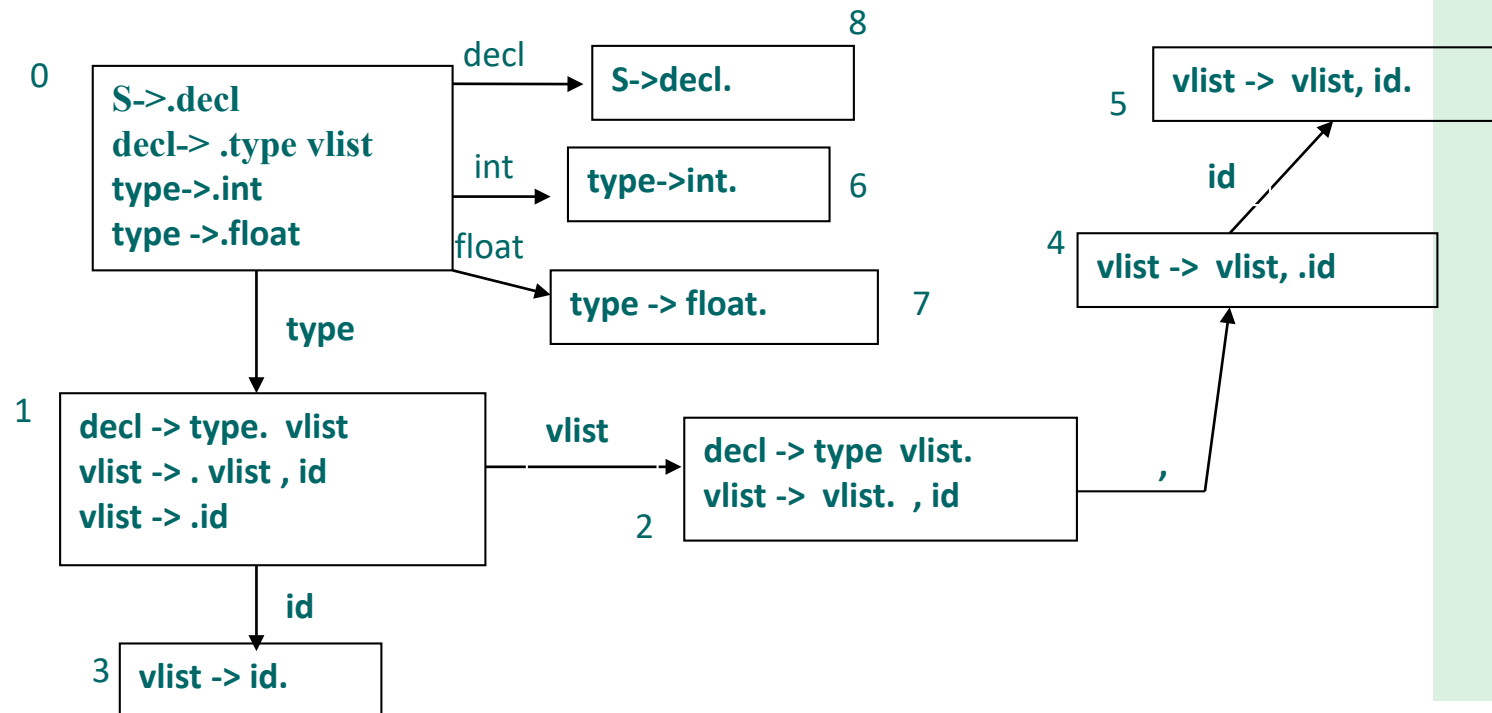
vlist -> vlist, id

vlist -> id

follow(decl) = { \$ },

follow(type) = { id }

follow(vlist) = { \$, , }



5.12 Show the following grammar is LR(1) but not LALR(1):

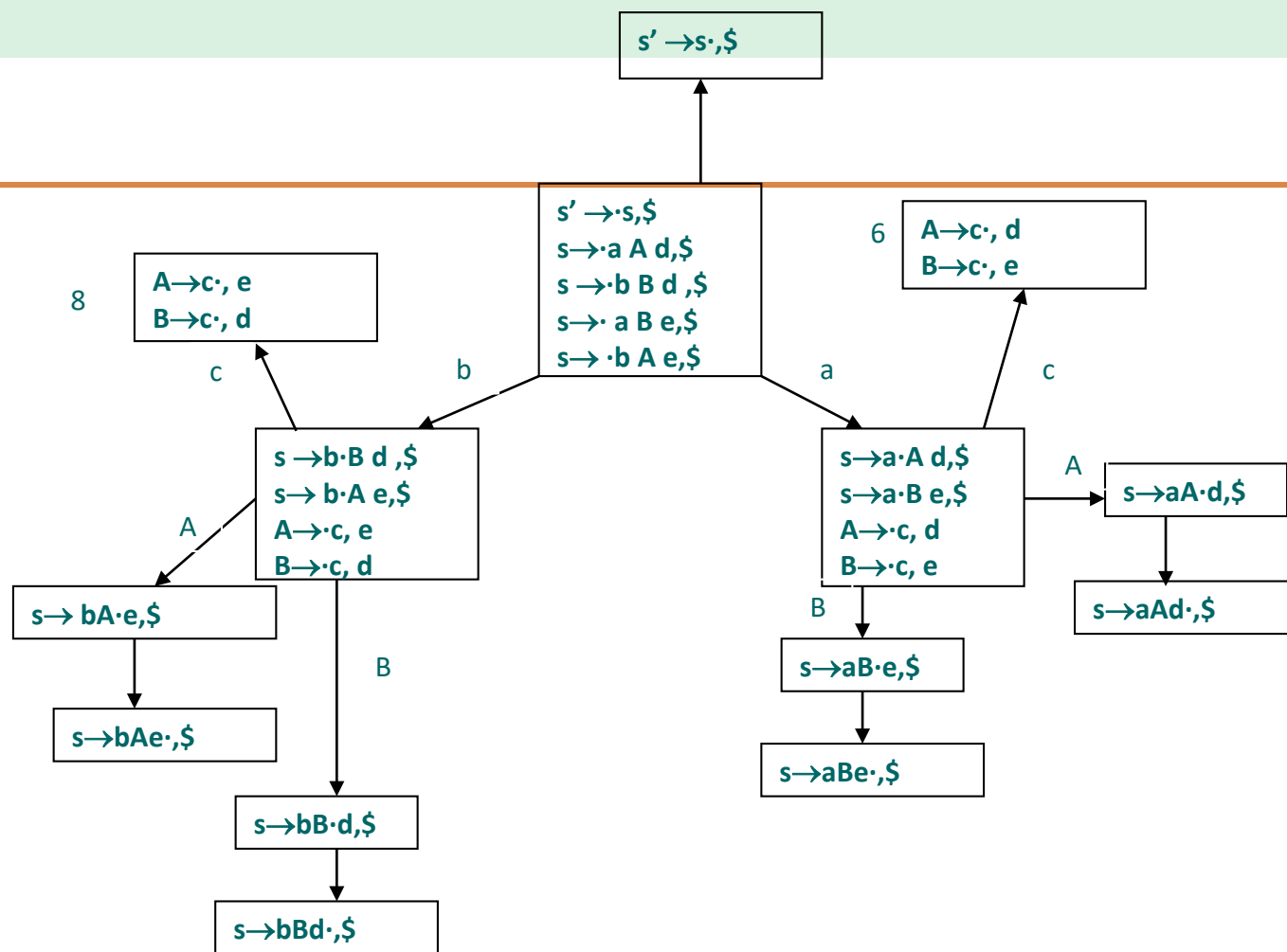
$$s \rightarrow a A d \mid b B d \mid a B e \mid b A e$$
$$A \rightarrow c$$
$$B \rightarrow c$$

Solution:

- The augmented grammar is:

$$s' \rightarrow s$$
$$s \rightarrow a A d \mid b B d \mid a B e \mid b A e$$
$$A \rightarrow c$$
$$B \rightarrow c$$

The LR(1) DFA is shown as follows



To construct LALR(1) DFA, state 6 and state 8 are combined to a new state:

$A \rightarrow c \cdot, d/e$   
 $B \rightarrow c \cdot, d/e$

There is a reduce-reduce conflict in this state, which shows that the grammar is not LALR(1).