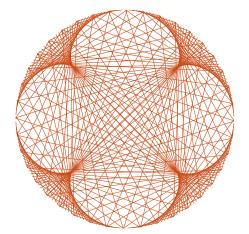


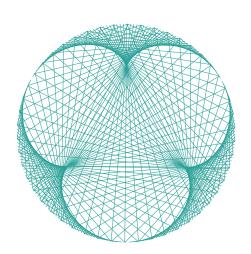
{TikZ-Pgfplotsapplication}

TkZ & euclide 绘图应用

Version 实用(进阶)篇

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前言

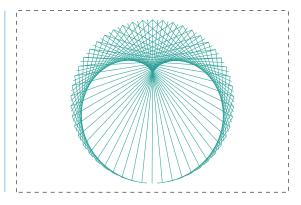
最近整理了一份 L^AT_EX 绘图笔记,内容主要侧重于绘制中学学习教材上用到的大部分图,对于 L^AT_EX 绘图的入门,初学者可以进入 L^AT_EX 工作室官网寻找一些 TikZ 的绘图入门,其中有 TikZ 绘图入门基础、TikZ 学习笔记、TikZ/PGF manual 以及 TikZ 绘图宏包的学习手册。相关的资源可以关注公众号动态,以及工作室官方网站。



. 全世界在等我飞更高 你却心疼我受伤翅膀

分享

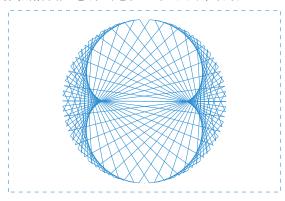
在学习 TikZ 绘图过程中,偶尔看见别人用 Blender 结合 Python 绘制心线图的动画视频,于是常识了用 LaTeX 中 TikZ 宏包去实现,最后绘制出来了,这里进行代码分享! 首先是心线图的绘制:



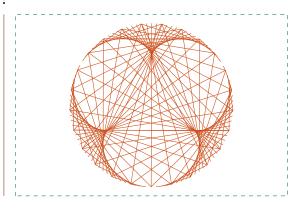
类似地, 我们连接的点变成 3 倍、4 倍甚至 n 倍, 以及小数点倍会是怎样的感觉呢, 下面来看看:

```
\begin{tikzpicture}
\foreach \i in {0,0.02,...,2} * foreach 循环语句
\draw

[
    draw=cyan, * 绘制线条颜色
    rotate=-124 * 旋转角度
]
    ($(0,0) !1! \i*180:(3,2)$)--($(0,0) !1! \i*540:(3,2)$);
    * 在圆上标记100个等分点,依次从0标记到99,每个点连接标记是它3倍    *8的点,最后形成心线!
\end{tikzpicture}
```



连接点数是其标记点数 4 倍的时候是这样的,图像如下:

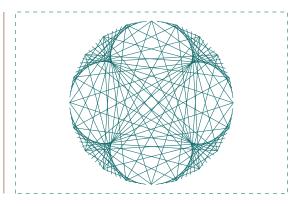


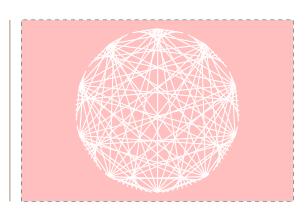
下列代码运行生成多页 PDF 格式文档,运用宏包 animate 制作动画:

```
\documentclass{ctexart}
\usepackage{ctex}
\usepackage{amsmath}
\usepackage{tikz}
\usetikzlibrary{calc}\tikzset{>=latex}
\usepackage{pgfplots}
\usepackage[active, tightpage]{preview}
```

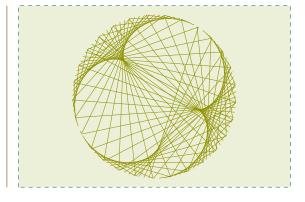
```
\PreviewEnvironment{tikzpicture}
\setlength\PreviewBorder{0pt}
\definecolor{myback} {RGB} {53,64,89}
\definecolor{mycolor}{RGB}{51,51,51}
\definecolor{Orange} {RGB} {102,51,0}
\definecolor{Green} {RGB} {0,102,51}
\definecolor{Blue} {RGB} {15, 107, 108}
\definecolor{Yellow}{RGB}{153,151,51}
\begin{document}
      \foreach \N in {0.1,0.0995,...,0}{
           \begin{tikzpicture}
            \draw[fill=myback] (-6,-4) rectangle (6,5);
            \draw[fill=myback] (-6,-4) rectangle (6,4);
               \foreach \i in \{0, \N, \dots, 2\}
            \end{tikzpicture}}
\end{document}
```

```
\begin{tikzpicture}
\foreach \i in {0,0.02,...,2} % foreach 循环语句
\draw
[
    draw=cyan, % 绘制线条颜色
    rotate=-124 % 旋转角度
]
    ($(0,0) !1! \i*180:(3,2)$)--($(0,0) !1! \i*900:(3,2)$);
% 在圆上标记100个等分点,依次从0标记到99,每个点连接标记是它3倍%的点,最后形成心线!
\end{tikzpicture}
```

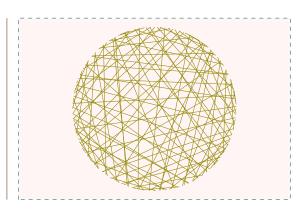




```
\begin{tikzpicture}
\foreach \i in {0,0.02,...,2} % foreach 循环语句
\draw
[
    draw=cyan, % 绘制线条颜色
    rotate=-124 % 旋转角度
]
    ($(0,0) !1! \i*180:(3,2)$)--($(0,0) !1! \i*620:(3,2)$);
% 在圆上标记100个等分点,依次从0标记到99,每个点连接标记是它3倍%的点,最后形成心线!
\end{tikzpicture}
```



```
\begin{tikzpicture}
  \foreach \i in {0,0.02,...,2}
  \draw[
  draw=orange!80!red!20!green,
  rotate=-124
]($(0,0)
!!! \i*180:(3,2)$)--($(0,0) !!!
  \i*7120:(3,2)$);
\end{tikzpicture}
```



内容简要

这部分我整理了在绘图学习中一些 Tikz 绘图的笔记, 部分图是学习手册上的、部分是自己绘制的、也有自己搜集的其他人绘制的图, 这些图主要的特点就是在生活工作尤其是教育教学, 科研学术上用到, 具体的内容包括:

- 1. TikZ/PGFplots 曲线图绘制
- 2. TikZ/PGFplots 柱状图/立体图绘制
- 3. TikZ/PGFplots + Animate 动图绘制案例收集
- 4. Pgfplots 学术绘图

图片来源:https://codeload.github.com/livro-aberto/fracoes_livro_piloto/zip/master

..... LaTeX 工作室

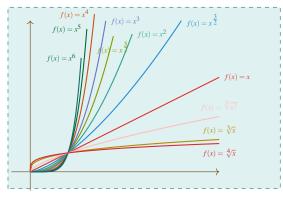
1 TikZ/PGFplots 曲线的绘制

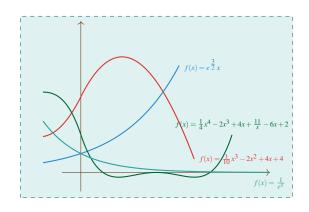
1.1 一般函数曲线的绘制

曲线的绘制,我认为能够根据函数表达式,在确定好自变量区间,然后选择适当的坐标轴比例,就可以绘制是最方便的,毕竟不需要描点连线等繁琐的步骤,至于对绘图最后装饰则需要根据你自己的需要即可,根据函数表达式绘图,我们给出一些案例:

多项式函数的绘制

```
% \definecolor{myback} {RGB} {53,64,89}
          % \definecolor {mycolor} {RGB} {51,51,51}
         % \definecolor(Orange)(RGB)(102,51,0)
         % \definecolor(Green)(RGB)(0,102,51)
         % \definecolor{Blue} {RGB} {15, 107, 108}
         % \definecolor{Yellow}{RGB}{153,151,51}
\begin{tikzpicture}[yscale=0.5]
         \draw[->,Orange] (-0.5,0)--(5,0);
         \draw[->, Orange] (0,-1)--(0,8);
         \label{local-continuity} $$ \operatorname{color=red}, \ thick, \ domain=0:5, smooth, samples=100] \ plot \ (\{\x\}, \{\x\}) \ node[right] \ \{\tiny(\{f(x)=x\))\}; \ node[right] \ (f(x)=x\)) \ (f(x)=x\). $$
         \label{lem:color=blue} $$ \operatorname{long}(x) = (x^{(3/2)}) \ \operatorname{long}(x) = x^{\frac{3}{2}}); $$
         \label{local-condition} $$ \operatorname{color=cyan}, thick, domain=0:2.7, smooth, samples=100] plot ({\x}, {\x^(2)}) node[right] {\tiny(f(x)=x^2\)}; $$ is the color-cyan, thick, domain=0:2.7, smooth, samples=100] plot ({\x}, {\x^(2)}) node[right] {\tiny(f(x)=x^2\)}; $$ is the color-cyan, thick, domain=0:2.7, smooth, samples=100] plot ({\x}, {\x^(2)}) node[right] {\tiny(f(x)=x^2\)}; $$ is the color-cyan, thick, domain=0:2.7, smooth, samples=100] plot ({\x}, {\x^(2)}) node[right] {\tiny(f(x)=x^2\)}; $$ is the color-cyan, thick, domain=0:2.7, smooth, samples=100] plot ({\x}, {\x^(2)}) node[right] {\tiny(f(x)=x^2\)}; $$ is the color-cyan, thick, domain=0:2.7, smooth, samples=100] plot ({\x}, {\x}, {\
         \label{local_color_green_thick} $$ \operatorname{color_{green,thick,domain=0:2.2,smooth,samples=100]plot($\{x\}, \{x^{(5/2)}\}) \ node[below] $$ \{ \sin x - x^{frac{5}{2}}) \}; $$ in the color_{x,x} $$ (5/2) $$ (a) $$ (a) $$ (a) $$ (a) $$ (a) $$ (b) $$ (a) $$ (b) $$ (b) $$ (a) $$ (b) $$ (b) $$ (a) $$ (b) $$ (b) $$ (b) $$ (b) $$ (c) $$
         \label{lem:color=orange} $$ \det(x), \dim(x) = 1.7, mooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\times (x^4)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, samples = 100] plot ({x}, {x^(4)}) node[left] {\tiny(f(x)=x^4\)}; $$ draw[color=orange, thick, domain=0:1.7, smooth, 
         \label{local-substitution} $$ \operatorname{color=Green, thick, domain=0:1.5, smooth, samples=100] plot ({\x}, {\x^(5)}) node[left] {\tiny(f(x)=x^5))}; $$ in the color=green, thick, domain=0:1.5, smooth, samples=100] plot ({\x}, {\x^(5)}) node[left] {\tiny(f(x)=x^5))}; $$ in the color=green, thick, domain=0:1.5, smooth, samples=100] plot ({\x}, {\x^(5)}) node[left] {\tiny(f(x)=x^5))}; $$ in the color=green, thick, domain=0:1.5, smooth, samples=100] plot ({\x}, {\x^(5)}) node[left] {\tiny(f(x)=x^5))}; $$ in the color=green, thick, domain=0:1.5, smooth, samples=100] plot ({\x}, {\x^(5)}) node[left] {\tiny(f(x)=x^5))}; $$ in the color=green, thick, domain=0:1.5, smooth, samples=100] plot ({\x}, {\x^(5)}) node[left] {\tiny(f(x)=x^5))}; $$ in the color=green, smooth, smo
         \label{local_draw} $$ \operatorname{color=pink}, \ \operatorname{thick}, \operatorname{domain=0:5}, \ \operatorname{smooth}, \ \operatorname{samples=100} \ \operatorname{plot} \ (\{x^2, \{x^2(2/3)\}) \ \operatorname{node[above]} \ \{\ \operatorname{tiny} \ (f(x) = \operatorname{sqrt}[3]\{x^2\}\}) \} ;
         \label{local_color_purple} $$ \operatorname{color_purple}, \operatorname{thick}, \operatorname{domain} = 0:5, \operatorname{smooth}, \operatorname{samples} = 600] \ plot \ (\{x\}, \{x^(1/4)\}) \ \operatorname{node} \ [below] \ \{\operatorname{tiny}(f(x) = \operatorname{thick}, domain)\} \} = 0.
         % 右边三个函数图像的绘制
         \label{local_color_red} $$ \operatorname{local_red}, \ \operatorname{domain} = -1:3, \ \operatorname{smooth}, \ \operatorname{samples} = 100] \ \operatorname{plot} \ (\{\x^*\}, \{\ (1/10) \times \x^*(3) - 2 \times \x^*(2) + 4 \times \x^*(4) + 4 \times
                                                   (f(x) = \frac{1}{10}x^3-2x^2+4x+4);
         {3}{2}x\)};
         \label{local_color_Green} $$ \vec{x}_{(1/4)} \times \vec{x}_{(4)-2} \times \vec{x}_{(3)+(1/2)} \times \vec{x}_{(2)-6} \times \vec{x}_{(1/4)} \times \vec{x}_{(4)-2} \times \vec{x}_{(3)+(1/2)} \times \vec{x}_{(2)-6} \times \vec{x}_{(2)-6}
                                                above] \{ (x) = \frac{1}{4}x^4-2x^3+4x+\frac{1}{s}-6x+2) \};
         \label{lem:color-cyan} $$ \operatorname{color-cyan}, \operatorname{thick}, \operatorname{domain} -1:5, \operatorname{smooth}, \operatorname{samples} -100] plot ($\{x\}, \{e^(-\x)\}) node[below] $$ \{\operatorname{tiny}(f(x)=\frac{1}{e^x}))$; $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\})$ node[below] $$ (-\x)$ is the color-cyan, thick, domain -1:5, smooth, samples -100] plot ($\{x\}, \{e^(-\x)\}, \{e^(-\
 \end{tikzpicture}
```



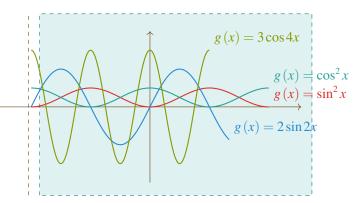


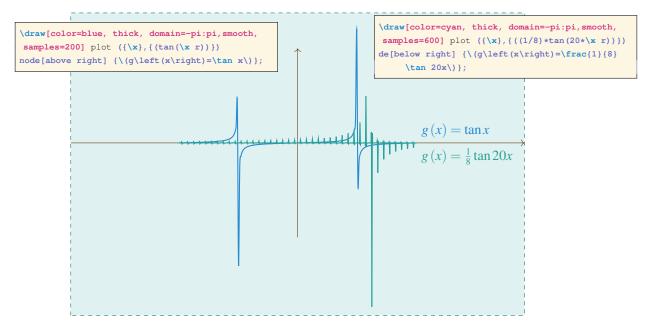
三角函数图像的绘制

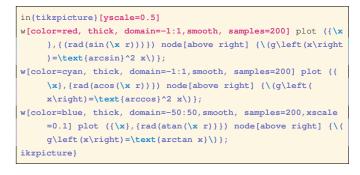
三角函数基本绘图命令:

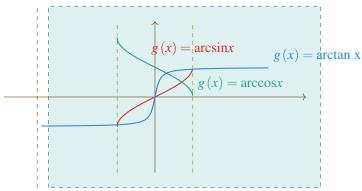
```
\begin{tikzpicture}[yscale=0.5]
\draw[->,Orange] (-4,0) -- (4,0);
\draw[->,Orange] (0,-4) -- (0,4);
\draw[color=red, thick, domain=-pi:pi,smooth, samples=200] plot ({\x},{(sin(\x r))^2}) node[above right] {\(g\left(x\right) = \sin^2 x\)};
```

```
\draw[color=cyan, thick, domain=-pi:pi,smooth, samples=200] plot ({\x},{(cos(\x r))^2}) node[above right] {\(g\left(\x\right)=\cos^2 x\)};
\draw[color=blue, thick, domain=-pi:(2/3)*pi,smooth, samples=200] plot ({\x},{(2*sin(2*\x r))}) node[above right] {\(g\left(x\right)=2\sin 2 x\)};
\draw[color=green, thick, domain=-pi:(1/2)*pi,smooth, samples=200] plot ({\x},{(3*cos(4*\x r))}) node[above right] {\(g\left(x\right)=3\cos 4 x\)};
\draw[color=gray, thick, domain=-(1/4)*pi:(1/4)*pi,smooth, samples=200] plot ({\x},{(tan(\x r))}) node[above right] {\(g\left(x\right)=3\cos 4 x\)};
\end{tikzpicture}
```



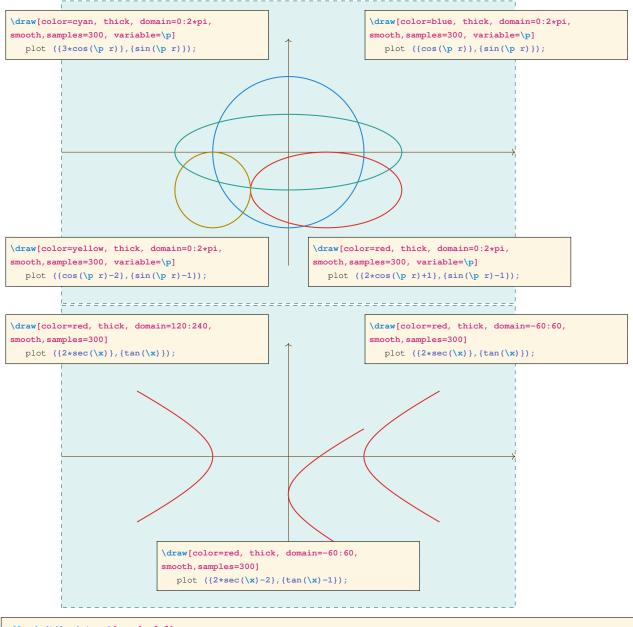


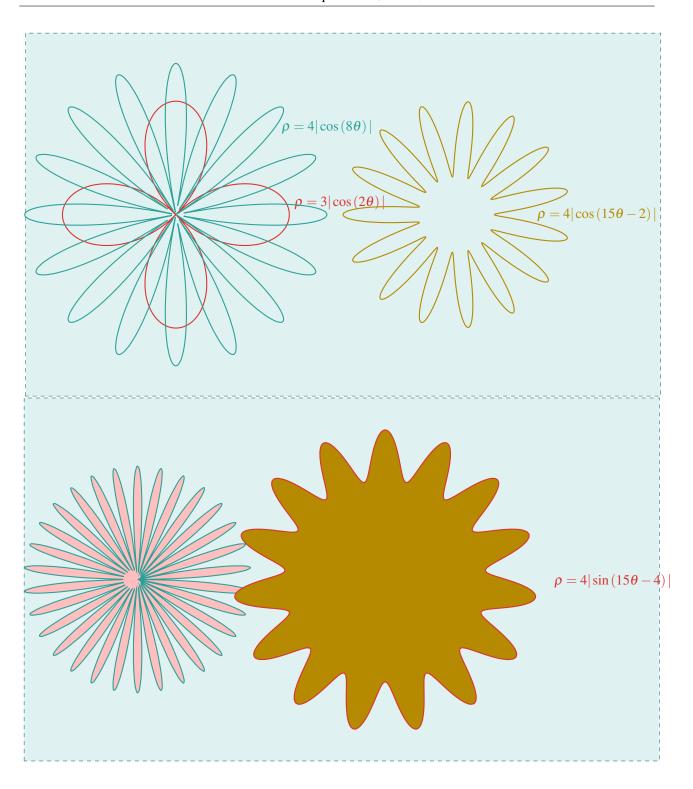




1.2 封闭曲线及参数表达式函数曲线的绘制

封闭曲线的绘制

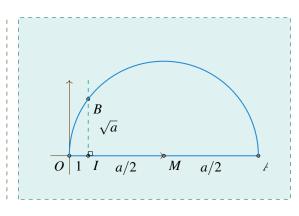




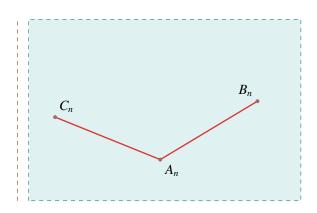
2 TikZ/PGFplots 绘制平面几何

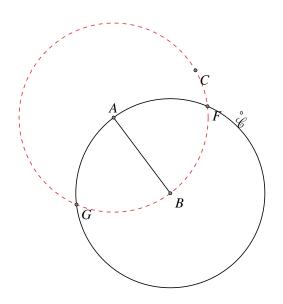
2.1 平面的绘制

```
\begin{tikzpicture}[scale=0.5]
\draw[->, Orange] (-1,0)--(5,0); \draw[->, Orange] (0,-1)--(0,4);
\tkzInit[ymin=-1, ymax=6, xmin=-1, xmax=10]\tkzClip[space=.5]
\tkzDefPoint(0,0){0}\tkzDefPoint(1,0){I}\tkzDefPoint(10,0){A}
\tkzDefMidPoint(O,A) \tkzGetPoint{M}
\tkzDefPointWith[orthogonal](I,M)
\tkzGetPoint{H}\tkzInterLC(I,H)(M,A)\tkzGetSecondPoint{B}
\tkzDrawSegment(O,A)\tkzDrawSegment[style=dashed](I,H)
\tkzDrawPoints(O,I,A,B,M)\tkzDrawArc(M,A)(O)
\tkzMarkRightAngle(A,I,B)
\tkzLabelSegment[right=4pt](I,B){$\sqrt{a}$}
\tkzLabelSegment[below](O,I){$1$}
\tkzLabelSegment[below] (I, M) {$a/2$}
\tkzLabelSegment[below] (M, A) {$a/2$}
\tkzLabelPoints(I,M,B,A)
\tkzLabelPoint[below left](0){$0$}
\end{tikzpicture}
```

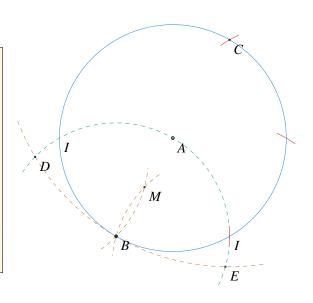


```
\begin{tikzpicture}
\tkzDefPoint[label=-60:$A_n$](2,3){A}
\tkzDefPoint[shift={(2,3)},
label=above left:$B_n$](31:3){B}
\tkzDefPoint[shift={(2,3)}, %
label=above right:$C_n$](158:3){C}
\tkzDrawSegments[color=red, %
line width=lpt](A,B,A,C)
\tkzDrawPoints[color=red](A,B,C)
\end{tikzpicture}
```

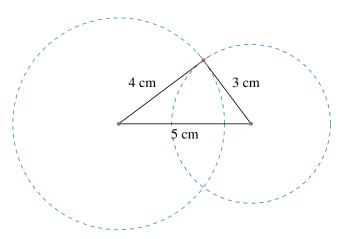




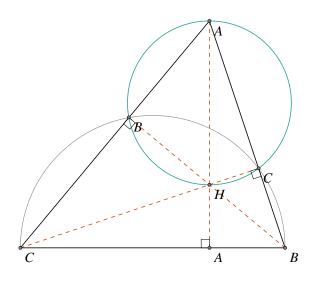
```
\begin{tikzpicture} [scale=.75] \tkzDefPoint(0,0){A}
\tkzGetRandPointOn[circle= center A radius 4cm]{B}
\tkzDrawPoints(A,B)
\tkzDefPointBy[rotation= center A angle 180](B)
\tkzGetPoint{C}\tkzInterCC[R](A, 4 cm)(B, 4 cm)
\tkzGetPoints{I}{I'}\tkzInterCC[R](A, 4 cm)(I, 4 cm)
\tkzGetPoints{J}{B}\tkzInterCC(B,A)(C,B)
\tkzGetPoints{D}{E}\tkzInterCC(D,B)(E,B)
\verb|\tkzGetPoints{M}| \{M'\ \} \verb|\tikzset{arc/.style}|
={color=brown, style=dashed, delta=10}}
\tkzDrawArc[arc] (C,D) (E) \tkzDrawArc[arc,color=cyan] (B,E) (D)
\tkzDrawCircle[color=blue,line width=.2pt](A,B)
\tkzDrawArc[arc] (D,B) (M) \tkzDrawArc[arc] (E,M) (B)
\tkzCompasss[color=red, style=solid](B, II, J J, C)
\tkzDrawPoints(B,C,D,E,M)\tkzLabelPoints(A,B,C,D,E,M,I,I')
\end{tikzpicture}
```



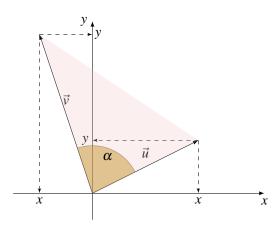
```
\begin{tikzpicture}[scale=.8]
\tkzDefPoint(0,0){A}
\tkzDefPoint(5,0){B}
\tkzDrawCircle[R, dashed] (A, 4 cm)
\tkzDrawCircle[R,dashed](B,3 cm)
\tkzInterCC[R](A, 4 cm)(B, 3 cm)
\tkzGetPoints{C}{D}
\tkzDrawPolygon(A,B,C)
\tkzCompasss(A,C B,C)
\tkzLabelSegment[below](A,B){$5$ cm}
\tkzLabelSegment[above left](A,C){$4$ cm}
\tkzLabelSegment[above
right](B,C){$3$ cm}
\tkzDrawPoints[color=red](C)
\tkzDrawPoints[color=blue](A,B)
\end{tikzpicture}
```



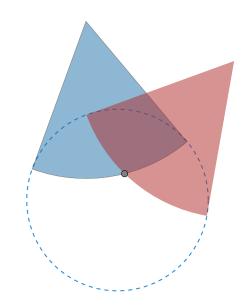
```
\begin{tikzpicture}[scale=1.25]
\tkzInit[xmin= 0, xmax=8 , ymin=0 , ymax=7 ] \tkzClip[space=.5]
\tkzDefPoint(0,0) {C}\tkzDefPoint(7,0) {B}
\tkzDefPoint(5,6) {A}\tkzDrawPolygon(A,B,C)
\tkzDefMidPoint(C,B) \tkzGetPoint{I}
\tkzDrawArc(I,B) (C)\tkzInterLC(A,C) (I,B)
\tkzGetSecondPoint{B' }\tkzInterLC(A,B) (I,B)
\tkzGetFirstPoint{C' }\tkzInterLL(B,B') (C,C')
\tkzGetPoint{H}\tkzInterLL(A,H) (C,B)\tkzGetPoint{A' }
\tkzDrawCircle[circum,color=red](A,B',C')
\tkzDrawSegments[color=orange](B,B',C,C',A,A')
\tkzDrawPoints(A,B,C,A',B',C',H)
\tkzLabelPoints(A,B,C,A',B',C',H)
\tkzLabelPoints(A,B,C,A',B',C',H)
\end{tikzpicture}
```



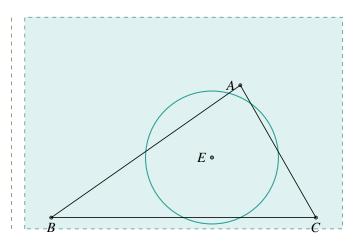
```
\begin{tikzpicture}[scale=0.7]
\tkzInit[xmin=-3,xmax=6,ymin=-1,ymax=6]
\tkzDrawX[noticks]\tkzDrawY[noticks]
\tkzDefPoint(0,0){O}\tkzDefPoint(4,2){A}
\tkzDefPoint(-2,6){B}
\tkzPointShowCoord[xlabel=$x$, ylabel=$y$] (A)
%%显示点的坐标
\tkzPointShowCoord[xlabel=$x' $,ylabel=$y' $,%
ystyle={right=2pt}] (B) \tkzDrawVectors (O, A O, B)
\t x = 3pt (0, A) {\vec{u}}
\tkzLabelSegment[above=3pt](0,B){$\vec{v}$}
\tkzMarkAngle[fill=yellow,size=1.8cm,%opacity=.5](A,O,B)
\tkzFillPolygon[red!30,opacity=0.25](A,B,O)
\tkzLabelAngle[pos =
1.5] (A,O,B) {$\alpha$}
\end{tikzpicture}
```



```
\begin{tikzpicture}[scale=0.6]
\tkzInit[xmin=-4.1, xmax=5.2, ymin=-4.1, ymax=8]
\tkzClip[space=.5]
\tkzDefPoint(100:8){A}\tkzDefPoint(50:8){B}
\tkzDefPoint(0,0){C}
\tkzDefPoint(0,4){R}
\tkzDrawCircle(C,R)
\tkzTangent[from = Al(C,R)
\tkzGetPoints{D}{E}
\tkzTangent[from = B](C,R)
\tkzGetPoints{F}{G}
\tkzDrawSector[fill=blue!80!black,opacity=0.5](A,D)(E)
\tkzFillSector[color=red!80!black,opacity=0.5](B,F)(G)
\tkzInterCC(A,D)(B,F)
\tkzGetSecondPoint{I}
\tkzDrawPoint[color=black](I)
\end{tikzpicture}
```



```
\begin{tikzpicture}
\tkzInit[xmin=-1,ymin=-1,xmax=8,ymax=6]
\tkzClip
\tkzDefPoint(5,3.5){A}
\tkzDefPoint(0,0){B}
\tkzDefPoint(7,0){C}
\tkzDefCircle[euler] (A, B, C)
\tkzGetPoint{E}
\tkzGetLength{rEuler}
\tkzDrawPoints(A,B,C,E)
\tkzDrawCircle[R, draw=cyan, thick]
(E,\rEuler pt)
\tkzDrawPolygon(A,B,C)
\tkzLabelPoints[below] (B, C)
\tkzLabelPoints[left](A,E)
\end{tikzpicture}
```



```
begin{tikzpicture} [scale=0.45]

tkzInit[xmin=-9, ymin=-6, xmax=9, ymax=6]

tkzClip

tkzDefPoint(0,0){0}

tkzDefPoint(132:4){A}

tkzDefPoint(5,0){B}

foreach \ang in {5,10,...,360}{%}

tkzDefPoint(\ang:5){M}

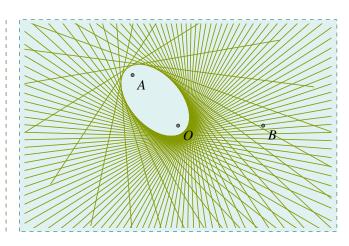
tkzDefLine[mediator](A,M)

tkzDrawLine[color=blue,add= 4 and
4](tkzFirstPointResult,
tkzSecondPointResult)}

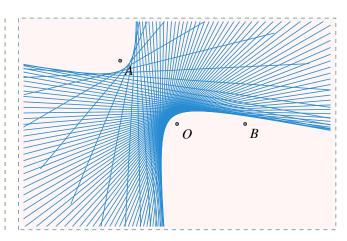
tkzDrawPoints(O,A,B)

tkzLabelPoints(O,A,B)

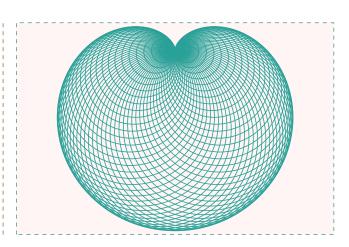
\end{tikzpicture}
```



```
\begin{tikzpicture} [scale=0.45]
\tkzInit[xmin=-9, ymin=-6, xmax=9, ymax=6]
\tkzClip
\tkzDefPoint(0,0){0}
\tkzDefPoint(132:4){A}
\tkzDefPoint(5,0){B}
\foreach \ang in {5,10,...,360}{%}
\tkzDefPoint(\lang:5){M}
\tkzDefLine[mediator](A,M)
\tkzDrawLine[color=blue, add= 4 and
4](tkzFirstPointResult,
tkzSecondPointResult)}
\tkzLabelPoints(O,A,B)
\tkzLabelPoints(O,A,B)
\end(tikzpicture)
```

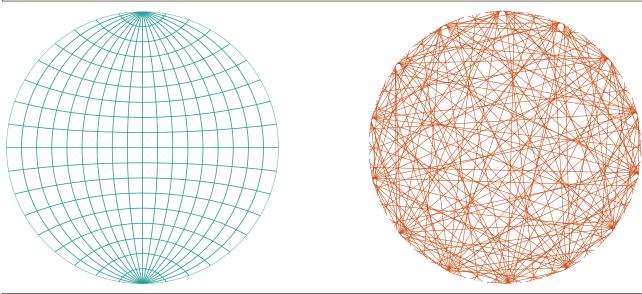


```
\begin{tikzpicture} [scale=0.7]
\draw[Orange, dashed] (-6.5,-4)--(-6.5,4);
\draw[draw=Blue, dashed,
fill=pink!15!white] (-6,-4) rectangle (6,4);
\node[scale=1] at (0,0) {
\begin{tikzpicture} [scale=0.8]
\tkzDefPoint(0,0) {0}
\tkzDefPoint(2,0) {A}
\foreach \ang in {5,10,...,360}{
\tkzDefPoint(\ang:2) {M}
\tkzDrawCircle[draw=cyan] (M,A)
}
\end{tikzpicture}
};
\end{tikzpicture}
```

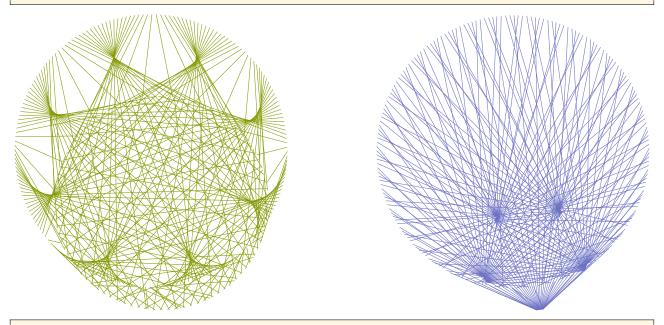


```
begin{tikzpicture} [scale=.333] \tkzInit[xmin=-10, xmax=10, ymin=-10, ymax=10]
\tkzDefPoint(0 , 0) {0} \tkzDefPoint(9,0) {A}
\tkzDefPoint(-9, 0) {C} \tkzDefPoint(0, 9) {B}
\tkzDefPoint(0 , -9) {D} \tkzClipCircle(0, A)
\foreach \pti in {1,2,...,8}{
\tkzDefPoint(10*\pti:9) {P\pti} \tkzDefPoint(90:\pti) {MP\pti}
\tkzDefPoint(0: \pti) {NP\pti} \tkzDefLine[mediator] (MP\pti, P\pti)
\tkzInterLL(B,D) (tkzFirstPointResult, tkzSecondPointResult)
\tkzDrawCircle[color=cyan] (tkzPointResult, P\pti) }
\foreach \pti in {-1,-2,...,-8} \tkzDefPoint(10*\pti:9) {P\pti}
\tkzDefPoint(-90:-\pti) {MP\pti} \tkzDefPoint(0: -\pti) {NP\pti}
\tkzDefLine[mediator] (MP\pti, P\pti)
```

```
\tkzInterLL(B,D)(tkzFirstPointResult,tkzSecondPointResult)
\tkzDrawCircle[color=cyan](tkzPointResult,P\pti)}
\foreach \pti in {1,2,...,8}{\tkzDefLine[mediator](B,NP\pti)}
\tkzInterLL(A,C)(tkzFirstPointResult,tkzSecondPointResult)
\tkzDrawCircle[color=cyan](tkzPointResult,NP\pti)}
\foreach \pti in {1,2,...,8}{\tkzDefPoint(0: -\pti){NP\pti}}
\tkzDefLine[mediator](B,NP\pti)
\tkzInterLL(A,C)(tkzFirstPointResult,tkzSecondPointResult)
\tkzDrawCircle[color=cyan](tkzPointResult,NP\pti)}
\tkzDrawCircle[color=cyan](tkzPointResult,NP\pti)}
\tkzDrawCircle[R,color=cyan](0,9cm)\tkzDrawSegments[color=cyan](A,CB,D)
\end{tikzpicture}
```



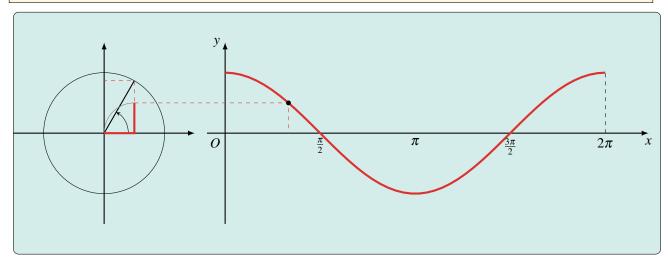
egin{tikzpicture}[scale=1]
oreach \i in {0,0.01,...,2}\draw[draw=green,rotate=-124](\$(0,0) !1! \i*180:(3,2)\$)--(\$(1,1) !1! \i*1620:(3,3)\$);
nd{tikzpicture}



egin{tikzpicture}[scale=1]
oreach \i in {0,0.01,...,2}\draw[draw=green,rotate=-124](\$(0,0) !1! \i*180:(3,2)\$)--(\$(1,1) !1! \i*1620:(3,3)\$);
nd{tikzpicture}

3 TikZ/PGFplots + Animate 绘制动画

```
\documentclass{beamer}
    \usepackage{tikz, tkz-euclide}
    \usepackage{animate}
    \usetikzlibrary{math, calc}
    \begin{document}
    \begin{animateinline}[poster=31, controls={play,step,stop}]{24}
     \multiframe{361}{rtheta=0+1}
     {\begin{tikzpicture}[scale=1]
                   \path[use as bounding box] (-3.5,-2) rectangle (7.2,2;
                  \draw[rounded corners] (-3.5,-2) rectangle (7.2,2);
                  \tikzmath{function fCosseno(\x) {return cos(\x);};}
                        function degreeToRad(\d) { return {pi}*\d/180;};}
                   \draw[->,>=latex,thick] (-0.3,0) -- (7,0)node[below]{\(x\)};
                  \draw[->,>=latex,thick] (0,-1.5) -- (0,1.5) node[left]{(y\)};
                   \displaystyle \operatorname{draw}[\operatorname{ultra} \operatorname{thick}, \operatorname{red}, \operatorname{samples}=50, \operatorname{domain}=0:\{2*\operatorname{pi}\}] \operatorname{plot} (\x, \{\cos(\x r)\});
                   \node at (0,0) [below left] {\(0\));
                  \node at ({pi/2}, 0) [below] {\(frac{\pii}{2}\)};
                  \node at ({pi},0) [below]{\(\pi\));
                  \node at ({3*pi/2},0) [below]{\(\frac{3\pi}{2}\)};
                   \node at ({2*pi},0) [below]{\(2\pi\));
                   \draw[thin, dashed] ({2*pi}, 0) -- ({2*pi},1);\draw (-2,0) circle (1cm);
                  \draw[->,>=latex,thick] (-3.5,0) -- (-0.5,0);
                  \draw[->, >=latex, thick] (-2, -1.5) -- (-2, 1.5);
                  \coordinate (A) at (-2,0);\coordinate (B) at (-2,1);
                  \coordinate (C) at (-2,-1);\coordinate (D) at (-3,0);
                   \coordinate (E) at (-1,0);\coordinate (P) at (\$(A) + (\rtheta:1)\$);
                   \draw[thick] (A) -- (P);
                  \draw[thin, dashed, red] ($(D)!(P)!(E)$) -- (P) -- ($(B)!(P)!(C)$);
                  \draw[->, >=stealth] (-1.6,0) arc [start angle=0, end angle=\rtheta, radius=0.4];
                  \coordinate (Q) at (\$(A) + (\{fCosseno(\rtheta)\}, 0)\$);
                   \coordinate (R) at ($({-2+fCosseno(\rtheta)}, {fCosseno(\rtheta)})$);
                  \draw[ultra thick, red] (A) -- (Q) -- (R);
                  \tkzDrawArc[thin, red](Q,R)(A)
                   \label{lem:linear_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_continuous_co
                  \draw[fill=black] ({degreeToRad(\rtheta)}, {fCosseno(\rtheta)}) circle (1pt);
            \end{tikzpicture}}
 \end{animateinline}
\end{document}
```



4 TikZ/PGFplots 科学绘图

- 4.1 PGFplots 数据绘图
- 4.2 PGFplots 函数绘图