

Assignment: 3-Achieving Usable and Privacy-assured Similarity Search over Outsourced Cloud Data

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Overview

- 1 Introduction
- 2 Background
- 3 Second Section

Introduction of the Paper



C. Wang, K. Ren, S. Yu, and K. M. R. Urs, “Achieving usable and privacy-assured similarity search over outsourced cloud data,” in *INFOCOM, 2012 Proceedings IEEE*, pp. 451–459, IEEE, 2012.

Introduction of the Paper

Purpose

Solve the problem of secure and efficient fuzzy search over encrypted outsourced cloud data

Measures

- Suppressing technique
- Building a private trie-traverse searching index

Performance

Correctly achieves the defined similarity search functionality with **constant** searching time!

System and Threat Model

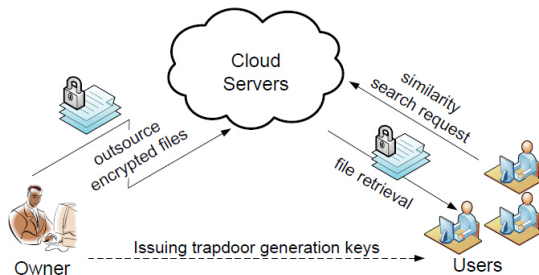


Figure: Architecture of similarity keyword search over outsourced cloud data

- data owner: the individual/enterprise customer, who has a collection of n data files $C = (F_1, F_2, \dots, F_n)$ to be stored in the cloud server.
- $W = \{w_i, w_w, \dots, w_p\}$ is denoted as a predefined set of distinct keywords in C

System and Threat Model

- Files are encrypted before outsourced
- The data owner will distribute search request (trapdoor) generation keys sk to authorized users. (Assume that the authorization will be done appropriately)
- An authorized user uses trapdoor generation key to generate a search request via some one-way function to search word w , and submit it to the cloud.
- The cloud then performs the search over the data collection C without decryption and sends back all encrypted files containing the specific keyword w , denoted as FID_w .
- The similarity keyword search scheme returns the closest possible results based on aforementioned measures.
- At last, the user decrypts files they received from the cloud.

Assumption: Honest-but-curious cloud server

To ensure the securely similarity searching schema:

Honest

Correctly follows the designated protocol specification

Curious

Infer and analyze the message flow received during the protocol so as to learn additional information

We follow the security definition deployed in the traditional **searchable symmetric encryption(SSE)**

Notations

C the file collection to be outsourced, denoted as a set of n data files $C = (F_1, F_2, \dots, F_n)$.

W the distinct keywords extracted from file collection C , denoted as a set of m words $W = \{w_i, w_w, \dots, w_p\}$.

\mathcal{I} the index built for privacy-assured similarity search.

T_w the trapdoor generated by a user as a search request of input keyword w via some one-way transformation.

$S_{w,d}$ similarity keyword set of w , where d is the similarity threshold according to a certain similarity metrics.

FID_{w_i} the set of identifiers of files in C that contain keyword w_i .

$f(key, \cdot), g(key, \cdot)$ pseudorandom function (PRF), defined as:
 $\{0, 1\}^* \times key \rightarrow \{0, 1\}^\ell$.

$Enc(key, \cdot), Dec(key, \cdot)$ symmetric key based semantic secure encryption/decryption function.

Edit Distance

Quantitative measurement

The edit distance $ed(w_1, w_2)$ between two words w_1 and w_2 is the **minimum** number of **primitive operations**, including **character insertion**, **deletion** and **substitution**, necessary to transform one of them into the other.

Similarity keyword set

Given a keyword w , we let $S_{w,d}$ denote its similarity set of words, such that any $w' \in S_{w,d}$ satisfies $ed(w, w') \leq d$ for a certain integer d .

Example

Consider the keyword $w_0 = \text{CENSOR}$
a words set $W = \{\text{CESOR}, \text{CENSER}, \text{CEANSOR}\}$
for any $w' \in W, ed(w_0, w') \leq 1$ holds,
i.e. $w' \in S_{w_0,1}$ and $W \subseteq S_{w_0,1}$

Building Similarity Keyword Sets

Straightforward approach

Simply **enumerating** all possible words w'_i satisfying the similarity criteria $ed(w_i, w'_i) \leq d$

For the keyword $w_0 = CENSOR$, consider just one substitution operation with characters on first character.

There are 26 items
 $\{AENSOR, BENSOR, \dots, YENSOR, ZENSOR\}$

So $S_{w_0,1}$ will be
 $[6 + (6 + 1)] \times 26 + 1$

Suppression technique

Consider only the **positions** of the primitive edit operations. Specifically, we use a **wildcard** $*$ to denote all three operations of character insertion, deletion and substitution at any position.

Now,

$S_{SENSOR,1} = \{SENSOR, *SENSOR, *ENSOR, S*ENSOR, S*NSOR, \dots, SENSO*R, SENSO*, SENSOR*\}$.

Size can be reduced to $S_{w_0,1}$ will be
 $[6 + (6 + 1)] \times 1 + 1$

Building Similarity Keyword Sets

Algorithm 1: CreateSimilaritySet(w_i, d)

Data: keyword w_i and threshold distance d

Result: similarity keyword set $S_{w_i, d}$

```
begin
  if  $d > 1$  then
1    CreateSimilaritySet( $w_i, d - 1$ );
  if  $d = 0$  then
2    set  $S_{w_i, d} = \{w_i\}$ ;
  else
    for  $k \leftarrow 1$  to  $|S_{w_i, d-1}|$  do
      for  $j \leftarrow 1$  to  $2 \times |S_{w_i, d-1}[k]| + 1$  do
        if  $j$  is odd then
3          Set variant as  $S_{w_i, d-1}[k]$ ;
4          Insert  $*$  at position  $\lfloor (j+1)/2 \rfloor$ ;
        else
5          Set variant as  $S_{w_i, d-1}[k]$ ;
6          Replace  $\lfloor j/2 \rfloor$ -th character with  $*$ ;
        if variant is not in  $S_{w_i, d-1}$  then
7          Set  $S_{w_i, d} = S_{w_i, d} \cup \{\text{variant}\}$ ;
```

The size of $S_{w_i, d}$ will be $\mathcal{O}(\ell^d)$, opposing to $\mathcal{O}(\ell^d \times 26^d)$ obtained in the straightforward approach.

Generating Searching Request

Theorem

The intersection of the similarity sets $S_{w_i,d}$ and $S_{w,d}$ for keyword w_i and search input w is not empty if and only if $ed(w, w_i) \leq d$.

Proof.

- Completeness(i.e. $ed(w, w_i) \leq d \rightarrow S_{w_i,d} \cap S_{w,d} \neq \emptyset$):
 - $w \rightarrow w_i$ need at most d primitive operations.
 - w must be in $S_{w_i,d}$
 - w is naturally in $S_{w,d}$



Generating Searching Request

Proof.

- Soundness (i.e. $S_{w_i,d} \cap S_{w,d} \neq \emptyset \rightarrow ed(w, w_i) \leq d$)

w^* the common element in $S_{w_i,d} \cap S_{w,d}$

- 1 w^* does not contain any wildcard *,
then $w^* = w = w'$, and $ed(w, w') = 0 \leq d$
- 2 w^* does contain some wildcard *(at most d *'s),
change * in w^* back to the character in w and w_i ,
denote the result as w'^* and $w_i'^*$ with both sharing $d - 1$ different *'s.
 $w'^* \rightarrow w_i'^*$ need at most one primitive operation.
So, $ed(w'^*, w_i'^*) \leq 1$
 $\Rightarrow ed(w, w_i) \leq d$



Paragraphs of Text

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Blocks of Highlighted Text

Block 1

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Block 2

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Block 3

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Heading

- ① Statement
- ② Explanation
- ③ Example

Lorem ipsum dolor sit amet, consectetur adipiscing elit. Integer lectus nisl, ultricies in feugiat rutrum, porttitor sit amet augue. Aliquam ut tortor mauris. Sed volutpat ante purus, quis accumsan dolor.

Table

Treatments	Response 1	Response 2
Treatment 1	0.0003262	0.562
Treatment 2	0.0015681	0.910
Treatment 3	0.0009271	0.296

Table: Table caption

Theorem

Theorem (Mass–energy equivalence)

$$E = mc^2$$

Example (Theorem Slide Code)

```
\begin{frame}  
\frametitle{Theorem}  
\begin{theorem}[Mass--energy equivalence]  
$E = mc^2$  
\end{theorem}  
\end{frame}
```

Figure

Uncomment the code on this slide to include your own image from the same directory as the template .TeX file.

An example of the `\cite` command to cite within the presentation:

This statement requires citation [Smith, 2012].

References



John Smith (2012)

Title of the publication

Journal Name 12(3), 45 – 678.

The End