


# AI 新手村指南

---

初學技能--深度學習



對你來  
說....



什麼是 AI ??



什麼東西叫 AI ??

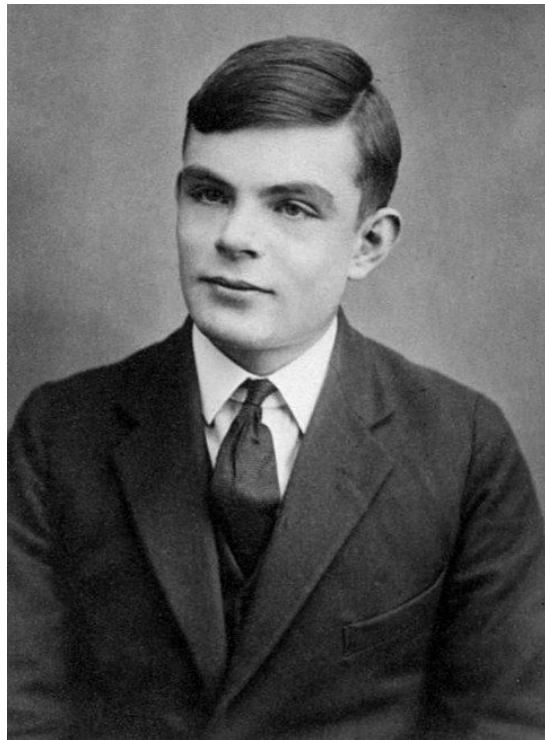


其實 AI 是種演算法

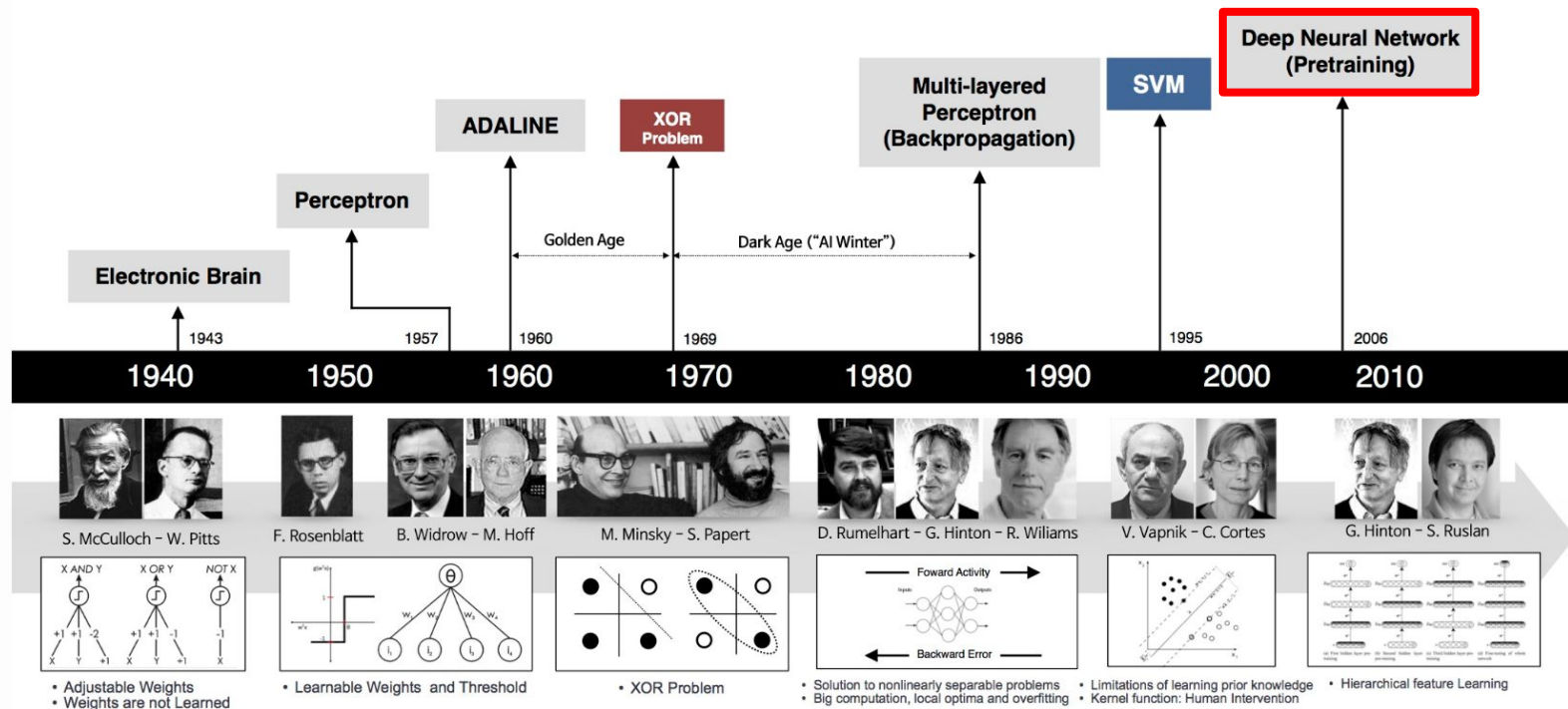
# Alan Mathison Turing (1912-1954)

---

- 是計算機科學家、數學家、邏輯學家、密碼分析學家和理論生物學家
- 被譽為「計算機科學之父」、「人工智慧之父」
- 著名的文章--- *Computing machinery and intelligence* , 提出「Can Machines Think?」
- Turing Test 圖靈測試(1950)




# 站在巨人的肩膀--AI 人工智慧的里程碑



A red speech bubble with a tail pointing towards the bottom left.

哪時候你開始發現....

A green speech bubble with a tail pointing towards the bottom right.

AI 離我好像很近....

# The Milestone of the Deep Learning

---

2006  
Netflix

2010  
ImageNet

2016  
Alpha Go



## Important Milestone

2006 RBM (Hinton)

- Deep Learning Base Recommendation



# 哪時候開始關注「深度學習」的呢？

2006  
Netflix

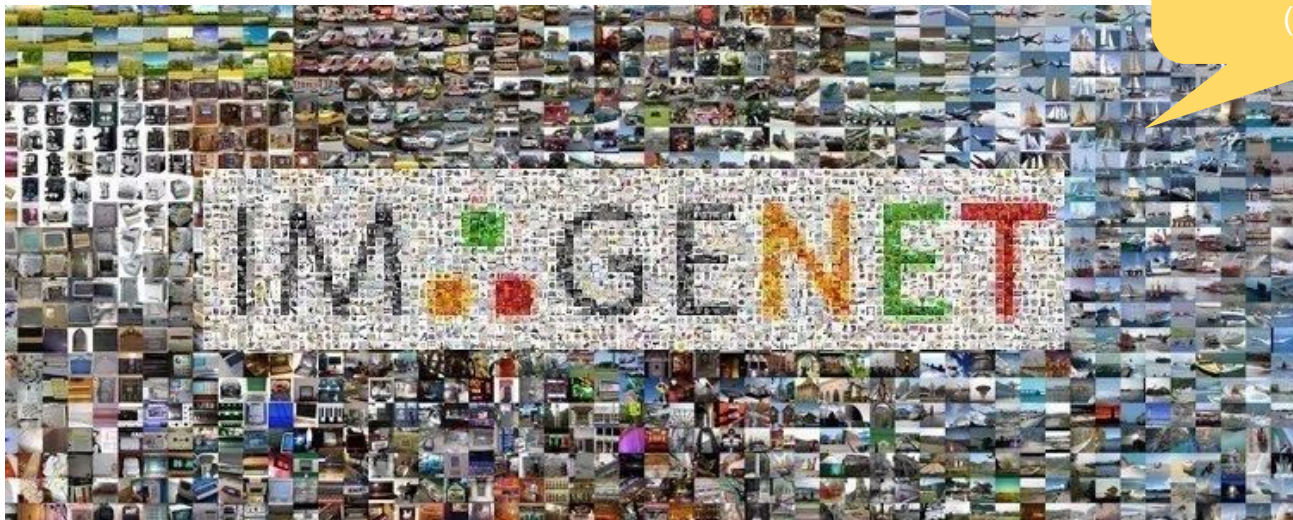
2010  
ImageNet

2016  
Alpha Go

**ILSVR (ImageNet Large Scale Visual Recognition Competition)**

Important Milestone

2012 AlexNet  
(Alex, Hinton)



# 哪時候開始關注「深度學習」的呢？

2006  
Netflix

2010  
ImageNet

2016  
Alpha Go



Important Milestone

2016 AlphaGo  
對戰世界冠軍李世石

# 讓機器下圍棋有多厲害？

棋類名稱	棋局所有變化可能	程式擊敗職業棋士紀錄	程式作者
西洋跳棋 Checkers	$10^{32}$	Chinook, 6 平手 Marion Timsley (1994)	Jonathan Schaeffer (Alberta University)
黑白棋 Othello	$10^{58}$	Logistello, 6:0 勝村上健 (1997)	Michael Buro (Othello strong player)
九路圍棋 9 X 9 Go	$10^{85}$	東華七號, 七番賽 4:3 勝職業棋時黨希昀 (2013/6) 七番賽 4:1 勝職業棋士蕭愛霖 (2014/6)	周政緯、顏士淨 (東華大學)
西洋棋 Chess	$10^{123}$	DeepBlue, 3.5-2.5 勝卡斯帕羅夫 (1997/5)	許峰雄深藍團隊 (IBM)
象棋 Chinese Chess	$10^{150}$	Shiga, 紅先勝陳振國八段 (2006/ 11)	鄭明政、顏士淨 (東華大學)
日本將棋 Shogi	$10^{226}$	Tsutsukana 勝森下卓九段 (2014/4)	一丸貴則 (名古屋大學)
圍棋 19 X 19 Go	$10^{400}$	AlphaGo, 4:1 勝李世九段 (2016/3)	谷歌 DeepMind 團隊

# 2019 兩大史事

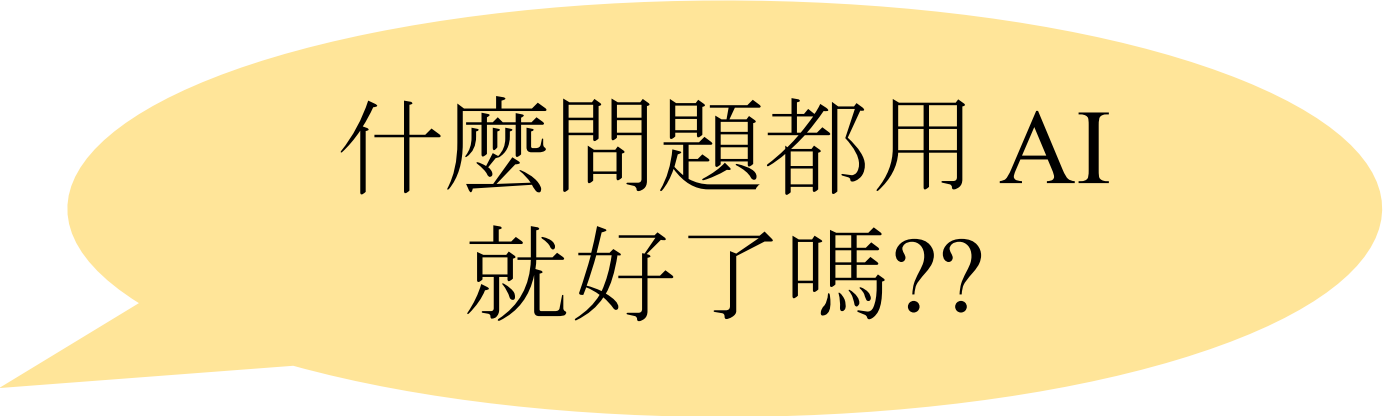
---

## Deep Mind -- AlphaStar



## Microsoft -- Suphx 天鳳





什麼問題都用 AI  
就好了嗎??



# 機器學習的問題種類

- 監督式學習

## Supervised Learning

- Regression 迴歸
- Classification 分類

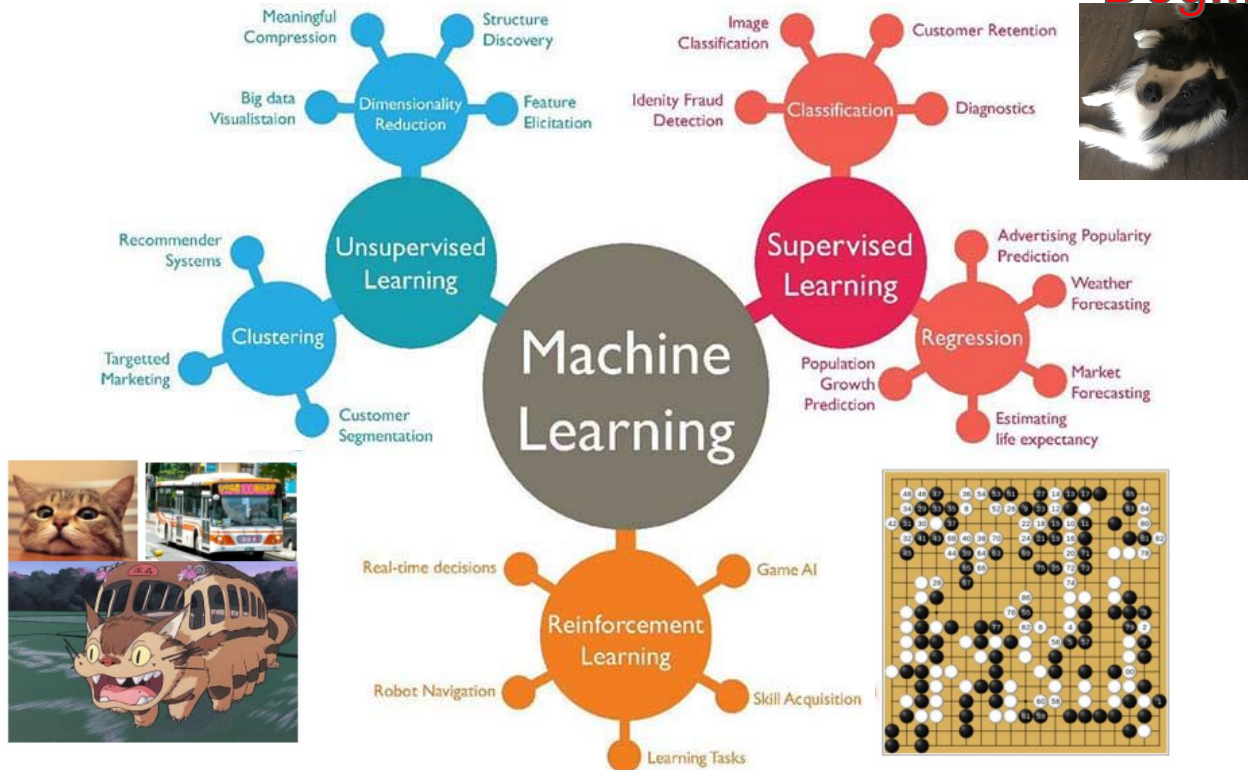
- 非監督式學習

## Unsupervised Learning

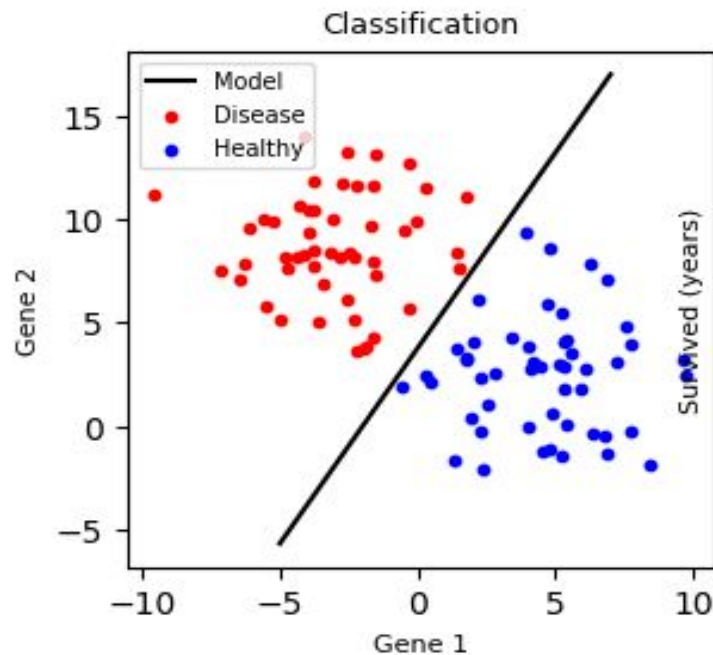
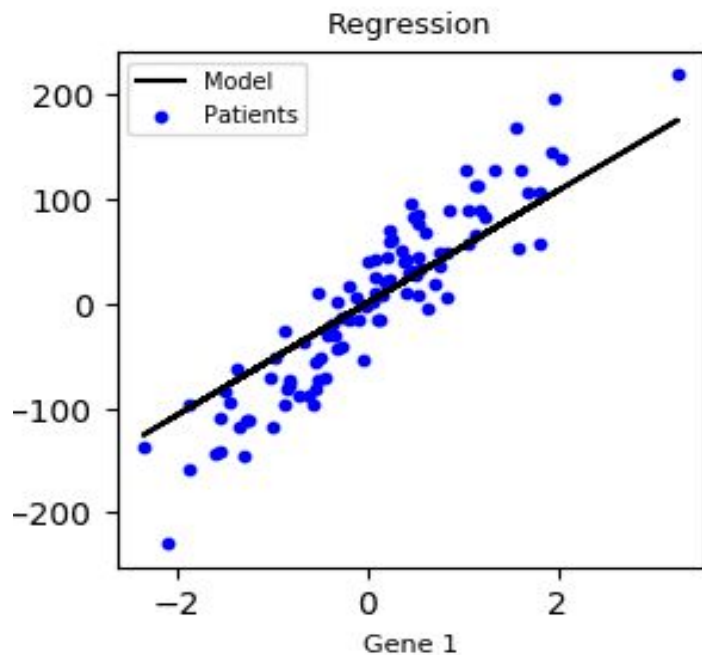
- Clustering 分群
- Dimensionality Reduction 維度縮減

- 強化式學習

## Reinforcement Learning



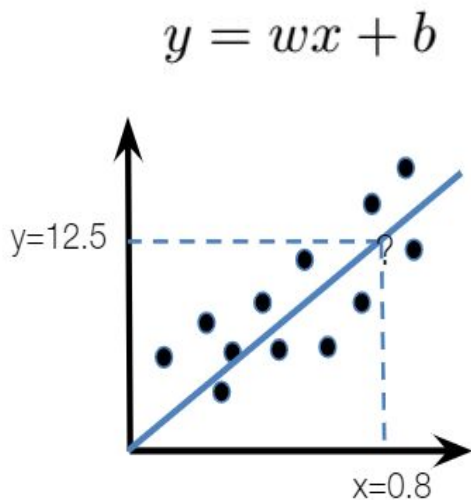
# 了解問題--迴歸與分類問題



# 了解問題--迴歸與分類問題

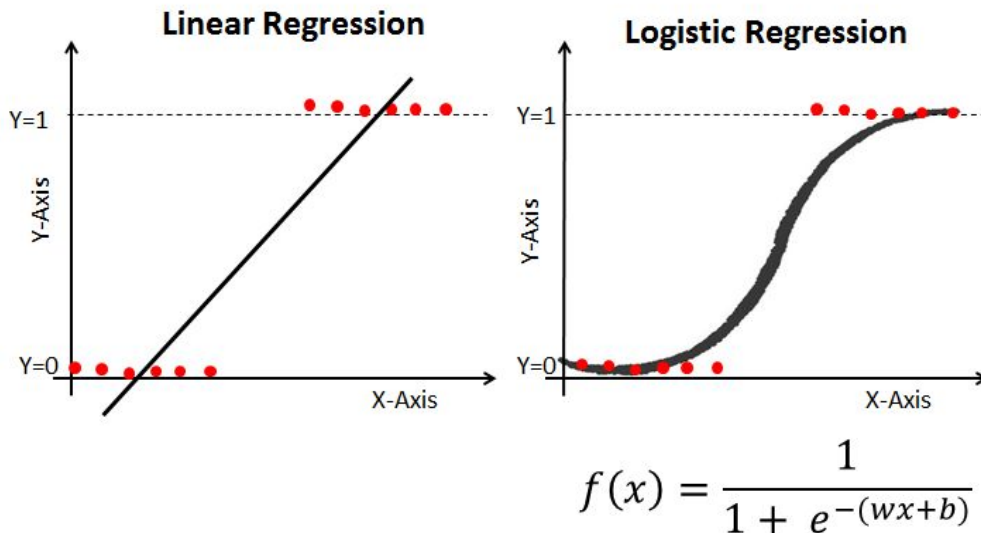
線性迴歸

Linear Regression



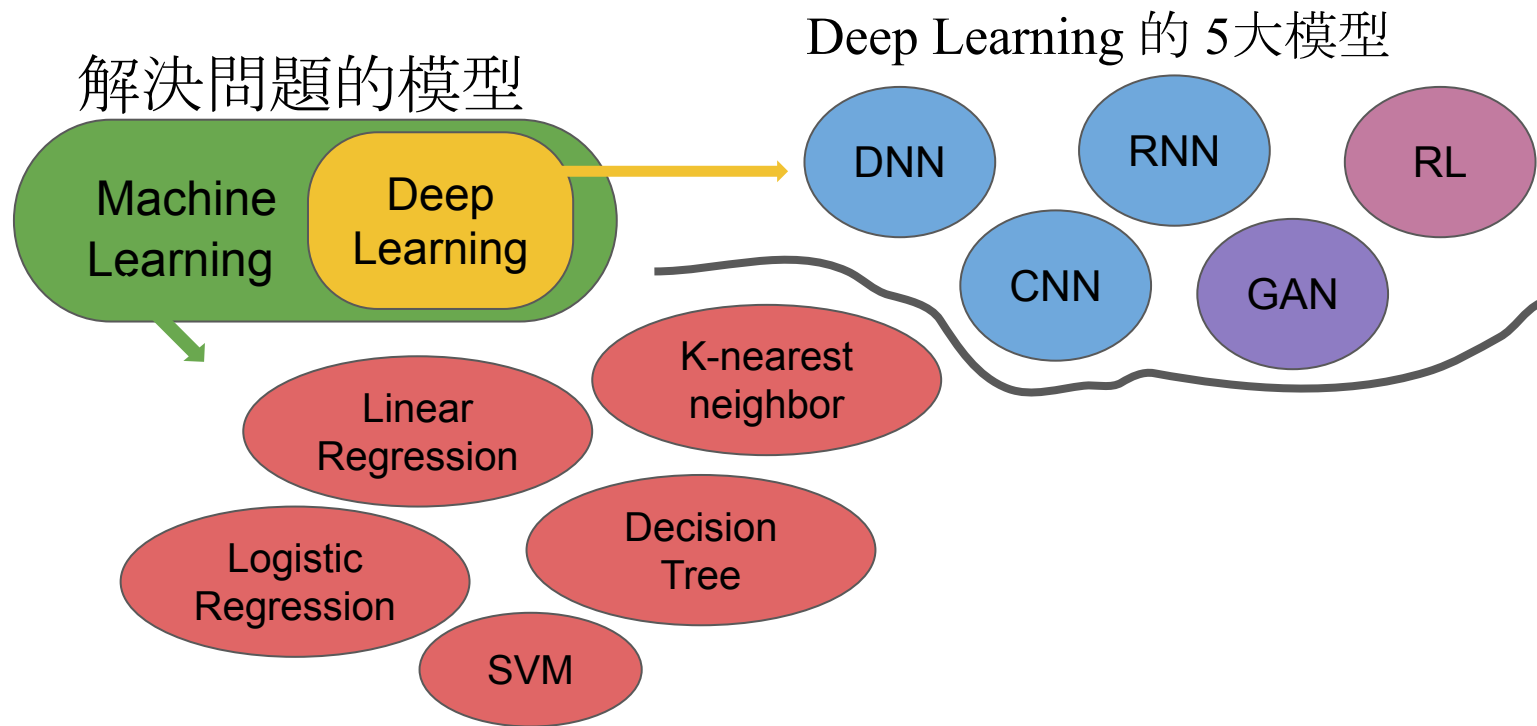
邏輯斯迴歸

Logistic Regression





# 機器學習方法百百種

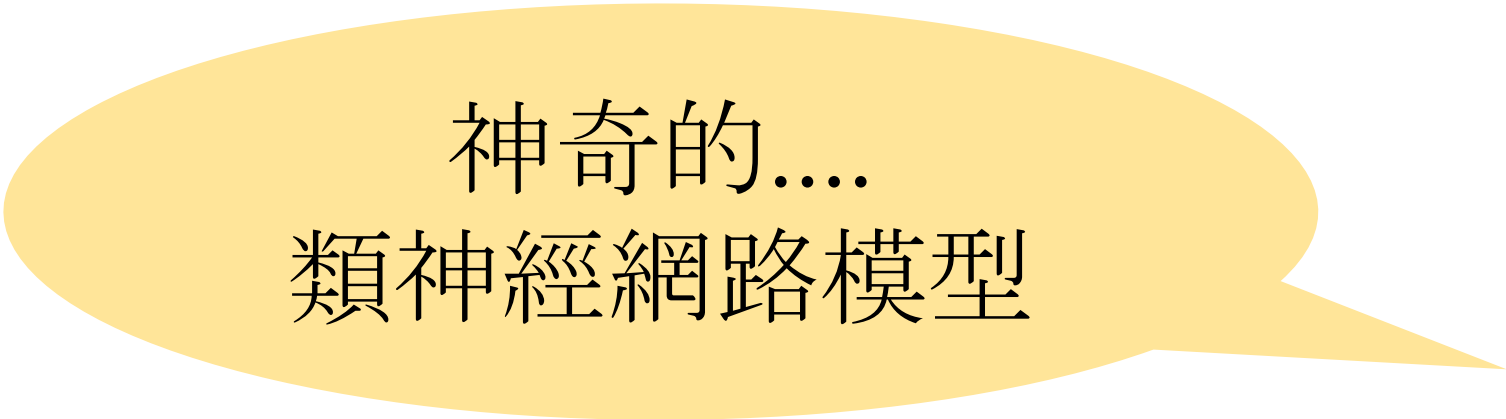




小試一下身手~~

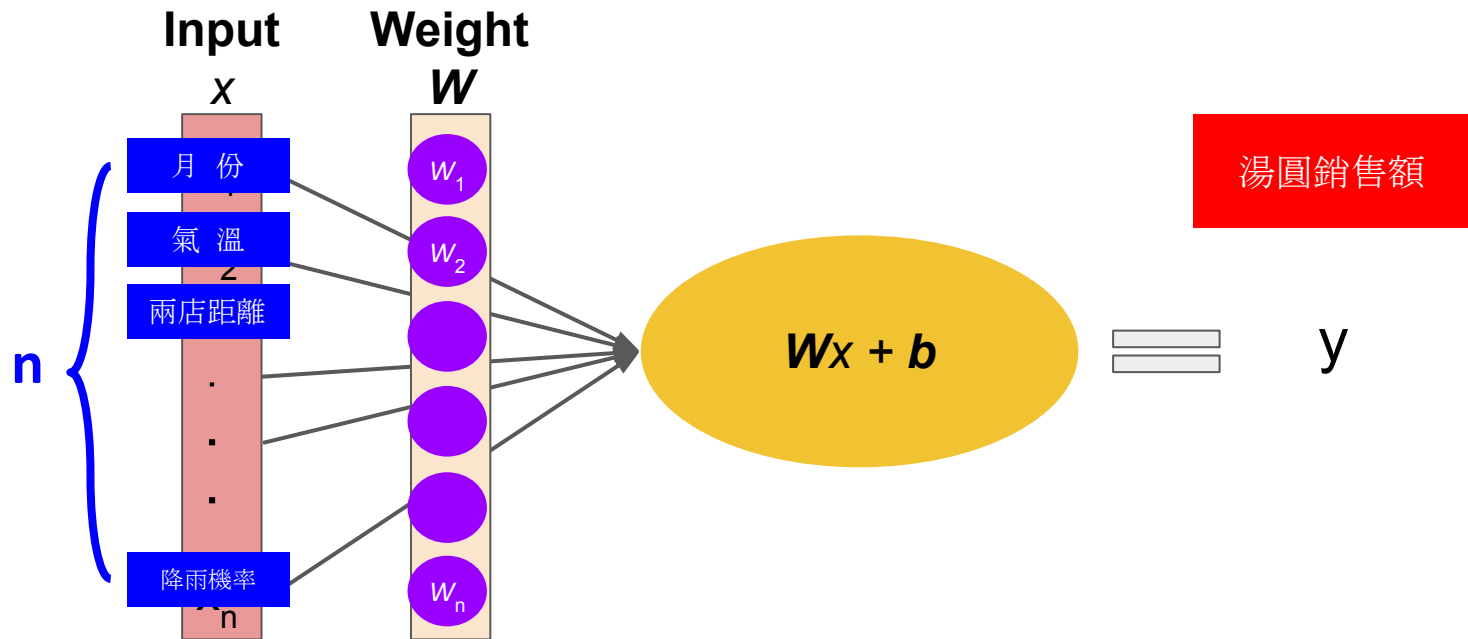
# Deep Learning 深度學習

---

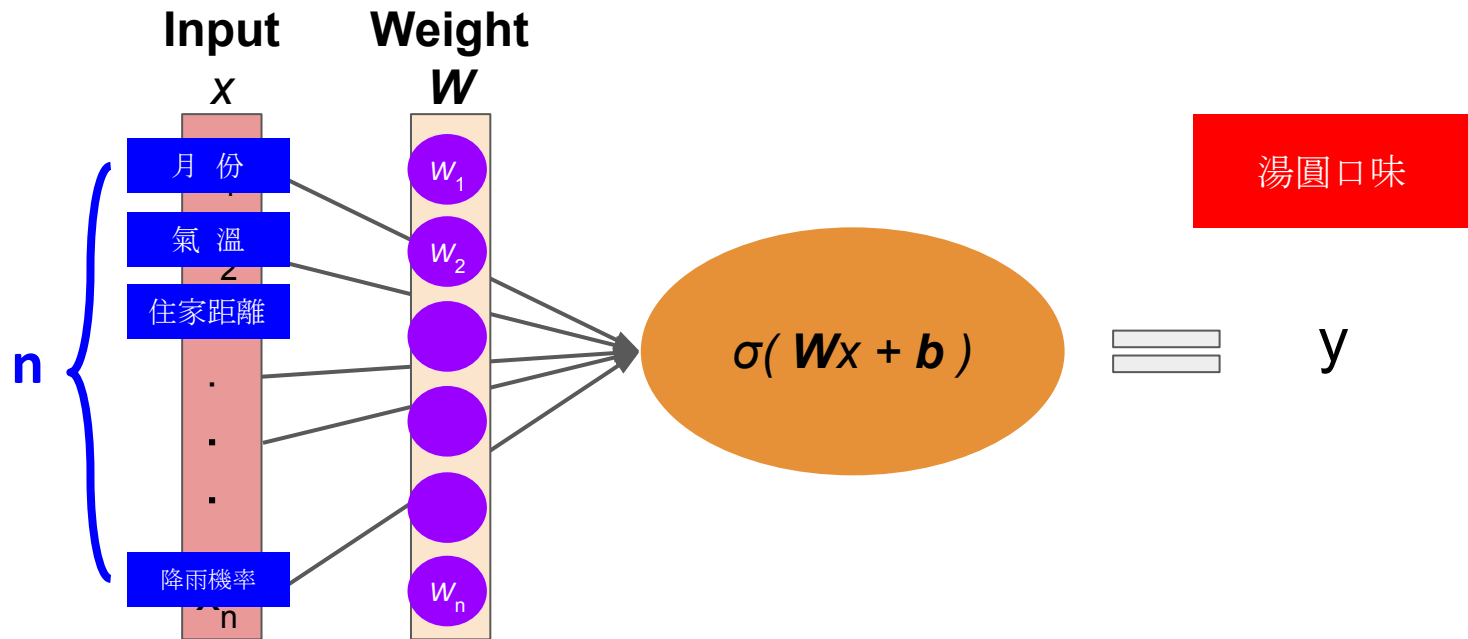


神奇的....  
類神經網路模型

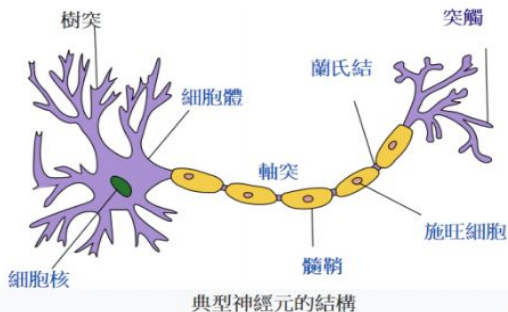
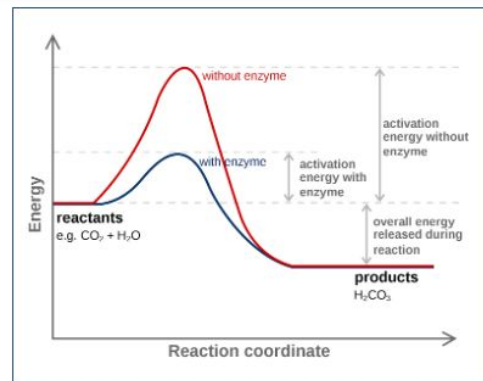
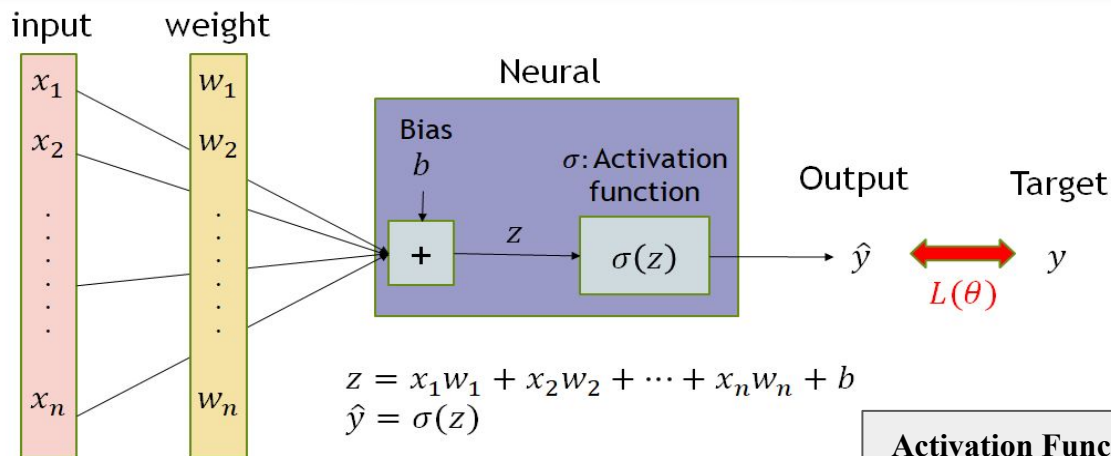
# 實際的迴歸問題....



# 實際的分類問題....



# Neural Network 類神經網路 --- A Neuron



## Activation Function 基本款

**Sigmoid**

$$\sigma(x) = \frac{1}{1+e^{-x}}$$



$$\sigma'(x) = \sigma(x)(1 - \sigma(x))$$

**tanh**

$$\tanh(x)$$



$$\sigma'(x) = 1 - \sigma(x)^2$$

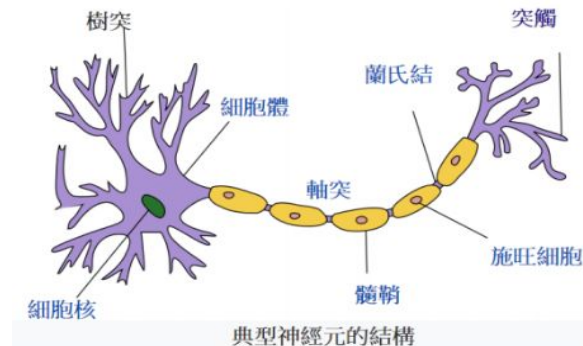
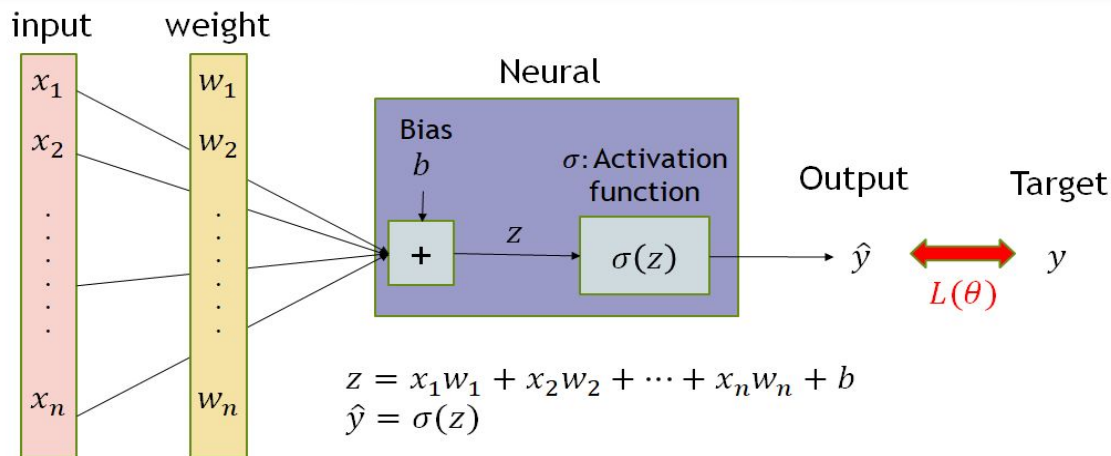
**ReLU**

$$\max(0, x)$$

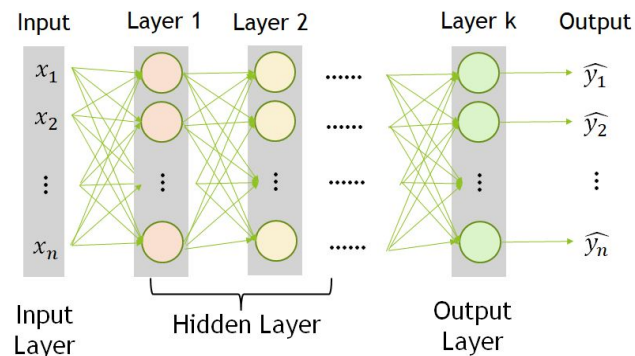


$$\sigma'(x) = \begin{cases} 1, & x \geq 0 \\ 0, & x < 0 \end{cases}$$

# 何謂 “Deep” Neural Network ?

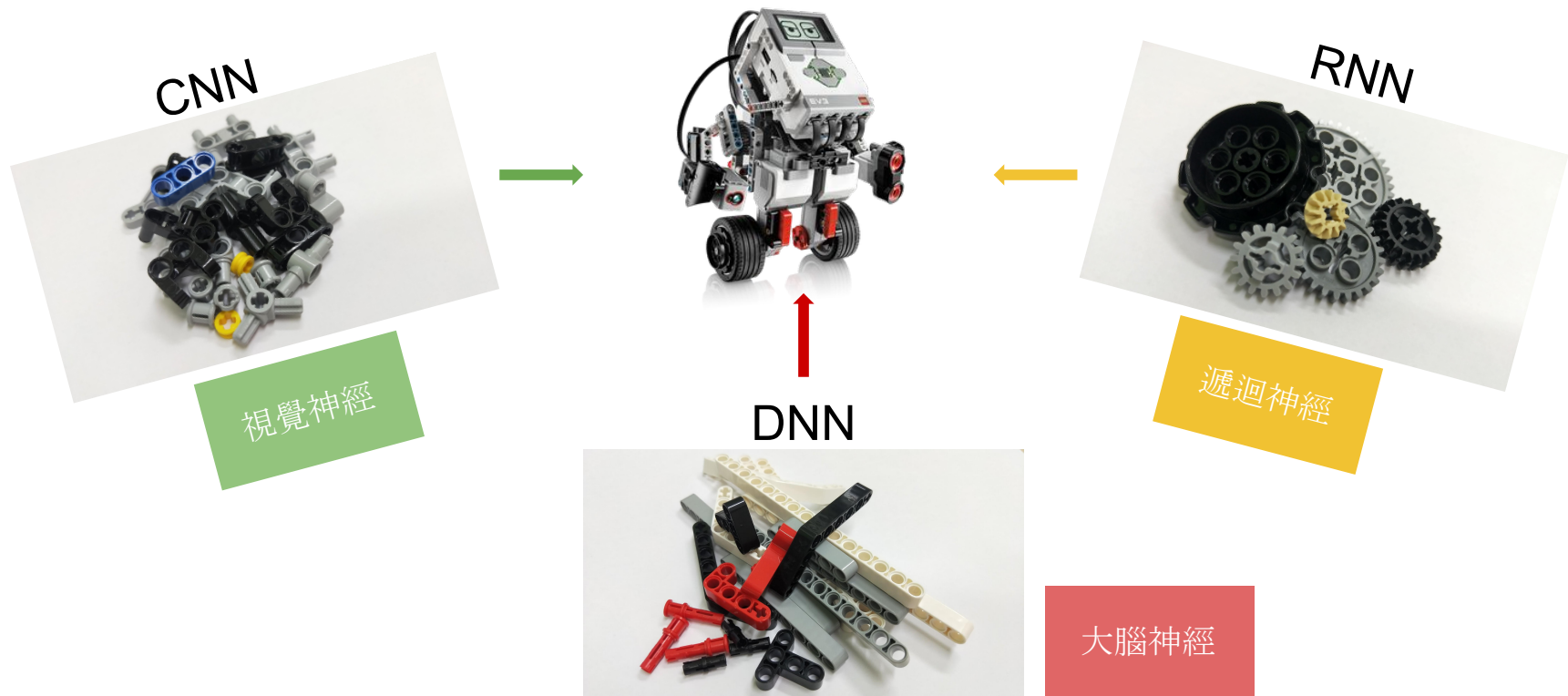


$x$	input	從不同來源來的資訊
$w$	weight	對來源的訊號強弱敏感程度
$b$	bias	對某件事情的成見
$z$	$z = wx + b$	綜合所有來源資訊
$\sigma$	Activation Func.	資訊分析的條件
$y$	$y = \sigma(z)$	最後的結果





# 三大神經元、三個積木塊





定義模型好不好

# 評估模型好壞的指標---Loss Function

- mean absolute error

$$L(y, \hat{y}) = \frac{1}{n} \sum_{i=1}^N \|y_i - \hat{y}_i\|$$

- mean square error

$$L(y, \hat{y}) = \frac{1}{n} \sum_{i=1}^N (y_i - \hat{y}_i)^2$$

- $R^2$  score

$$L(y, \hat{y}) = 1 - \frac{\sum (y_i - \hat{y}_i)^2}{\sum (y_i - \bar{y})^2}$$

- binary crossentropy

$$\hat{y} = \sigma(z) = \frac{1}{1 + e^{-wz+b}}$$

$$L(y, \hat{y}) = -\frac{1}{N} \sum_{i=1}^N [y_i \log(\hat{y}_i) + (1 - y_i) \log(1 - \hat{y}_i)]$$

- categorical crossentropy

$$\hat{s}_i = \frac{e^{\hat{y}_i}}{\sum_j e^{\hat{z}_j}}$$

$$L(y, \hat{s}) = -\frac{1}{N} \sum_{i=1}^N s_{i1} \log \hat{s}_{i1} + \dots + s_{im} \log \hat{s}_{im}$$

- F1-score

$$\text{Precision}(y, \hat{y}) = \frac{I(y_i = \hat{y}_i = 1)}{I(\hat{y}_i)} = \frac{TP}{TP + FP}$$

$$\text{Recall}(y, \hat{y}) = \frac{I(y_i = \hat{y}_i = 1)}{I(y_i)} = \frac{TP}{TP + FN}$$

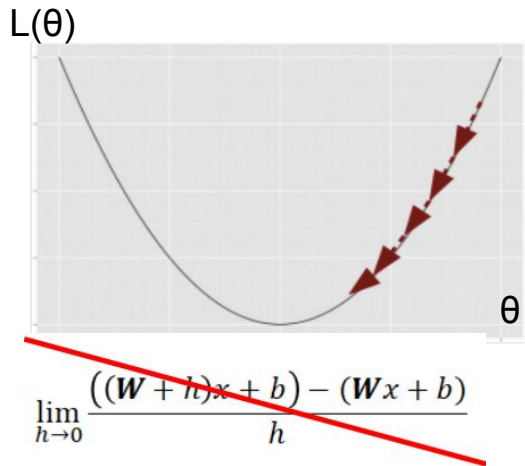
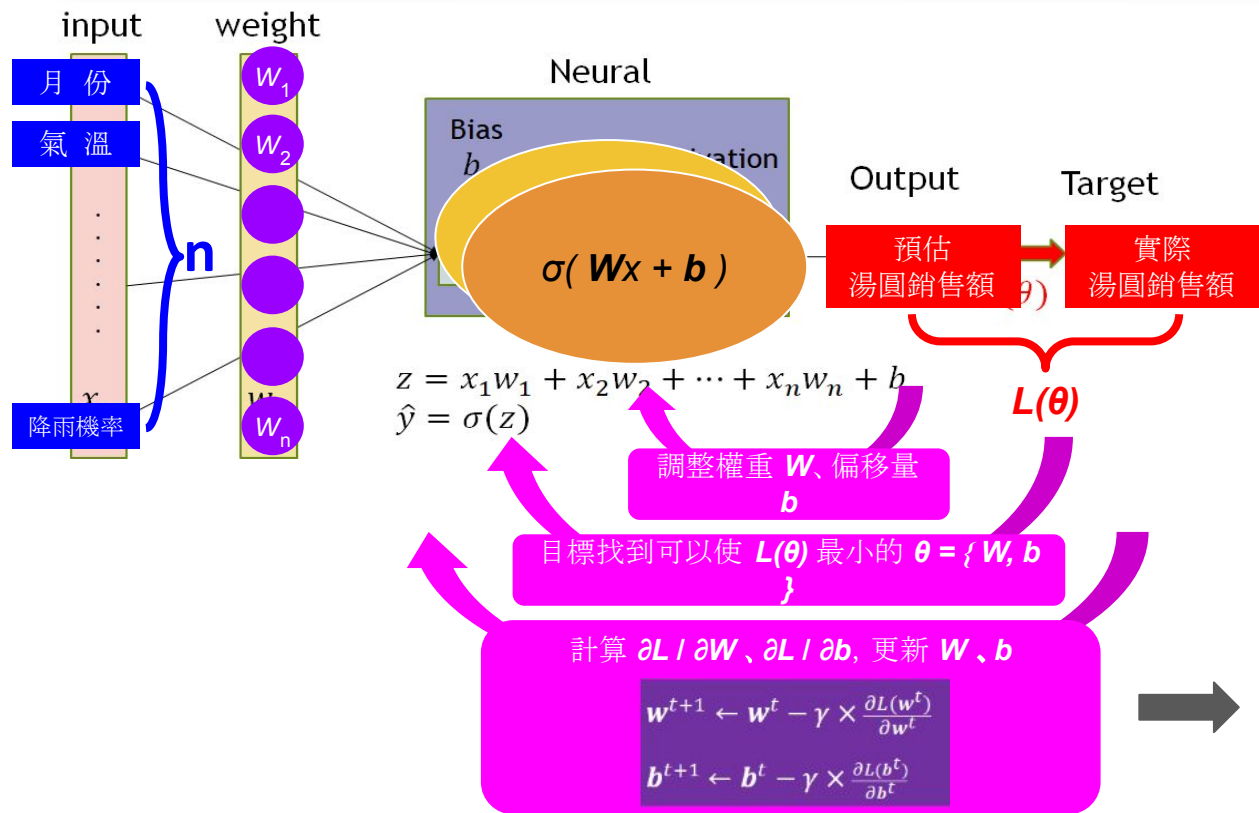
$$F1(y, \hat{y}) = \frac{2pr}{p+r}$$

		predicted condition	
		prediction positive	prediction negative
true condition	condition positive	True Positive (TP) 真陽性	False Negative (FN) (type II error) 偽陰性
	condition negative	False Positive (FP) (Type I error) 偽陽性	True Negative (TN) 真陰性



訓練神經網路....

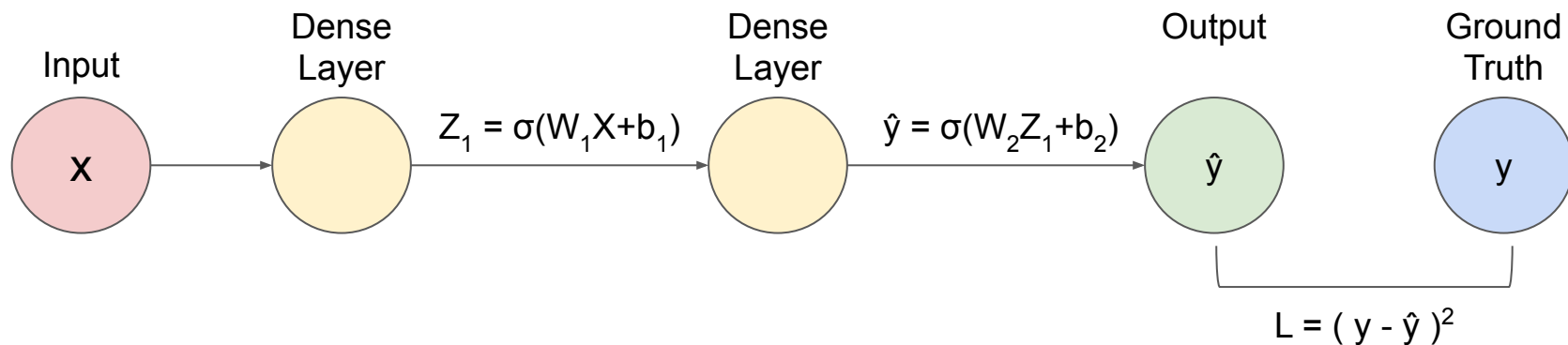
# 什麼是訓練模型？



## Backpropagation

$$\begin{aligned} \frac{\partial L(W)}{\partial W} &= \frac{\partial L(\sigma(Wx + b))}{\partial W} \\ &= \frac{\partial L}{\partial \sigma} \frac{\partial \sigma(z)}{\partial z} \frac{\partial (Wx + b)}{\partial W} \end{aligned}$$

# 算個來看看....微積分記得多少

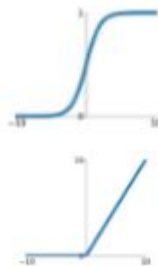


Question:

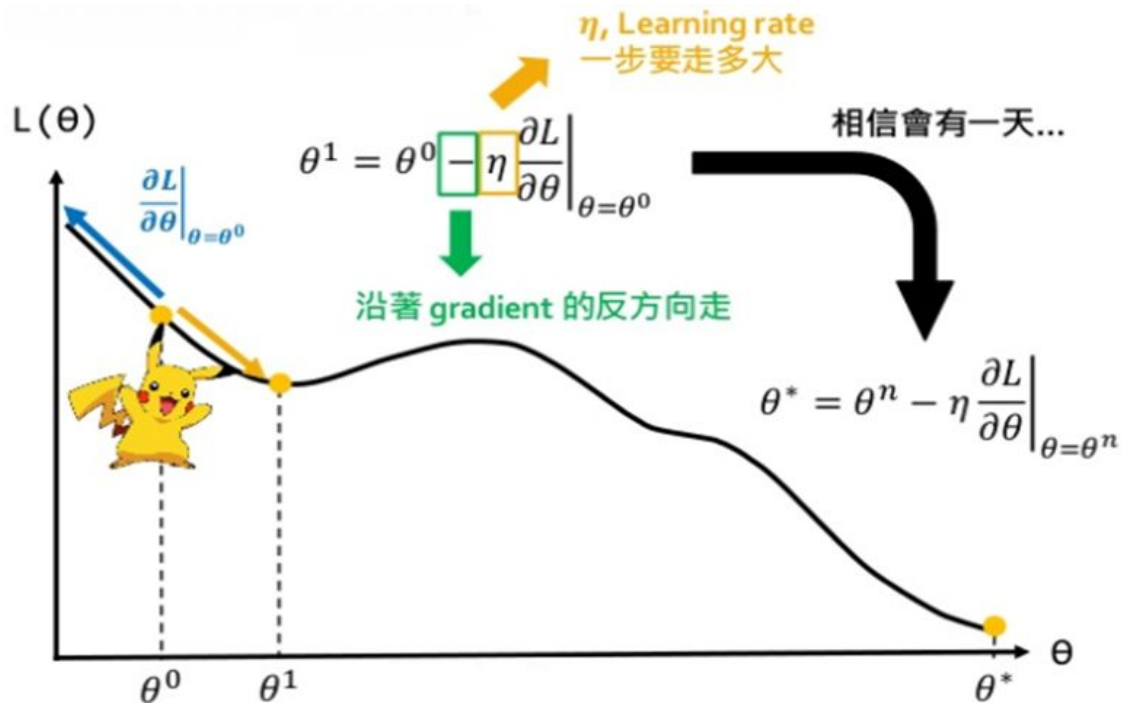
1.  $\frac{\partial L}{\partial W_2}$ 、 $\frac{\partial L}{\partial b_2} = ?$
2.  $\frac{\partial L}{\partial W_1}$ 、 $\frac{\partial L}{\partial b_1} = ?$

Activation Function:

1.  $\sigma(x) = \frac{1}{1+e^{-x}}$
2.  $relu(x) = \max(x, 0)$



# 如何學到最強攻略？



$$z = x_1 w_1 + x_2 w_2 + \dots + x_n w_n + b$$
$$\hat{y} = \sigma(z)$$

$$\frac{\partial L}{\partial \theta} = \frac{\partial L}{\partial \hat{y}} \frac{\partial \hat{y}}{\partial \theta} = \boxed{\frac{\partial L}{\partial \hat{y}}} \boxed{\frac{\partial \hat{y}}{\partial z}} \frac{\partial z}{\partial \theta}$$

1. 受loss function 影響

2. 受activation 影響

# Optimizer 優化器

- Gradient Descent (GD)

- 模型看完一輪所有資料, 更新一次權重
- 
- 優點
    - 根據所有資料的訊息, 更新模型
  - 缺點
    - 結果好壞很依賴起始點
    - 很容易掉進去 Local Minimum 就限制住找 Global Minimum 的可能

- Stochastic Gradient Descent (SGD)

- 模型看完一小堆(batch)資料, 更新權重一次
- 
- 優點
    - 收斂速度上, 比 GD 快
  - 缺點
    - 可能會抽到極端的擾動值資料, 偏離了 Global Minimum 的收斂方向



# Optimizer 優化器

## ● RMSProp

- 模型看完一小堆(batch)資料, 更新權重一次
- 
- 優點
    - 不僅有依照當次計算的梯度做更新, 還有參考過去的梯度做更新依據
  - 缺點
    - 還是有掉進去 Local Minimum 的可能

$$\begin{aligned}w^1 &\leftarrow w^0 - \frac{\eta}{\sigma^0} g^0 & \sigma^0 &= g^0 \\w^2 &\leftarrow w^1 - \frac{\eta}{\sigma^1} g^1 & \sigma^1 &= \sqrt{\alpha(\sigma^0)^2 + (1 - \alpha)(g^1)^2} \\w^3 &\leftarrow w^2 - \frac{\eta}{\sigma^2} g^2 & \sigma^2 &= \sqrt{\alpha(\sigma^1)^2 + (1 - \alpha)(g^2)^2} \\&\vdots \\w^{t+1} &\leftarrow w^t - \frac{\eta}{\sigma^t} g^t & \sigma^t &= \sqrt{\alpha(\sigma^{t-1})^2 + (1 - \alpha)(g^t)^2}\end{aligned}$$

## ● ADAM

- 模型看完一小堆(batch)資料, 更新權重一次
  - 加了 Momentum 的 RMSProp
- 
- 優點
    - 給予一點點小小的擾動 (Momentum), 協助翻出 Local Minimum 的小峽谷, 找到 Global Minimum 的可能
    - 適合大部分的優化狀況使用

**Require:**  $\theta_0$ : Initial parameter vector

$m_0 \leftarrow 0$  (Initialize 1<sup>st</sup> moment vector)

$v_0 \leftarrow 0$  (Initialize 2<sup>nd</sup> moment vector)

$t \leftarrow 0$  (Initialize timestep)

**while**  $\theta_t$  not converged **do**

$t \leftarrow t + 1$

$g_t \leftarrow \nabla_{\theta} f_t(\theta_{t-1})$  (Get gradients w.r.t. stochastic objective at timestep  $t$ )

$m_t \leftarrow \beta_1 \cdot m_{t-1} + (1 - \beta_1) \cdot g_t$  (Update biased first moment estimate)

$v_t \leftarrow \beta_2 \cdot v_{t-1} + (1 - \beta_2) \cdot g_t^2$  (Update biased second raw moment estimate)

$\hat{m}_t \leftarrow m_t / (1 - \beta_1^t)$  (Compute bias-corrected first moment estimate)

$\hat{v}_t \leftarrow v_t / (1 - \beta_2^t)$  (Compute bias-corrected second raw moment estimate)

$\theta_t \leftarrow \theta_{t-1} - \alpha \cdot \hat{m}_t / (\sqrt{\hat{v}_t} + \epsilon)$  (Update parameters)

**end while**

**return**  $\theta_t$  (Resulting parameters)