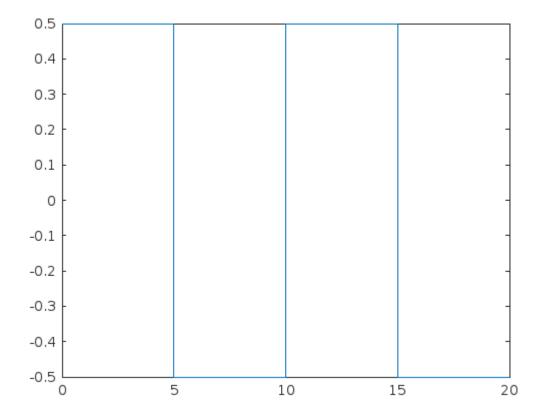
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# **Question A)**

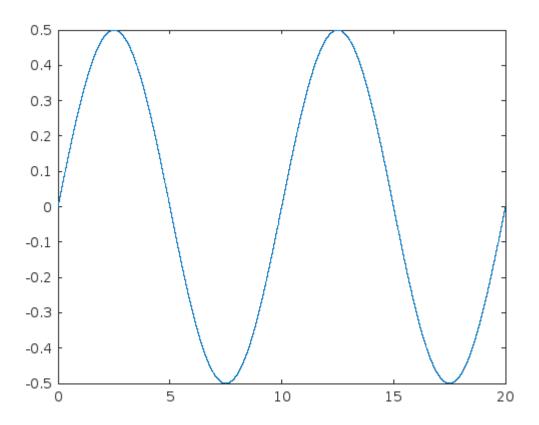
```
[ time_pos , sq_wave , B_unnorm ] = generate_data;
% Plot
plot(time_pos, sq_wave)
```



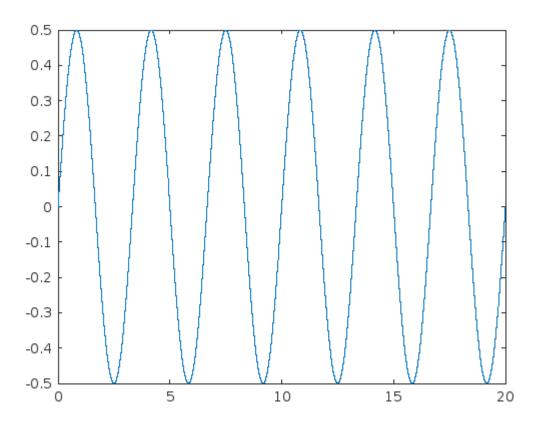
### **Question B)**

To test the orthoganality of the basis vectors, I would multiply the two functions in a dot product. However since they are functions I would be taking the integral of the two functions multilpied. But since the functions are actually

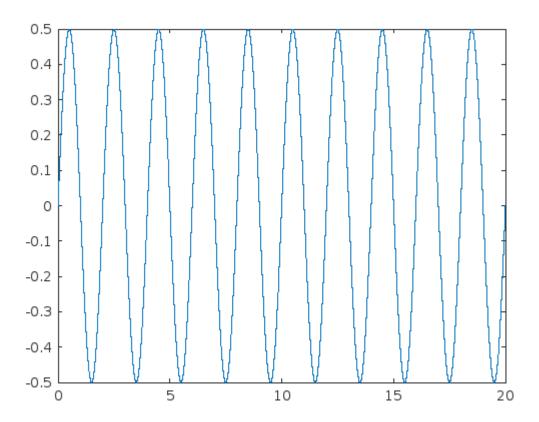
```
disp('B1')
plot(time_pos, B_unnorm(1,:))
B1
```



```
disp('B2')
plot(time_pos, B_unnorm(2,:))
B2
```

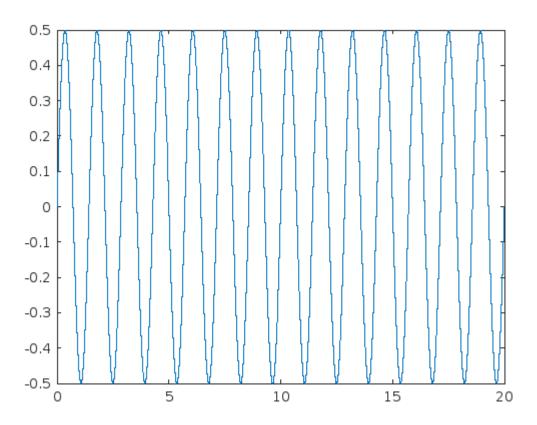


```
disp('B3')
plot(time_pos, B_unnorm(3,:))
B3
```

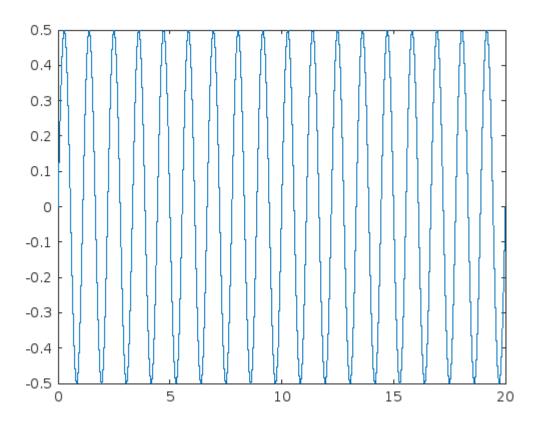


```
disp('B4')
plot(time_pos, B_unnorm(4,:))
```

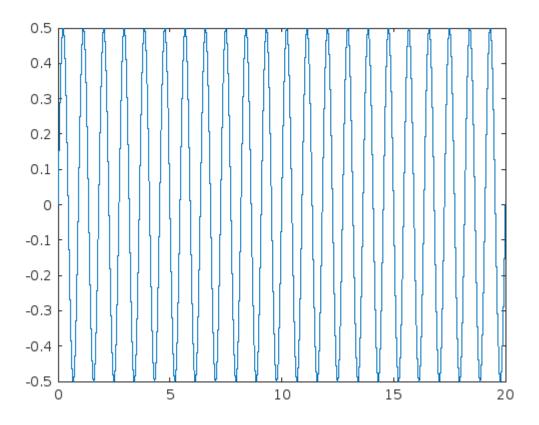
В4



```
disp('B5')
plot(time_pos, B_unnorm(5,:))
B5
```



```
disp('B6')
plot(time_pos, B_unnorm(6,:))
B6
```



## **Question C)**

#### Orthonormal Basis

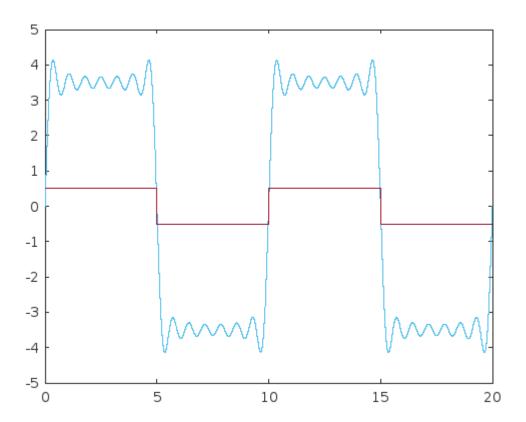
```
B_{norm} = zeros(30,200001);
for i = 1:30
    B_{norm(i,:)} = B_{unnorm(i,:)./(sqrt(sum(B_unnorm(i,:).^2)))};
end
% 12 Projection
proj = zeros(30,200001);
for i = 1:30
    proj(i,:) = sum(sq_wave.*(B_norm(i,:))) .* B_norm(i,:);
end
plot(time_pos, proj(1,:));
plot(time_pos, proj(2,:));
plot(time_pos, proj(3,:));
plot(time_pos, proj(4,:));
plot(time_pos, proj(5,:));
plot(time_pos, proj(6,:));
plot(time_pos, proj(30,:));
for i = 1:7
    projection = projection + proj(i,:);
```

#### end

```
disp("With " + 7 + " Basis Vectors")
plot(time_pos, projection, time_pos,sq_wave)

function [ time_pos , sq_wave , B_unnorm ] = generate_data
    n_comps = 30; period = 10; fundFreq = 1/ period;
    time_pos = 0:0.0001:2* period; harmonics = 2*(1: n_comps ) -1;
    sq_wave = floor (0.9* sin (2* pi * fundFreq * time_pos ) ) +.5; % %
generate the signal
    B_unnorm = sin (2* pi * fundFreq *( harmonics .' * time_pos ) ) /2; % %
generate the basis
end
```

With 7 Basis Vectors



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