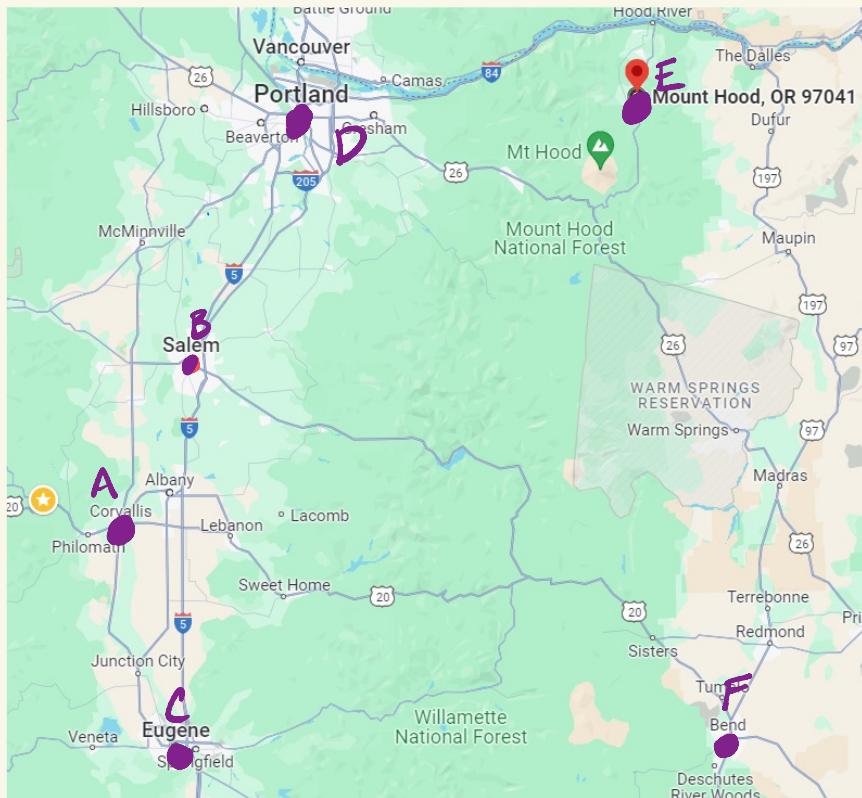


## ADD NODES



MAIN.CPP

```
GRAPHNODE A {"CORVALIS"};
```

```
GRAPHNODE B {"SALEM"};
```

```
GRAPHNODE C {"EUGENE"};
```

```
GRAPHNODE D {"PORTLAND"};
```

```
GRAPHNODE E {"MT HOOD"};
```

```
GRAPHNODE F {"BEND"};
```



```
GRAPH ADD-NODE(A);
```



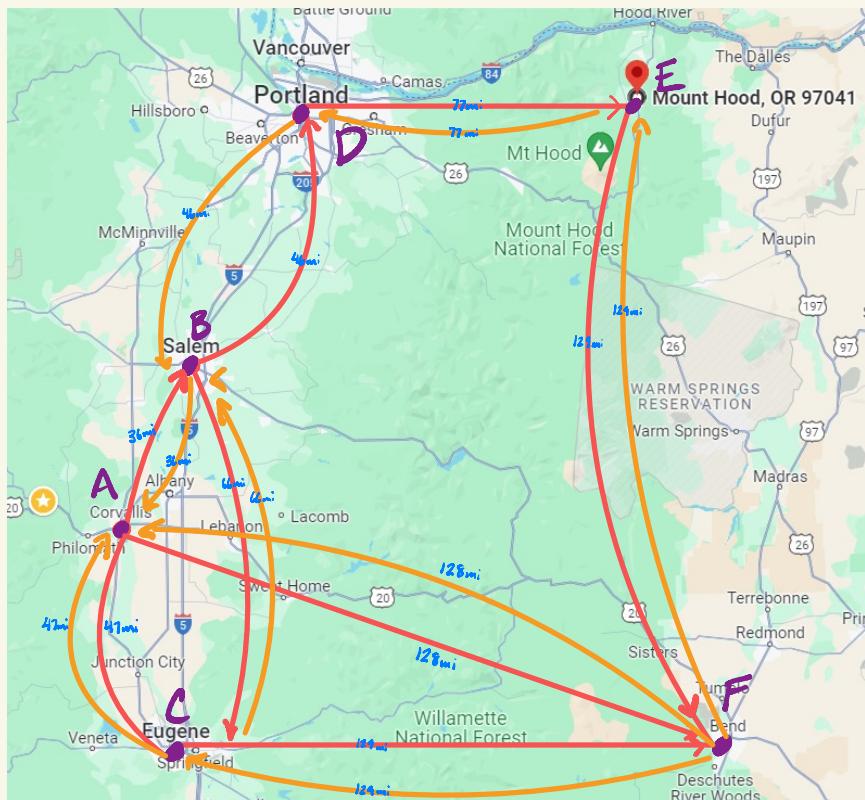
```
GRAPH ADD-NODE (GRAPHNODE "NEW-NODE") {  
    NODES.pushBack(NEW-NODE);  
}
```



GRAPH.h

CURRENT NODES IN GRAPH:  
CORVALIS  
SALEM  
EUGENE  
PORTLAND  
MT HOOD  
BEND

## ADD EDGES & WEIGHTS



MAIN.CPP

EDGE AF {128, &A, &F};

EDGE FA {128, &F, &A};



Graph.h

MAIN TERMINAL

AF (WEIGHT, SRC->NAME, DST->NAME): (128, CORVALLIS, BEND)  
FA (WEIGHT, SRC->NAME, DST->NAME): (128, BEND, CORVALLIS)

GRAPH\_ADD\_EDGE(&AF);

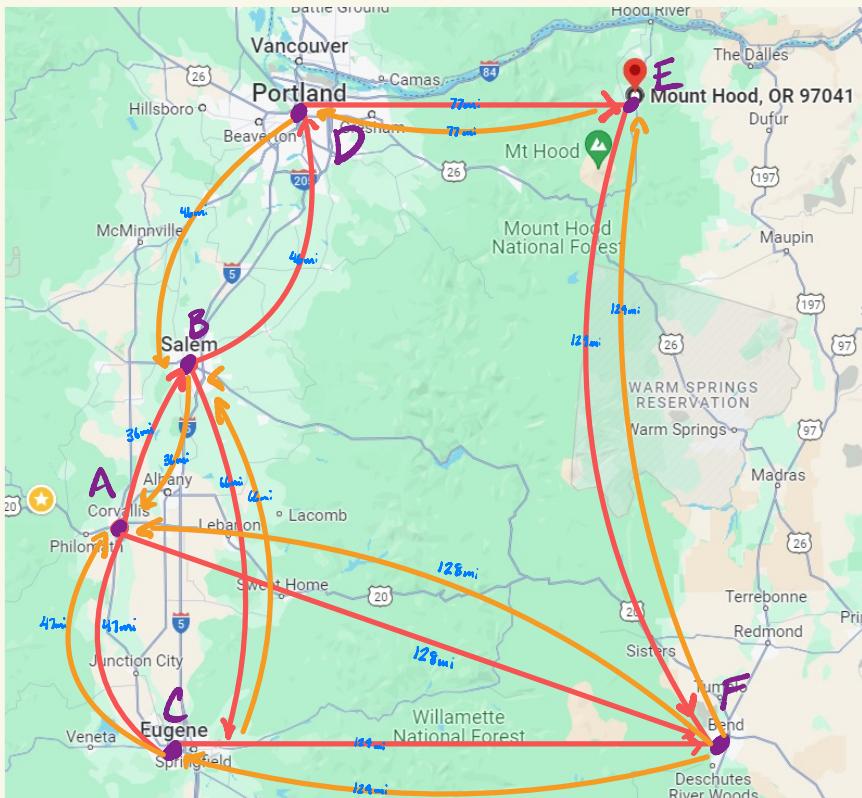
ADD\_EDGE(EDGE \*NEW\_EDGE) {

    NEW\_EDGE->SOURCE->NEIGHBORS.push\_back(NEW\_EDGE);  
}

GRAPH\_ADD\_EDGE(&FA);



# SHORTEST PATH ALGORITHM (DIJKSTRA's)



SHORTEST PATHS FROM CORVALLIS [mi]

Unvisited					
1	B	C	D	E	F
2		C	D	E	F
3	C		E	F	
4	C			F	
5	C				
6					

Shortest Path					
A	B	C	D	E	F
0	36	47	$\infty$	$\infty$	128
0	36	47	(46+36)	$\infty$	128
0	36	47	82	(77+46+36)	128
0	36	47	82	159	128
0	36	47	82	159	128
0	36	47	82	159	128

Visited					
A	B	D	E	F	C

TEST PROGRAM  
AGAINST THESE VALUES

SHORTEST PATHS FROM EUGENE [mi]

Unvisited					
1	A	B	D	E	F
2	B	D	E	F	
3		D	E	F	
4		E	F		
5			F		
6					

Shortest Path					
A	B	C	D	E	F
47	66	0	$\infty$	$\infty$	129
47	66	0	$\infty$	$\infty$	129
47	66	0	(46+66)	$\infty$	129
47	66	0	112	(77+46+66)	129
47	66	0	112	189	129
47	66	0	112	189	129

Visited					
C	A	B	D	E	F

## FINDING SHORTEST PATH:

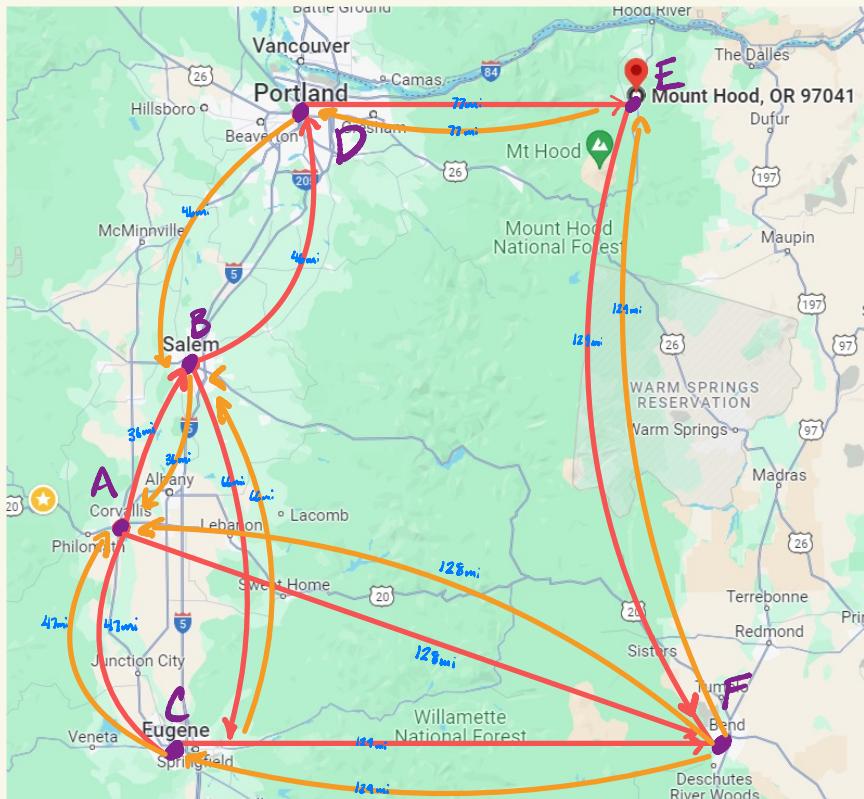
- SET DISTANCES FOR ALL NODES TO INFINITY
- SET DISTANCE TO THE START NODE TO ZERO (DISTANCE TO ITSELF)
- STORE UNVISITED NODES (CITIES) & WEIGHTS (DISTANCES) IN A QUEUE (Q)
- SET THE SOURCE NODE (DISTANCE = 0) ON TOP OF THE Q
- WHILE Q IS NOT EMPTY:
  - GET CURRENT NODE (SMALLEST DISTANCE) FROM TOP OF Q
  - POP() CURRENT NODE OFF Q
  - IF CURRENT NODE  $\rightarrow$  DISTANCE  $>$  DISTANCE  $\rightarrow$  CURRENT NODE:
    - \* SKIP THIS NODE, ALREADY HAVE A KNOWN SHORTER PATH
  - FOR ALL NEIGHBORING NODES OF CURRENT NODE (CONNECTED BY EDGE):
    - \* DETERMINE NEW DISTANCE TO ALL NEIGHBORING NODES
  - IF NEW DISTANCE  $<$  KNOWN DISTANCE:
    - \* UPDATE SHORTEST DISTANCE TO NEIGHBOR
    - \* PUSH() NEW DISTANCE & NEIGHBOR OUT TO THE Q
  - UPDATE NEW CURRENT NODE
- STORE EACH NODE & SHORTEST DISTANCE IN A VECTOR
- RETURN RESULT VECTOR

- CONSIDER HASH TABLE TO STORE DISTANCES?

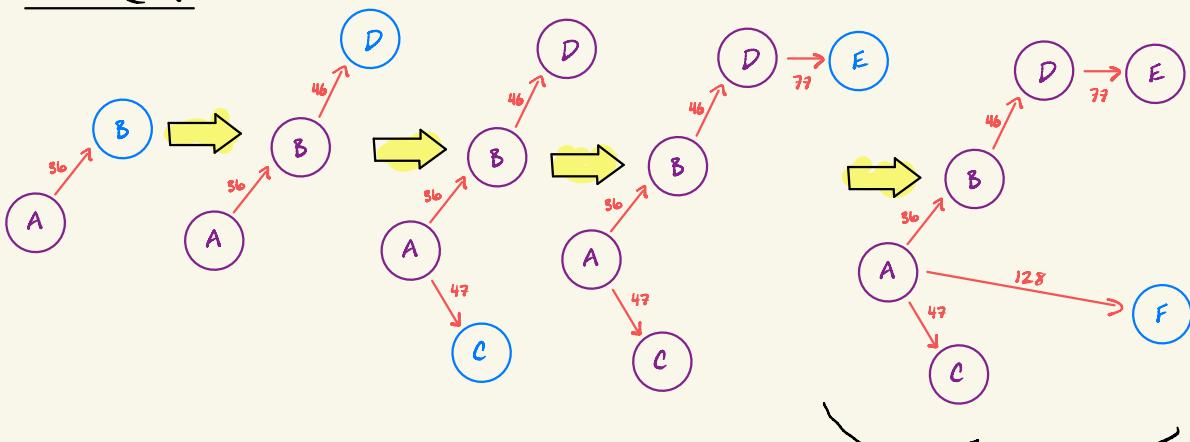
- KEY AS GRAPH NODE\* & VALUE IS SHORTEST DISTANCE
- \* STILL HAVEN'T TURNED IN ASSIGNMENT #7...

- NEED TO ORGANIZE Q, SHORTEST DISTANCE ALWAYS ON TOP

## (Prim's) MST Algorithm - Test #1

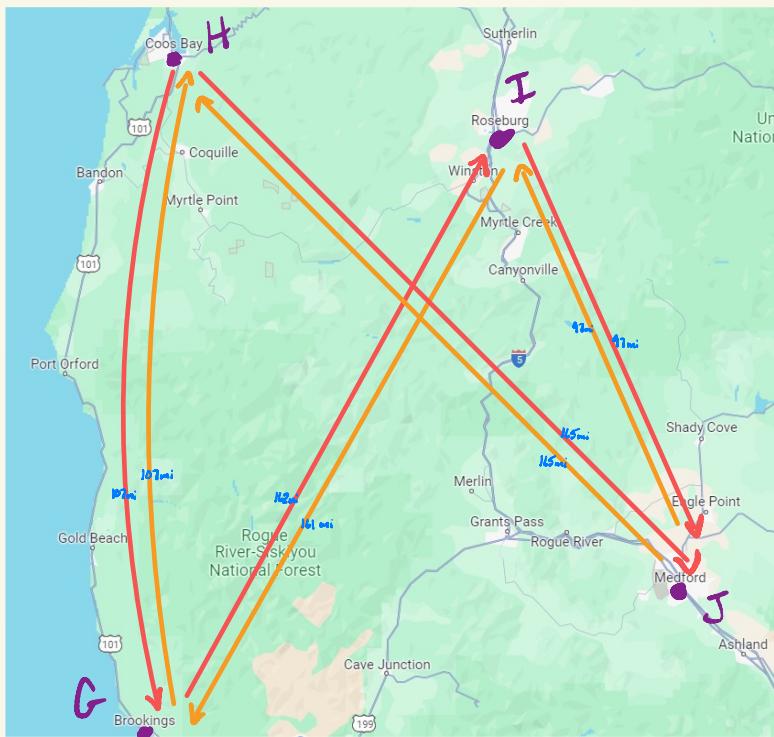


START @ 'A'

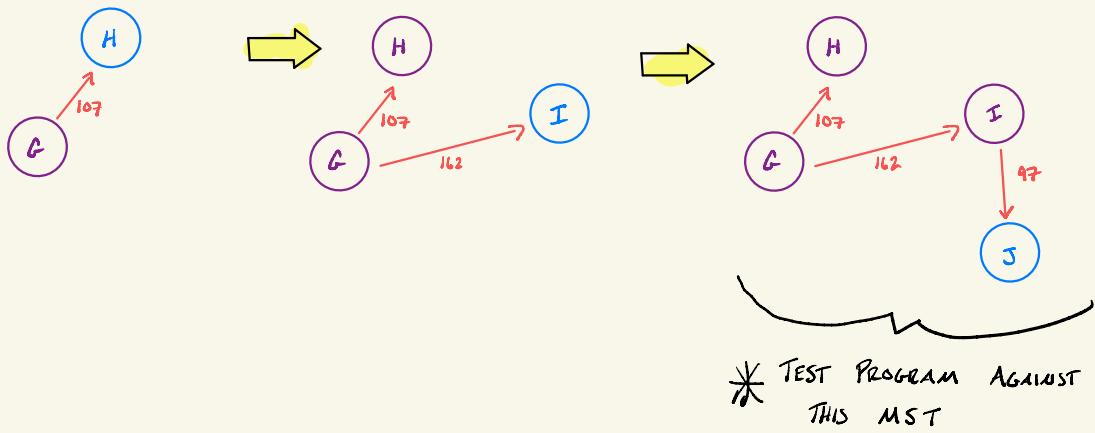


\* TEST PROGRAM AGAINST  
THIS MST

## (Prim's) MST Algorithm - Test #2



START @ 'G'



### FINDING MST:

- VECTOR TO STORE EDGES OF MST
- $Q$  TO STORE EDGE LENGTHS & EDGE\* (ORDERED)
- HASH TABLE TO TRACK IF NODES ARE IN VECTOR? (KEY  $\rightarrow$  GraphNode\*, VALUE  $\rightarrow$  T/F)?
  - \* STILL NEED ASSIGNMENT  $\neq \dots$
- ADD CURRENT NODE'S EDGES TO  $Q$
- WHILE  $Q$  IS NOT EMPTY & VECTOR CONTAINS  $<(NODES.size() - 1)$  EDGES:
  - FIND EDGE WITH SHORTEST DISTANCE IN  $Q$
  - POP THAT EDGE FROM  $Q$ 
    - IF DESTINATION NODE OF THIS IS ALREADY IN VECTOR:
      - \* SKIP THIS EDGE, CANNOT CREATE A CYCLE
    - ADD EDGE TO THE VECTOR
    - ADD EDGE TO THE  $Q$
    - RETURN VECTOR
- NEED ANOTHER FUNCTION TO ITERATE OVER NEIGHBORS, CHECK IF EDGES ARE IN VECTOR (T/F), AND ADD MISSING (F) EDGES TO  $Q$
- NEED A WAY TO SORT  $Q$  (SHORTEST  $\rightarrow$  LONGEST EDGES)