

- 1) Write a function to compute the 7 **similitude** moment shape descriptors. Test and compare results on the rectangle box images 'boxIm[1-4].bmp' on the website (provide the computed moment values). Normalize each image before computing the moments so that the range of grayscale values is between 0-1. How do the moments change across the box images? Why are some moments zero? Please make sure your function will work with non-binary (grayscale) imagery, as you will need this for later assignments (do not use Matlab's regionprops function). [4 pts]

BoxIm1 [0.0422 0 0 0 0.1646 0 0]

BoxIm2 [0.0422 0 0 0 0.1646 0 0]

BoxIm3 [0.0423 0 0 0 0.1641 0 0]

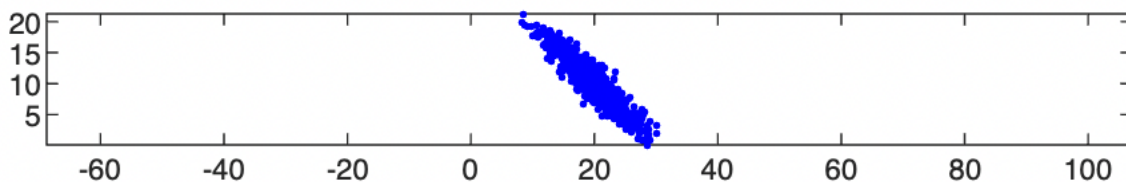
BoxIm4 [0.1646 0 0 0 0.0422 0 0]

I used im2double to normalize the image.

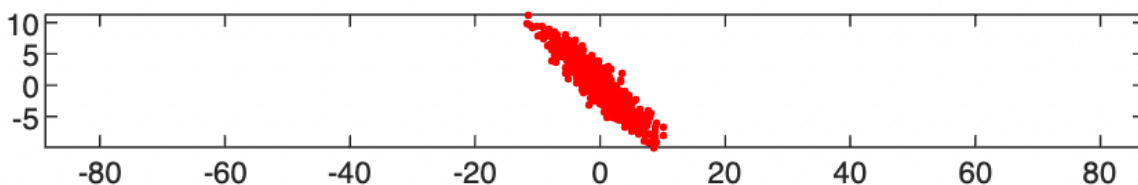
BoxIm1 and BoxIm2 has the same moment values. The moment value of BoxIm3 changed a little. But the moment values of BoxIm4 changed a lot.

I think pq value leads to some moments to be zero

- 2) Using the datafile (eigdata.txt) provided on the WWW site, perform the following MATLAB commands [1 pt]:

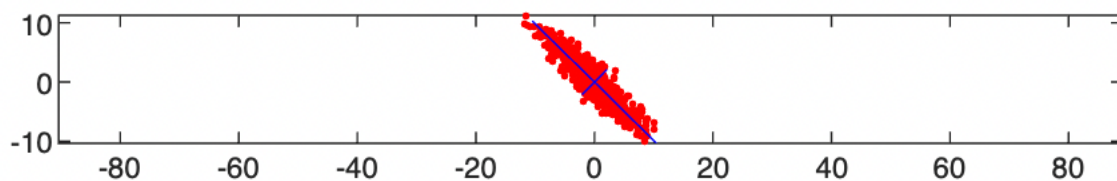


Plot for data points in the eigdata.txt.



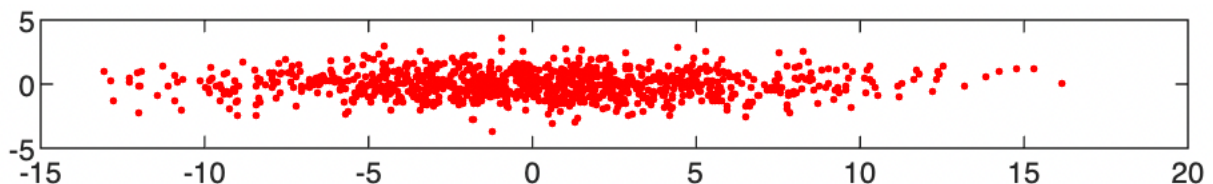
Plot for the mean-subtract data points.

- 3) Compute the eigenvalues (V) and eigenvectors (U) of the data (stored in Y) using the function `eig()` in Matlab (recall that you use either the covariance matrix or the inverse-covariance matrix of the data – see class notes). Plot the mean-subtracted data Y and the 2-D Gaussian ellipse axes for given the eigenvectors in U (you can use the `plot` command in Matlab for this. Make sure the axes have equal scale in the plot!). Use the eigenvalues in V to give the appropriate 3σ (standard deviation - not variance!) length to each axis (did you compute the eigenvalues from the covariance or inverse covariance of Y ? The eigenvalues will be related but different! See class notes). [4 pts]



C should be set as 9 since we use 3σ . After get the points, use $[0,0]$ to draw axes.

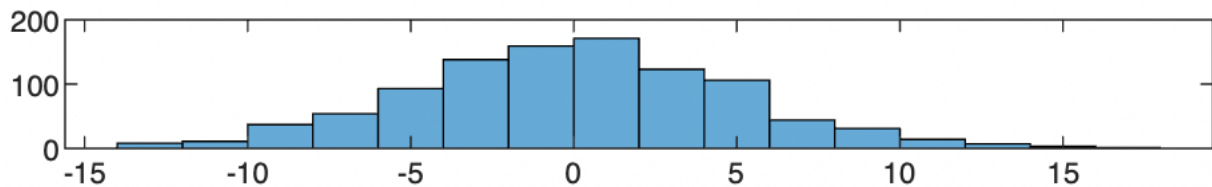
- 4) Rotate Y using the eigenvectors to make the data uncorrelated (i.e., project data Y onto the eigenvectors – see class slides). Plot the results (using equal scale axes as before). [2 pts]



I transpose Y when doing the calculation and then change the value back to the original format. The plot became horizontal.

- 5) Perform a simple data reduction technique by keeping only the values resulting from projection of Y onto the eigenvector corresponding the largest eigenvalue of the covariance (not inverse-

covariance) matrix. Plot a 1-D histogram of the values. Does it look like a 1-D Gaussian? [1 pt]



Yes! Because it is the reduction of 2-D Gaussian.

- 6) Submit a report containing all code, printouts of images, and discussion of results. Make a script to do the above tasks and call needed functions. Upload your report, code, and images to Carmen as usual. [No free points for this last step anymore!]

```
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
%Problem 1
```

```
%similitude moments
function n_pq = spatial_central_moments(image, p, q)
    m00 = sum(sum(image));
    [y,x] = size(image);

    m10 = 0;
    m01 = 0;
    for row = 1 :y
        for column=1:x
            m10 = m10 + column * image(row,column);
            m01 = m01 + row * image(row,column);

        end
    end
    x_bar = m10/m00;
    y_bar = m01/m00;

    u_pq = 0;
    for row = 1 :y
        for column=1:x
            u_pq = u_pq + ((column - x_bar)^p) * ((row - y_bar)^q) *
image(row,column);
        end
    end
    n_pq = u_pq / (m00 ^ (1+ ((p+q)/2)));
end
function Nvals = similitudeMoments(image)

    Nvals = [spatial_central_moments(image,0, 2),
spatial_central_moments(image, 0, 3),...
            spatial_central_moments(image, 1, 1),
spatial_central_moments(image, 1, 2),...]
```


%Problem 4

```
subplot(5,1,4);  
Y = U' * Y';  
Y = fliplr(Y');  
plot(Y(:,1),Y(:,2),'r.');
```

%%

%Problem 5

```
subplot(5,1,5);  
h = histogram(Y(:,1));
```