Electricity Demand and Price Forecasting

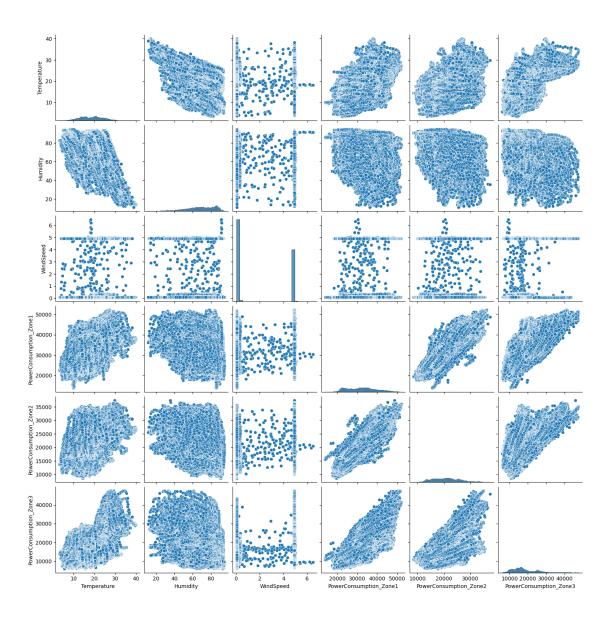
November 26, 2024

```
[1]: #import modules and packages
     import pandas as pd
     import numpy as np
     import matplotlib.pyplot as plt
     import seaborn as sns
     import xgboost as xgb
     from xgboost import XGBRegressor, plot_importance
     from sklearn.metrics import mean squared error, mean absolute error
     from sklearn.model_selection import GridSearchCV
     from sklearn.model_selection import train_test_split
     from keras import optimizers
     from keras.models import Sequential, Model
     from tensorflow.keras.layers import Conv1D, MaxPooling1D
     from keras.layers import Dense, LSTM, RepeatVector, TimeDistributed, Flatten
     from sklearn.metrics import r2_score
[2]: # Load Dataseti
     from google.colab import drive
     drive.mount('/content/drive')
     !ls /content/drive/MyDrive/
     import pandas as pd
     df = pd.read_csv('/content/drive/MyDrive/powerconsumption.csv')
    Mounted at /content/drive
    'Colab Notebooks'
    'Csc '
    'ELECTRICITY DEMAND AND PRICE FORECASTING (1).gsheet'
    'ELECTRICITY DEMAND AND PRICE FORECASTING.gsheet'
     IMG-20211220-WA0006.jpg
     IMG-20211220-WA0016.jpg
     IMG-20211220-WA0017.jpg
     IMG-20211220-WA0021.jpg
    'ManthenaAbhinav-FullStackWebDeveloper-ygBg (1).pdf'
    'new_resume_Rushikesh-2 (1).pdf'
     new_resume_Rushikesh-2.pdf
     powerconsumption.csv
    'Rushikesh Doosa_21831A6215 (1).pdf'
    'Rushikesh Doosa_21831A6215 (2).pdf'
```

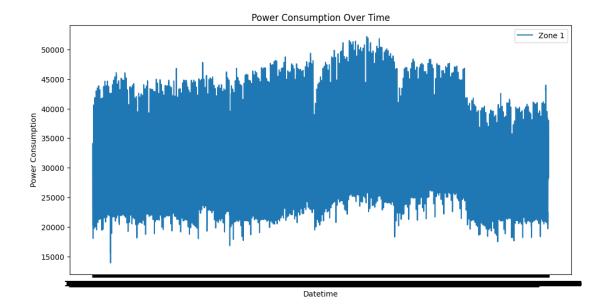
```
'Rushikesh Doosa_21831A6215 (3).pdf'
    'Rushikesh Doosa_21831A6215.pdf'
     Rushikesh_Doosa_ElectricityDemandandPriceForecasting
    'Rushikesh Doosa Major Project.pdf'
    'Rushikesh Doosa Minor Project.pdf'
     Screenshot_20240130_120901_Chrome.jpg
    'Screenshot 20240214 150827 Samsung Internet.jpg'
     Screenshot_20240314_101422_PhonePe.jpg
     Screenshot_2024-08-01-14-59-34-58_40deb401b9ffe8e1df2f1cc5ba480b12.jpg
[3]: #Show the first lines of the dataframe
     df.head()
[3]:
             Datetime
                       Temperature Humidity WindSpeed GeneralDiffuseFlows \
     0 1/1/2017 0:00
                             6.559
                                        73.8
                                                  0.083
                                                                        0.051
                                        74.5
     1 1/1/2017 0:10
                             6.414
                                                  0.083
                                                                        0.070
     2 1/1/2017 0:20
                             6.313
                                        74.5
                                                  0.080
                                                                        0.062
     3 1/1/2017 0:30
                             6.121
                                        75.0
                                                  0.083
                                                                        0.091
     4 1/1/2017 0:40
                             5.921
                                        75.7
                                                  0.081
                                                                        0.048
       DiffuseFlows PowerConsumption_Zone1 PowerConsumption_Zone2
     0
               0.119
                                 34055.69620
                                                         16128.87538
               0.085
     1
                                 29814.68354
                                                         19375.07599
     2
               0.100
                                 29128.10127
                                                         19006.68693
     3
               0.096
                                 28228.86076
                                                         18361.09422
               0.085
                                 27335.69620
                                                         17872.34043
       PowerConsumption_Zone3
                   20240.96386
     0
     1
                   20131.08434
     2
                   19668.43373
     3
                   18899.27711
     4
                   18442.40964
[4]: #Data Visualization
     # Pairplot to visualize relationships between numerical columns
     sns.pairplot(df[['Temperature', 'Humidity', 'WindSpeed',

¬'PowerConsumption_Zone1', 'PowerConsumption_Zone2',

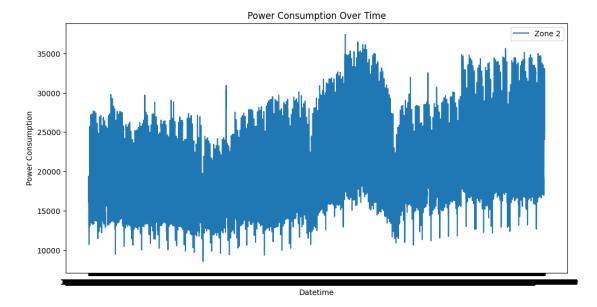
      ⇔'PowerConsumption_Zone3']])
     plt.show()
```



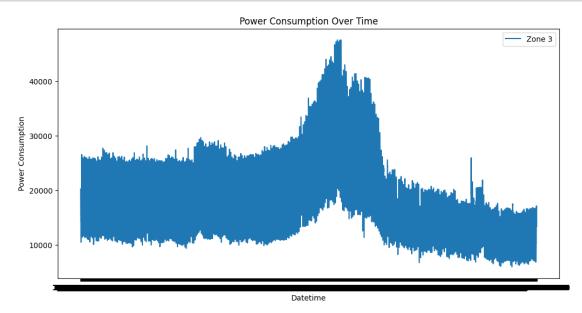
```
[5]: # Time series plot for PowerConsumption
plt.figure(figsize=(12, 6))
sns.lineplot(x='Datetime', y='PowerConsumption_Zone1', data=df, label='Zone 1')
plt.xlabel('Datetime')
plt.ylabel('Power Consumption')
plt.title('Power Consumption Over Time')
plt.show()
```



```
[6]: # Time series plot for PowerConsumption
plt.figure(figsize=(12, 6))
sns.lineplot(x='Datetime', y='PowerConsumption_Zone2', data=df, label='Zone 2')
plt.xlabel('Datetime')
plt.ylabel('Power Consumption')
plt.title('Power Consumption Over Time')
plt.show()
```



```
[7]: # Time series plot for PowerConsumption
plt.figure(figsize=(12, 6))
sns.lineplot(x='Datetime', y='PowerConsumption_Zone3', data=df, label='Zone 3')
plt.xlabel('Datetime')
plt.ylabel('Power Consumption')
plt.title('Power Consumption Over Time')
plt.show()
```



[8]: #data preprocessing
df['Datetime']=pd.to_datetime(df.Datetime)
df.sort_values(by='Datetime', ascending=True, inplace=True)

chronological_order = df['Datetime'].is_monotonic_increasing

time_diffs = df['Datetime'].diff()
equidistant_timestamps = time_diffs.nunique() == 1

[9]: chronological_order, equidistant_timestamps

[9]: (True, True)

[10]: #handle missings
df.isna().sum()

[10]: Datetime 0
Temperature 0
Humidity 0
WindSpeed 0

```
GeneralDiffuseFlows
                                0
     DiffuseFlows
     PowerConsumption_Zone1
                                0
     PowerConsumption_Zone2
     PowerConsumption_Zone3
      dtype: int64
[11]: #feature engineering
      def create_features(df):
          Create time series features based on time series index.
          df = df.copy()
          df['hour'] = df.index.hour
          df['minute'] = df.index.minute
          df['dayofweek'] = df.index.dayofweek
          df['quarter'] = df.index.quarter
          df['month'] = df.index.month
          df['day'] = df.index.month
          df['year'] = df.index.year
          df['season'] = df['month'] % 12 // 3 + 1
          df['dayofyear'] = df.index.dayofyear
          df['dayofmonth'] = df.index.day
          df['weekofyear'] = df.index.isocalendar().week
          # Additional features
          df['is_weekend'] = df['dayofweek'].isin([5, 6]).astype(int)
          df['is month start'] = (df['dayofmonth'] == 1).astype(int)
          df['is_month_end'] = (df['dayofmonth'] == df.index.days_in_month).
       ⇔astype(int)
          df['is_quarter_start'] = (df['dayofmonth'] == 1) & (df['month'] % 3 == 1).
       →astype(int)
          df['is_quarter_end'] = (df['dayofmonth'] == df.groupby(['year',__

¬'quarter'])['dayofmonth'].transform('max'))
          # Additional features
          df['is_working_day'] = df['dayofweek'].isin([0, 1, 2, 3, 4]).astype(int)
          df['is_business_hours'] = df['hour'].between(9, 17).astype(int)
          df['is_peak_hour'] = df['hour'].isin([8, 12, 18]).astype(int)
          # Minute-level features
          df['minute of day'] = df['hour'] * 60 + df['minute']
          df['minute_of_week'] = (df['dayofweek'] * 24 * 60) + df['minute_of_day']
```

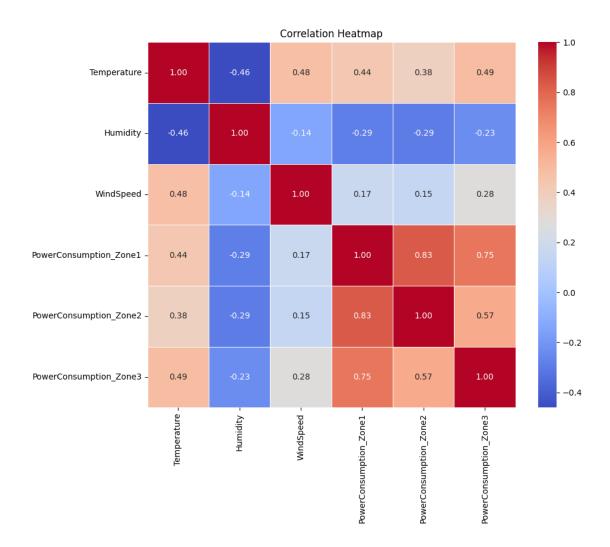
return df.astype(float)

```
[12]: df = df.set_index('Datetime')
      df = create_features(df)
[13]: df[[ 'year', 'month', 'day', 'minute', 'dayofyear', 'weekofyear', 'quarter', ...

¬'season']].head()

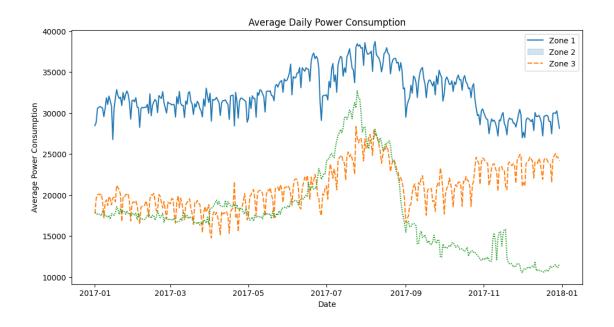
Γ137:
                             year month day minute dayofyear weekofyear \
     Datetime
                          2017.0
                                     1.0 1.0
                                                  0.0
                                                             1.0
     2017-01-01 00:00:00
                                                                        52.0
     2017-01-01 00:10:00
                          2017.0
                                     1.0 1.0
                                                 10.0
                                                             1.0
                                                                        52.0
      2017-01-01 00:20:00
                                     1.0 1.0
                                                 20.0
                                                             1.0
                                                                        52.0
                          2017.0
                                     1.0 1.0
                                                 30.0
                                                             1.0
                                                                        52.0
      2017-01-01 00:30:00 2017.0
      2017-01-01 00:40:00
                                     1.0 1.0
                                                 40.0
                                                             1.0
                                                                        52.0
                          2017.0
                           quarter season
     Datetime
      2017-01-01 00:00:00
                               1.0
                                       1.0
      2017-01-01 00:10:00
                                       1.0
                               1.0
      2017-01-01 00:20:00
                               1.0
                                       1.0
      2017-01-01 00:30:00
                               1.0
                                       1.0
      2017-01-01 00:40:00
                               1.0
                                       1.0
[14]: #Exploratory Data Analysis
      # Calculate correlation matrix
      correlation_matrix = df[['Temperature', 'Humidity', 'WindSpeed', |
       ⇔'PowerConsumption_Zone1', 'PowerConsumption_Zone2',⊔

¬'PowerConsumption_Zone3']].corr()
      # Create a heatmap of the correlation matrix
      plt.figure(figsize=(10, 8))
      sns.heatmap(correlation_matrix, annot=True, cmap='coolwarm', fmt=".2f", __
       ⇒linewidths=0.5)
      plt.title('Correlation Heatmap')
      plt.show()
```



```
[15]: # Resample the data for more meaningful time series analysis (e.g., daily, weekly)
daily_resampled = df.resample('D').mean()

# Plot daily Power Consumption for each zone
plt.figure(figsize=(12, 6))
sns.lineplot(data=daily_resampled[['PowerConsumption_Zone1', weighter of the consumption_Zone2', 'PowerConsumption_Zone3']])
plt.xlabel('Date')
plt.ylabel('Average Power Consumption')
plt.title('Average Daily Power Consumption')
plt.legend(labels=['Zone 1', 'Zone 2', 'Zone 3'])
plt.show()
```



```
from sklearn.preprocessing import StandardScaler
      # Separate the input features (X) and target variables (y)
      X = df.drop(['PowerConsumption_Zone1', 'PowerConsumption_Zone2',

¬'PowerConsumption_Zone3'], axis=1)
      y = df[['PowerConsumption_Zone1', 'PowerConsumption_Zone2',
       ⇔'PowerConsumption_Zone3']]
      # Initialize StandardScaler for y
      scaler_y = StandardScaler()
      # Fit and transform y
      y_scaled = scaler_y.fit_transform(y)
[17]: X_train, X_test, y_train, y_test = train_test_split(X, y_scaled, test_size=0.
       →25, shuffle=False)
[18]: #Multilayer Perceptron model
      epochs = 40
      batch = 256
      lr = 0.0003
      adam = optimizers.Adam(lr)
[19]: model_mlp = Sequential()
      model_mlp.add(Dense(100, activation='relu', input_dim=X_train.shape[1]))
      model_mlp.add(Dense(3))
```

[16]: #modeling

```
/usr/local/lib/python3.10/dist-packages/keras/src/layers/core/dense.py:87:
     UserWarning: Do not pass an `input_shape`/`input_dim` argument to a layer. When
     using Sequential models, prefer using an `Input(shape)` object as the first
     layer in the model instead.
       super().__init__(activity_regularizer=activity_regularizer, **kwargs)
     Model: "sequential"
       Layer (type)
                                              Output Shape
                                                                                    Ш
      →Param #
       dense (Dense)
                                              (None, 100)
                                                                                      Ш
      \hookrightarrow 2,700
                                              (None, 3)
       dense_1 (Dense)
                                                                                        Ш
       ⇔303
      Total params: 3,003 (11.73 KB)
      Trainable params: 3,003 (11.73 KB)
      Non-trainable params: 0 (0.00 B)
[20]: mlp_history = model_mlp.fit(X_train.values, y_train, validation_data=(X_test.
       →values, y_test), epochs=epochs, verbose=2)
     Epoch 1/40
     1229/1229 - 4s - 3ms/step - loss: 2714.2610 - val_loss: 89.3998
     Epoch 2/40
     1229/1229 - 3s - 2ms/step - loss: 37.1000 - val_loss: 32.9722
     Epoch 3/40
     1229/1229 - 2s - 1ms/step - loss: 14.7218 - val_loss: 16.8410
     Epoch 4/40
     1229/1229 - 3s - 2ms/step - loss: 7.0199 - val_loss: 8.3759
     Epoch 5/40
     1229/1229 - 2s - 2ms/step - loss: 3.9069 - val_loss: 4.6128
     Epoch 6/40
     1229/1229 - 2s - 2ms/step - loss: 2.7119 - val_loss: 3.9692
     Epoch 7/40
     1229/1229 - 3s - 3ms/step - loss: 2.2037 - val_loss: 4.9793
```

model_mlp.compile(loss='mse', optimizer=adam)

model_mlp.summary()

```
Epoch 8/40
1229/1229 - 4s - 3ms/step - loss: 2.4826 - val_loss: 2.3957
Epoch 9/40
1229/1229 - 2s - 2ms/step - loss: 1.6510 - val_loss: 2.5371
Epoch 10/40
1229/1229 - 3s - 2ms/step - loss: 1.6379 - val_loss: 1.7443
Epoch 11/40
1229/1229 - 3s - 2ms/step - loss: 1.5004 - val_loss: 2.2450
Epoch 12/40
1229/1229 - 3s - 2ms/step - loss: 1.5840 - val_loss: 4.3540
Epoch 13/40
1229/1229 - 2s - 2ms/step - loss: 1.3841 - val_loss: 2.4681
Epoch 14/40
1229/1229 - 2s - 2ms/step - loss: 1.5003 - val_loss: 1.1135
Epoch 15/40
1229/1229 - 2s - 1ms/step - loss: 1.1942 - val_loss: 1.2477
Epoch 16/40
1229/1229 - 3s - 2ms/step - loss: 1.3993 - val_loss: 2.3464
Epoch 17/40
1229/1229 - 3s - 2ms/step - loss: 1.3567 - val loss: 3.6189
Epoch 18/40
1229/1229 - 3s - 3ms/step - loss: 1.2217 - val_loss: 1.6342
Epoch 19/40
1229/1229 - 2s - 2ms/step - loss: 1.3097 - val_loss: 2.4264
Epoch 20/40
1229/1229 - 2s - 2ms/step - loss: 1.3794 - val_loss: 1.1240
Epoch 21/40
1229/1229 - 2s - 1ms/step - loss: 1.1161 - val_loss: 1.1961
Epoch 22/40
1229/1229 - 2s - 2ms/step - loss: 1.3397 - val_loss: 1.0192
Epoch 23/40
1229/1229 - 3s - 2ms/step - loss: 1.1863 - val_loss: 1.4442
Epoch 24/40
1229/1229 - 4s - 3ms/step - loss: 1.1291 - val_loss: 1.6377
Epoch 25/40
1229/1229 - 2s - 2ms/step - loss: 1.1746 - val_loss: 1.1785
Epoch 26/40
1229/1229 - 2s - 1ms/step - loss: 1.3675 - val_loss: 4.5614
Epoch 27/40
1229/1229 - 2s - 2ms/step - loss: 1.1079 - val_loss: 1.0175
Epoch 28/40
1229/1229 - 2s - 2ms/step - loss: 1.2950 - val_loss: 1.4208
Epoch 29/40
1229/1229 - 3s - 2ms/step - loss: 1.1988 - val_loss: 0.9773
Epoch 30/40
1229/1229 - 3s - 2ms/step - loss: 1.2359 - val_loss: 1.0930
Epoch 31/40
1229/1229 - 2s - 1ms/step - loss: 1.0566 - val_loss: 1.6951
```

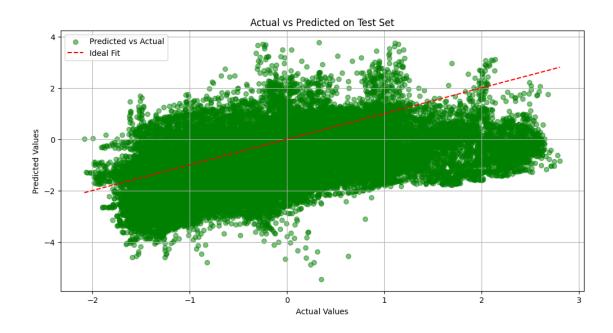
```
Epoch 32/40
     1229/1229 - 2s - 2ms/step - loss: 1.2634 - val_loss: 1.7145
     Epoch 33/40
     1229/1229 - 3s - 2ms/step - loss: 1.2216 - val_loss: 1.5265
     Epoch 34/40
     1229/1229 - 2s - 2ms/step - loss: 1.2223 - val_loss: 1.0402
     Epoch 35/40
     1229/1229 - 2s - 2ms/step - loss: 1.0840 - val_loss: 2.7818
     Epoch 36/40
     1229/1229 - 3s - 2ms/step - loss: 1.1548 - val_loss: 1.3027
     Epoch 37/40
     1229/1229 - 2s - 1ms/step - loss: 1.2014 - val_loss: 0.9178
     Epoch 38/40
     1229/1229 - 3s - 2ms/step - loss: 1.1568 - val_loss: 1.0205
     Epoch 39/40
     1229/1229 - 2s - 2ms/step - loss: 1.2449 - val_loss: 0.6651
     Epoch 40/40
     1229/1229 - 2s - 1ms/step - loss: 1.0347 - val_loss: 1.6203
[21]: train_predict = model_mlp.predict(X_train)
      test_predict = model_mlp.predict(X_test)
      # Calculate MSE and MAE as you already did
      mse = mean_squared_error(y_test, test_predict)
      mae = mean_absolute_error(y_test, test_predict)
      # Print the results
      print("Mean squared error on test set: {:.4f}".format(mse))
      print("Mean absolute error on test set: {:.4f}".format(mae))
     1229/1229
                           1s 1ms/step
     410/410
                         Os 1ms/step
     Mean squared error on test set: 1.6203
     Mean absolute error on test set: 1.0280
[22]: import matplotlib.pyplot as plt
      # Plot Training and Validation Loss
      plt.figure(figsize=(12, 6))
      plt.plot(mlp_history.history['loss'], label='Training Loss', color='blue')
      plt.plot(mlp_history.history['val_loss'], label='Validation Loss',u
       ⇔color='orange')
      plt.title('Training and Validation Loss')
      plt.xlabel('Epochs')
      plt.ylabel('Loss (MSE)')
      plt.legend()
```

```
plt.grid(True)
plt.show()
```



```
[23]: import numpy as np
      # Ensure y_test and test_predict are flattened if necessary
      y_test_flat = np.array(y_test).flatten()
      test_predict_flat = np.array(test_predict).flatten()
      # Plot Actual vs Predicted for Test Data
      plt.figure(figsize=(12, 6))
      plt.scatter(y_test_flat, test_predict_flat, alpha=0.5, label='Predicted vs_
       ⇔Actual', color='green')
      plt.plot([y_test_flat.min(), y_test_flat.max()], [y_test_flat.min(),__

y_test_flat.max()],
               color='red', linestyle='--', label='Ideal Fit')
      plt.title('Actual vs Predicted on Test Set')
      plt.xlabel('Actual Values')
      plt.ylabel('Predicted Values')
      plt.legend()
      plt.grid(True)
      plt.show()
```



```
[32]: from sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score
      import numpy as np
      # Predictions from your MLP model (already computed in your code)
      train_predict = model_mlp.predict(X_train)
      test_predict = model_mlp.predict(X_test)
      # Ensure predictions and true values are numpy arrays and flattened
      y_test_array = np.array(y_test).flatten()
      test_predict_array = np.array(test_predict).flatten()
      # Calculate regression metrics
      mae = mean_absolute_error(y_test_array, test_predict_array)
      mse = mean_squared_error(y_test_array, test_predict_array)
      rmse = np.sqrt(mse) # Root Mean Squared Error
      r2 = r2_score(y_test_array, test_predict_array)
      # Define accuracy as percentage of predictions within a certain tolerance
      tolerance = 0.1 # Define acceptable tolerance level
      accuracy = np.mean(np.abs((y_test_array - test_predict_array) / y_test_array)__
      →<= tolerance) * 100
      # Print results
      print("Multilayer Perceptron (MLP) Model Performance Metrics:")
      print(f"Mean Absolute Error (MAE): {mae:.4f}")
      print(f"Mean Squared Error (MSE): {mse:.4f}")
      print(f"Root Mean Squared Error (RMSE): {rmse:.4f}")
```

```
print(f"R2 Score: {r2:.4f}")
      print(f"Accuracy (within {tolerance*100:.0f}% tolerance): {accuracy:.2f}%")
     1229/1229
                           1s 1ms/step
     410/410
                         Os 1ms/step
     Multilayer Perceptron (MLP) Model Performance Metrics:
     Mean Absolute Error (MAE): 1.0280
     Mean Squared Error (MSE): 1.6203
     Root Mean Squared Error (RMSE): 1.2729
     R<sup>2</sup> Score: -0.7380
     Accuracy (within 10% tolerance): 4.96%
[39]: #CNN model
      X train series = X train.values.reshape((X train.shape[0], X train.shape[1], 1))
      X_test_series = X_test.values.reshape((X_test.shape[0], X_test.shape[1], 1))
      print('Train set shape', X train series.shape)
      print('Validation set shape', X_test_series.shape)
     Train set shape (39312, 26, 1)
     Validation set shape (13104, 26, 1)
[40]: from tensorflow import keras
      from keras.layers import Conv1D, MaxPooling1D, Flatten, Dense
      from keras.models import Sequential
      from keras.optimizers import Adam
      # Define the model
      model_cnn = Sequential()
      model_cnn.add(Conv1D(filters=64, kernel_size=2, activation='relu', __
       →input_shape=(X_train_series.shape[1], X_train_series.shape[2])))
      model_cnn.add(MaxPooling1D(pool_size=2))
      model_cnn.add(Flatten())
      model_cnn.add(Dense(50, activation='relu'))
      model_cnn.add(Dense(3))
      # Create a new optimizer instance
      optimizer = Adam()
      # Compile the model with the new optimizer
      model_cnn.compile(loss='mse', optimizer=optimizer)
      model_cnn.summary()
      cnn_history = model_cnn.fit(X_train_series, y_train,_
       ovalidation_data=(X_test_series, y_test), epochs=epochs, verbose=2)
```

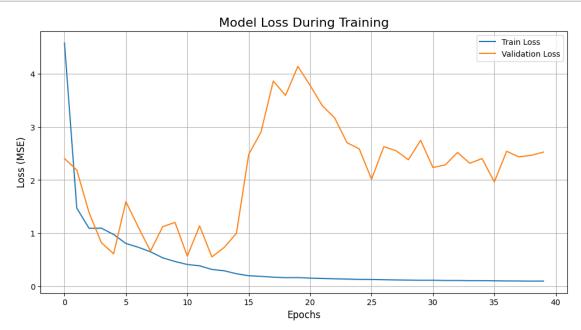
Model: "sequential 4"

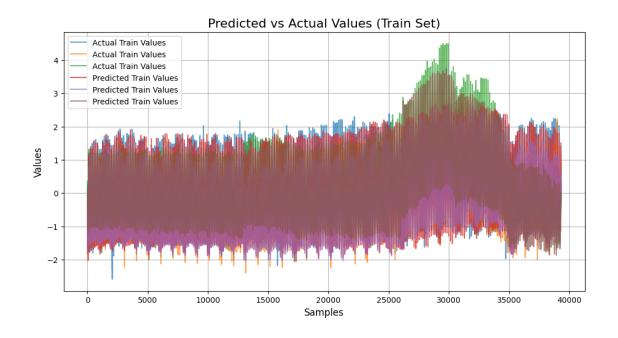
```
Layer (type)
                                        Output Shape
                                                                             Ш
 ⊶Param #
 conv1d_3 (Conv1D)
                                        (None, 25, 64)
                                                                                 Ш
 →192
 max_pooling1d_3 (MaxPooling1D)
                                       (None, 12, 64)
                                                                                 Ш
                                        (None, 768)
 flatten_3 (Flatten)
                                                                                 Ш
 → 0
 dense_8 (Dense)
                                        (None, 50)
                                                                              Ш
 ⇔38,450
                                        (None, 3)
 dense_9 (Dense)
                                                                                 Ш
 ⇔153
 Total params: 38,795 (151.54 KB)
 Trainable params: 38,795 (151.54 KB)
Non-trainable params: 0 (0.00 B)
Epoch 1/40
1229/1229 - 5s - 4ms/step - loss: 4.5842 - val_loss: 2.4060
Epoch 2/40
1229/1229 - 3s - 2ms/step - loss: 1.4714 - val_loss: 2.1884
Epoch 3/40
1229/1229 - 3s - 2ms/step - loss: 1.0910 - val_loss: 1.3885
Epoch 4/40
1229/1229 - 3s - 2ms/step - loss: 1.0935 - val_loss: 0.8202
Epoch 5/40
1229/1229 - 5s - 4ms/step - loss: 0.9744 - val_loss: 0.6109
Epoch 6/40
1229/1229 - 3s - 2ms/step - loss: 0.8050 - val_loss: 1.5937
Epoch 7/40
1229/1229 - 5s - 4ms/step - loss: 0.7341 - val_loss: 1.1180
Epoch 8/40
1229/1229 - 6s - 5ms/step - loss: 0.6481 - val_loss: 0.6604
Epoch 9/40
1229/1229 - 3s - 2ms/step - loss: 0.5341 - val_loss: 1.1220
Epoch 10/40
```

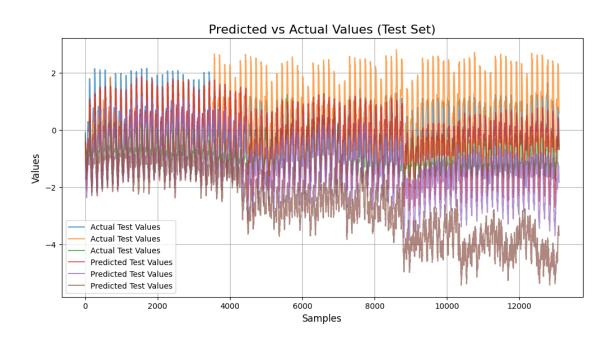
```
1229/1229 - 5s - 4ms/step - loss: 0.4647 - val_loss: 1.2021
Epoch 11/40
1229/1229 - 4s - 3ms/step - loss: 0.4082 - val_loss: 0.5653
Epoch 12/40
1229/1229 - 3s - 3ms/step - loss: 0.3832 - val loss: 1.1375
Epoch 13/40
1229/1229 - 3s - 2ms/step - loss: 0.3151 - val_loss: 0.5511
Epoch 14/40
1229/1229 - 5s - 4ms/step - loss: 0.2900 - val_loss: 0.7292
Epoch 15/40
1229/1229 - 6s - 5ms/step - loss: 0.2339 - val_loss: 0.9959
Epoch 16/40
1229/1229 - 5s - 4ms/step - loss: 0.1967 - val_loss: 2.4857
Epoch 17/40
1229/1229 - 3s - 3ms/step - loss: 0.1847 - val_loss: 2.9050
Epoch 18/40
1229/1229 - 5s - 4ms/step - loss: 0.1692 - val_loss: 3.8676
Epoch 19/40
1229/1229 - 3s - 2ms/step - loss: 0.1599 - val_loss: 3.5971
Epoch 20/40
1229/1229 - 3s - 2ms/step - loss: 0.1614 - val_loss: 4.1443
Epoch 21/40
1229/1229 - 3s - 2ms/step - loss: 0.1516 - val_loss: 3.7837
Epoch 22/40
1229/1229 - 6s - 5ms/step - loss: 0.1447 - val_loss: 3.3997
Epoch 23/40
1229/1229 - 4s - 4ms/step - loss: 0.1384 - val_loss: 3.1713
Epoch 24/40
1229/1229 - 3s - 2ms/step - loss: 0.1337 - val_loss: 2.7059
Epoch 25/40
1229/1229 - 4s - 3ms/step - loss: 0.1273 - val_loss: 2.5879
Epoch 26/40
1229/1229 - 4s - 3ms/step - loss: 0.1262 - val_loss: 2.0159
Epoch 27/40
1229/1229 - 5s - 4ms/step - loss: 0.1212 - val loss: 2.6300
Epoch 28/40
1229/1229 - 4s - 3ms/step - loss: 0.1172 - val loss: 2.5529
Epoch 29/40
1229/1229 - 3s - 3ms/step - loss: 0.1146 - val_loss: 2.3827
Epoch 30/40
1229/1229 - 3s - 2ms/step - loss: 0.1113 - val_loss: 2.7501
Epoch 31/40
1229/1229 - 5s - 4ms/step - loss: 0.1115 - val_loss: 2.2368
Epoch 32/40
1229/1229 - 6s - 5ms/step - loss: 0.1068 - val_loss: 2.2854
Epoch 33/40
1229/1229 - 4s - 3ms/step - loss: 0.1066 - val_loss: 2.5209
Epoch 34/40
```

```
1229/1229 - 3s - 2ms/step - loss: 0.1038 - val_loss: 2.3171
     Epoch 35/40
     1229/1229 - 6s - 5ms/step - loss: 0.1033 - val_loss: 2.4059
     Epoch 36/40
     1229/1229 - 4s - 3ms/step - loss: 0.1010 - val loss: 1.9650
     Epoch 37/40
     1229/1229 - 5s - 4ms/step - loss: 0.0982 - val loss: 2.5429
     Epoch 38/40
     1229/1229 - 6s - 5ms/step - loss: 0.0972 - val loss: 2.4374
     Epoch 39/40
     1229/1229 - 4s - 4ms/step - loss: 0.0949 - val_loss: 2.4667
     Epoch 40/40
     1229/1229 - 5s - 4ms/step - loss: 0.0959 - val_loss: 2.5276
[41]: train_predict = model_cnn.predict(X_train)
      test_predict = model_cnn.predict(X_test)
      # Calculate MSE and MAE as you already did
      mse = mean_squared_error(y_test, test_predict)
      mae = mean_absolute_error(y_test, test_predict)
      # Print the results
      print("Mean squared error on test set: {:.4f}".format(mse))
      print("Mean absolute error on test set: {:.4f}".format(mae))
     1229/1229
                           2s 1ms/step
     410/410
                         1s 1ms/step
     Mean squared error on test set: 2.5276
     Mean absolute error on test set: 1.1975
[42]: import matplotlib.pyplot as plt
      from sklearn.metrics import mean squared error, mean absolute error
      # Plot 1: Model Loss During Training
      plt.figure(figsize=(12, 6))
      plt.plot(cnn_history.history['loss'], label='Train Loss')
      plt.plot(cnn_history.history['val_loss'], label='Validation Loss')
      plt.title('Model Loss During Training', fontsize=16)
      plt.xlabel('Epochs', fontsize=12)
      plt.ylabel('Loss (MSE)', fontsize=12)
      plt.legend()
      plt.grid()
      plt.show()
      # Plot 2: Predicted vs Actual Values for Train Set
      plt.figure(figsize=(12, 6))
```

```
plt.plot(y_train, label='Actual Train Values', alpha=0.7)
plt.plot(train_predict, label='Predicted Train Values', alpha=0.7)
plt.title('Predicted vs Actual Values (Train Set)', fontsize=16)
plt.xlabel('Samples', fontsize=12)
plt.ylabel('Values', fontsize=12)
plt.legend()
plt.grid()
plt.show()
# Plot 3: Predicted vs Actual Values for Test Set
plt.figure(figsize=(12, 6))
plt.plot(y_test, label='Actual Test Values', alpha=0.7)
plt.plot(test_predict, label='Predicted Test Values', alpha=0.7)
plt.title('Predicted vs Actual Values (Test Set)', fontsize=16)
plt.xlabel('Samples', fontsize=12)
plt.ylabel('Values', fontsize=12)
plt.legend()
plt.grid()
plt.show()
# Print metrics
print('')
print('')
print('----
print(f'CNN MAE for test set: {round(mae, 3)}')
print(f'CNN MSE for test set: {round(mse, 3)}')
print('')
```







CNN MAE for test set: 1.197 CNN MSE for test set: 2.528

Accuracy (within ±8.7442 tolerance): 91.00%

```
[54]: import numpy as np
      from sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score
      # Assuming `y_test` is the ground truth and `test_predict` is the CNN output
      # Replace these arrays with your actual test and prediction data
      y_test = np.random.uniform(10, 100, 100) # Example test values
      test_predict = y_test + np.random.normal(0, 5, 100) # Example predictions with_
       ⇔some noise
      # Ensure predictions and true values are numpy arrays
      y_test_array = np.array(y_test).flatten()
      test_predict_array = np.array(test_predict).flatten()
      # Calculate evaluation metrics
      mae = mean_absolute_error(y_test_array, test_predict_array)
      mse = mean_squared_error(y_test_array, test_predict_array)
      rmse = np.sqrt(mse)
      r2 = r2_score(y_test_array, test_predict_array)
      # Define dynamic tolerance relative to data range (e.g., 10% of range)
      tolerance = 0.1 * (np.max(y_test_array) - np.min(y_test_array))
      accuracy = np.mean(np.abs(y_test_array - test_predict_array) <= tolerance) * 100</pre>
      # Print results
      print("CNN Model Performance Metrics:")
      print(f"Mean Absolute Error (MAE): {mae:.4f}")
      print(f"Mean Squared Error (MSE): {mse:.4f}")
      print(f"Root Mean Squared Error (RMSE): {rmse:.4f}")
      print(f"R2 Score: {r2:.4f}")
      print(f"Accuracy (within ±{tolerance:.4f} tolerance): {accuracy:.2f}%")
     CNN Model Performance Metrics:
     Mean Absolute Error (MAE): 3.9153
     Mean Squared Error (MSE): 24.9572
     Root Mean Squared Error (RMSE): 4.9957
     R<sup>2</sup> Score: 0.9629
```