1 Prove the following tautology using only basic and hypothetical rules.

$$\mathbf{a} \vdash A \lor (B \land C) \leftrightarrow (A \lor B) \land (A \lor C)$$

$$\mathbf{b} \vdash [(A \to B) \lor C] \to (C \lor B) \lor \neg A$$

 $2\,\,$ Prove the following tautology/contradictions. You may use derived rules and logical laws(aka rules of replacement).

$$\mathbf{a} \vdash ((A \land B) \to (B \land A)) \land (\neg(A \land B) \to \neg(B \land A))$$

$$\mathbf{b} \not\vdash ((H \land F) \to C) \land \neg (H \to (F \to C))$$