Laboratory 7

Variant 3, Group 13

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Main Components & Logic

num_word

```
num_word(0, 'zero').
num_word(1, 'one').
num_word(2, 'two').
num_word(3, 'three').
num_word(4, 'four').
num_word(5, 'five').
num_word(6, 'six').
num_word(7, 'seven').
num_word(8, 'eight').
num_word(10, 'ten').
num_word(11, 'eleven').
num_word(12, 'twelve').
num_word(13, 'thirteen').
num_word(14, 'fourteen').
num_word(15, 'fifteen').
num_word(16, 'sixteen').
num_word(17, 'seventeen').
num_word(18, 'eighteen').
num_word(18, 'eighteen').
num_word(19, 'nineteen').
```

This predicate maps integers from 0 to 19 to their English word equivalents. It's used directly for numbers less than 20.

tens_word

```
tens_word(2, 'twenty').
tens_word(3, 'thirty').
tens_word(4, 'forty').
tens_word(5, 'fifty').
tens_word(6, 'sixty').
tens_word(7, 'seventy').
tens_word(8, 'eighty').
tens_word(9, 'ninety').
```

This maps the tens part of numbers (like 20, 30, ..., 90) to their word equivalents. It's used when dealing with numbers from 20 to 99.

```
to_words_lt100
```

```
% Helper predicate for numbers less than 100
to_words_lt100(N, WordsAtom):-
    N < 20,
    num_word(N, WordsAtom).

to_words_lt100(N, WordsAtom):-
    N >= 20,
    Tens is N // 10,
    Units is N mod 10,
    tens_word(Tens, TensWord),
    ( Units =:= 0 ->
    WordsAtom = TensWord
    ; num_word(Units, UnitWord),
    atomic_list_concat([TensWord, UnitWord], ' ', WordsAtom)
).
```

A helper predicate to find the word representation for numbers less than 100. If the number is less than 20, it directly uses the num_word predicate. Otherwise, it calculates the tens digit (Tens) and the units digit (Units). Then, it retrieves the word for the tens digit using tens_word(Tens, TensWord). If the Units digit is 0 (eg. for N=40), WordsAtom becomes just the TensWord (eg. 'forty'). Otherwise, it retrieves the word for the Units digit using num_word(Units, UnitWord) and then concatenates TensWord and UnitWord with a space in between to form WordsAtom.

to_words_lt1000

```
% Helper predicate for numbers less than 1000 (but >= 100)

to_words_lt1000(N, WordsAtom) :-

Hundreds is N // 100,

Remainder is N mod 100,

num_word(Hundreds, HundredWord),

( Remainder =:= 0 ->

atomic_list_concat([HundredWord, 'hundred'], ' ', WordsAtom)

; to_words_lt100(Remainder, RemainderWords),

atomic_list_concat([HundredWord, 'hundred', 'and', RemainderWords], ' ', WordsAtom)

).
```

A helper predicate to find the word representation for numbers less than 100. It calculates the hundreds digit (Hundreds) and the remainder (Remainder). First, it retrieves the word for the Hundreds digit using num_words, since it must be less than 10 (given our constraint $N \le 1000$). If the remainder is 0, we return the HundredWord concatenated with 'hundred'. Otherwise, we find the word representation of the remainder (which must be less than 100) with the to_words_lt100 predicate, and then concatenate it as HundredWord + 'hundred and' RemainderWord.

get_words_atom

```
% Predicate to get the word atom (internal use)
get_words_atom(N, WordsAtom) :-
integer(N), N >= 0, N =< 1000, % Input validation
( N =:= 0 ->
num_word(0, WordsAtom)
; N =:= 1000 ->
WordsAtom = 'one thousand'
; N < 100 ->
to_words_lt100(N, WordsAtom)
; N < 1000 -> % This implies N >= 100
to_words_lt1000(N, WordsAtom)
).
```

This is the core predicate to convert numbers from 0 to 1000 into their word form:

```
• If N = \emptyset \rightarrow "zero"
```

```
• If N = 1000 \rightarrow "one thousand"
```

```
• If N < 100 \rightarrow uses to\_words\_lt100
```

```
    If N < 1000 → uses to_words_lt1000</li>
```

```
73 get_words_atom(N, 'Input out of range (0-1000)') :-
74 \+ (integer(N), N >= 0, N =< 1000).</pre>
```

The other part of it acts as a fallback. If N is not an integer between 0 and 1000, it returns an error message.

to_words

This is the main predicate; it calls get_words_atom with the provided number and writes the output to the screen.

Challenges

- We were unfamiliar with Prolog's syntax and declarative paradigm, leading to initial learning difficulties.
- We also had to make sure we handled the special and edge cases properly (eg. numbers between 0 and 19, round numbers (20, 30, ... 200, 300 ...), one thousand, etcetera).