

# Assignment1

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## Dataset structure, data cleaning and applied goals

```
dataset = read.csv(file = "yield.txt")
str(dataset)
```

```
## 'data.frame':  16000 obs. of  7 variables:
## $ Soil_Quality      : num  96.4 92.4 63.7 90.1 81.6 ...
## $ Seed_Variety      : int   1 0 1 1 1 1 1 1 1 0 ...
## $ Fertilizer_Amount_kg_per_hectare: num  148 282 138 101 223 ...
## $ Sunny_Days        : num   94.6 90.5 97.3 113.4 83 ...
## $ Rainfall_mm       : num   444 518 420 548 435 ...
## $ Irrigation_Schedule : int    3 7 8 7 6 4 3 2 5 8 ...
## $ Yield_kg_per_hectare : num   684 679 935 906 898 ...
```

This synthetic dataset caters to those with an interest in agriculture, machine learning, and regression analysis. It emulates the dynamics of agricultural yield based on diverse environmental and management factors, offering a solid foundation for building predictive models. Agricultural yield prediction stands as a pivotal field benefiting from predictive modeling. Precise yield predictions aid in fine-tuning agricultural production, streamlining supply chains, and ensuring food security. This synthetic dataset is crafted to mirror real-world agricultural data. The dataset encompasses 16,000 entries featuring:

**Soil\_Quality:** An index reflecting soil quality, ranging from 50 to 100. **Seed\_Variety:** A binary indicator denoting seed variety, with 1 representing a high-yield variety. **Fertilizer\_Amount\_kg\_per\_hectare:** The quantity of fertilizer used per hectare, measured in kilograms. **Sunny\_Days:** The count of sunny days during the growing season. **Rainfall\_mm:** Total rainfall during the growing season, measured in millimeters. **Irrigation\_Schedule:** The number of irrigation cycles during the growing season. **Yield\_kg\_per\_hectare:** Agricultural yield per hectare, serving as the target variable for prediction. This dataset is synthetic and generated for machine learning practice. Since it does not derive from real-world data, no external acknowledgments are necessary.

Now it can be stressed the need to eliminate the outliers in order to obtain a better model:

```
head(dataset)
```

```
##   Soil_Quality Seed_Variety Fertilizer_Amount_kg_per_hectare Sunny_Days
## 1    96.41566           1             147.8530    94.59393
## 2    92.35263           0             281.5654    90.50464
## 3    63.71479           1             137.8649    97.32934
## 4    90.08426           1             100.9467   113.40483
## 5    81.60034           1             223.0889    83.04818
```

```
## 6      65.39434      1      104.4849      95.92214
## Rainfall_mm Irrigation_Schedule Yield_kg_per_hectare
## 1      444.2676      3      683.7591
## 2      517.5855      7      678.7149
## 3      420.3109      8      934.6920
## 4      547.8176      7      905.8425
## 5      434.7263      6      897.5847
## 6      462.0362      4      634.9782
```

```
rimuovi_outlier = function(dataset) {

  dati_senza_outlier = dataset

  for (colonna in names(dati_senza_outlier)) {

    box = boxplot(dati_senza_outlier[[colonna]], plot = FALSE)
    Q1 = box$stats[2]
    Q3 = box$stats[4]
    IQR = Q3 - Q1
    lower_limit = Q1 - 1.5 * IQR
    upper_limit = Q3 + 1.5 * IQR

    outliers <- dati_senza_outlier[[colonna]] < lower_limit | dati_senza_outlier[[colonna]] > upper_limit

    dati_senza_outlier = dati_senza_outlier[!outliers, ]
  }

  return(dati_senza_outlier)
}

dati_senza_outlier = rimuovi_outlier(dataset)

head(dati_senza_outlier)
```

```
## Soil_Quality Seed_Variety Fertilizer_Amount_kg_per_hectare Sunny_Days
## 1      96.41566      1      147.8530      94.59393
## 2      92.35263      0      281.5654      90.50464
## 3      63.71479      1      137.8649      97.32934
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## 6      462.0362      4      634.9782
```

## Exploration data analysis

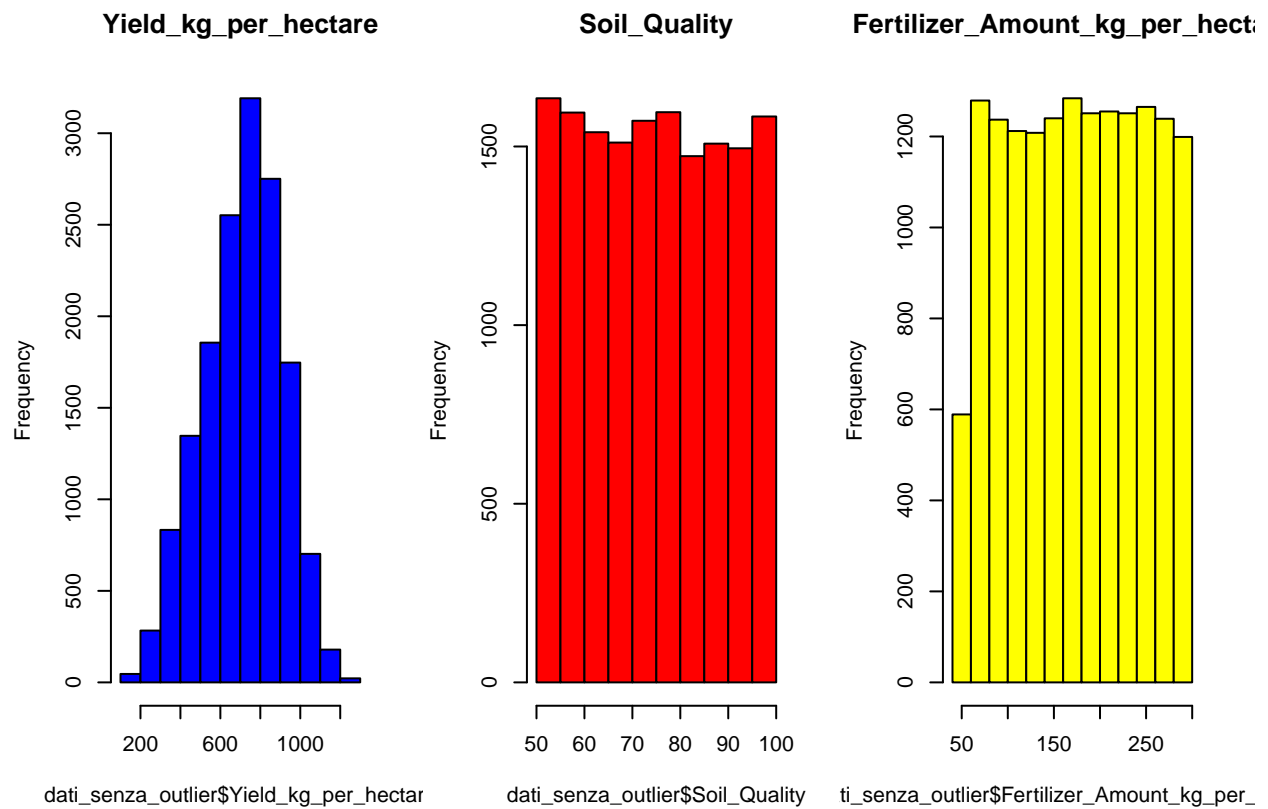
The summary statistics of the variables are shown below:

```
summary(dati_senza_outlier)
```

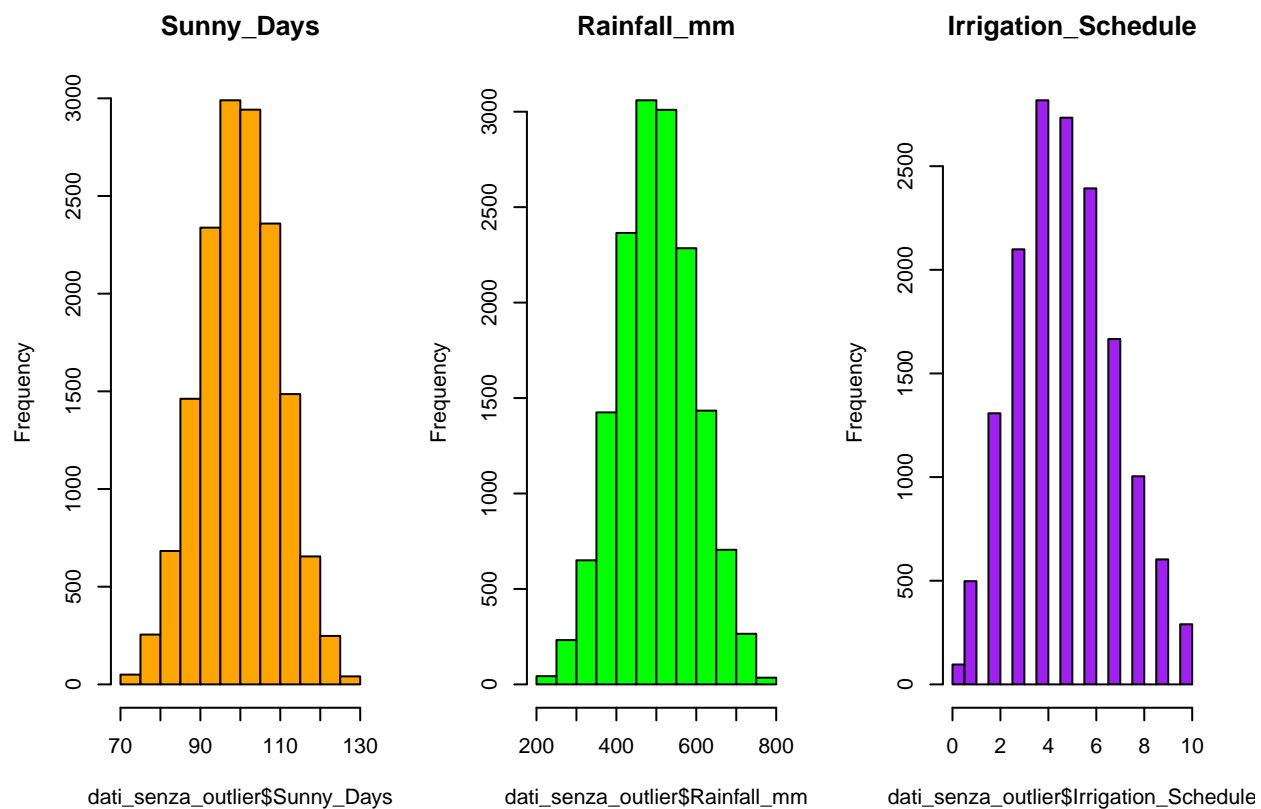
```
##   Soil_Quality      Seed_Variety  Fertilizer_Amount_kg_per_hectare
##   Min.      : 50.01   Min.      :0.0000   Min.      : 50.05
##   1st Qu.: 62.17   1st Qu.:0.0000   1st Qu.:112.61
##   Median : 74.67   Median :1.0000   Median :175.73
##   Mean   : 74.77   Mean   :0.7039   Mean   :175.13
##   3rd Qu.: 87.41   3rd Qu.:1.0000   3rd Qu.:237.43
##   Max.    :100.00   Max.    :1.0000   Max.    :299.99
##   Sunny_Days  Rainfall_mm  Irrigation_Schedule Yield_kg_per_hectare
##   Min.      : 72.91   Min.      :232.8   Min.      : 0.000   Min.      : 159.3
##   1st Qu.: 93.26   1st Qu.:433.9   1st Qu.: 3.000   1st Qu.: 576.1
##   Median : 99.97   Median :499.7   Median : 5.000   Median : 726.9
##   Mean   : 99.94   Mean   :500.5   Mean   : 4.948   Mean   : 710.5
##   3rd Qu.:106.64   3rd Qu.:566.5   3rd Qu.: 6.000   3rd Qu.: 853.1
##   Max.    :126.83   Max.    :767.5   Max.    :10.000   Max.    :1260.5
```

Plots of the variables, in order to observe the distributions, are displayed as it follows:

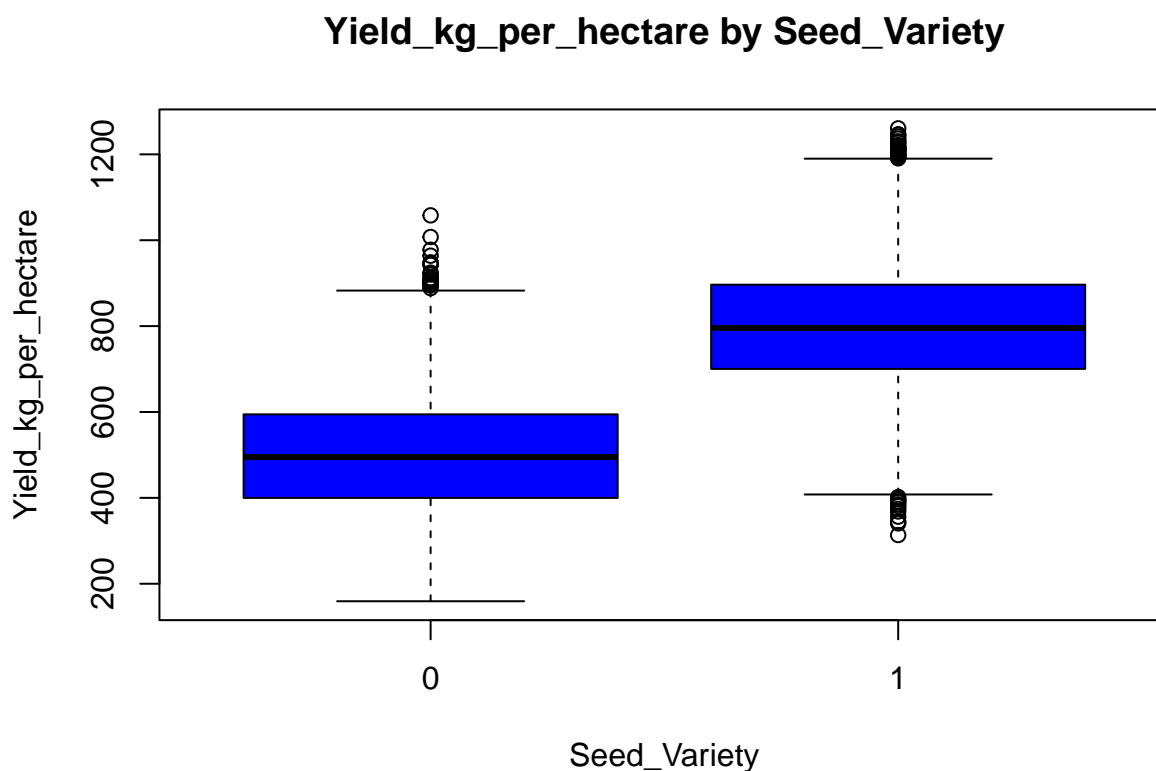
```
par(mfrow=c(1,3))
hist(dati_senza_outlier$Yield_kg_per_hectare, main="Yield_kg_per_hectare", col = "blue")
hist(dati_senza_outlier$Soil_Quality, main="Soil_Quality", col = "red")
hist(dati_senza_outlier$Fertilizer_Amount_kg_per_hectare, main="Fertilizer_Amount_kg_per_hectare", col = "green")
```



```
par(mfrow=c(1,3))
hist(dati_senza_outlier$Sunny_Days, main="Sunny_Days", col = "orange")
hist(dati_senza_outlier$Rainfall_mm, main="Rainfall_mm", col = "green")
hist(dati_senza_outlier$Irrigation_Schedule, main="Irrigation_Schedule", col = "purple")
```



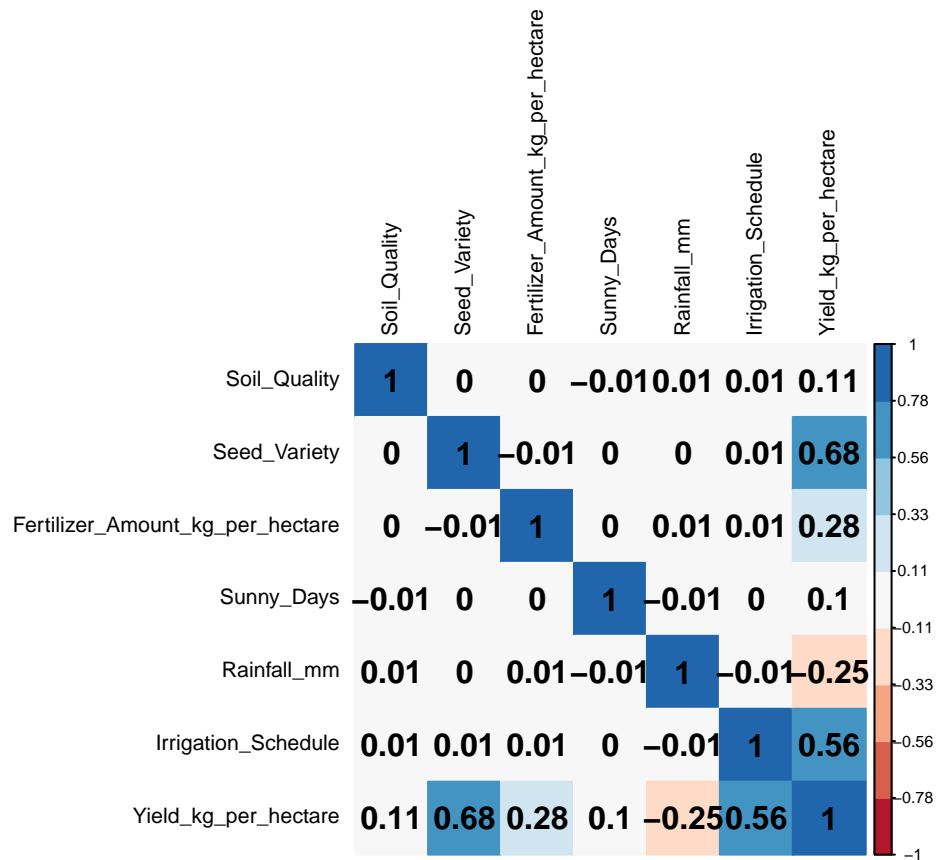
```
boxplot(dati_senza_outlier$Yield_kg_per_hectare ~ dati_senza_outlier$Seed_Variety, col = "blue", main = "Yield_kg_per_hectare")
```



From the boxplot comparison above, at first glance a correlation could be observed between the target (response) variable `Yield_kg_per_hectare` and `Seed_Variety`.

Further correlations could be stressed looking at the heatmap below:

```
correlation_data <- cor(dataset[sapply(dataset, is.numeric)])  
corrplot(correlation_data, method="color", col=brewer.pal(n = 9, name = "RdBu"), addCoef.col = "black",
```



Looking at the Yield\_kg\_per\_hectare, the target variable, it can be stated that: -It has a strong linear correlation with the seed variety -It has an average linear correlation with the irrigation schedule -It has a weak correlation (in absolute terms) with rainfall and fertilizer amount used on the lands -It has not relevant correlation with the other variables