

H W 2

Tuesday, 2 February 2021 02:14

Q1

We have an Ethernet LAN, a malicious node and other perfect nodes carrying out CSMA-CD protocol. Malicious node has to transmit atleast $N\%$ of the times of successful transmission.

We can achieve this by the following protocol for the node:

- Maintain a counter for total number of successful transmissions [Can be done by CS all the time]
- Career sense the medium, if no one is transmitting then wait for 9.6us and then transmit frames.
- If no collision occurs then all the transmission is by the malicious node only and hence satisfies the required condition while remaining undetected as no one else has anything to transmit.
- If there is a collision, then both the nodes will stop transmitting and backoff. Now, the malicious node checks if the current value of successful transmissions is less than or more than $N\%$ of successful transmissions. If it is less, then it has a backoff time of 0 and starts transmitting again. If it is more, then it behaves like a normal node and chooses a random wait time.

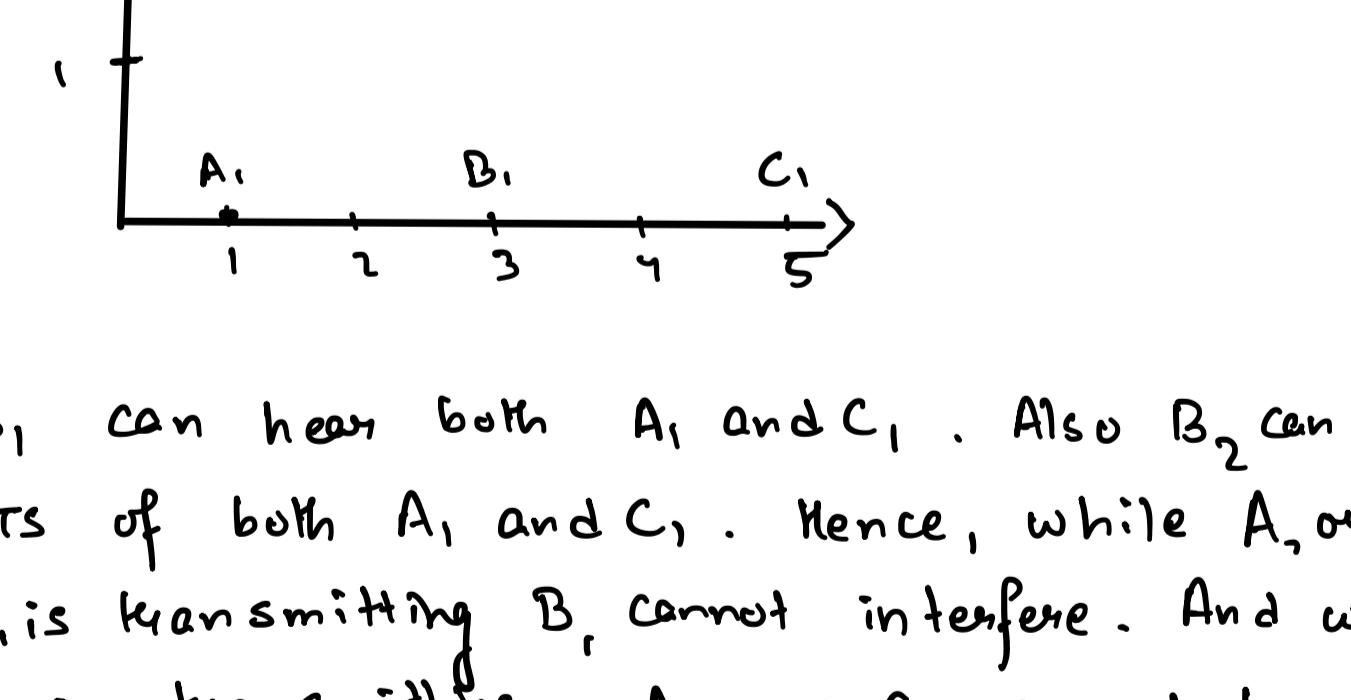
- Remains Undetected

The node transmits normally if current value is greater than $N\%$, hence lot of the time it behaves normally and can blend in. If collision occurs repeatedly, then the other node would backoff exponentially and hence the node would be able to send some frames successfully [when $< N\%$] and increment its success percentage while remaining undetected.

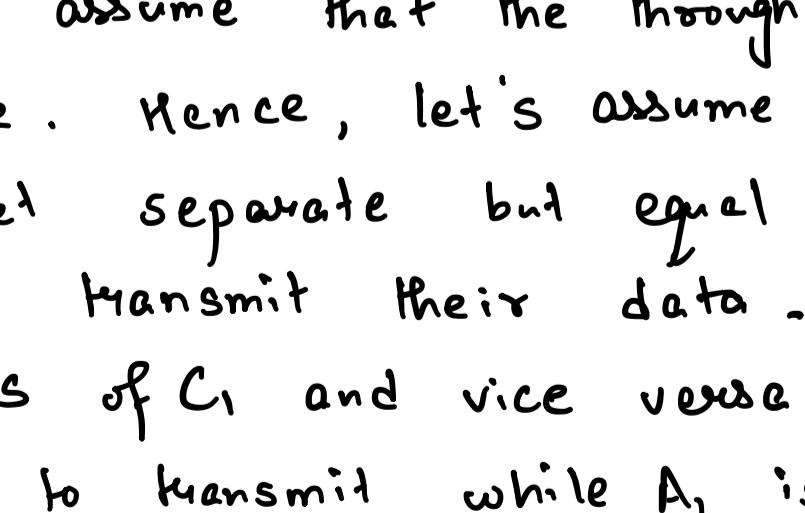
- Ensuring $N\%$ of successful transmissions

This can be easily shown as from start to a time interval, we are ensuring the success percentage to be more than N , and if not, then it is pushed further by 0 backoff.

Flowchart



Q2



B₁ can hear both A₁ and C₁. Also B₂ can hear RTS of both A₁ and C₁. Hence, while A₁ or C₁ is transmitting B₁ cannot interfere. And when B₁ is transmitting, A₁ and C₁ cannot transmit.

We assume that the throughputs are averaged over time. Hence, let's assume that A₁, B₁, and C₁ get separate but equal amount of time to transmit their data. But A₁ cannot hear RTS of C₁ and vice versa. So, we can allow C₁ to transmit while A₁ is transmitting and also allow A₁ to transmit when C₁ is transmitting. So, if before this addition, all three had $\frac{1}{3}$ rd of the time, now A and C have $\frac{2}{3}$ rd while B has $\frac{1}{3}$ rd only. Hence we can conclude that the throughputs T_A and T_C are equal and are both greater than T_B .

$$T_A = T_C > T_B$$