GCD (Greatest Common Divisor)

$$axx==0$$
 $bxx==0$

$$(12,10)$$

$$X 20 10$$

$$X 12 10$$

$$I I I$$

$$2 2 2$$

$$3 X 5 5 5$$

$$4 4 X 5$$

$$600 = 2$$

$$(20,10)$$

$$X 20 10$$

$$I I I$$

$$2 2 2$$

$$5 5 5$$

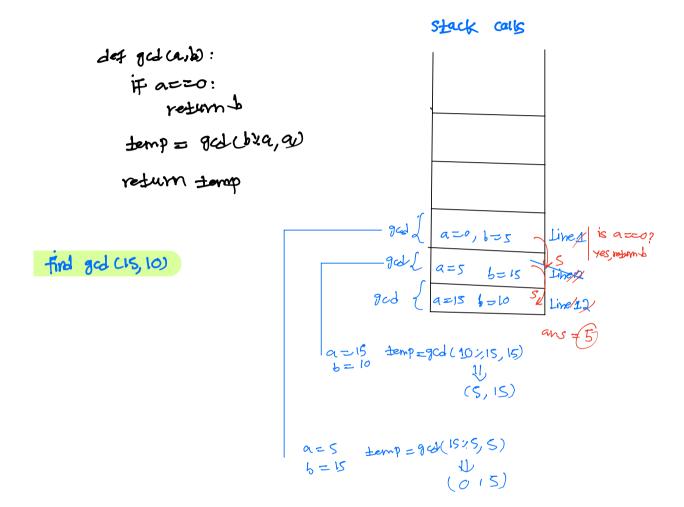
$$5 7$$

$$600 = 10$$

Find gcd (24, 34)

Euclidian Algorithm

gcd (a,b) = gcd (b; a,a) we have gcd (0,b) = b - continue this until you get any of the above zoro;



Analysis: it the number is getting divided by 'I' every time, it tokes longer until it reaches zero

$$\Rightarrow$$
 Time complexity = $O(109_2^N)$
Space complexity = $O(1)$

Number of steps to reach to the point where gcd(a,b) becomes gcd(0,b) = log N where N is max(a,b)

Q-Delete to maximize: Given away of N elements, I deto one element that results the remaining elements to have maximum GCD.

def ged(a,b): if b==0: xeturn b return ged(b;a,a) x [4 6 8] = 2 cms = cmr[0]

× 6 4 8) =2 tow to neglect on demont?

First neglect 0 ele;
second neglect 1, but 0 should be there
third neglect 2, but 0, 1 Should be there
fourth neglect 3rd, but remaining general should

Should be there

$$(1,n)$$

$$0 | 2 3 4 5$$

$$(0,1),(2,n)$$

$$0 | 2 3 4 5$$

$$(0,2),(3,n)$$

$$0 | 2 3 4 5$$

$$(0,3) \text{ and } (4,n)$$

$$0 | 2 3 4 5$$

$$(0,3) \text{ and } (4,n)$$

$$0 | 2 3 4$$

$$0 | 2 3 4$$

$$0 | 2 3 4$$

$$0 | 2 3 4$$

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to take aways, but not including i

temp_arr = arr [:i] + arr [it1:]

60 for all elements

for i in range (n):

temp - our = am [: i] + arr [i+1:]

ams = aWID

max-gcd=6

1/ find the GG for each temp-our;

For j in range (1) lon(temparr):

ans = set.god cons, tempar(t)

if construct ged:

max-qcd= cons

return max-god, temp-arr: