Language Design and Optimizations

By – Louis Jenkins

Presentation Summary

- Create our own programming language
 - Demystify and Explore how they are created
 - Grammars, Lexers, Syntax Trees, etc.
- Define semantics for our language
- Interpret and run programs written in our language
- High-Level overview of program execution
 - Control Flow Graphs

Defining Our Language

- Domain Specific Language
 - Language created to solve a particular problem domain
 - Our domain is academic research
 - Opposite of a general-purpose language
 - C, C++, Java, Go, etc.
- Grammars
 - Defines our actual language
 - Lexers tokenizes input defined in the grammar
 - Lexer is also known as *scanner* or *tokenizer*
 - Determines syntactic correctness
 - Parsers infer meaning from sequences of tokens
 - Also determine syntactic correctness
 - Lexer and Parser provide different granularities in providing syntactic correctness.

Building the Parser

YACC

- Yet Another Compiler Compiler
- A LALR Parser generator
 - Look Ahead Left To Right
 - Can look ahead K symbols to determine the right action to take.
- Reads in BNF grammar
 - Backus-Naur Form is a context-free grammar capable of defining any language
 - Also known as meta syntax that can even define itself.

Shift-Reduce Parser

- *Shift* pushes the symbol on the stack
- Reduce combines the symbols on the top of the stack into a single symbol if it satisfies a grammar rule.
- Is a push-down automaton

The Grammar Pt.1

- Lexer
 - Also known as a scanner or tokenizer
 - Deals with parsing characters into streams of *tokens*
 - Tokens are the primitives that make up a language
 - Example: 'var', 'this', 'if', 'else', 'while', 'for'
 - Tokens are also referred to as lexemes
 - Determines syntactic correctness
 - If input cannot be tokenized, it is syntactically invalid.

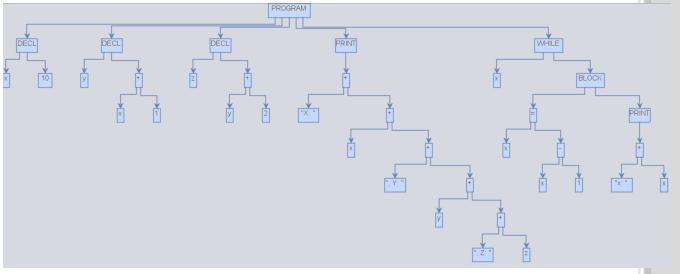
```
if (tok.startsWith("\"")) {
    String str = tok.substring(1);
    while (!str.endsWith("\"")) {
        String nextStr = tokens.poll();
        if (nextStr == null) {
            yyerror("Unterminated String!");
        str += " " + nextStr;
    yylval = new ConstantASTNode(str.substring(0, str.length() - 1));
    return token = STRING;
if (tok.matches("0") || tok.matches("[1-9][0-9]*")) {
    yylval = new ConstantASTNode(Integer.parseInt(tok));
    return token = INTEGER;
if (tok.equals("var")) {
    String t = tokens.element();
    if (t == null) {
        yyerror("Need NAME after 'var'");
    return token = VAR;
if (tok.equals("print")) {
    String t = tokens.element();
    if (t == null) {
        yyerror("Need EXPR after 'print'");
    return token = PRINT;
if (tok.equals("while")) {
    String t = tokens.element();
    if (t == null) {
        yyerror("Need EXPR after 'while'");
    return token = WHILE;
```

The Grammar Pt. 2

- Semantics
 - Parser Expressions
 - Snippets of code called upon reduction
 - Define semantics
 - Create our Abstract Syntax Tree here
 - Each node has defined with it semantics
 - Has an Action
 - AdditionBinaryASTNode performs type checking and handles addition of both expression operators.

```
prog : prog stmt { $$ = $2; $$.execute(); ASTGraph.graph($$);}
   stmt { $$ = $1; $$.execute(); ASTGraph.graph($$);}
   /* Empty */
conditional : WHILE expr block { $$ = new WhileConditionalASTNode($2, $3); }
stmt : VAR NAME '=' expr ';' { $$ = new DefinitionASTNode($2, $4); }
     NAME '=' expr ';' { $$ = new AssignmentASTNode($1, $3); }
     conditional { $$ = $1; }
     PRINT expr ';' { $$ = new PrintASTNode($2); }
     error ';'
stmt_list : stmt stmt_list { ((StatementASTNode)$2).body.add(0, $1); $$ = $2; }
    /* Empty */ { $$ = new StatementASTNode(); }
block : '{' stmt_list '}' { $$ = $2; }
expr : expr '+' expr { $$ = new AdditionBinaryASTNode($1, $3); }
      expr '-' expr { $$ = new SubtractionBinaryASTNode($1, $3); }
      expr '*' expr { $$ = new MultiplicationBinaryASTNode($1, $3); }
     expr '/' expr { $$ = new DivisionBinaryASTNode($1, $3); }
     expr EQ expr { $$ = new EqualBinaryASTNode($1, $3); }
      '(' expr ')' { $$ = $2; }
     INTEGER \{ \$\$ = \$1; \}
     STRING { $$ = $1; }
     NAME \{ \$\$ = \$1; \}
```

```
var x = 10;
var y = x + 1;
var z = y + 2;
print "X: " + x + ", Y: " + y + ", Z: " + z;
while (x) {
    x = x - 1;
    print "x: " + x;
}
```



Abstract Syntax Tree

- Tree representation of the syntactic structure of a program
 - Each node represents some constant in the source code
- Why is it Abstract
 - Does not contain all details, only what is important
 - Difference between '+' and 'AdditionBinaryASTNode'
- Applications and Uses
 - "Walking" the syntax tree
 - Also known as the 'visitor' pattern
 - Allows us to make interesting observations and compile-time checks
 - Type-Checking, Definitions, Etc.
 - Could even be *interpreted*

Interpreter – Executing our Language

Symbol Table

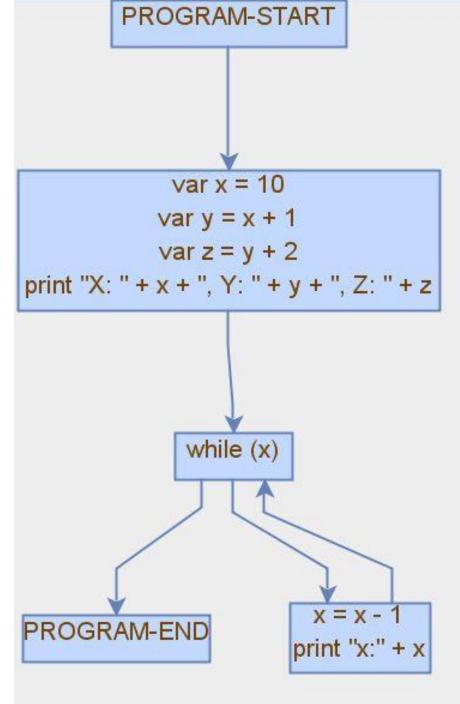
- Mapping from a name to it's symbol
 - In the interpreter, the symbol keeps track of it's value
- We do not support lexical scoping
 - Only one instance of a variable name can exist in the program at one time.

• 'Visitor' execution

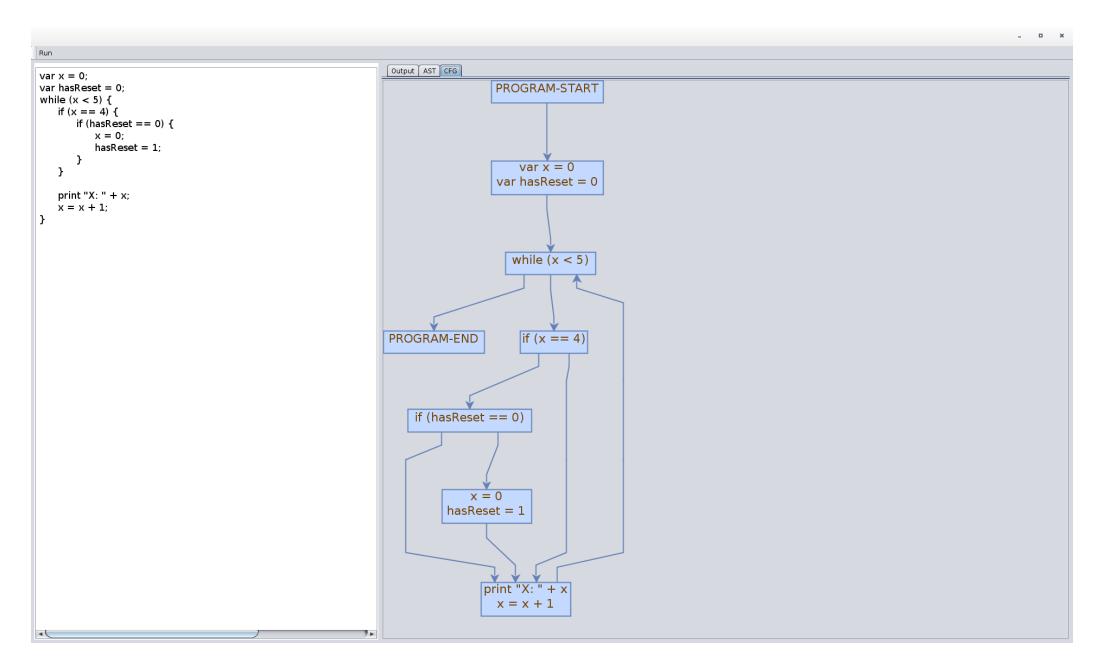
- Walking the tree allows us to obtain the structure of the program
 - This structure can be used to interpret the intent behind the original instructions and executed
- Similar style can be used to construct the Control Flow Graph
 - Each root of a statement subtree can be used to reconstruct the intent of the original statement
 - Each statement is a node with an edge to the next statement node.
 - But what about loops and conditional statements?

Control Flow Graph

- A directed graph that shows flow of control from one statement to another
 - Normal statements, Conditional Statements, Loops
- Basic Blocks
 - Sequence of statements that are dominated by a predecessor
 - A statement s_1 is said to dominate s_2 if all path of execution must flow through s_1 to reach s_2
 - Denoted $s_1 \ dom \ s_2$
 - A basic block is a sequence $(s_1, s_2, ..., s_n)$ such that $\forall i \in [1, N-1] \ s_i \ dom \ s_{i+1}$
 - A Control Flow Graph composed solely of basic blocks is said to be a *reduced* control flow graph.



Live Demo – Screenshot



Language Test – Duff's Device

- Duff's device is a loop unrolling optimization that reduces the number of conditional evaluations in a loop
 - By unrolling the loop, we do not need to explicitly check on each pass
 - I.E: 1000 checks vs 1000 / N checks
 - N is the amount of the loop duplicated/unrolled on each iteration
 - In most cases 8
 - Trade-Off
 - Larger program size
- The Test
 - Implement loop unrolling in our language as the ultimate test
 - Tests everything needed to prove we are Turing Complete

Turing Completeness

- A language is Turing Complete if it can simulate a single-tape Turing-Machine
 - read and write values to a tape
 - Variables do precisely this.
 - Given a variable *X* and a tape position *Y*, then the concatenation of the variable and position *XY* can store information at that tape position.
 - 1st Tape Position: *X*1
 - Nth Tape Position: XN
 - To maintain state, a variable q can be defined
 - Act conditionally based on current state and tape contents
 - Conditional statements do precisely this.
 - Wrap in a while loop
 - Now we can simulate the halting problem
 - Chain *if-else* statements to check current state
 - Read and write variables and transition states as needed
- Our Domain Specific Language is Turing Complete

Conclusion

Recap

- Created our own language by defining it's grammar
- Created the Abstract Syntax Tree from the grammar
 - Interpreted and ran ACTUAL code in our language by walking the syntax tree
- Created the Control Flow Graph
 - Reduced it into basic blocks, handles loops and conditionals
- Established Turing Completeness of our language
- Was it fun?
 - Yep
 - Taught myself everything in a compiler design course