

Using Reinforcement Learning for Power Plant Dispatch in Short-term Electricity Markets

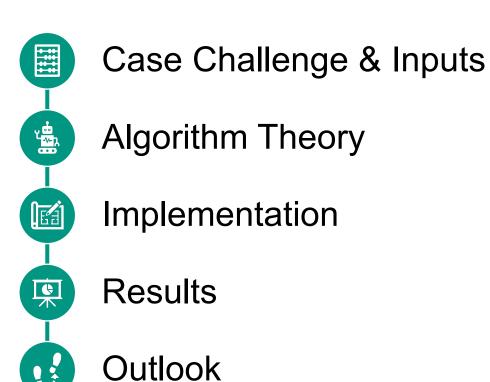
Final Presentation - Case Challenge - Business Data Analytics: Application and Tools

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Agenda

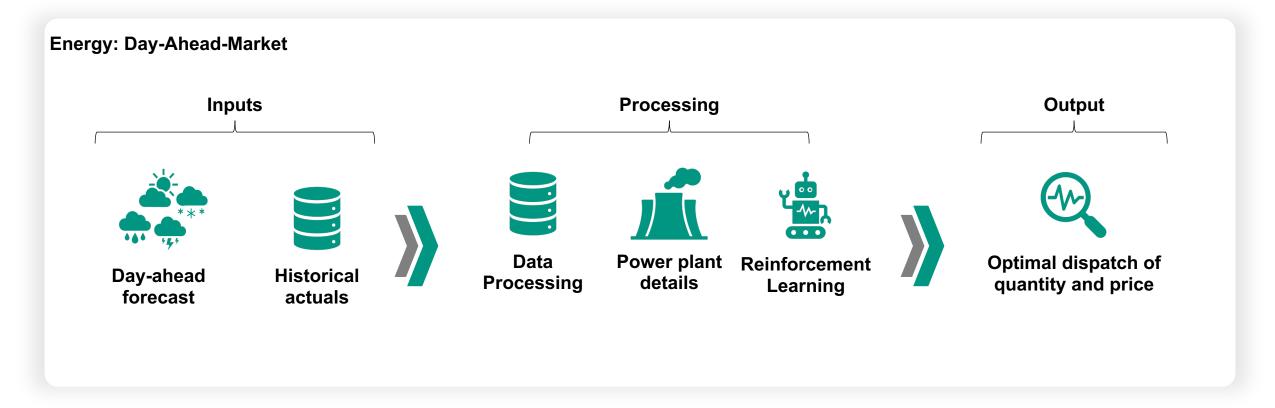






Case: Using reinforcement learning we optimize the dispatch of a controllable power plant in the day-ahead market







Reinforcement learning facilitates efficient, real-time decision making for power plant dispatch amid increased market volatility and uncertainty.



As inputs we build upon generation forecasts and production actuals of wind and solar power



Excerpt from the dataset of generation actuals

Germany: Actual Generation per Production Type [MW]					
Time [hh:mm]	Wind		Solar		
	Onshore	Offshore	Sulai		
07:00 - 07:15	16,669	4,398	5,464		
07:15 - 07:30	15,402	4,360	7,035		
07:30 - 07:45	14,036	4,413	8,785		
07:45 - 08:00	12,671	4,271	10,630		
08:00 - 08:15	11,411	4,155	12,608		
08:15 - 08:30	10,161	4,312	14,654		
08:30 - 08:45	9,092	4,398	16,591		
08:45 - 09:00	8,461	4,425	18,431		
09:00 - 09:15	7,955	4,654	20,173		
09:15 - 09:30	7,660	4,669	21,876		
09:30 - 09:45	7,659	4,614	23,531		
09:45 - 10:00	7,884	4,484	25,038		
10:00 - 10:15	8,304	4,640	26,430		

Excerpt from the dataset of generation forecasts

Germany: Day-ahead Generation Forecast [MW]				
Time [hh:mm]	Wind			
	Onshore	Offshore	Solar	
07:00 - 07:15	18,590	3,964	5,159	
07:15 - 07:30	17,815	3,910	6,750	
07:30 - 07:45	17,002	3,853	8,551	
07:45 - 08:00	16,191	3,945	10,479	
08:00 - 08:15	15,046	3,889	12,534	
08:15 - 08:30	13,835	3,846	14,707	
08:30 - 08:45	12,610	3,946	16,935	
08:45 - 09:00	11,570	3,882	19,095	
09:00 - 09:15	10,809	3,756	21,168	
09:15 - 09:30	10,324	3,737	23,175	
09:30 - 09:45	9,867	3,867	25,043	
09:45 - 10:00	9,450	3,834	26,736	
10:00 - 10:15	9,169	3,787	28,227	

Intended output variables





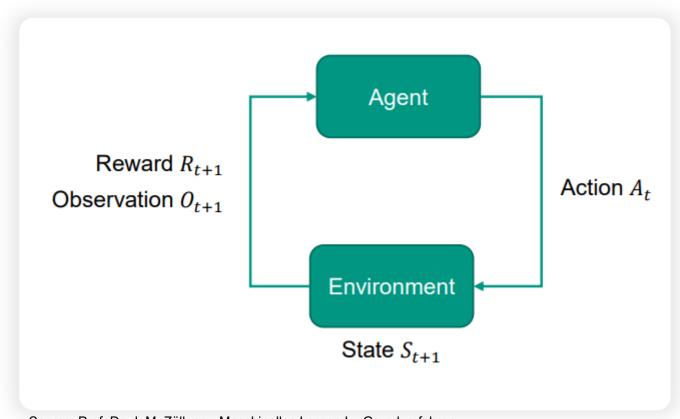
Selling price per MW







Theory: Basics Reinforcement Learning

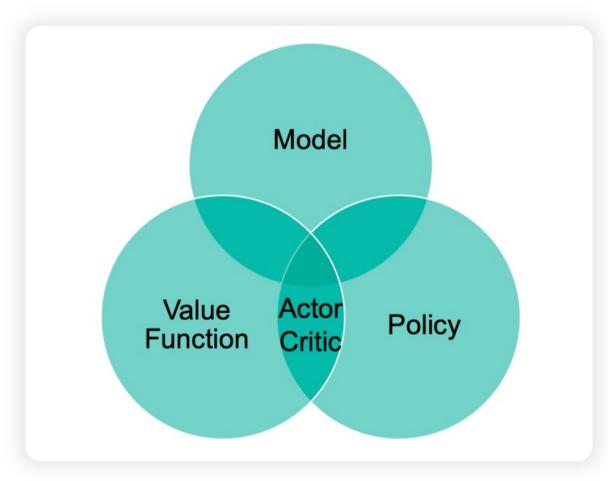


Source: Prof. Dr. J. M. Zöllner – Maschinelles Lernen I – Grundverfahren





Theory: Taxonomy of Reinforcement Learning



Source: Prof. Dr. J. M. Zöllner – Maschinelles Lernen I – Grundverfahren

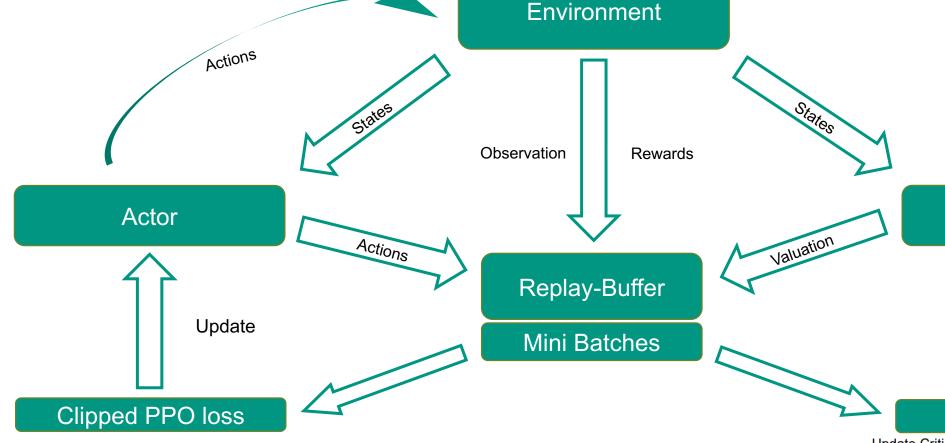


PPO Actor-Critic Implementation



Source: Prof. Dr. J. M. Zöllner - Machine Learning 2 - Advanced Methods

Update



- PPO v2:
 - Optimize the problem:

$$\max_{\theta} J(\theta) = \mathbb{E}_{\tau \sim \pi_{\theta old}} \left[\min \left(\frac{\pi_{\theta}(a_t | s_t)}{\pi_{\theta old}(a_t | s_t)} \hat{A}_{old}(s_t, a_t), clip\left(\frac{\pi_{\theta}(a_t | s_t)}{\pi_{\theta old}(a_t | s_t)}, 1 - \epsilon, 1 + \epsilon \right) \hat{A}_{old}(s_t, a_t) \right) \right]$$

Update Critic ϕ $\phi \leftarrow \phi - \alpha_c \frac{1}{|D|} \sum_{t=1}^{n} \sum_{t=1}^{n} \frac{1}{2} \left\| V_{\phi}(s_t) - \left(R(s_t, a_t) + V_{\phi'}(s_{t+1}) \right) \right\|^2$ TD-Error

TD Error

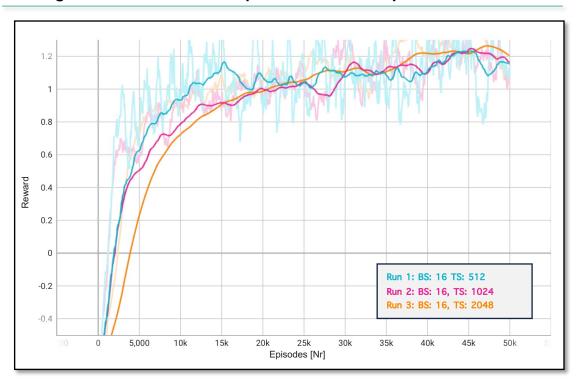
Critic





Results: Fine-tuning PPO via Grid Search

Average Reward After 50 000 Episodes for 3 Example Runs



Considered Hyperparameters

Batch Size: 16, 32, 64, 128

Update Time steps: 512, 1024, 2048

→ could be expanded to test more hyperparameters, but costly



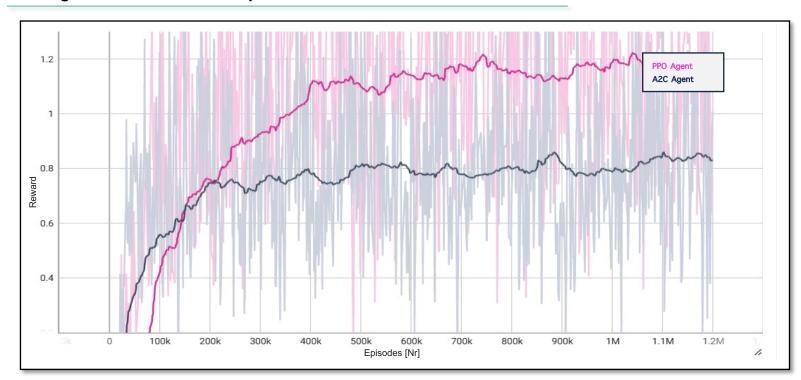
Hyperparameters affect the convergence speed and stability of training. In our case higher time steps lead to lower convergence speed but higher stability of training.





Results: Comparison of PPO vs A2C (stable baselines)

Average Reward after 50 000 Episodes





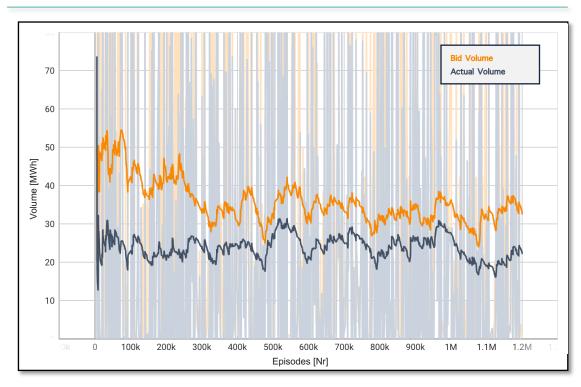
PPO achieves a significantly higher average reward after learning more slowly as a more zurückhaltender algorithm.



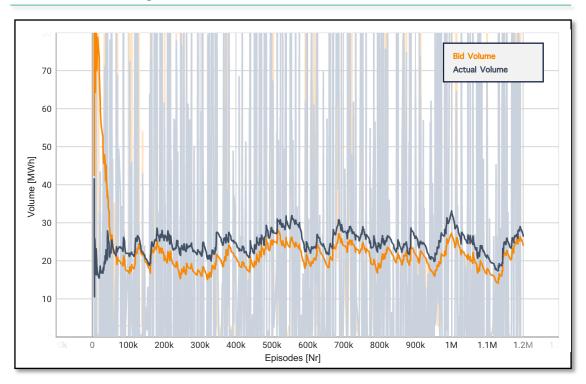
Results: Reward functions using PPO - The reward function strongly impacts the RL-Agent's bidding behaviour



Bid Volume – Linear Scaled Reward Function



Bid Volume – Logarithmic Scaled Reward Function





Therefore, reward engineering is a crucial task when setting up optimal agents.



Further improvements of the agent can be achieved through enhancement of data inputs, the environment and the agent itself





Data Inputs

- Incorporate intra-day prices
- Additional features (e.g., generation failures)



Environment

- Variable marginal costs (currently fixed)
- Powerplant-related restrictions (e.g., energy storage, maintenance)



Agent

- Expand hyperparameter tuning
- Higher dimensional discrete action space (e.g., more than 50x50)
- Transition to continous action space



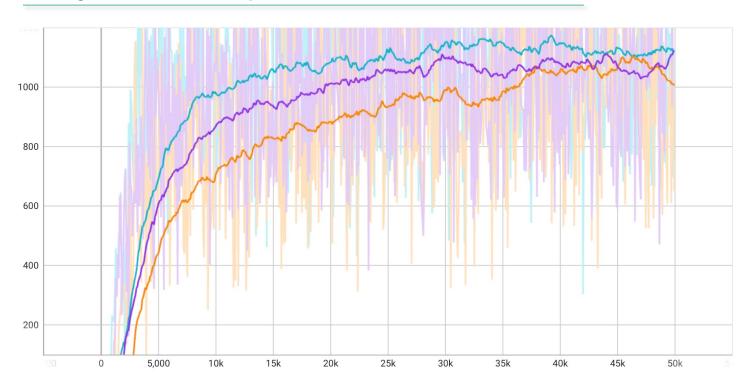
Backup





Profit of PPO using different Reward Functions

Average Profit after 50 000 Episodes



No Scaling (reward = profit) **Linear Scaling Logarithmic Scaling**



Bid Price converges to the marginal costs of the simulated Power Plant (mc=50)

Hyperparameter



lower_bound: -20000

upper_bound: 20000

batch_size: [16, 32, 64, 128]

n_episodes: 50000

update_timestep: [512, 1024, 2048]

n_epochs: 10

eps_clip: 0.22

gamma: 0.99

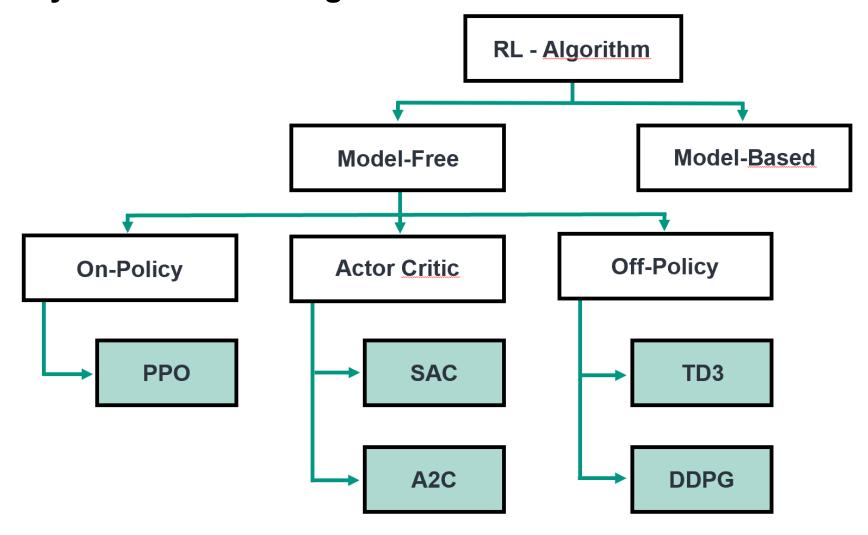
Ir_actor: 0.0002

■ lr_critic: 0.0008





Theory: Overview RL-Algorithm







Theory: Value-based and Policy-based

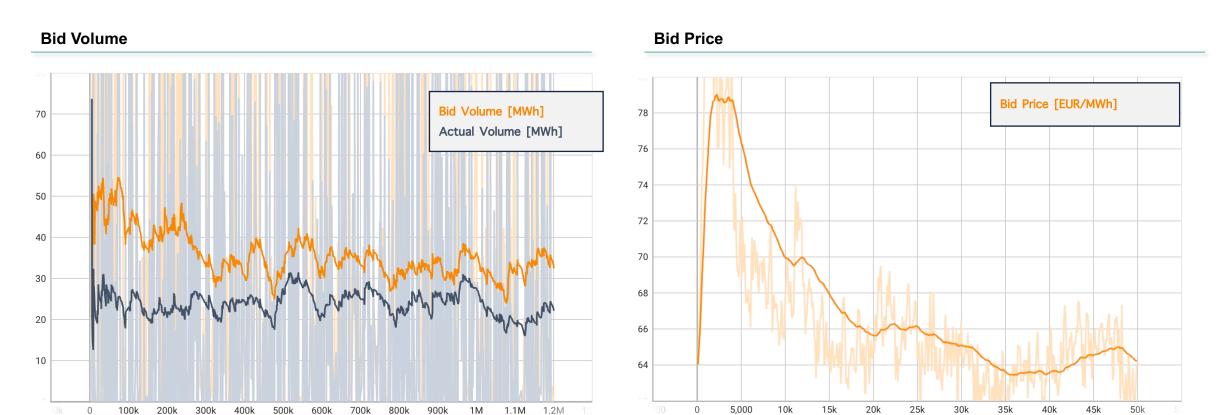
$$\theta \leftarrow \theta + \alpha * \nabla \theta \log \pi(a|s) * A(s, a)$$

- - θ represents the parameters of the policy $\pi(a|s)$ that are updated
- α is the learning rate that determines the step size of the parameter updates
- ∇θ log
- $\pi(a|s)$ is the gradient of the logarithm of the policy with respect to the parameters
- A(s,a) is the advantage function that estimates the advantage of taking action a in state s compared to the expected value



Bid Volume and Bid Price of PPO with Linear Scaled Reward **Function**







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Bid Price converges to the marginal costs of the simulated Power Plant (mc=50)