



▶ 2-1 分数 2

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In a binomial queue with 100 nodes, how many nodes have depth 1 (the root has depth 0)?

- ☐ A. 6
- ☐ B. 13
- ☐ C. 20
- ☐ D. Cannot be determined

2-2 分数 2

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After deleting number 14 from a binomial queue of 5 numbers { 12, 13, 14, 23, 24 }, which of the followings is impossible?

- ☐ A. the LeftChild link of the node 12 is NULL;
- ☐ B. the NextSibling link of the node 12 is NULL;
- ☐ C. the NextSibling link of node 13 may point to node 23;
- ☐ D. the LeftChild link of node 24 is NULL;

2-3 分数 3

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In a binomial queue, the total number of the nodes at even depth is always ___ than that of the nodes at odd depth (the root is defined to be at the depth 0).

- ☐ A. not smaller
- ☐ B. not larger
- ☐ C. smaller
- ☐ D. larger

2-4 分数 2

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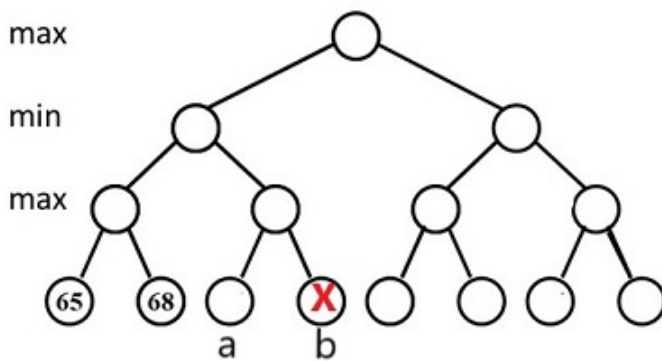
The turnpike reconstruction problem is to reconstruct a point set from distances between every pair of points. Given a set of distances $\{2, 2, 3, 3, 4, 5, 6, 7, 8, 10\}$, there are 5 corresponding points. Assume that X_1 is at 0 and X_5 is at 10. Which of the following statements is **TRUE**?

- ☐ A. $X_2=3, X_3=6, X_4=8$
- ☐ B. $X_2=3, X_3=4, X_4=8$
- ☐ C. $X_2=2, X_3=4, X_4=8$
- ☐ D. $X_2=2, X_3=6, X_4=7$

2-5 分数 2

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Given the following game tree, if node **b** is pruned with α - β pruning algorithm, which of the following statements about the value of node **a** is correct?



- ☐ A. greater than 65
- ☐ B. less than 65
- ☐ C. greater than 68
- ☐ D. less than 68

2-6 分数 3

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When solving a problem with input size N by divide and conquer, if at each step, the problem is divided into 9 sub-problems and each size of these sub-problems is $N/3$, and they are conquered in $O(N^2 \log N)$. Which one of the following is the closest to the overall time complexity?

- ☐ A. $O(N^2 \log^2 N)$
- ☐ B. $O(N^2 \log N)$
- ☐ C. $O(N^2)$

☐ D. $O(N^3 \log N)$

2-7 分数 2

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Suppose that the divide-and-conquer strategy is used to find the maximum and the minimum of N positive numbers. At each step, the problem is divided into 2 sub-problems of size $N/2$. Then the time recurrence is $T(N) = 2T(N/2) + f(N)$, where $f(N)$ is ____.

- ☐ A. $\Omega(N)$
- ☐ B. $O(1)$
- ☐ C. $N/2$
- ☐ D. $\Theta(\log N)$

2-8 分数 3

作者 叶德仕 单位 浙江大学

Which of the asymptotic upper bound for the following recursive $T(n)$ is correct?

- ☐ A. $T(n) = 2T(n/2) + n \log^2 n$. Then $T(n) = O(n \log^2 n)$.
- ☐ B. $T(n) = T(n^{1/3}) + T(n^{2/3}) + \log n$. Then $T(n) = O(\log n \log \log n)$
- ☐ C. $T(n) = 3T(n/2) + n$. Then $T(n) = O(n)$.
- ☐ D. $T(n) = 2T(\sqrt{n}) + \log n$. Then $T(n) = O(\log n)$.

2-9 分数 3

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Consider two disjoint sorted arrays $A[1 \dots m]$ and $B[1 \dots n]$, we would like to compute the k -th smallest element in the union of the two arrays, where $k \leq \min\{m, n\}$. Please choose the smallest possible running time among the following options.

- ☐ A. $O(\log k)$
 - ☐ B. $O(\log m)$
 - ☐ C. $O(\log n)$
 - ☐ D. $O(\log m + \log n)$
-

To solve the optimal binary search tree problem, we have the recursive equation $c_{ij} = \min_{i \leq l \leq j} \{w_{ij} + c_{i,l-1} + c_{l+1,j}\}$. To solve this equation in an iterative way, we must fill up a table as follows:

☐ A.

```
for i= 1 to n-1 do;
  for j= i to n do;
    for l= i to j do
```

☐ B.

```
for j= 1 to n-1 do;
  for i= 1 to j do;
    for l= i to j do
```

☐ C.

```
for k= 1 to n-1 do;
  for i= 1 to n-k do;
    set j = i+k;
    for l= i to j do
```

☐ D.

```
for k= 1 to n-1 do;
  for i= 1 to n do;
    set j = i+k;
    for l= i to j do
```

Which one of the following problems can be best solved by dynamic programming?

- ☐ A. Mergesort
- ☐ B. Closest pair of points problem
- ☐ C. Quicksort
- ☐ D. Longest common subsequence problem

When solving the problem All-Pairs Shortest Path by Floyd method, which one of the following iterations can give us the correct answer?

☐ A.

```
for( i = 0; i < N; i++ )
  for( k = 0; k < N; k++ )
    for( j = 0; j < N; j++ )
      if( D[ i ][ k ] + D[ k ][ j ] < D[ i ][ j ] )
        D[ i ][ j ] = D[ i ][ k ] + D[ k ][ j ];
```

☐ B.

```
for( i = 0; i < N; i++ )
    for( j = 0; j < N; j++ )
        for( k = 0; k < N; k++ )
            if( D[ i ][ k ] + D[ k ][ j ] < D[ i ][ j ] )
                D[ i ][ j ] = D[ i ][ k ] + D[ k ][ j ];
```

☐ C.

```
for( i = 0; i < N; i++ )
    for( k = 0; k < N; k++ )
        for( j = 0; j < N; j++ )
            if( D[ k ][ i ] + D[ i ][ j ] < D[ k ][ j ] )
                D[ k ][ j ] = D[ k ][ i ] + D[ i ][ j ];
```

☐ D.

```
for( k = 0; k < N; k++ )
    for( i = 0; i < N; i++ )
        for( j = 0; j < N; j++ )
            if( D[ k ][ i ] + D[ i ][ j ] < D[ k ][ j ] )
                D[ k ][ j ] = D[ k ][ i ] + D[ i ][ j ];
```
