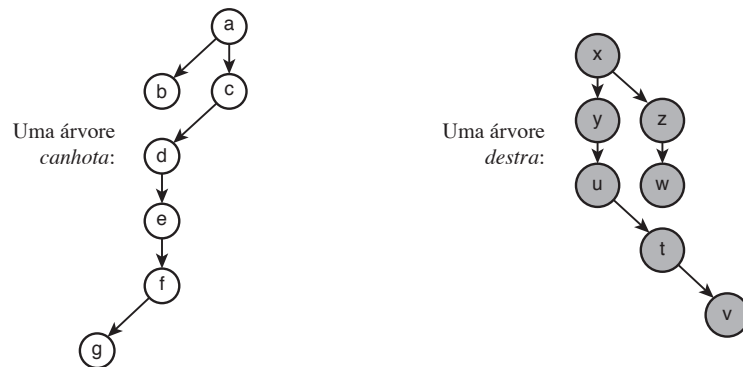


## Problem F

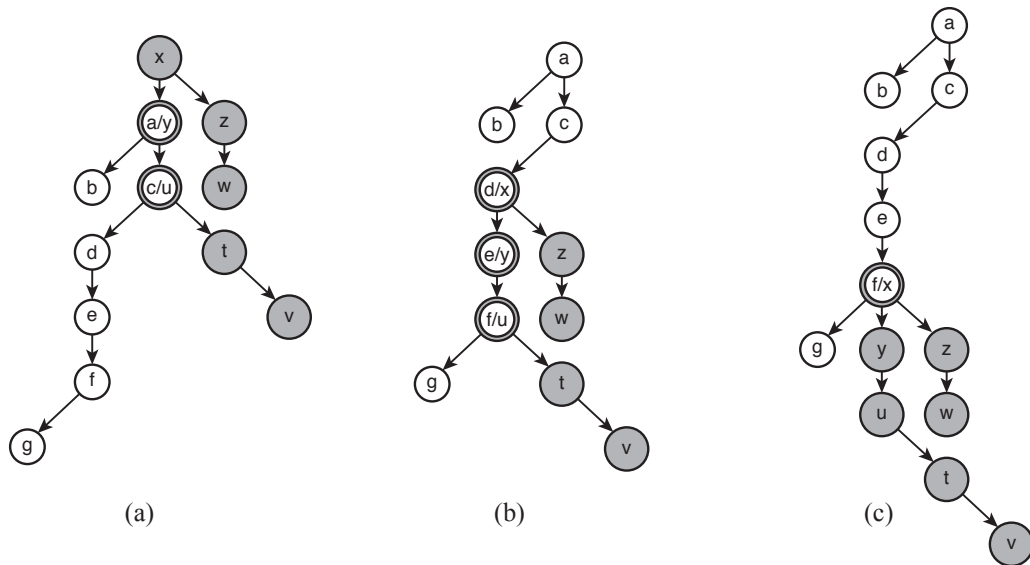
### Fusing trees

In computer theory, trees are strange objects: the root is at the top and leaves are on the bottom! A tree is a data structure composed of  $N$  vertices connected by  $N - 1$  edges so that it is possible to get from one vertex to any other vertex following the edges. In a *rooted* tree, every edge connects a *parent* vertex and a *child* vertex. An unique vertex with no parent is named *root*. Thus, from the root it is possible to reach any other tree vertex following the edges in the direction of parent to child.

In a *ternary* tree each vertex can have up to three child vertex, names *left*, *central*, and *right*. A *left-handed* ternary tree is a rooted ternary tree in which none vertex has a right child. A *right-handed* ternary tree is a rooted ternary tree in which none vertex has a left child. The root of a ternary tree is always a *central* vertex. The following figure shows examples of a left ternary tree and a right ternary tree.



An *overlap*  $S$  of a left-handed tree  $C$  and a right-handed tree  $D$  is a rooted ternary tree where the root is either the root of  $C$ , the root of  $D$ , or both roots of  $C$  and  $D$  overlapped, and it contains the structure of both trees overlapped. The figure below shows some trees formed by the overlap of the left-handed and the right-handed trees from the figure above.



Note that on Figure (a) the root is a vertex  $x$  (of right-handed tree) and the pairs of vertices  $(a, y)$  and  $(c, u)$  are overlapped. On figure (b) the root is the vertex  $a$  (of left-handed tree) and the pairs of vertices  $(d, x)$ ,  $(e, y)$  and  $(f, u)$  are overlapped. On figure (c) the root is also the vertex  $a$  (of left-handed tree) and the pair of vertices  $(f, x)$  are overlapped.

Given a left-handed tree and a right-handed tree, your task is to determine the minimum number required of vertices to build a ternary tree that is an overlap of the given trees.

### Input

The first line of a test case contains an integer  $N$  representing the number of vertices for the left-handed tree ( $1 \leq N \leq 10^4$ ). Vertices on this tree are identified with the numbers from 1 to  $N$ , and the root is the vertex with number 1. Each of the next  $N$  lines contains three integer numbers  $I$ ,  $L$ , and  $K$ , representing the identifier of vertex  $I$ , the identifier for the left child  $L$  of  $I$  and the identifier for the central child  $K$  of  $I$  ( $0 \leq I, L, K \leq N$ ). The next line contains an integer  $M$  representing the number of vertices of the right-handed tree ( $1 \leq M \leq 10^4$ ). Vertices on this tree are identified with the numbers from 1 to  $M$ , and the root is the vertex with number 1. Each of the next  $M$  lines contains three integer numbers  $P$ ,  $Q$ , and  $R$ , representing the identifier for vertex  $P$ , the identifier for the central child  $Q$  of  $P$  and the identifier for the right child  $R$  of  $P$ . ( $0 \leq P, Q, R \leq N$ ). A value of zero represents an unexistent vertex (used when a vertex does not have one of its children).

### Output

Print the minimum number of vertices of a tree that is an overlap of the two trees given in the input.

**Examples**

Input	Output
7	11
1 2 3	6
2 0 0	3
3 4 0	
4 0 5	
5 0 6	
6 7 0	
7 0 0	
7	
1 2 3	
2 4 0	
3 5 0	
4 0 6	
5 0 0	
6 0 7	
7 0 0	
5	
1 2 3	
2 4 5	
3 0 0	
4 0 0	
5 0 0	
3	
1 2 3	
2 0 0	
3 0 0	
3	
3 0 2	
2 0 0	
1 0 3	
2	
2 0 0	
1 2 0	