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LeetCode Solutions

First Edition

Preface

This project is aimed to accompany my girlfriend @MengjiaoZhang to learn git, programming skills and algorithms.

Here, I want to thank LeetCode providing these problems. It will be better if all problems can be accessed without subscribing. ($\mathbf{\vec{a}}\omega\mathbf{\vec{a}}$)hiahiahia

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Chapter 1

Solutions for Algorithms

"Perhaps the most important principle for the good algorithm designer is to refuse to be content."

— Alfred V. Aho

461. Hamming Distance

Difficulty

Easy

Tags

Bitwise Operation

Description

The Hamming distance between two integers is the number of positions at which the corresponding bits are different.

Given two integers $\ \, \boldsymbol{x} \,$ and $\ \, \boldsymbol{y} \,,$ calculate the Hamming distance.

Note

$$0 \le x, y < 2^{31}$$

Example 1

```
Input: x = 1, y = 4
Output: 2
Explanation:
```

The above arrows point to positions where the corresponding bits \hookrightarrow are different.

Analysis

This is an easy problem about Hamming distance and bitwise operation. We can see from the example above that the Hamming distance is the sum

of different bits. Therefore, we may easily associate with xor operation that detect different bits.

```
1 xor 4 = 0001 xor 0100 = 0101 = 5
```

Then we can just count the bit of value 1 in 5, i.e. x xor y. To perform this operation, we can fetch the last bit of 5 by and with 1, and following shift operation.

Solution

```
int hammingDistance(int x, int y) {
   int mask = x ^ y; // xor operation
   int number = 0;
   while (mask > 0) {
        number += mask & 1; // fetch the last bit
        mask >>= 1; // shift operation
   }
   return number;
}
```

535. Encode and Decode TinyURL

Difficulty

Medium

Tags

Cryptology

Description

TinyURL is a URL shortening service where you enter a URL such as https://leetcode.com/problems/design-tinyurl and it returns a short URL such as http://tinyurl.com/4e9iAk.

Design the <code>encode</code> and <code>decode</code> methods for the TinyURL service. There is no restriction on how your encode/decode algorithm should work. You just need to ensure that a URL can be encoded to a tiny URL and the tiny URL can be decoded to the original URL.

Analysis

This is an open problem where numerous solutions can be applied. We can even keep the original url as encode and decode, although it is meaningless.

We should to pay attention to these limitations:

- Correctness: We must make sure that the decoded url is the same as the original url.
- Uniqueness: Each url must have an unique encoded url, and an encoded url must be decoded to a single url.
- Simplicity: The aim to encode a url is to make it easy to share or write, so we need to make the encoded url as simple as possible.

We can use current popular encode/decode algorithms such as AES, but in this problem, we just design a simpler algorithm to encode and

decode a url.

```
function encode(url)
    return hex(current number of urls in hash table)
end

function decode(encoded_url)
    return (hash table).find(encoded_url)
end
```

Solution

C++

```
typedef unordered_map<string, string> Urlmap;
1
2
    class Solution {
3
    public:
4
        Urlmap urlmap;
6
        // Encodes a URL to a shortened URL.
        string encode(string longUrl) {
             size_t size = urlmap.size();
10
             stringstream encoded;
11
            encoded << hex << size;</pre>
12
             string encoded_url = encoded.str();
13
             urlmap.insert(make_pair(encoded_url, longUrl));
             return encoded_url;
15
        }
16
17
        // Decodes a shortened URL to its original URL.
18
        string decode(string shortUrl) {
19
        Urlmap::iterator it = urlmap.find(shortUrl);
20
        if (it == urlmap.end()) return NULL;
21
             return it->second;
^{22}
        }
23
    };
24
```

561. Array Partition I

Difficulty

Easy

Tags

Array

Description

Given an array of 2n integers, your task is to group these integers into n pairs of integer, say $(a_1, b_1), (a_2, b_2), \ldots, (a_n, b_n)$ which makes sum of $min(a_i, b_i)$ for all i from 1 to n as large as possible.

Example 1

```
Input: [1, 4, 3, 2]
Output: 4

Explanation: n is 2, and the maximum sum of pairs is 4 = \min(1, \cdots) + \min(3, 4).
```

Note

- n is a positive integer, which is in the range of [1, 10000].
- All the integers in the array will be in the range of [-10000, 10000].

Analysis

At first sight, you may wonder that what an easy problem it is. All we need to do is sort this array and fetch every other element from 0. In this manner, however, we get a time complexity of $O(n\log n)$, assuming that the number of array is n, because we have to sort the array. After that, we may think a linear method to calculate the sum.

Therefore, we use buckets b[0..i..n] to store the elements. x[i] is the element and b[i] is the count of this element, because we notice that if the count of an element is odd, the remaining one element have to participate the comparison to next elements. Hence, we use a flag to record whether the count of last element is odd or even. If flag is odd, then in the next element, we have

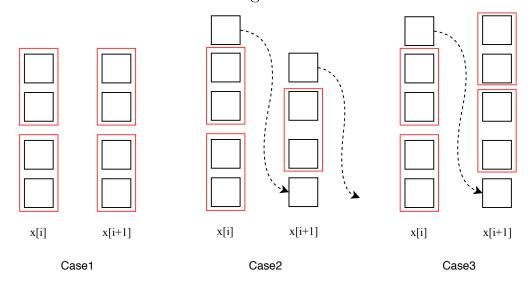
$$sum[i + 1] = sum[i] + (x[i] + ((b[i + 1] - 1) / 2) * x[i + 1]$$

because x[i+1] has to contribute one element to compare with x[i]. And when flag is even, we have

$$sum[i + 1] = sum[i] + (x[i] + (b[i + 1] / 2) * x[i + 1]$$

And then we need to check b[x+1] to set the flag.

The cases are shown in the figure below:



• Time Complexity: $\mathcal{O}(n)$

• Space Complexity: $\mathcal{O}(n)$

Solution

 C

```
int arrayPairSum(int* nums, int numsSize) {
1
        int distinct_nums[20001] = { 0 };
2
        for (int i = 0; i < numsSize; ++i) {</pre>
3
             ++distinct_nums[nums[i] + 10000];
        }
5
        int result = 0;
6
        // flag to record the count of element is odd or even
        int flag = 0;
8
        // previous element
9
        int prev;
10
        for (int i = 0, x = -10000; i \le 20000; ++i, ++x) {
11
             int count = distinct_nums[i];
12
             if (count == 0) continue;
13
            // last count is even
14
             if (flag == 0) {
15
                 result += x * (count >> 1);
16
                 // remaining element
17
                 if ((count & 1) == 1) {
18
                     flag = 1;
19
                     prev = x;
20
                 } else {
21
                     flag = 0;
22
                 }
23
             } else { // Last count is odd
24
                 int a = count & 1;
25
                 result += x * ((count - 1) >> 1) + prev;
26
                 // remaining element
27
                 if ((count & 1) == 0) {
28
                     flag = 1;
29
                     prev = x;
30
                 } else {
31
                     flag = 0;
32
                 }
33
             }
34
        }
35
        return result;
36
    }
37
```

617. Merge Two Binary Trees

Difficulty

Easy

Tags

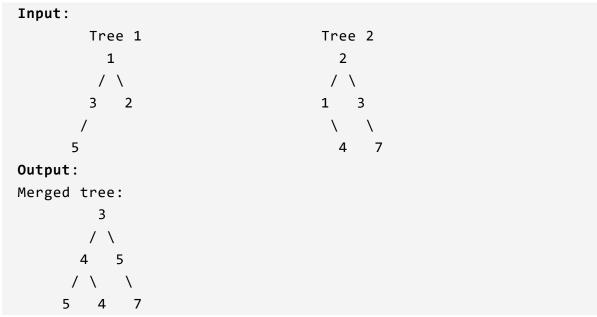
Binary Tree, Recursive Algorithm

Description

Given two binary trees and imagine that when you put one of them to cover the other, some nodes of the two trees are overlapped while the others are not.

You need to merge them into a new binary tree. The merge rule is that if two nodes overlap, then sum node values up as the new value of the merged node. Otherwise, the NOT null node will be used as the node of new tree.

Example 1



Note

• The merging process must start from the root nodes of both trees.

Analysis

This is a problem about how to traverse two trees in the same time. If two nodes in each tree are both not null, we can simply add the value of Tree 2 to Tree 1. If the left child of node in Tree 1 is null while Tree 2 not, we can let the left child point to Tree 2's left child, which means move Tree 2's left child to Tree 1, and the same as right child. In this way, we don't need to malloc new node. Then we can use a recursive manner to traverse two trees and merge each node.

We assume the size of each tree is m and n respectively, then

- Time Complexity: $\mathcal{O}(\min(m, n))$
- Space Complexity: $\mathcal{O}(1)$

Solution

```
struct TreeNode* mergeTrees(struct TreeNode* t1, struct TreeNode* t2) {
1
        if (t1 == NULL) return t2;
2
        if (t2 == NULL) return t1;
3
        t1->val += t2->val;
4
        if (t1->left == NULL && t2->left != NULL) {
5
            t1->left = t2->left; // move t2's left to t1, no malloc
        } else if (t1->left != NULL && t2->left != NULL) {
            mergeTrees(t1->left, t2->left); // go to child node
        if (t1->right == NULL && t2->right != NULL) {
10
            t1->right = t2->right;
11
        } else if (t1->right != NULL && t2->right != NULL) {
12
            mergeTrees(t1->right, t2->right);
13
        }
14
        return t1;
15
16
   }
```

654. Maximum Binary Tree

Difficulty

Medium

Tags

Binary Tree

Description

Given an integer array with no duplicates. A maximum tree building on this array is defined as follow:

- 1. The root is the maximum number in the array.
- 2. The left subtree is the maximum tree constructed from left part subarray divided by the maximum number.
- 3. The right subtree is the maximum tree constructed from right part sub-array divided by the maximum number.

Construct the maximum tree by the given array and output the root node of this tree.

Example 1

Note

• The size of the given array will be in the range [1, 1000].

Analysis

At first sight, we can easily know that we can design a recursive algorithm to find the maximum value, take it as root, and do the same step on the left and right array. The worst time complexity is $\mathcal{O}(n^2)$ when array is in order, assuming that the number of array is n.

We can directly build this maximum binary tree in the following steps:

- 1. Choose the first value as the root;
- 2. For each successive value, if it is larger that the root, take it as root, and the previous root and its subtree as the left subtree of root (because previous root is the left array). Otherwise go to step 3;
- 3. If the successive value is less than the root, then compare it with the right node of root (because this value is at the right array). If right node is null, take this value as right node. Otherwise go to step 2.
- Time Complexity: Average is $\mathcal{O}(n\log n)$ because we need to insert each value to a tree. Worst case is $\mathcal{O}(n^2)$, when original array is only descending but not ascending, which has less worst cases than recursive way. In this case, this algorithm degenerates to the insertion sort.
- Space Complexity: $\mathcal{O}(1)$ (We don't need extra space).

Solution

```
struct TreeNode* constructMaximumBinaryTree(int* nums, int numsSize) {
    typedef struct TreeNode TreeNode;
    // we need a root pointer to the real root
    TreeNode *root = (TreeNode *)malloc(sizeof(TreeNode));
    root->right = NULL;
    for (int i = 0; i < numsSize; ++i) {</pre>
```

1 Solutions for Algorithms

```
int v = nums[i];
7
            TreeNode *p = root;
8
            // move to right and find a node's right child less than current value
9
            while (p->right != NULL && v < p->right->val) {
10
                p = p - > right;
11
            }
12
            TreeNode *node = (TreeNode *)malloc(sizeof(TreeNode));
13
            node->val = v;
14
            node->left = p->right; // null or less than current value should be
15

→ node's left child

            node->right = NULL;
16
            p->right = node; // replace previous right child
17
        }
18
        return root->right; // return real root
19
20
   }
```

657. Judge Route Circle

Difficulty

Easy

Tags

Math

Description

Initially, there is a Robot at position (0, 0). Given a sequence of its moves, judge if this robot makes a circle, which means it moves back to the original place.

The move sequence is represented by a string. And each move is represent by a character. The valid robot moves are R (Right), L (Left), U (Up) and D (down). The output should be true or false representing whether the robot makes a circle.

Example 1

```
Input: "UD"
Output: true
```

Example 2

```
Input: "LL"
Output: false
```

Analysis

Obviously, each point has a coordinate (x, y). R means x + 1, L means x - 1, codeU means y + 1 and D means y - 1. Therefore, the robot's moving back to the original place means the coordinate is still (0, 0) after all moves, assuming original coordinate is (0, 0).

• Time Complexity: $\mathcal{O}(n)$

• Space Complexity: $\mathcal{O}(1)$

Solution

```
bool judgeCircle(char* moves) {
         int x = 0, y = 0;
2
         char move;
3
         for (int i = 0; (move = moves[i]) != '\0'; ++i) {
             switch (move) {
                 case 'U':
6
                 y += 1;
                 break;
                 case 'D':
                 y -= 1;
10
                 break;
11
                 case 'R':
12
                 x += 1;
13
                 break;
14
                 case 'L':
15
                 x -= 1;
16
                 break;
^{17}
                 default:
                 break;
19
             }
20
         }
21
         return (x == 0 \&\& y == 0);
22
    }
23
```

728. Self Dividing Numbers

Difficulty

Easy

Tags

Math

Description

A self-dividing number is a number that is divisible by every digit it contains.

```
For example, 128 is a self-dividing number because 128 \% 1 == 0, 128 \% 2 == 0, and 128 \% 8 == 0.
```

Also, a self-dividing number is not allowed to contain the digit zero.

Given a lower and upper number bound, output a list of every possible self dividing number, including the bounds if possible.

Example 1

```
Input: left = 1, right = 22
Output: [1, 2, 3, 4, 5, 6, 7, 8, 9, 11, 12, 15, 22]
```

Note

• The boundaries of each input argument are 1 <= left <= right <= 10000.

Analysis

This key problem is to fetch each digit of an integer and check whether this integer can divide each digit. In addition, as long as this integer contains 0, it is not a self-dividing number.

- Time complexity: $\mathcal{O}(right left)$
- Space complexity: $\mathcal{O}(1)$

Solution

```
int* selfDividingNumbers(int left, int right, int* returnSize) {
        int *results = (int *)malloc((right - left + 1) * sizeof(int));
2
        int count = 0;
        for (int i = left; i <= right; ++i) {</pre>
             int number = i;
5
            int flag = 1;
6
             while (number > 0) {
                 // fetch each digits
                 int digit = number % 10;
9
                 // contains 0 or cannot be divided
10
                 if (digit == 0 | | i % digit != 0) {
11
                     flag = 0;
12
                     break;
13
                 }
14
                 // shift right in hex mode
15
                 number /= 10;
16
             }
^{17}
             if (flag == 1) {
18
                 results[count++] = i;
19
             }
20
21
        *returnSize = count;
22
        return results;
23
    }
24
```

763. Partition Labels

Difficulty

Medium

Tags

Array

Description

A string S of lowercase letters is given. We want to partition this string into as many parts as possible so that each letter appears in at most one part, and return a list of integers representing the size of these parts.

Example 1

Note

- S will have length in range [1, 500].
- S will consist of lowercase letters ('a' to 'z') only.

Analysis

This is an interesting array problem, and maybe you will read several more times to comprehend it. In this problem we need to separate S into some parts, and each letter have to appear in at most one part, which means the

last letter will never appear in successive parts. Therefore, we can naturally have an idea that we need to record the last appearance position of each letter.

In the example above, The last appearance position of a is 9, and letters between 1 and 9 do not appear after a, so we can find the first part of 1 to 9. Then, we know the second part starts at e of position 10, and its last appearance position is 15. But e appears after 15 at 16, then we have to move the end of second part to 16. And we find that 16 is exactly the end of the second part.

In conclusion, the basic idea is find the end of each part, which is the maximum position of last appearance in this part.

Assuming the length of S is n, we have

- Time complexity: $\mathcal{O}(n)$
- Space complexity: $\mathcal{O}(1)$ (we only need to store the last position of each letter, and the return size is obviously at worst 26, because each letter appears in only one part.)

Solution

```
int* partitionLabels(char* S, int* returnSize) {
1
        int letter_last_pos[26];
2
        char c;
3
        // record each letter's last position
4
        for (int i = 0; (c = S[i]) != '\0'; ++i) {
            letter_last_pos[c - 'a'] = i;
6
        }
        int end;
        int *result = (int *)malloc(26 * sizeof(int));
        int size = 0;
10
        for (int i = 0; (c = S[i]) != '\0';) {
11
            // i is the start part, we need to find the end of this part
12
            end = letter_last_pos[c - 'a'];
13
            // compare the end of each letter with current end
14
            for (int j = i + 1; j < end; ++j) {</pre>
15
```

1 Solutions for Algorithms

```
int new_end = letter_last_pos[S[j] - 'a'];
16
                 if (new_end > end) end = new_end;
17
             }
18
             result[size++] = end - i + 1;
19
            // move to next part
20
            i = end + 1;
21
        }
22
        *returnSize = size;
^{23}
        return result;
24
    }
```

771. Jewels and Stones

Difficulty

Easy

Tags

Hash Table

Description

You're given strings J representing the types of stones that are jewels, and S representing the stones you have. Each character in S is a type of stone you have. You want to know how many of the stones you have are also jewels.

The letters in $\ \, J$ are guaranteed distinct, and all characters in $\ \, J$ and $\ \, S$ are letters. Letters are case sensitive, so $\ \, "a"$ is considered a different type of stone from $\ \, "A"$.

Example 1

```
Input: J = "aA", S = "aAAbbbb"
Output: 3
```

Example 2

```
Input: J = "z", S = "ZZ"
Output: 0
```

Note

- S and J will consist of letters and have length at most 50.
- The characters in J are distinct.

Analysis

This is an easy problem. All we need to do is to verify wether each letter in S exists in J.

Therefore, we can use a hash set to store J. Specifically, J is composed of letters (lower or upper) only, so we can use an array of char to store each letter in . After that, we only need to iterate S to calculate the number of jewels.

We assume the length of is m, the length of s is n, then

- Time complexity: $\mathcal{O}(m+n)$
- Space complexity: $\mathcal{O}(1)$ (256 ASCII chars)

Solution

```
int numJewelsInStones(char* J, char* S) {
        char j_letters[256] = { 0 }; // initialize an array to store letters in J
2
        char c;
3
        for (int i = 0; (c = J[i]) != '\0'; ++i) {
4
            j_letters[c] = 1; // set j_letters[c] = 1 means c appears in J
        int jewel_number = 0; // number of jewels
        for (int i = 0; (c = S[i]) != '\0'; ++i) {
8
            jewel_number += j_letters[c]; // if c appears in J, then we add a
9
             \rightarrow number
        }
10
        return jewel_number;
11
    }
12
```

797. All Paths From Source to Target

Difficulty

Medium

Tags

Graph

Description

Given a directed, acyclic graph of N nodes. Find all possible paths from node \emptyset to node N-1, and return them in any order.

The graph is given as follows: the nodes are 0, 1, ..., graph.length - 1. graph[i] is a list of all nodes j for which the edge (i, j) exists.

Example 1

Note

- The number of nodes in the graph will be in the range [2, 15].
- You can print different paths in any order, but you should keep the order of nodes inside one path.

Analysis

This is a classic DFS or BFS algorithm. We can easily use recursive method to generate paths.

Let me explain the example first. We first assume that the node number in the graph is [1, 2], [3], [3], [3], [3], which means node [3] is connected to [3] and so forth. In a recursive manner, we first fetch [3] and [3] is connected to [3], then these two nodes forms a path. And we next fetch [3], and find [3] is also connected to [3], hence, there are two paths. In this manner, we call is Depth-First-Search (DFS), and DFS can be intuitively implemented in a recursive manner.

As for Breadth-First-Search (BFS), BFS is more appropriate to be implemented in a loop manner with a queue. It fetch all nodes in a layer to this queue, dequeue each node, and put successive nodes in queue. In this example, we first fetch 1 and 2. Then we fetch 3 and 3 as successive nodes of 1 and 2. Finally we also find there are two paths.

In our solution, we use DFS in a non-recursive manner, just to try more method. We use stack to replace recursion. Similar to BFS, It first fetch all nodes in a layer to the stack, pop from stack and push its successive nodes.

- Time complexity: $\mathcal{O}(n^2)$, when the graph is a complete graph, because node i have n i successive nodes.
- Space complexity: $\mathcal{O}(n^2)$, also when it is a complete graph.

Solution

```
// use a linked list to store path temporarily
struct Path {
    int *path;
    int path_len;
    struct Path *next;
};
typedef struct Path Path;
```

```
int** allPathsSourceTarget(int** graph, int graphRowSize, int *graphColSizes,
    → int** columnSizes, int* returnSize) {
        Path *paths_list = (Path *)malloc(sizeof(Path));
10
        paths_list->next = NULL;
11
        Path *paths_list_tail = paths_list;
12
        int path_number = 0;
13
14
        // BFS in a stack manner
        int node_stack[225], top = 0;
        node stack[0] = 0;
17
        // this stack is to store the path length in each layer
18
        // the successive nodes of one node form a layer
19
        int path_len_stack[225], len_top = 0;
20
        path_len_stack[0] = 1;
21
22
        // a path
23
        int *current_path = (int *)malloc(15 * sizeof(int));
24
        int current_path_len;
25
        while (top >= 0) {
26
            // fetch next node
27
            int current_node = node_stack[top--];
28
            // fetch the coresponding path length for this node
29
            current_path_len = path_len_stack[len_top--];
30
            // add this node to current path
31
            current_path[current_path_len - 1] = current_node;
            if (current_node == graphRowSize - 1) { // if path exists
33
                // add path to linked list
34
                Path *p = (Path *)malloc(sizeof(Path));
35
                p->path = current_path;
36
                p->path_len = current_path_len;
37
                p->next = NULL;
38
                paths_list_tail->next = p;
39
                paths_list_tail = p;
41
                // get a new path based on current path
42
                current_path = (int *)malloc(15 * sizeof(int));
43
                memcpy(current_path, p->path, (current_path_len - 1) * sizeof(int));
44
                ++path number;
45
            } else {
46
                int *current_row = graph[current_node];
47
                int current_row_size = graphColSizes[current_node];
48
                // add successive nodes and path lengths to the stack
49
```

1 Solutions for Algorithms

```
for (int i = 0; i < current_row_size; ++i) {</pre>
50
                     node_stack[++top] = current_row[i];
51
                     path_len_stack[++len_top] = current_path_len + 1;
52
                 }
53
                 // move to next layer
54
                 if (current_row_size > 0) ++current_path_len;
55
             }
56
        }
57
58
        *returnSize = path_number;
59
        int **paths = (int **)malloc(path_number * (sizeof(int *)));
60
        *columnSizes = (int *)malloc(path_number * (sizeof(int *)));
61
        Path *p = paths_list->next;
62
        // transform linked list to 2d array
63
        for (int i = 0; p != NULL; ++i) {
64
            paths[i] = p->path;
65
             (*columnSizes)[i] = p->path_len;
66
             p = p->next;
67
        }
68
        return paths;
69
    }
70
```

804. Unique Morse Code Words

Difficulty

Easy

Tags

Hash Table

Description

International Morse Code defines a standard encoding where each letter is mapped to a series of dots and dashes, as follows: "a" maps to ".-", "b" maps to "-...", "c" maps to "-...", and so on.

For convenience, the full table for the 26 letters of the English alphabet is given below:

Now, given a list of words, each word can be written as a concatenation of the Morse code of each letter. For example, "cab" can be written as "----", (which is the concatenation "---" + "---" + "---"). We'll call such a concatenation, the transformation of a word.

Return the number of different transformations among all words we have.

Example 1

```
Input: words = ["gin", "zen", "gig", "msg"]
Output: 2
Explanation:
The transformation of each word is:
"gin" -> "--...-."
```

```
"zen" -> "--...-."
"gig" -> "--...-."
"msg" -> "--...-."
There are 2 different transformations, "--...-." and "--...-.".
```

Note

- The length of words will be at most 100.
- Each words[i] will have length in range [1, 12].
- words[i] will only consist of lowercase letters.

Analysis

This problem is the combination of Morse Code and a hash store. In this problem, we need to check repetition count of the Morse Code for each word in words. Therefore we can simply use a hash set to store appeared Morse Codes and check the existence of next.

We assume the size of words is m, and we have already known that each words[i] will have length in range [1, 12], we assume the max length of a word is n, then

• Time complexity: $\mathcal{O}(mn)$ (We need to iterate all m word in words and calculate the hash of this word, while checking the existence is $\mathcal{O}(1)$)

Solution

C++

$1\ Solutions\ for\ Algorithms$

```
string word = *iter;
5
             string code;
6
             code.reserve(50);
7
             for (string::iterator ch_iter = word.begin(); ch_iter != word.end();
8
             \rightarrow ++ch_iter) {
                 code += morse_table[*ch_iter - 'a']; // calculate the morse code of
9
                 \hookrightarrow each letter
             }
10
             morse_codes.insert(code);
11
        }
        return morse_codes.size();
13
14
   }
```

811. Subdomain Visit Count

Difficulty

Easy

Tags

Hash Table

Description

A website domain like "discuss.leetcode.com" consists of various subdomains. At the top level, we have "com", at the next level, we have "leetcode.com", and at the lowest level, "discuss.leetcode.com". When we visit a domain like "discuss.leetcode.com", we will also visit the parent domains "leetcode.com" and "com" implicitly.

Now, call a "count-paired domain" to be a count (representing the number of visits this domain received), followed by a space, followed by the address. An example of a count-paired domain might be "9001 discuss.leetcode.com".

We are given a list **cpdomains** of count-paired domains. We would like a list of count-paired domains, (in the same format as the input, and in any order), that explicitly counts the number of visits to each subdomain.

Example 1

Example 2

Note

- The length of cpdomains will not exceed 100.
- The length of each domain name will not exceed 100.
- Each address will have either 1 or 2 "." characters.
- The input count in any count-paired domain will not exceed 10000.
- The answer output can be returned in any order.

Analysis

This is an another Hash Table problem. With in a domain, we need to extract each level of it. First of all, we need to iterate the condain to find space, and chars before space is the count. And then we will find each dot to separate each level. And finally, we use a hash table to store and count.

Assuming the length of cpdomains is m, and the max length of each domain is n, then we have

- Time Complexity: $\mathcal{O}(mn)$
- Space Complexity: $\mathcal{O}(m)$

Solution

C++

```
vector<string> subdomainVisits(vector<string>& cpdomains) {
        typedef unordered_map<string, int> DomainCount;
2
        DomainCount domain_count(500);
3
        for (auto &cpdomain: cpdomains) {
             int count = 0;
            int length = cpdomain.length();
6
             for (int i = 0; i < length; ++i) {</pre>
                 switch(cpdomain[i]) {
                 case ' ': // find space
9
                     // then we can know the count
10
                     count = stoi(cpdomain.substr(0, i));
11
                     // Lowest domain Level
12
                     domain_count[cpdomain.substr(i + 1, length)] += count;
13
                     break;
14
                 case '.':
15
                     // find each domain level by dot
16
                     domain_count[cpdomain.substr(i + 1, length)] += count;
17
                     break;
18
                 }
19
             }
20
^{21}
        vector<string> result;
22
        result.reserve(domain_count.size());
23
        for (auto &dc: domain_count) {
24
             result.emplace_back(to_string(dc.second) + " " + dc.first);
25
        }
26
        return result;
27
    }
```

814. Binary Tree Pruning

Difficulty

Medium

Tags

Binary Tree, Recursive Algorithm

Description

We are given the head node **root** of a binary tree, where additionally every node's value is either a 0 or a 1.

Return the same tree where every subtree (of the given tree) not containing a 1 has been removed.

(Recall that the subtree of a node X is X, plus every node that is a descendant of X.)

Example 1

Input: [1, null, 0, 0, 1]
Output: [1, null, 0, null, 1]

Explanation:

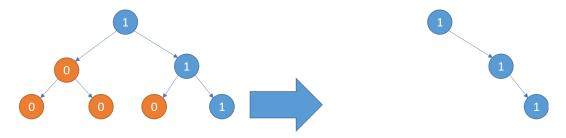
Only the red nodes satisfy the property "every subtree not \hookrightarrow containing a 1".

The diagram on the right represents the answer.



Example 2

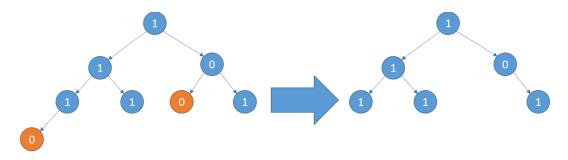
Input: [1, 0, 1, 0, 0, 0, 1]
Output: [1, null, 1, null, 1]



Example 3

Example 3:

Input: [1, 1, 0, 1, 1, 0, 1, 0]
Output: [1, 1, 0, 1, 1, null, 1]



Note

- The binary tree will have at most 100 nodes.
- The value of each node will only be 0 or 1.

Analysis

This is a problem about the binary tree. However, it is not a complicated problem because we only need a preorder traversal and count the number of 1 in the subtree of a node. Then if the count is of the subtree for a node, we just need to make the pointer to null.

We assume that the nodes number is n, then

- Time Complexity: $\mathcal{O}(n)$
- Space Complexity: $\mathcal{O}(n)$ (We need to maintain a count for each node)

Solution

```
int count_one(struct TreeNode* r) {
        if (r == NULL) return 0; // Leaf node
2
        int left_count = count_one(r->left);
        int right_count = count_one(r->right);
5
        * I write this comment just to say I remember to free the memory,
6
        * but in this test, forget it.
        */
        if (left_count == 0) r->left = NULL;
9
        if (right_count == 0) r->right = NULL;
10
        return r->val + left_count + right_count; // consider the value for this
        → node itself.
   }
12
13
    struct TreeNode* pruneTree(struct TreeNode* root) {
14
        count_one(root); // only need call this function
15
        return root;
16
   }
^{17}
```

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Tags of Solutions for Algorithms

Array

- 561. Array Partition I
- 763. Partition Labels

Binary Tree

- 617. Merge Two Binary Trees
- 654. Maximum Binary Tree
- 814. Binary Tree Pruning

Bitwise Operation

461. Hamming Distance

Cryptology

535. Encode and Decode TinyURL

Graph

797. All Paths From Source to Target

Hash Table

- 771. Jewels and Stones
- 804. Unique Morse Code Words
- 811. Subdomain Visit Count

1 Solutions for Algorithms

Math

657. Judge Route Circle

728. Self Dividing Numbers

Recursive Algorithm

617. Merge Two Binary Trees

814. Binary Tree Pruning

Chapter 2

Solutions for Databases

"Inconsistency of your mind can damage your memory. Remove the inconsistent data and keep the original one only."

— Anonym

595. Big Countries

Difficulty

Easy

Tags

Where Condition

Description

There is a table World

h name	continent	harea area	population	gdp
Afghanistan Albania Algeria Andorra	Asia Europe Africa Europe	652230 28748 2381741 468	25500100 2831741 37100000 78115	20343000 12960000 188681000 3712000
Angola	Africa 	1246700 	20609294	100990000

A country is big if it has an area of bigger than 3 million square km or a population of more than 25 million.

Write a SQL solution to output big countries' name, population and area.

For example, according to the above table, we should output:

name	population	area	 t
Afghanistan Algeria	25500100 37100000	652230 2381741	

Analysis

Most basic SQL knowledge on select and where.

Solution

```
select name, population, area from World
where population > 25000000
or area > 3000000;
```

Indexes of Solutions for Databases

595. Big Countries (Easy)

40

Tags of Solutions for Databases

Where Condition

595. Big Countries