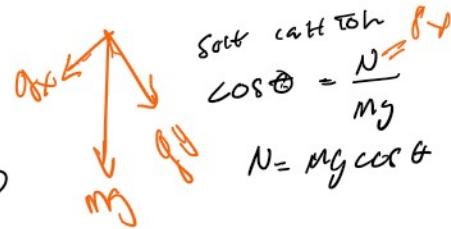


$$\sum F_y = 0 \\ N - W \cos \theta = 0$$



$$\text{soft catch to hill} \\ \cos \theta = \frac{N}{mg} \\ N = mg \cos \theta \\ \sin \theta = \frac{gx}{mg}$$

$P_x = \max$  no acceleration

$\sum F_x = m a_x$  Newton's 2nd law

$$\sum F_x = 0$$

$$-F_d - F_{\text{drag}} - F_{gx} + F_{\text{uphill}} = 0$$

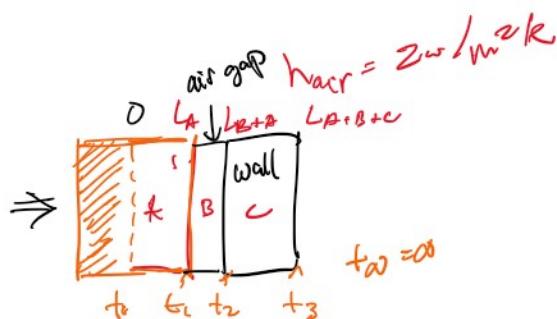
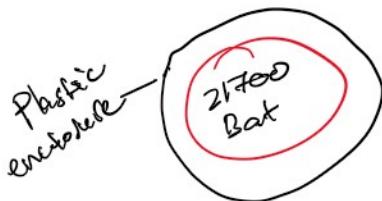
$$F_{\text{uphill}} = F_d + f_{\text{drag}} + F_{gx}$$

$$P = F_p v$$

Sanity check:

Assumption:

1D - going to treat 6 walls as one



Center, going to assume other half is insulated  
wrong, not conduction between

$$R_{\text{parallel}} = \frac{T_{1,2} - T_{2,3}}{q_e} = \frac{L}{kA}$$

(3.8)

Similarly, for electrical conduction in the same system, Ohm's law provides an electrical resistance of the form

$$R_e = \frac{E_{1,2} - E_{2,3}}{I} = \frac{l}{\sigma A}$$

(3.9)

3.1 • The Plane Wall

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The analogy between Equations 3.6 and 3.7 is obvious. A thermal resistance may also be associated with heat transfer by convection at a surface. From Newton's law of cooling,

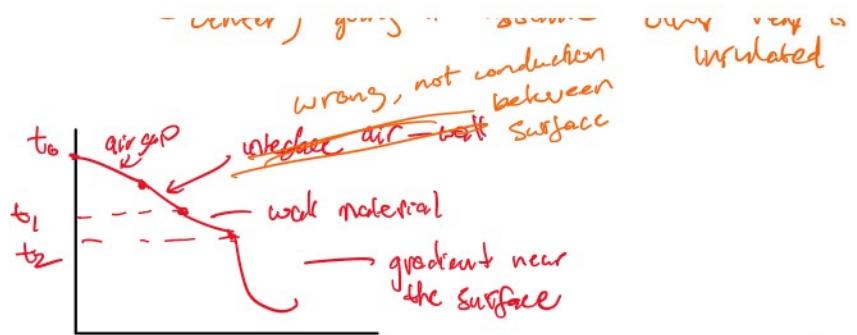
$$q = hA(T_s - T_\infty)$$

(3.8)

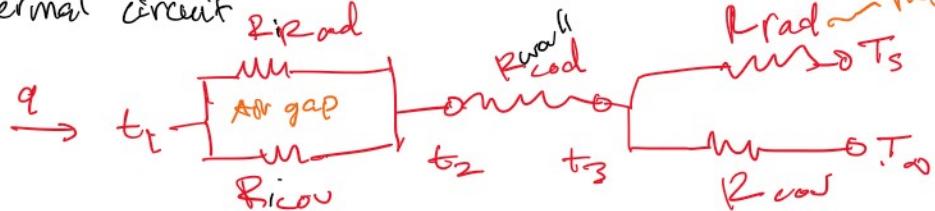
The thermal resistance for convection is then

$$R_{\text{conv}} = \frac{T_s - T_\infty}{q} = \frac{1}{hA}$$

(3.9)



thermal circuit



- \* First going to treat all surface as one ~ less accurate each surface have different coefficient

convection to internal cell

$$R_c = \frac{1}{h_c A_i}$$

$$\begin{cases} q'' = h_c (T_2 - T_\infty) \\ q L_A = q'' \end{cases}$$

heat flux at the internal surface is the same as external so, balance eq can be done  
At steady-state heat flux  $\rightarrow$  cell must be equal to conv + rad out the wall

$$t_3 = T_\infty + \frac{q L_A}{h_{conv} + R_{rad}}$$

$$T_o = \frac{q L_A^2}{2 k_A} + T_i$$

$$q'' = \frac{\Delta T}{R''_{total}}$$

heat flux in form of ohm's law

$$t_0 = \frac{q L_i}{2 k_i} + T_i$$

$t_1 = ?$

IGNORE  
Might go back

air gap between battery and plastic

$$q = q'' A = h A (T_{\text{body}} - T_{\infty}) \quad ? \text{ air gap is small might not work } \sim T_{\infty}$$

$$h_{\text{eff}} = h_{\text{cool}} + h_{\text{rad}}$$

$$h_{\text{rad}} = \frac{\sigma (T_1 + T_2) (T_1^2 + T_2^2)}{\frac{1}{\epsilon} + \frac{1-\epsilon}{\epsilon}}$$

$$R_{\text{rad}} = \frac{1}{h_{\text{rad}} \cdot A_i}$$

local enclosure

$$R_{\text{cool}} = \frac{L_c}{K A} \quad K \text{ thermal cool of ABS}$$

outside: rad + cool

$$R_{\text{total}} = \frac{1}{h_{\text{rad}} A_{\text{total}}} \Rightarrow R_{\text{rad}} : \dots$$

$$h_{\text{rad}} = \epsilon \sigma (T_3 + T_{\infty}) (T_3^2 + T_{\infty}^2)$$

$$R_{\text{cool}} = \frac{1}{h_{\text{cool}} A_{\text{total}}} \Rightarrow R_{\text{cool}} = \frac{A_{\text{total}} (T_3 - T_{\infty})}{Q (A_{\text{total}})}$$

$$h_{\text{cool}} = \frac{Q}{A_{\text{total}} (T_3 - T_{\infty})}$$

$$Q = \frac{\Delta T}{R_{\text{total}}} \Rightarrow Q R_{\text{total}} = T_3 - T_{\infty} \leftarrow$$

parallel

$$\frac{1}{R_{\text{total}}} = \frac{1}{R_1} + \frac{1}{R_2} \Rightarrow R_{\text{total}} = \frac{1}{\frac{1}{R_1} + \frac{1}{R_2}}$$

CANT GET THIS MODEL TO WORK,  
THE EXT TEMP KEEP BEING SAME AS AMB