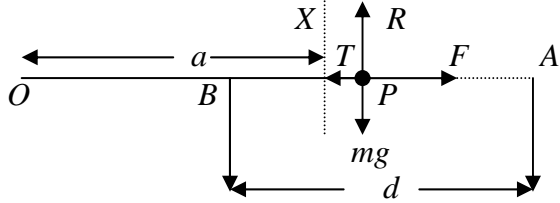
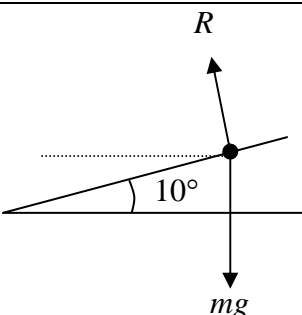
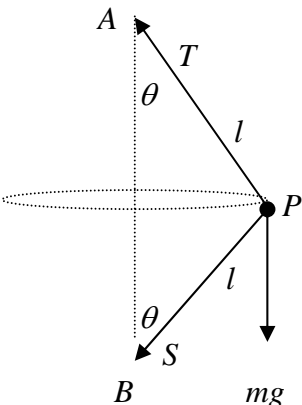
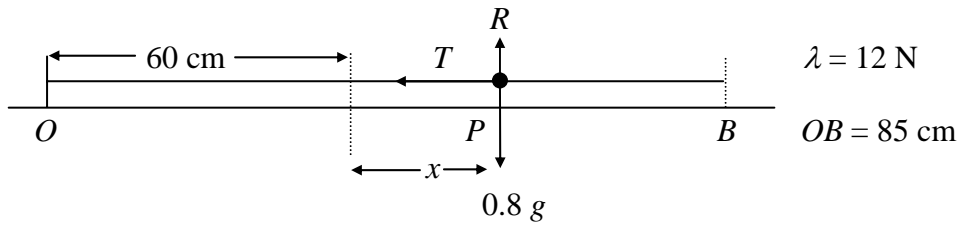


Question Number	Scheme	Marks
1.	 $R = mg$ $F = \mu R = \mu mg$ <p>Attempt to relate Fd to EPE</p> $\frac{2}{3} mg d = \frac{4mg(\frac{a}{2})^2}{2a}$ <p>Final answer: $d = \frac{3}{4} a$</p>	<p>B1</p> <p>B1</p> <p>M1</p> <p>M1 A1 ft</p> <p>A1 (6)</p> <p>(6 marks)</p>
2.	 $(\updownarrow) R \cos 10^\circ = mg$ $(\leftrightarrow) R \sin 10^\circ = \frac{mv^2}{r}$ <p>Solving for r: $r = \left[\frac{18^2}{g \tan 10^\circ} \right]$</p> <p>$r = 190 \text{ (m)}$ [Accept 187, 188]</p>	<p>M1 A1</p> <p>M1 A1ft</p> <p>M1</p> <p>A1 (6)</p> <p>(6 marks)</p>
3.	<p>(a) $\frac{1}{10}x(4 - 3x) = 0.2 a$</p> <p>$\frac{1}{10}x(4 - 3x) = 0.2v \frac{dv}{dx}$ or $\frac{1}{10}x(4 - 3x) = 0.2 \frac{d(\frac{1}{2}v^2)}{dx}$</p> <p>Integrating : $v^2 = 2x^2 - x^3 (+ C)$ or equivalent</p> <p>Substituting $x = 6, v = 0$ to find candidate's C</p> <p>$v^2 = 2x^2 - x^3 + 144$</p> <p>(b) Substituting $x = 0$ and finding v; $v = 12 \text{ (m s}^{-1}\text{)}$</p>	<p>M1 A1</p> <p>M1</p> <p>M1 A1</p> <p>M1</p> <p>A1 (7)</p> <p>M1; A1 ft (2)</p> <p>(9 marks)</p>

(ft = follow through mark)

Question Number	Scheme	Marks
4. (a)	 $(\updownarrow) (T - S) \cos \theta = mg$ $(\leftrightarrow) (T + S) \sin \theta = m r \omega^2$ $= m(l \sin \theta) \omega^2$ <p>Finding T in terms of l, m, ω^2 and g</p> $T = \frac{1}{6} m(3l\omega^2 + 4g) \quad (*)$	<p>M1 A1</p> <p>M1 A1 ft</p> <p>A1</p> <p>M1</p> <p>A1 (7)</p>
(b)	$S = \frac{1}{6} m(3l\omega^2 - 4g)$	<p>any correct form M1 A1 (2)</p>
(c)	<p>Setting $S \geq 0$; $\omega^2 \geq \frac{4g}{3l} \quad (*)$</p>	<p>(no wrong working seen) M1 A1 (2)</p>
(11 marks)		
5. (a)	 <p>Hooke's Law: $T = \frac{12x}{0.6} \quad [= 20x]$</p> <p>Equation of motion: $(-)T = 0.8 \ddot{x}$</p> $-\frac{12x}{0.6} = 0.8 \ddot{x} \quad \ddot{x} = -25x$ <p>Finding ω from derived equation of form $\ddot{x} = -\omega^2 x$</p> <p>Period = $\frac{2\pi}{\omega} = \frac{2\pi}{5} \quad (*)$</p> <p>(b) Substituting (candidate's) ω and a in $\omega^2 a$; $= 25 \times 0.25 = 6.25 \text{ (m s}^{-2}\text{)}$ (or finding $T_{\max} = 0.8a \Rightarrow a = 5/0.8 = 6.25$)</p> <p>(c) Complete method for x; $x = 0.25 \cos 10^\circ \quad (-0.2098)$ Using $v^2 = \omega^2 (a^2 - x^2) \Rightarrow v = (\pm) 5 \sqrt{[(0.25)^2 - (0.25 \cos 10^\circ)^2]}$ $v = (\pm) 0.68 \text{ (m s}^{-1}\text{)}$</p> <p>(d) Direction \overrightarrow{OB} or equivalent</p>	<p>$\lambda = 12 \text{ N}$ $OB = 85 \text{ cm}$</p> <p>M1</p> <p>M1</p> <p>A1</p> <p>M1</p> <p>A1 (5)</p> <p>M1; A1 (2)</p> <p>M1 A1</p> <p>M1 A1 ft</p> <p>A1 (5)</p> <p>B1 (1)</p> <p>(13 marks)</p>

(ft = follow through mark; (*) indicates final line is given on the paper)

Question Number	Scheme	Marks
6.	(a) Energy: $\frac{1}{2}mv^2 - \frac{1}{2}mu^2 = mga(1 - \cos \theta)$	M1 A1 A1
	Radial: $(\pm R) + mg \cos \theta = \frac{mv^2}{a}$	M1 A1
	Eliminating v and finding $\cos \theta = \frac{u^2 + 2ga}{3ga}$	M1, A1 (7)
	(b) Energy (C and ground): $\frac{1}{2}m\left(\frac{9ag}{2}\right) - \frac{1}{2}mv^2 = mga(1 - \cos \theta)$	M1 A1
	Eliminating v : $\frac{1}{2}m\left(\frac{9ag}{2}\right) - \frac{1}{2}mag \cos \theta = mga(1 + \cos \theta)$ $\cos \theta = \frac{5}{6}$ $\theta = 34^\circ$	M1 A1 M1 A1 ft A1 (7) (14 marks)
Alt (b)	Or energy (A and ground): $\frac{1}{2}m\left(\frac{9ag}{2}\right) - \frac{1}{2}mu^2 = 2mga$ $u^2 = \frac{1}{2}ga$ Using with (a) to find $\cos \theta = \frac{5}{6}$; $\theta = 34^\circ$	M1 A1 M1 A1 M1 A1; A1 (7)
Alt	Projectile approach: $V_x = v \cos \theta$; $V_y^2 = (v \sin \theta)^2 + 2ga(1 + \cos \theta)$ $\left(\frac{9ag}{2}\right) = V_x^2 + V_y^2 \Rightarrow \left(\frac{9ag}{2}\right) - v^2 = 2ga(1 + \cos \theta)$ – M1 A1, then scheme	

(ft = follow through mark)

Question Number	Scheme	Marks
7.	(a) $V = \pi \int y^2 \, dx = \frac{1}{4} \pi \int (x-2)^4 \, dx$	M1
	$\int (x-2)^4 \, dx = \frac{1}{5} (x-2)^5$	M1 A1
	$V = \frac{8\pi}{5}$	A1 (4)
	(b) Using $\pi \int xy^2 \, dx = \frac{1}{4} \pi \int x(x-2)^4 \, dx$	M1
	Correct strategy to integrate [e.g. substitution, expand, by parts]	M1
	[e.g. $\frac{1}{4} \pi \int (u-2)^4 \, du$; $\frac{1}{4} \pi \int (x^5 - 8x^4 + 24x^3 - 32x^2 + 16x) \, dx$]	
	$= \frac{1}{4} \pi \left[\frac{2u^5}{5} + \frac{u^6}{6} \right]$ or $\frac{1}{4} \pi \left[\frac{x^6}{6} - \frac{8x^5}{5} + 6x^4 - \frac{32x^3}{3} + 8x^2 \right]$	M1 A1
	$= \frac{8\pi}{15}$ limits need to be used correctly	A1 (7)
	$V_c(\rho) \bar{x} = \pi(\rho) \int xy^2 \, dx$ seen anywhere	M1
	$\bar{x} = \frac{1}{3} \text{ cm } (*)$ no incorrect working seen	A1
(c)	Moments about B: $8A = 10W - 2W(\frac{1}{3})$	M1 A1 A1
	$A = \frac{59W}{12}$ (4.9W)	M1 A1 (5)
		(16 marks)

(ft = follow through mark; (*) indicates final line is given on the paper)