





01ML Pipeline

A general ML workflow

02

KNN Regressor Univariate Multivariate

03

Hyperparameter optimization Cross-Validation Pipeline & Gridsearch 04

Challenge

Define the task

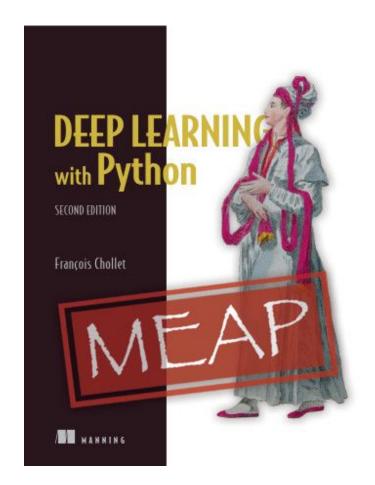
- Frame the problem
- Collect a dataset
- Understand your data
- Choose a measure of success

Develop a model

- Prepare the data
- Choose an evaluation protocol
- o Beat a baseline
- Scale up: develop a model that overfits
- Regularize and tune your model

Deploy your model

- Explain your work to stakeholders and set expectations
 - Ship an inference model
 - Deploying a model as a rest API
 - Deploying a model on device
 - Deploying a model in the browser
- Monitor your model in the wild
- Maintain your model





Look at the Big Picture

- Frame the problem
- Select a performance measure
- Check the assumptions

Get the Data

- Create the workspace
- Download the data
- Take a quick look at the data structure

Prepare the Data

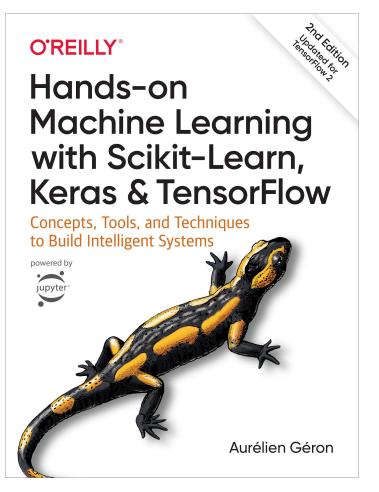
- Data cleaning
- Handling text and categorical attributes
- Feature scaling

Select and Train a Model

- Training and evaluating on the training set
- Better evaluation using cross-validation

Fine-Tune your model

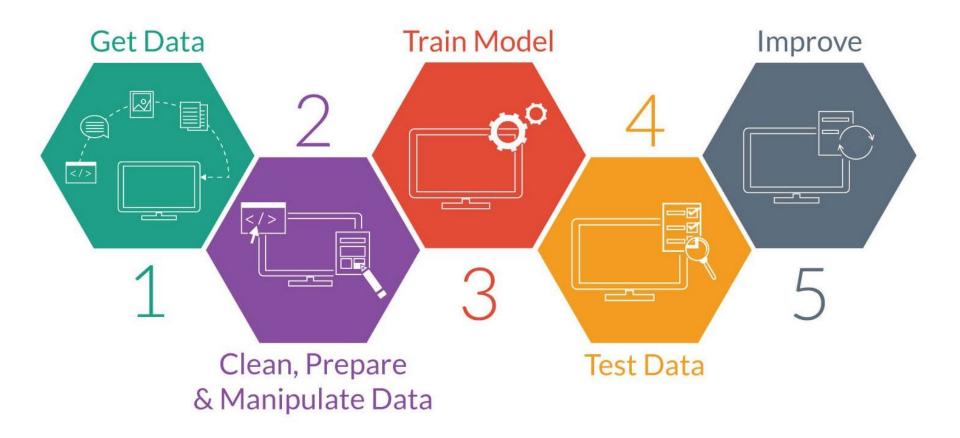
- Grid search/Randomized search
- Ensemble methods
- Launch, Monitor and Maintain

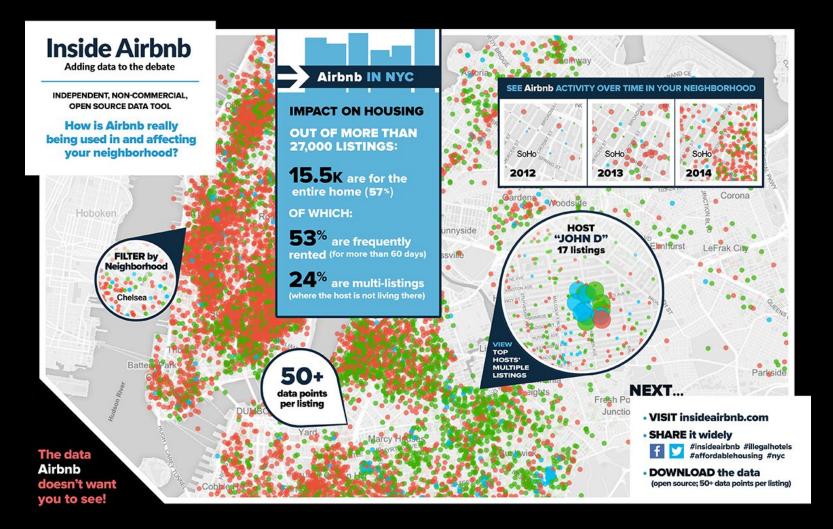


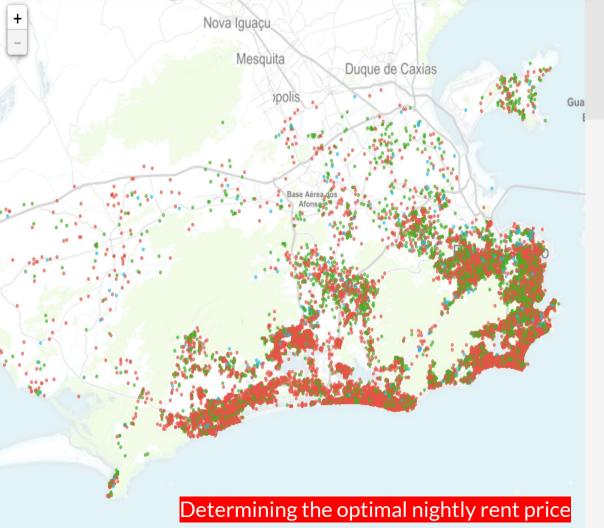




A general ML workflow







Rio de Janeiro

Filter by: Rio de Janeiro

35,887 out of 35,887 listings (100%)

About Airbnb in Rio de Janeiro

How is Airbnb really being used in and affecting your neighbourhoods?

Room Type

Only entire homes/apartments

Airbnb hosts can list entire homes/apartments, private or shared rooms.

Depending on the room type and activity, an airbnb listing could be more like a hotel, disruptive for neighbours, taking away housing, and illegal.



71.4%

entire homes/apartments

R\$626 price/night

25,629 (71.4%) entire home/apartments

> 9,440 (26.3%) private rooms

> > 818 (2.3%)

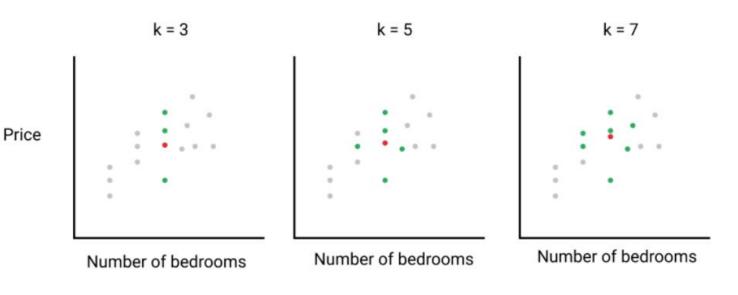
shared rooms

- host_response_rate: the response rate of the host
- host_acceptance_rate: number of requests to the host that convert to rentals
- host_listings_count: number of other listings the host has
- latitude: latitude dimension of the geographic coordinates
- longitude: longitude part of the coordinates
- city: the city the living space resides
- zipcode: the zip code the living space resides
- state: the state the living space resides
- accommodates: the number of guests the rental can accommodate
- room_type: the type of living space (Private room, Shared room or Entire home/apt
- bedrooms: number of bedrooms included in the rental
- bathrooms: number of bathrooms included in the rental
- beds: number of beds included in the rental
- price: nightly price for the rental
- cleaning_fee: additional fee used for cleaning the living space after the guest leaves
- security_deposit: refundable security deposit, in case of damages
- minimum_nights: minimum number of nights a guest can stay for the rental
- maximum_nightss: maximum number of nights a guest can stay for the rental
- number_of_reviews: number of reviews that previous guests have left





Select the number of similar listings, k, you want to compare with.



For this example, we'll use 3 for our **k** value.

dataset					
bedrooms	price				
1	160				
3	350				
1	60				
1	95				
1	50				

dataget

Rank each listing by the similarity metric and select the first **k** listings.





Euclidean distance - Univariate

accommodates

our listing

8

Univariate case

$$d = \sqrt{\left(q_1 - p_1\right)^2}$$

$$d = |q_1 - p_1|$$

rio_listings

index	accommodates	distance
0	4	(4 - 8) ²
1	6	(6 - 8) ²
2	1	$(1-8)^2$
3	2	$(2-8)^2$





Euclidean distance (multivariate)

$$d = \sqrt{(q_1 - p_1)^2 + (q_2 - p_2)^2 + \dots + (q_n - p_n)^2}$$

$$0$$

$$26$$

$$4$$

$$1$$

$$1$$

$$6$$

$$3$$

$$3$$

$$(q_1 - p_1) + (q_2 - p_2) + \dots + (q_n - p_n)$$

$$(q_1 - p_1)^2 + (q_2 - p_2) + \dots + (q_n - p_n)$$

$$(q_1 - p_1)^2 + (q_2 - p_2)^2 + \dots + (q_n - p_n)$$

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$$(q_1 - p_1)^2 + (q_1 - p_1)^2 + (q_1 - p_1)^2$$

Error metrics (regression problem)

Mean Absolute Error

$$MAE = \frac{|actual_1 - predicted_1| + |actual_2 - predicted_2| + \dots + |actual_n - predicted_n|}{n}$$

Mean Squared Error

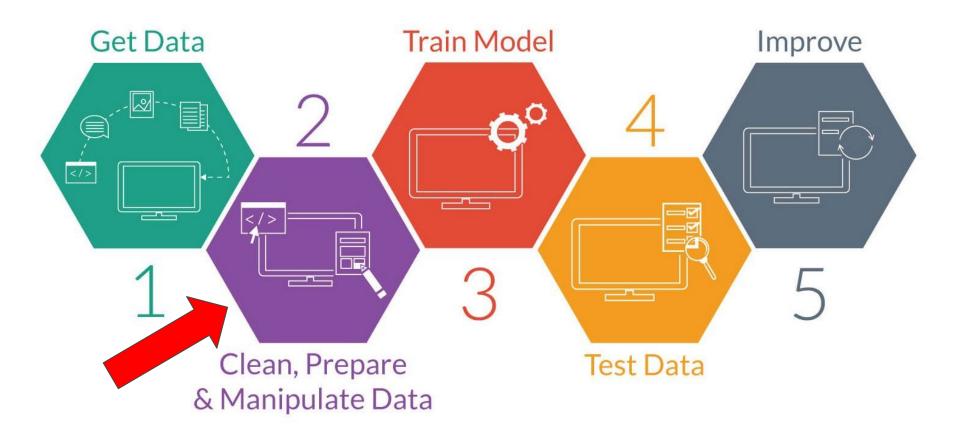
$$MSE = \frac{(actual_1 - predicted_1)^2 + (actual_2 - predicted_2)^2 + \dots + (actual_n - predicted_n)^2}{n}$$

Root Mean Squared Error

$$RMSE = \sqrt{MSE}$$



A general ML workflow



Removing features

- · room_type: e.g. Private room
- · city: e.g. Rio de Janeiro
- state: e.g. RJ
- host_response_rate
- · host_acceptance_rate
- host_listings_count
- latitude: e.g. -22.92
- longitude: e.g. -43.23
- zipcode: e.g. 20550-012

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 35731 entries, 16575 to 33003
Data columns (total 10 columns):
    Column
                       Non-Null Count
                                      Dtype
    accommodates
                       35731 non-null
0
                                      int64
    bathrooms
                       35664 non-null
                                      float64
    bedrooms
                       35652 non-null float64
    beds
                       35400 non-null float64
    price
                       35731 non-null float64
    security deposit
                                       object
                       20051 non-null
    cleaning fee
                                       object
                       24147 non-null
    minimum nights
                       35731 non-null
                                      int64
    maximum nights
8
                       35731 non-null
                                      int64
    number of reviews 35731 non-null
                                      int64
dtypes: float64(4), int64(4), object(2)
memory usage: 3.0+ MB
```



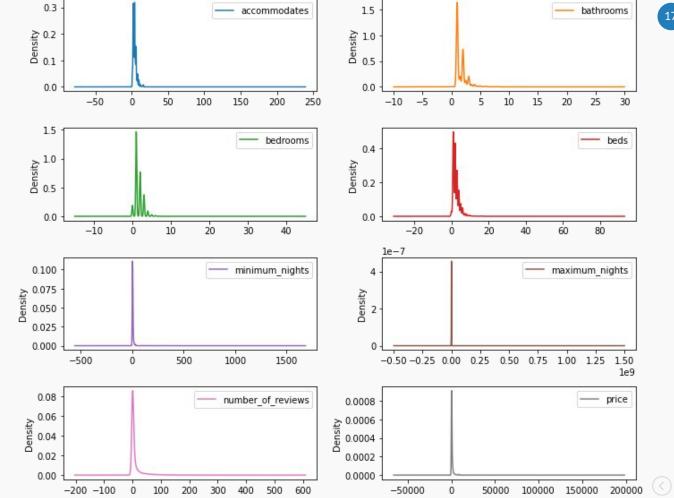
Data Preparation

	accommodates	bathrooms	bedrooms	beds	price	minimum_nights	maximum_nights	number_of_reviews
15364	6	3.0	3.0	3.0	\$1,501.00	1	1125	0
33163	2	2.0	1.0	1.0	\$181.00	5	10	0
28598	3	1.0	1.0	2.0	\$140.00	1	1125	1
24716	1	1.0	1.0	1.0	\$108.00	1	31	0
10299	6	2.0	3.0	5.0	\$189.00	3	1125	53

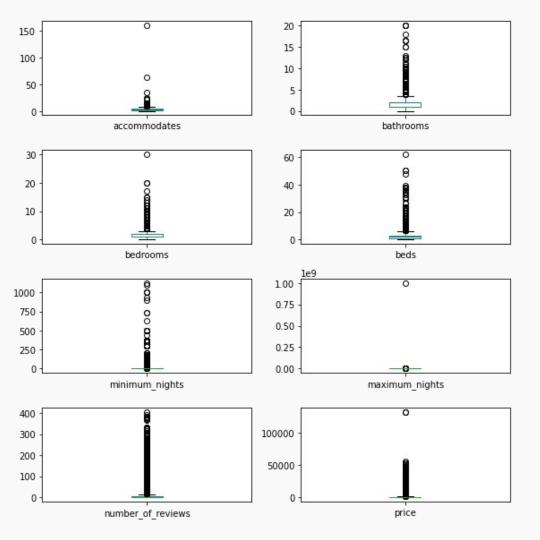




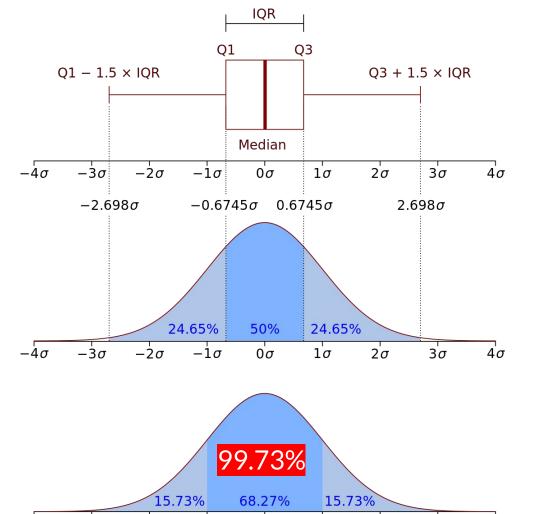
Exploratory Data Analysis (EDA)



Outliers???







 -2σ

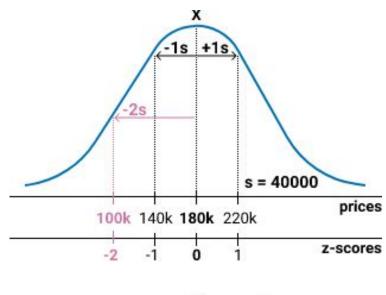
 -1σ

0σ

 1σ

 2σ

Using standardization and IQR for eliminate outlier



$$z = \frac{x - \beta}{\sigma}$$

 4σ

3σ





305.0

158.0

251.0

347.0

220.0

10.148919

10.240240

11.336088

6.724392

13.299483

price

230

232

256

155

299

-0.005473

-0.005473

-0.005267

-0.005462

-0.005474

number of reviews

١

5

4

2

2

3

minimum nights

-0.201519

-0.291600

-0.234610

-0.175782

-0.253607

30

30

89

28

maximum nights

0.013014

-0.033019

-0.125087

-0.125087

-0.079053

1125

				\ 1		,	
accommodates	bathrooms	bedrooms	beds	minimum_nights	maximum_nights	number_of_reviews	price

2.0

2.0

2.0

2.0

1.0

beds

-0.298117

-0.298117

-0.298117

-0.298117

-0.793011

2.0

1.0

1.0

1.0

1.0

bedrooms

0.336640

-0.601309

-0.601309

-0.601309

-0.601309

0

1

2

3

4

0

1

2

3

4

5

3

3

3

2

accommodates

0.309556

-0.457286

-0.457286

-0.457286

-0.840707

1.0

1.0

1.0

1.5

1.0

bathrooms

-0.665668

-0.665668

-0.665668

-0.181869

-0.665668

Standardizat	tion (o _l	ption	#U1

Stanuart	lization (option π	ノエノ

Standardia	zation (o	brion #OT)	

Standardization	(option #U1)

Standardization	1 (option #U1)

Standardi	zation (option #0.	Τ)

Standardiza	tion (option #01

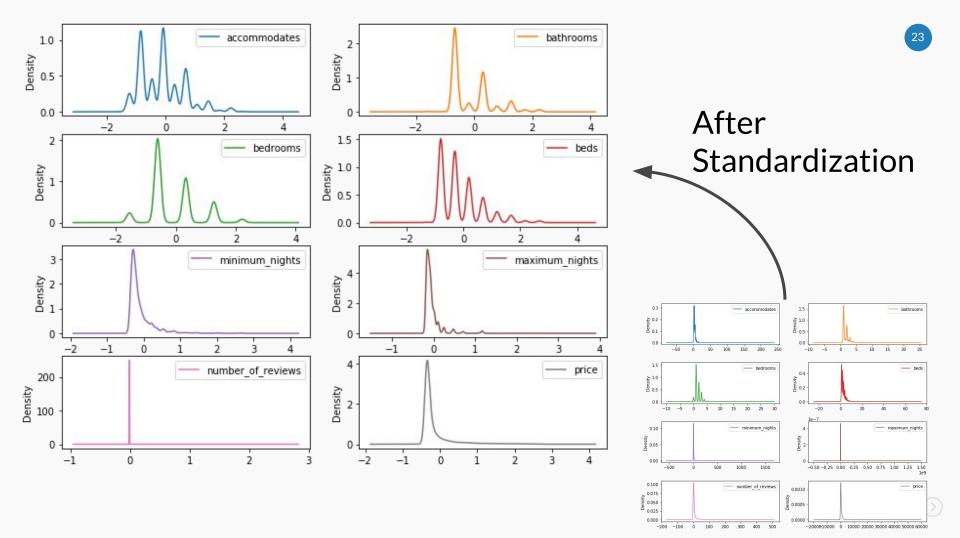
Standardization (mean zero and unitary std)

	accommodates	bathrooms	bedrooms	beds	minimum_nights	maximum_nights	number_of_reviews	price
count	3.530400e+04	3.530400e+04	3.530400e+04	3.530400e+04	3.530400e+04	3.530400e+04	3.530400e+04	3.530400e+04
mean	-1.096936e-14	2.071714e-14	-2.881814e-14	-8.062631e-16	-8.904096e-16	2.348094e-15	-1.210238e-15	-4.291996e- 14
std	1.000014e+00	1.000014e+00	1.000014e+00	1.000014e+00	1.000014e+00	1.000014e+00	1.000014e+00	1.000014e+00
min	-1.214459e+00	-1.597979e+00	-1.488599e+00	-1.224339e+00	-3.296648e-01	-1.752524e-01	-5.447550e-03	-3.776610e- 01
25%	-8.344702e-01	-6.426740e-01	-5.729848e-01	-7.435051e-01	-2.632334e-01	-1.752524e-01	-5.442101e-03	-3.776610e- 01
50%	-7.449301e-02	-6.426740e-01	-5.729848e-01	-2.626715e-01	-2.043224e-01	-1.305888e-01	-5.236354e-03	-3.388490e- 01
75%	3.054956e-01	3.126306e-01	3.426290e-01	2.181620e-01	-5.892523e-02	-4.126168e-02	-5.236354e-03	-1.447888e- 01
max	5.920373e+01	1.750811e+01	2.597982e+01	2.858734e+01	5.497057e+01	4.993727e+01	1.878908e+02	1.538003e+01



```
# get data
target columns = ["accommodates", "bathrooms", "bedrooms",
          "beds", "minimum nights",
          "maximum nights", "number of reviews", "price"]
rio listings = pd.read csv("listings.csv", usecols=target columns)
# clean missing values
rio listings.dropna(axis=0,inplace=True)
# apply z-score (mean=0, std=1)
rio z scored = pd.DataFrame(StandardScaler().fit transform(rio listings),
                             columns=target columns,
                             index=rio listings.index)
# remove outliers
rio z scored = rio z scored[(rio z scored < 2.698).all(axis=1)</pre>
               & (rio z scored > -2.698).all(axis=1)]
```





accommodates 2.0

Q1 = rio iqr.quantile(0.25)

accommodates 1.0 bathrooms

bedrooms

beds

1.0

1.0

1.0

30.0

3.0

0.0

2.0 2.0 3.0

5.0

151.0

minimum nights 4.0 maximum nights 1125.0 number of reviews 4.0 price 598.0

Q3 = rio iqr.quantile(0.75)

IQR = Q3 - Q1

accommodates

bathrooms

minimum nights

maximum nights

number of reviews

bedrooms

beds

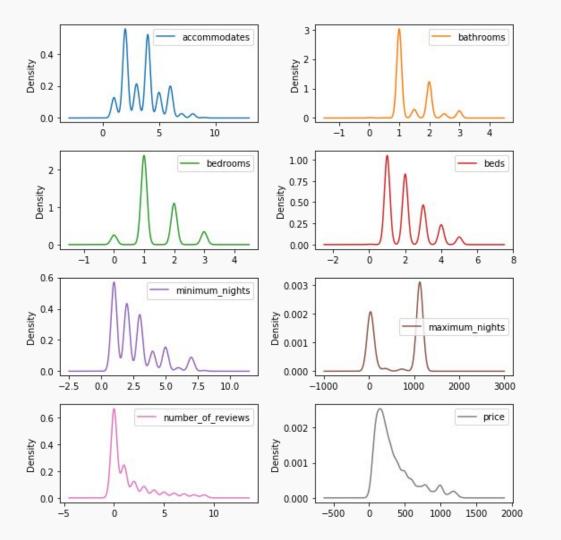
price

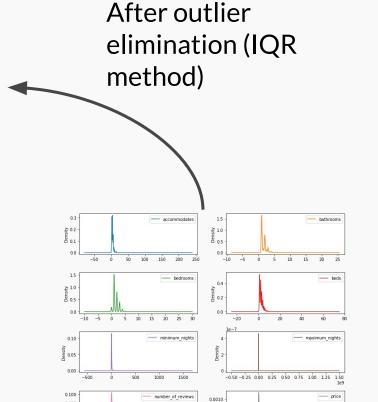
IOR low up 01 Q3 $Q1 - 1.5 \times IQR$ $O3 + 1.5 \times IOR$ Medium 0σ 2σ -1σ 1σ

bathrooms 1.0 1.0 bedrooms beds 2.0 minimum nights 3.0 maximum nights 1095.0 number of reviews 4.0 price 447.0

rio iqr = rio listings[target columns].copy()

30





£ 0.0005

-2000@10000 0 10000 20000 30000 40000 50000 60000

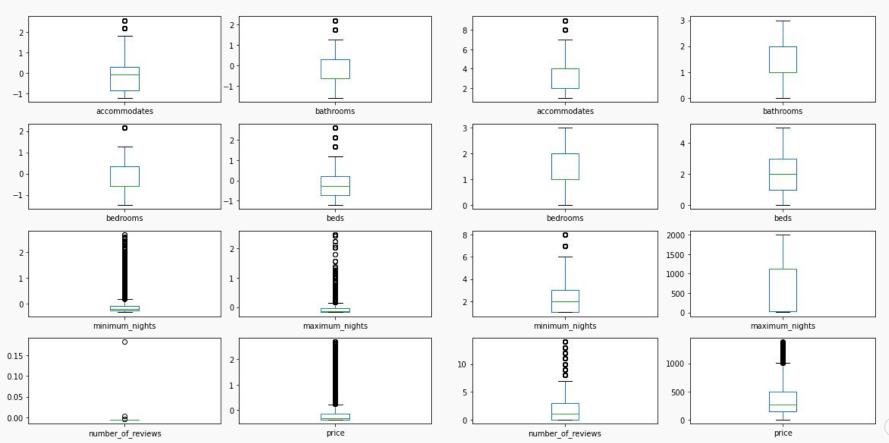
0.075

0.050

100 200 300 400

Z-Score Method

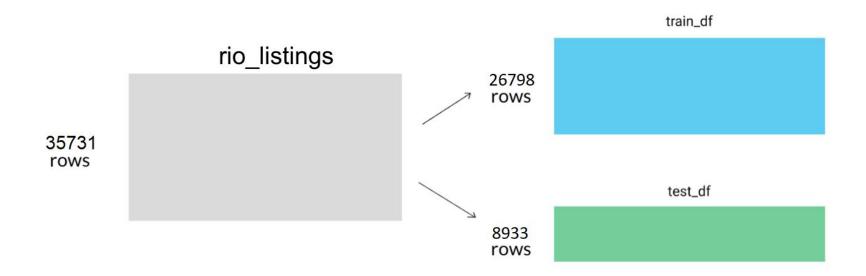
IQR Method





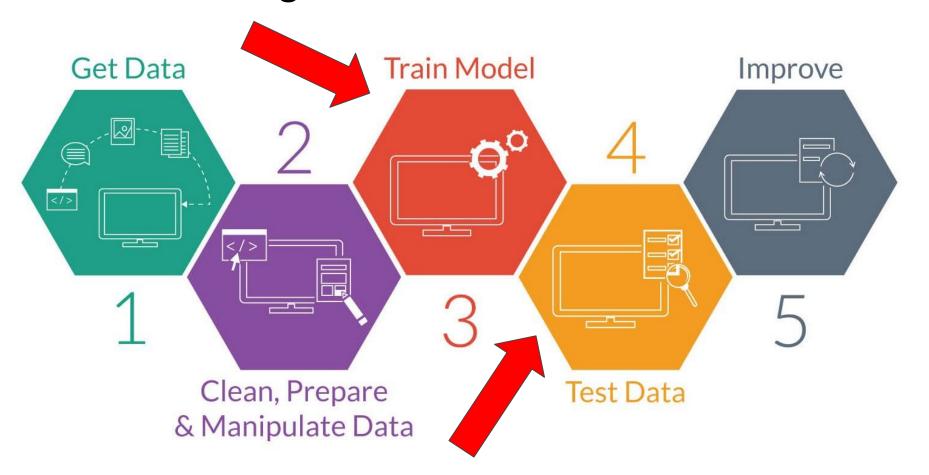
Separate data into Training and Test

```
27
```





A general ML workflow



scikit-learn

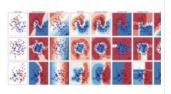
Getting Started Release Highlights for 0.23 GitHub

- Simple and efficient tools for predictive data analysis
- · Accessible to everybody, and reusable in various contexts
- · Built on NumPy, SciPy, and matplotlib
- Open source, commercially usable BSD license

Classification

Identifying which category an object belongs to.

Applications: Spam detection, image recognition. Algorithms: SVM, nearest neighbors, random forest, and more...

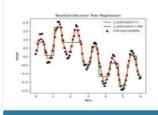


Examples

Regression

Predicting a continuous-valued attribute associated with an object.

Applications: Drug response, Stock prices. Algorithms: SVR, nearest neighbors, random forest, and more...



Examples

Clustering

Automatic grouping of similar objects into sets.

Go

Applications: Customer segmentation, Grouping experiment outcomes

Algorithms: k-Means, spectral clustering, meanshift, and more...

Ermeans clustering on the digits dataset (PCA reduced data).

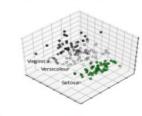
Earlysels are marked with white criss.

Examples

Dimensionality reduction

Reducing the number of random variables to consider.

Applications: Visualization, Increased efficiency Algorithms: k-Means, feature selection, nonnegative matrix factorization, and more...



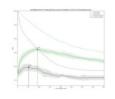
Examples

Model selection

Comparing, validating and choosing parameters and models.

Applications: Improved accuracy via parameter

Algorithms: grid search, cross validation, metrics, and more...



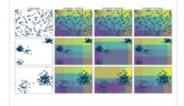
Examples

Preprocessing

Feature extraction and normalization.

Applications: Transforming input data such as text for use with machine learning algorithms.

Algorithms: preprocessing, feature extraction, and more...



Examples

Scikit-learn workflow

The scikit-learn workflow consists of 4 main steps:

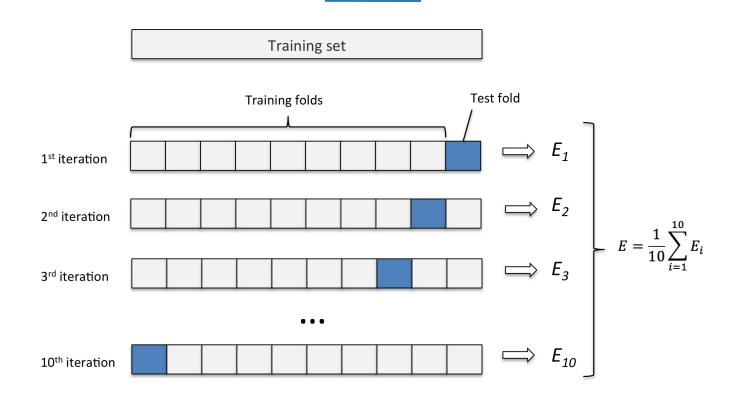
- instantiate the specific machine learning model you want to use
- fit the model to the training data
- use the model to make predictions
- evaluate the accuracy of the predictions



```
from sklearn.neighbors import KNeighborsRegressor
from sklearn.metrics import mean squared error
import numpy as np
# instantiate a knn object
knn = KNeighborsRegressor(n neighbors=5, n jobs=-1)
# train the model
knn.fit(X train, Y train)
# predict
predict = knn.predict(X test)
# evaluate
rmse = np.sqrt(mean squared error(Y test,predict))
```



Better Evaluation using Cross-Validation



(<)

K-Fold Cross Validation

Test Train Train Train Train Train Test 120.55 122.11 125.91 123.41 122.81

Mean Error

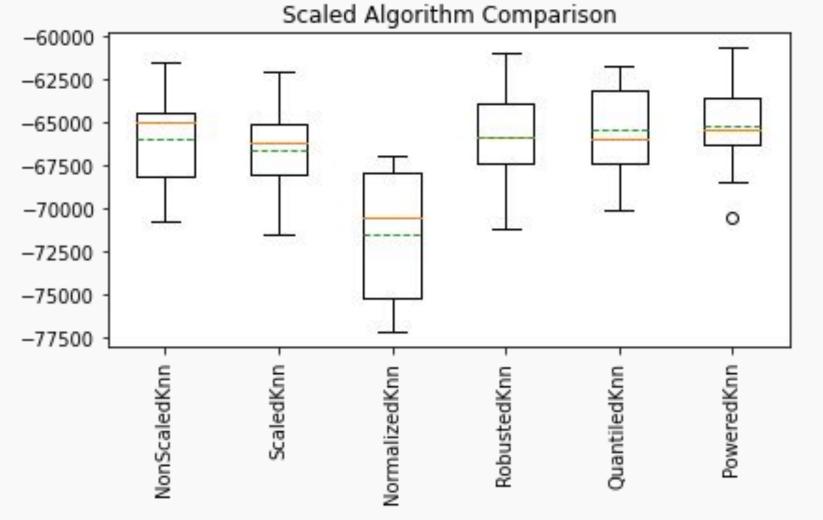
Errors

122.96

```
# Test options and evaluation metric
num folds = 10
seed = 7
scoring = 'neg mean squared error'
# Standardize the dataset
pipelines = []
pipelines.append(('NonScaledKnn',
                  Pipeline([('KNN',
                             KNeighborsRegressor(n neighbors=5, n jobs=-1))])))
pipelines.append(('ScaledKnn',
                  Pipeline([('Scaler',
                             StandardScaler()),
                            ('KNN',
                             KNeighborsRegressor(n neighbors=5, n jobs=-1)))))
pipelines.append(('NormalizedKnn',
                  Pipeline([('Normalizer',
                             Normalizer()),
                            ('KNN',
                             KNeighborsRegressor(n neighbors=5, n jobs=-1))])))
```

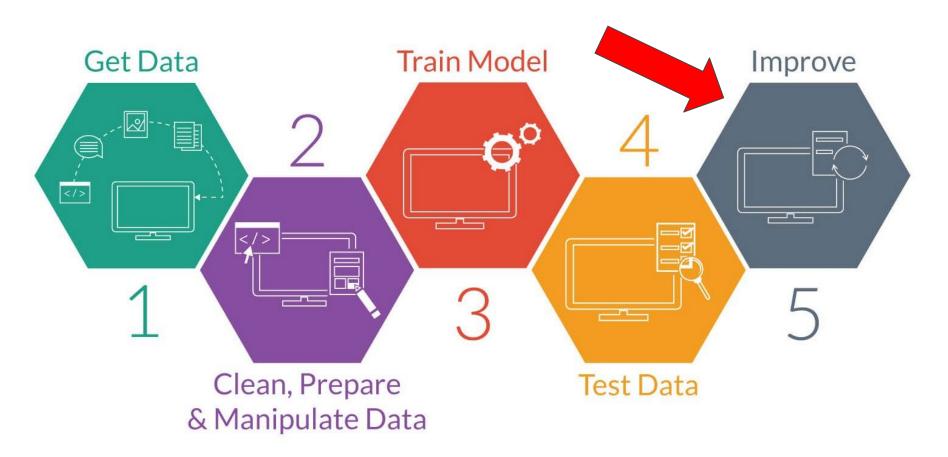
NonScaledKnn Mean: 256.768306 Std: 51.803277 ScaledKnn Mean: 257.982424 Std: 51.044869 NormalizedKnn Mean: 267.400248 Std: 61.709087 RobustedKnn Mean: 256.593685 Std: 54.918664 QuantiledKnn Mean: 255.834571 Std: 51.341062 PoweredKnn Mean: 255.384108 Std: 52.825958







A general ML workflow



Improve the accuracy

- Increase the number of attributes the model uses to calculate similarity when ranking the closest neighbors
- When we vary the features that are used in the model, we're affecting the data that the model uses.
- Increase k, the number of nearby neighbors the model uses when computing the prediction
- On the other hand, varying the k value affects the behavior of the model independently of the actual data that's used when making predictions. Values that affect the behavior and performance of a model that are unrelated to the data that's used are referred to as hyperparameters.



Hyperparameter Optimization

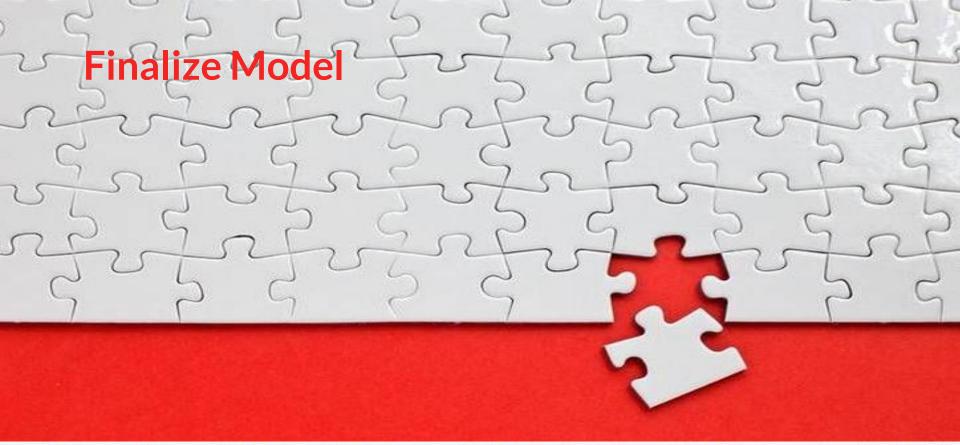
A simple but common <u>hyperparameter optimization</u> technique is known as <u>grid search</u>:

- selecting a subset of the possible hyperparameter values,
- training a model using each of these hyperparameter values,
- evaluating each model's performance,
- selecting the hyperparameter value that resulted in the lowest error value.



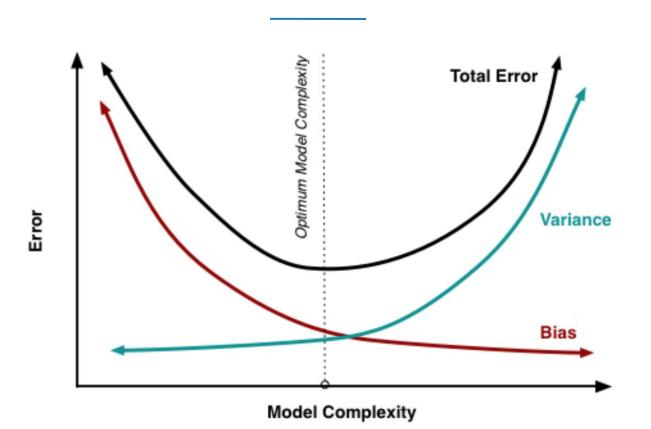
```
# hyperparameter
k_values = np.array([1,3,5,7,9,11,13,15,17,19,21])
param grid = dict(n neighbors=k values)
# scaler
scaler = PowerTransformer().fit transform(X train)
# instantiate a model
model = KNeighborsRegressor()
# Test options and evaluation metric
num folds = 10
scoring = 'neg mean squared error'
# cross-validation
kfold = KFold(n splits=num folds)
grid = GridSearchCV(estimator=model,
                    param grid=param grid,
                    scoring=scoring,
                    cv=kfold)
grid result = grid.fit(scaler, Y train)
# case you'd to use X train without transformation
# grid result = grid.fit(X train, Y train)
```

```
Best: 240.926226 using {'n_neighbors': 21}
323.382032 (53.549683) with: {'n_neighbors': 1}
268.216384 (54.585847) with: {'n_neighbors': 3}
255.372703 (52.610709) with: {'n_neighbors': 5}
250.221520 (48.154780) with: {'n_neighbors': 7}
247.199047 (49.738081) with: {'n_neighbors': 9}
244.862005 (48.366993) with: {'n_neighbors': 11}
243.531630 (46.711116) with: {'n_neighbors': 13}
242.880024 (45.295806) with: {'n_neighbors': 15}
242.143035 (44.669619) with: {'n_neighbors': 17}
241.561674 (46.065303) with: {'n_neighbors': 19}
240.926226 (45.935214) with: {'n_neighbors': 21}
```



predict = grid_result.best_estimator_.predict(PowerTransformer().fit_transform(X_test))
rmse = np.sqrt(mean_squared_error(predict,Y_test))

Bias-Variance Tradeoff









Next

https://www.imd.ufrn.br/
https://github.com/ivanovitchm/m
achinelearning2020.2