Function Name: myFirstFunc

## Inputs:

- 1. (double) Length of the base of the triangle
- 2. (double) Length of the height of the triangle

## **Outputs:**

1. (double) Area of the triangle

**Topics:** (multiplication), (division)

## **Function Description:**

Given the sides of two triangles, find the area of the triangle using the formula:

$$Area = \frac{1}{2}(Base)(Height)$$

Then round your answer to 2 decimal places using the round () function.

# Example:

```
base = 3
height = 5
area = myFirstFunc(base, height)
area \rightarrow 7.50
```

#### Hints:

- The round() function may be useful.
  - Type help round in the command window if you need more specifics on round()

Function Name: illuminatiFlux

# Inputs:

1. (double) Distance from the wires to the center

## **Outputs:**

1. (double) The magnetic field strength at the center of the triangle

**Topics:** (multiplication), (division)

# **Function Description:**

You have three wires each carrying a current in such a way that they form an equilateral triangle. The strength of the magnetic field, B (your output), at distance r (your input) from your three wires is given by:

$$B = \frac{3\mu_0 I}{2\pi r}$$

Where  $\mu_0 = 4\pi \cdot 10^{-7}$  and I = 3. Calculate the magnetic field strength at the center of the triangle. Finally, round your answer to 2 decimal places.

### **Example:**

```
dist = 5;
magStr = illuminatiFlux(dist);
magStr → 3.60e-7
```

#### Notes:

- Type pi into the command window and see what it gives you!
- All inputs will be positive integers.

Function Name: pythag

### Inputs:

- 1. (double) The length of one leg of your right triangle
- 2. (double) The length of the triangle's hypotenuse

# **Outputs:**

1. (double) The length of the missing leg of your triangle

# **Function Description:**

You are given a right triangle with the length of one of the legs and the length of the hypotenuse. Using the pythagorean theorem:

$$a^2 + b^2 = c^2$$

Solve to find the length of the missing leg of your triangle. Round your final answer to three decimal points.

### **Example:**

```
a = 8;
c = 25;
b = pythag(a,c);
b \rightarrow 23.685
```

#### Notes:

- All inputs will be positive integers.
- The hypotenuse (2nd input) will always have a greater value than the leg (1st input).

### Hints:

- Try solving on paper first to algebraically isolate b, then code!
- The sqrt () function may be useful for solving square roots.

Function Name: heronsFormula

### Inputs:

- 1. (double) Side length a of a triangle
- 2. (double) Side length b of a triangle
- 3. (double) Side length c of a triangle

### **Outputs:**

- 1. (double) Half of the triangle's perimeter
- 2. (double) Area of the triangle

## **Function Description:**

You are given three side lengths of a triangle (a,b,c). Using Heron's Formula:

$$S = \frac{a+b+c}{2}$$

$$Area = \sqrt{s(s-a)(s-b)(s-c)}$$

For your first output, return s (half of the perimeter). For your second output, return the area of the triangle rounded to 2 decimal places.

### **Example:**

```
sideA = 5;
sideB = 5;
sideC = 5;

[s, area] = heronsFormula(sideA, sideB sideC);
s \rightarrow 7.5
area \rightarrow 10.83
```

#### Notes:

- Do not round the first output (half of the perimeter)
- Do round the second output (the area)

Function Name: cosineCalculator

### Inputs:

- 1. (double) Length of side a of triangle
- 2. (double) Length of side b of triangle
- 3. (double) Length of side c of triangle

# **Outputs:**

1. (double) Value of the angle, in degrees, that is opposite to side C

# **Function Description:**

In trigonometry, the law of cosines relates the lengths of the sides of a triangle to the cosine of one of its angles. The formula is given by:

$$c^2 = a^2 + b^2 - 2ab \cos(\theta)$$

where variables a, b, and c represent the side lengths of a triangle, and  $\theta$  represents the angle opposite side C. Determine the value of the angle across from c. Round your output to two decimal places.

# Example:

```
a = 25;

b = 28;

c = 27;

angle = cosineCalculator(a,b,c)

angle \rightarrow 60.94
```

#### Notes:

- You must rearrange the given equation to solve for the angle in terms of side lengths.
- Ensure your output is in degrees

#### Hints:

• The acosd() function may be useful.