FORMULAS FOR REFERENCE

SPHERE Surface area II $4\pi r^2$

Volume

П

 $\frac{4}{3}\pi r^3$

CYLINDER

Area of curved surface = $2\pi rh$

Volume

 $\pi r^2 h$

Area of curved surface = πrl

CONE

Volume

II $\frac{1}{3}\pi r^2 h$

PYRAMID Volume PRISM

Volume

II

base area × height

Ш $\frac{\hat{}}{3} \times \text{base area} \times \text{height}$

> Choose the best answer for each question. The diagrams in this paper are not necessarily drawn to scale. There are 36 questions in Section A and 18 questions in Section B.

Section A

 $a \cdot a (a+a) =$

 \mathbf{B} $2a^3$.

Ω $a^3 + a$.

 $3a^2+a$.

D.

12 If a=1-2b, then b=

 $\frac{a-1}{2}$.

₿ $\frac{a+1}{2}$.

Ď $\frac{1-a}{2}$ Ω

 $\frac{-1-a}{2}$

-2-

ပ္ပ If $f(x) = 2x^2 - 3x + 4$, then f(1) - f(-1) =

6.

true?

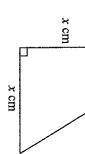
- 9.
- Ħ -2.
- Ö
- D.

$$(2x-3)(x^2+3x-2) \equiv$$

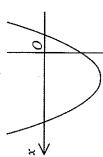
- $2x^3 + 3x^2 + 5x 6$.
- ₽ $2x^3 + 3x^2 + 5x + 6$.
- Ö $2x^3 + 3x^2 - 13x - 6$.
- Ų. $2x^3 + 3x^2 - 13x + 6$.
- 'n In the figure, the area of the trapezium is $12~{\rm cm}^2$. Which of the following equations can be used to find x?
- x(x+2) = 12

2 cm

- ᅜ x(x+2) = 24
- 9 $x^2 - x(x-2) = 12$
- Ď. $x^2 - x(x-2) = 24$



- The figure shows the graph of $y = ax^2 + x + b$. Which of the following is Ç ₽. a > 0 and b > 0a > 0 and b < 0 $y = ax^2 + x + b$
- a < 0 and b < 0
- Ď.
- a < 0 and b > 0



- .7 If $\beta = 4\alpha - 3$, then $\beta =$
- ₽. <u>...</u>
- Ω 0 or 4.
- D. -3 or 13
- <u>.</u> If the quadratic equation $kx^2 + 6x + (6 - k) = 0$ has equal roots, then k =
- <u>-</u>6.
- $\overline{\omega}$ ပ္ ပ
- Ç
- Ŭ

- 4 -

- 9. The solution of 2(3-x) > -4 is
- A. x < 5.
- B. x > 5.
- C. x < 10.
- D. x > 10.
- 10. If $x^2 + 2ax + 8 = (x+a)^2 + b$, then b =
- A. 8 .
- B. $a^2 + 8$.
- C. $a^2 8$.
- D. $8-a^2$.
- 11. If the 2nd term and the 5th term of a geometric sequence are -3 and 192 respectively, then the common ratio of the sequence is
- A. –8
- B. -4.
- C. 4.
- D. 8.

- 12. Peter sold two flats for \$ 999 999 each. He lost 10% on one and gained 10% on the other. After the two transactions, Peter
- gained \$ 10 101.

A

- B. gained \$ 20 202.
- C. lost \$ 10 101.
- D. lost \$ 20 202.
- 13. Let x and y be non-zero numbers. If 2x-3y=0, then (x+3y):(x+2y)=
- . 3:2.
- B. 4:3.
- C. 9:7.
- D. 11:8.
- 14. If z varies directly as y^2 and inversely as x, which of the following must be constant?
- A. xy^2z
- $\frac{y^2z}{x}$
- C. $\frac{xz}{y^2}$
- D. $\frac{z}{xy^2}$

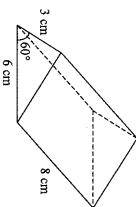
-6-

- 15. In the figure, the bearing of P from Q is
- A. N 27° W.
- B. S 27° E.
- C. N 63° W.
- D. S 63°E.
 - $Q \xrightarrow{\text{North}} P \Rightarrow \text{East}$
- 16. In the figure, ABCD is a rhombus and CDE is an equilateral triangle. If ADE is a straight line, then the area of the quadrilateral ABCE is
- A. $2\sqrt{3} \text{ cm}^2$.
- B. $3\sqrt{3} \text{ cm}^2$
- C. $4\sqrt{3} \text{ cm}^2$.
- D. $6\sqrt{3} \text{ cm}^2$.
- A 2 cm
- 17. The figure shows a solid right circular cone of height 5 cm and slant height13 cm. Find the total surface area of the cone.
- A. $144\pi \text{ cm}^2$
- B. $156\pi \text{ cm}^2$
- C. $240\pi \text{ cm}^2$
- D. $300\pi \text{ cm}^2$
- 5 cm 13 cm

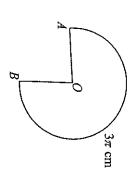
- The figure shows a right triangular prism. Find the volume of the prism.
- A. 36 cm³

18.

- B. 72 cm³
- C. $36\sqrt{3}$ cm³
- D. $72\sqrt{3} \text{ cm}^3$



- 19. In the figure, OAB is a sector of radius 2 cm . If the length of \widehat{AB} is 3π cm , then the area of the sector OAB is
- A. $\frac{3\pi}{2}$ cm².
- B. $3\pi \text{ cm}^2$
- C. $4\pi \text{ cm}^2$.
- D. $6\pi \text{ cm}^2$.



- 20. For $0^{\circ} \le \theta \le 90^{\circ}$, the greatest value of $\frac{5 \sin \theta}{4 + \sin \theta}$ is
- 4 | A
- В. 1.
- C. 5.
- D. 2.

| | | |

21. In the figure, θ is an acute angle. Find θ correct to the nearest degree.

24.

- 35°
- ₽ 50°
- Ç 56°
- Ä 57°
- 22. In the figure, $\cos \theta =$
- ₽.
- Ŋ
- Ä
- 6
- 23. In the figure, ABCD is a rectangle. If BED is a straight line, then the area of $\triangle ABE$ is
- $\frac{\sqrt{3}}{6}$ cm².
- $\frac{\sqrt{3}}{2}$ cm².
- Ŋ $\frac{2\sqrt{3}}{3} \text{ cm}^2.$
- D. $\sqrt{3}$ cm².
- D 30° 2 cm

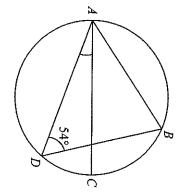
In the figure, ABCD is a circle. AB produced and DC produced meet at E. If AC and BD intersect at F, then $\angle ABD =$ 60°. 41°. 56°. 52°.

Ö

Ç

'n

- 25. AB = BD, then $\angle CAD =$ In the figure, ABCD is a circle. If AC is a diameter of the circle and
- 18°.
- À 21°.
- Ω 27°.
- Ď. 36°.



- 10 -

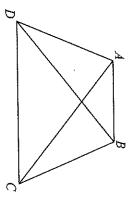
26. If AC = BD and AB //DC, how many pairs of similar triangles are there in the figure?

2 pairs

 $\boldsymbol{\Xi}$ pairs

Ö 5 pairs Ω

pairs



27. In the figure, ABCD is a square. If CEF is an equilateral triangle, then

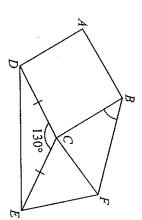
45°

À 50°.

Ç 60°

Ŭ

 80°



28. In the figure, x =

50°

Ħ 60°

Ω 70°

90°.

- Ħ.

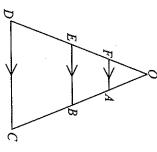
29. FA:DC=1:5, then OA:AB=In the figure, OABC and OFED are straight lines. If AB:BC=2:3 and

1:1.

ᅜ 1:2.

Ċ 5:8.

U 5:13



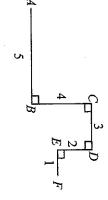
30. In the figure, the length of the line segment joining A and F is

√68 .

₽. <u>√77</u>

 $\dot{\Omega}$ $\sqrt{82}$

Ö √85 .



31. x = y such that AP = PB, then the coordinates of P are A(2, 5) and B(6, -3) are two points. If P is a point lying on the straight line

(-2, -2).

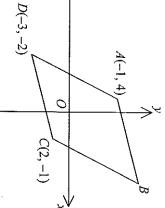
(-2, 4).

O (1, 1).

Ü (4, 1).

- 12 -

- 32 In the figure, ABCD is a parallelogram. The coordinates of B are
- (3, 2).
- Œ (3, 5).
- O (4, 5).
- Ö
- (4, 6)



- . (၁) the straight line passing through the point (2, -1) and perpendicular to L is If the equation of the straight line L is x-2y+3=0, then the equation of
- x+2y+3=0.
- ₽. x+2y-3=0.
- Ċ 2x+y+3=0.
- Ŭ 2x + y - 3 = 0.
- 34. the mode of the five numbers is If the mean of five numbers 15, x+4, x+1, 2x-7 and x-3 is 6, then
- ₩.
- Ç
- Ŭ. 15.

probability that the ball drawn is red is put into bag Y. If a ball is now randomly drawn from bag Y, then the 3 yellow balls and 6 red balls. A ball is randomly drawn from bag X and Bag X contains 1 white ball and 3 red balls while bag Y contains

35.

- Ω ω $|\nu$
- Ü 40
- Ŭ 27 40

- 36. If a fair die is thrown three times, then the probability that the three numbers thrown are all different is
- W 17 18
- $\frac{125}{216}$.
- Ä 215

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- 15 -

- 37. If *n* is a positive integer, then $\frac{1}{1+2\sqrt{n}} \frac{1}{1-2\sqrt{n}} =$
- A. $\frac{4\sqrt{n}}{1-4n}$.
- $B. \frac{-4\sqrt{n}}{1+4n}.$
- $C. \qquad \frac{4\sqrt{n}}{4n+1} \ .$
- $D. \frac{4\sqrt{n}}{4n-1}.$

- 38. The H.C.F. of $x^2(x+1)(x+2)$ and $x(x+1)^3$ is
- $A. \qquad x(x+1) \ .$
- B. x(x+1)(x+2).
- C. $x^2(x+1)^3$.
- D. $x^2(x+1)^3(x+2)$.

Α. . .

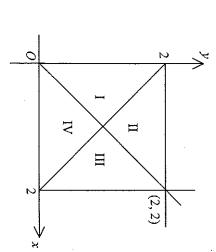
39.

If a and b are positive integers, then $\log(a^b b^a) =$

- $ab \log (ab)$.
- B. $ab (\log a)(\log b)$.
- C. $(a+b) \log (a+b)$.
- D. $b \log a + a \log b$.
- 40. Let k be a positive integer. When $x^{2k+1} + kx + k$ is divided by x+1, the remainder is
- -1.
- **B**. 1
- C. 2k-1.
- D. 2k+1.
- 41. Which of the regions in the figure may represent the solution of

$$\begin{cases} x + y \ge 2 \\ x - y \ge 0 \end{cases}$$

- A. Region I
- B. Region II
- C. Region III
- D. Region IV



44.

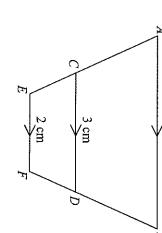
For $0^{\circ} \le x \le 360^{\circ}$, how many distinct roots does the equation

 $\cos x (\sin x - 1) = 0$ have?

ᄧ

- A. 78.
- в. 90.
- C. 105.
- D. 117.

- 43. In the figure, ACE and BDF are straight lines. If the areas of the quadrilaterals ABDC and CDFE are 16 cm^2 and 5 cm^2 respectively, then the length of AB is
- A. 4.5 cm.
- B. 5 cm.
- C. 5.5 cm.
- D. 6 cm.



D. 5

45.
$$\sin(90^{\circ} - x) + \cos(x + 180^{\circ}) =$$

- A. 0.
- B. $-2\cos x$.
- C. $\sin x + \cos x$.
- D. $\sin x \cos x$.
- 46. $\sin^2 1^\circ + \sin^2 3^\circ + \sin^2 5^\circ + \dots + \sin^2 87^\circ + \sin^2 89^\circ =$
- A. 22.
- B. 22.5.
- C. 44.5.
- D. 45.

47. In the figure, B, C and D are three points on a horizontal plane such that $\angle CBD = 90^{\circ}$. If AB is a vertical pole, then $\angle BCD =$

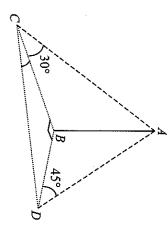
49.

In the figure, AB and AC are tangents to the circle at X and Y respectively. Z is a point lying on the circle. If $\angle BAC = 100^{\circ}$, then $\angle XZY =$

- 15°.
- ω 30°.

45°

- Ħ 60°.



Ç

50°

45°

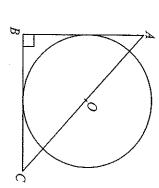
40°.

55°

- 48. In the figure, VABCD is a right pyramid with a square base. If the angle between VA and the base is 45° , then $\angle AVB =$
- 45° .
- ₩ 60°.
- Ö 75°
- Ŭ. 90°.
- 50. and BC are tangents to the circle such that AB=3 and BC=4, then the radius of the circle is In the figure, O is the centre of the circle and AOC is a straight line. If AB
- Ċ

7 | 12

Ö



-20 -

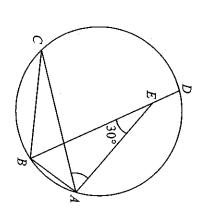
51. In the figure, ABCD is a circle. If $\widehat{AB}:\widehat{BC}:\widehat{CD}:\widehat{DA}=1:2:3:3$ and E is a point lying on BD, then $\angle CAE =$

45°.

₩. 50°.

Ç 55°.

Ď 60°.



52. respectively, then $\angle GIF + \angle GHE =$ parts and BG bisects $\angle ABC$. If AE and AF intersect BG at H and IBC, CD and DA respectively. AE and AF divide ∠BAD into three equal In the figure, ABCD is a parallelogram. E, F and G are points lying on

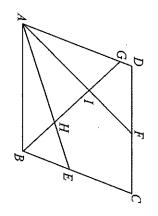
120°.

ᄧ 150°.

Ö 180°.

Ŭ





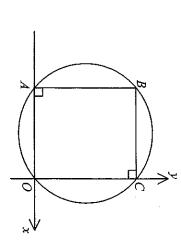
53 O, A, B and C is $(x+3)^2 + (y-4)^2 = 25$, then the area of the rectangle In the figure, O is the origin. If the equation of the circle passing through OABC is

36.

й 48

50

Ŭ. 64



54. In the figure, the circle passing through A(0, 8) and B(0, 2) touches the positive x-axis. The equation of the circle is

 $x^2 + y^2 - 8x - 10y + 16 = 0 .$

 $x^2 + y^2 + 8x + 10y + 16 = 0$.

 $x^2 + y^2 - 10x - 10y + 16 = 0$.

Ų. $x^{2} + y^{2} + 10x + 10y + 16 = 0$

