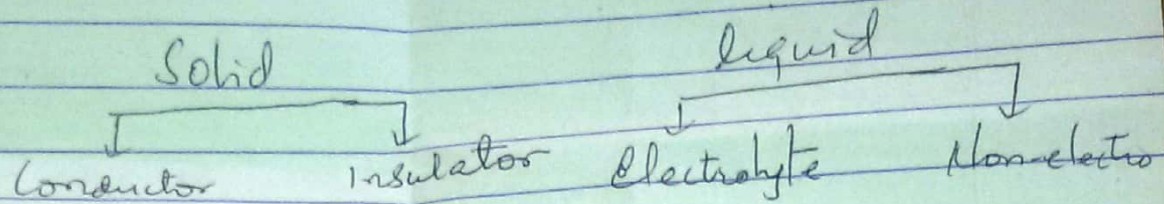


## Conduction in liquids and Gases

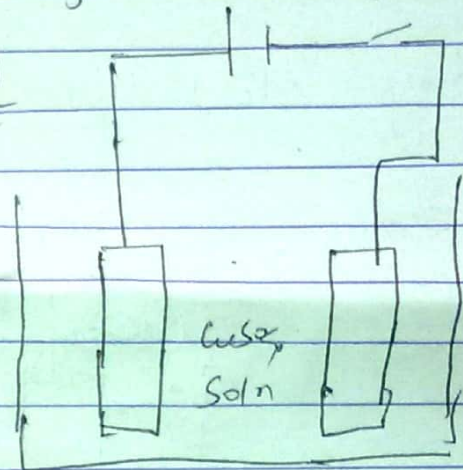
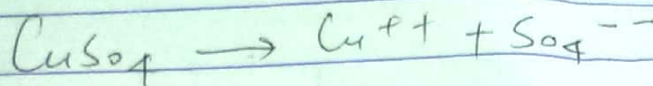


Gas

high p.d (voltage) → discharge

reducing pressure

### Electrical conduction in liquid



Initially, when electric field is applied through liquid dielectric there is no current. As we go on increasing electric field the impurity, air or liquid get discharged giving ~~can~~ small current

When electric field strength is large enough we get large amount of current suddenly and the liquid acts as conducting medium. The voltage acts on this system is called breakdown voltage. This phenomenon is called electric breakdown in liquid.



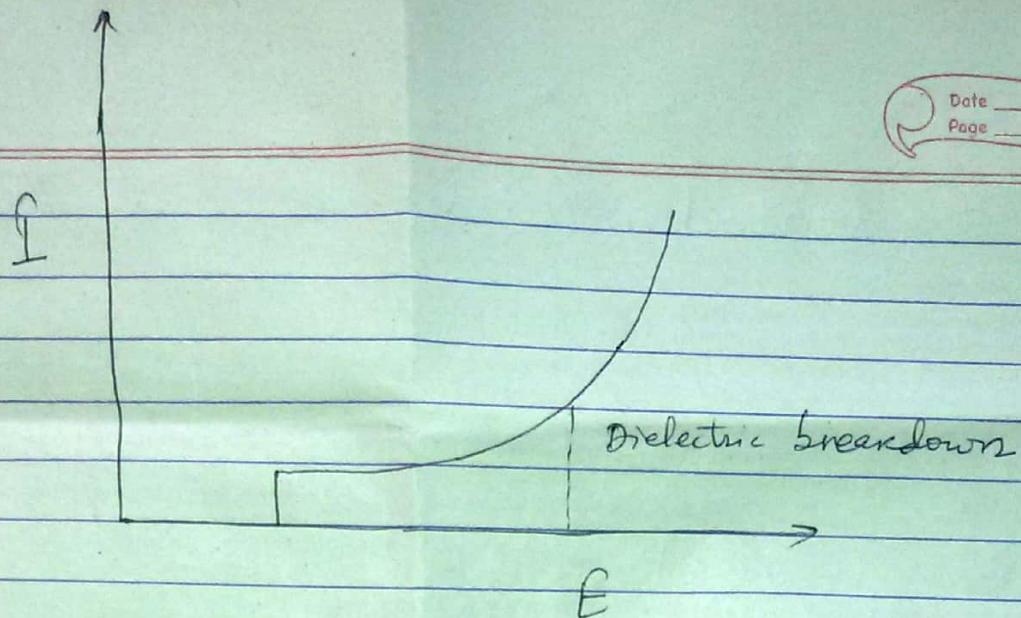
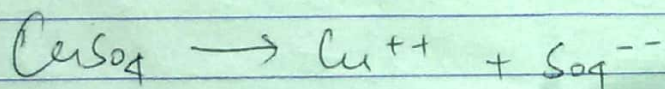
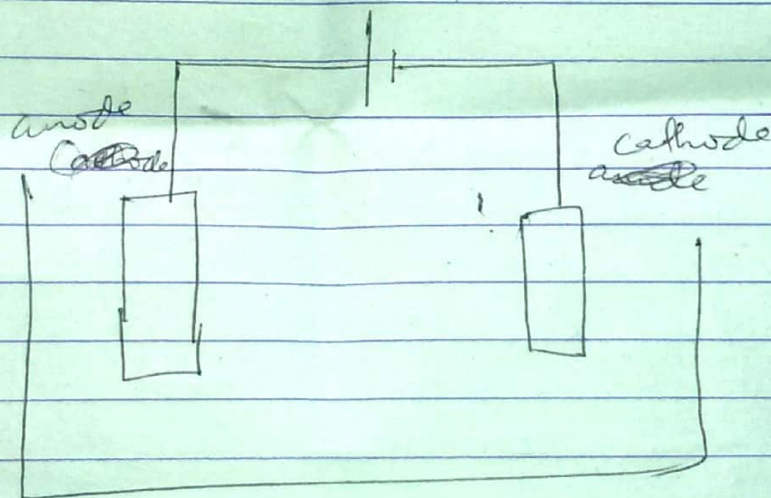


Fig: Conduction current versus electric field

eg. Electrolysis or electroplating



+vely charged cations moves towards cathode &  
-vely " anion " " anode



The ionic conductivity is given by

$$\sigma = ne\mu \quad \text{--- (1)}$$

$n \rightarrow$  no. of ions  $\mu \rightarrow$  mobility of ions

from Einstein relation

$$\frac{D}{\mu} = \frac{kT}{e} \Rightarrow \mu = \frac{eD}{kT} \quad \text{--- (2)}$$

The diffusion coefficient varies with temp<sup>s</sup>

$$D = D_0 e^{-\frac{Q}{kT}} \quad \text{--- (3)}$$

from (1) & (2)

$$\sigma = ne \frac{eD}{kT}$$

$$\sigma = ne \frac{e}{kT} D_0 e^{-\frac{Q}{kT}}$$

$$\sigma = \frac{ne^2 D_0}{kT} e^{-\frac{Q}{kT}}$$

$$\sigma = \sigma_0 e^{-Q/kT} \quad \sigma_0 = \frac{ne^2 D_0}{kT}$$

Taking ln both sides

$$\ln \sigma = \ln \sigma_0 - \frac{Q}{kT}$$

The relation shows that ionic conductivity depends inversely on temp<sup>s</sup>



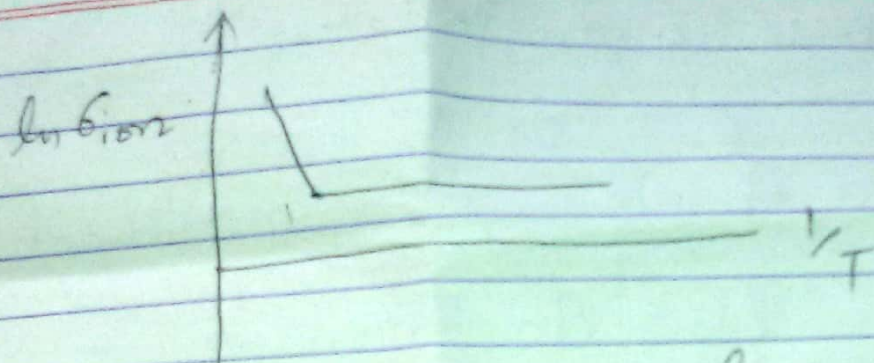


fig: Dependence of ionic conductivity with inverse of temp.



# Electric conduction in Gases

Gas in normal state is almost perfect insulator. However when high p.d. (voltage) is applied between two electrodes in gas medium, the electric breakdown occurs and the gas becomes a conductor. The maximum voltage applied at the time of electrical breakdown is called breakdown voltage.

Let  $n_0$  be the no. of electrons produced by UV radiation incident on cathode.

$n_x$  be the no. of electrons at a distance  $x$  from cathode.

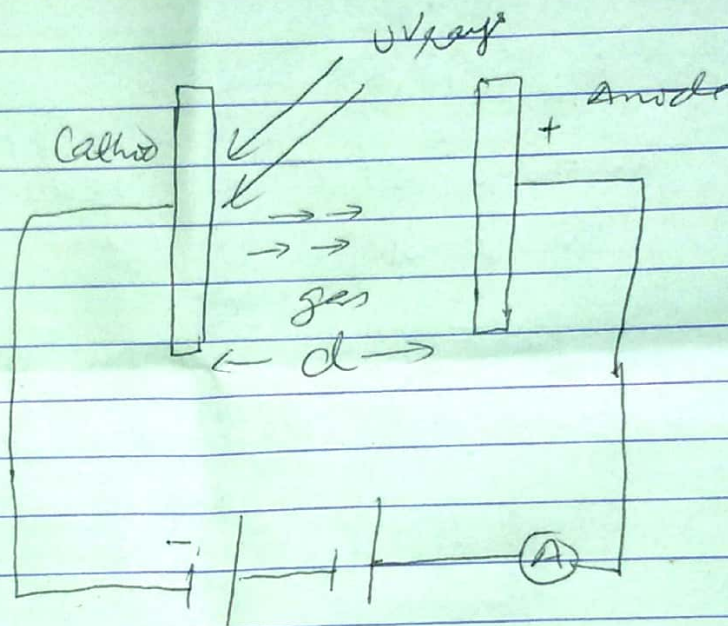
Then

Concentration gradient is proportional to corresponding no. of electrons produced.

$$\text{i.e. } \frac{dn_x}{dx} \propto n_x$$

$$\frac{dn_x}{dx} = \alpha n_x \quad \text{--- (1)}$$

$\alpha$  is average ionizing collision made by electrons per cm called Townsend's first ionization coefficient





# Townsend discharge Mechanism

Date \_\_\_\_\_  
Page \_\_\_\_\_

The Townsend discharge is a gas ionization process where the free electrons are accelerated by an electric field.

The electric field is applied across a gaseous medium, initial ions are created with ionizing radiation (eg uv rays). An ionization original ionization event produces an ion pair  
+ve ion accelerates towards cathode  
while free electron " " " " anode

If the electric field is strong enough, the free electron can gain sufficient energy to liberate another electron when it next collides with a molecule.

The excited atom or molecule during discharge of gas may return back to metastable state by emission of photon and this leads to the emission of electrons due to photo emission. These photons & electrons are responsible for further ionization of gas atom & to carry avalanche of ions. which results the breakdown in gases and huge current is produced.

Let  $n_0$  be the primary electrons

$n_0'$  " " Secondary, produced due to secondary process.

&  $n_0''$  be total no. of electrons leaving cathode

$$n_0'' = n_0 + n_0'$$

The total no. of electrons reaching the anode

$$n = n_0'' e^{\alpha d} = (n_0 + n_0') e^{\alpha d} \quad \text{--- (1)}$$



$$\frac{dn_x}{n_x} = \alpha dx$$

on integrating

$$\ln\left(\frac{n_x}{n_0}\right) = \ln(n_x) = \alpha x + C$$

When  $x=0$   $n_x = n_0 \Rightarrow C = \ln(n_0)$

$$\ln(n_x) = \alpha x + \ln(n_0)$$

$$\Rightarrow \ln\left(\frac{n_x}{n_0}\right) = \alpha x$$

$$n_x = n_0 e^{\alpha x} \quad \text{--- (2)}$$

The no. of electrons reaching at anode  
i.e.  $x=d$  will be

$$n_d = n_0 e^{\alpha d} \quad \text{--- (3)}$$

The current produced by those electrons  
is

$$I = I_0 e^{\alpha d}$$

Where  $I_0$  is initial current at cathode.



The secondary electrons produced by secondary process in terms of Townsend Secondary ionization coefficient  $\Gamma$  as

$$n_0' = \Gamma(n - n_0'')$$

$$n_0' = \Gamma(n - n_0 - n_0')$$

$$n_0' + \Gamma n_0' = \Gamma(n - n_0)$$

$$n_0' = \frac{\Gamma(n - n_0)}{1 + \Gamma} \quad \text{--- (2)}$$

Eqn (1) becomes

$$n = \left\{ n_0 + \frac{\Gamma(n - n_0)}{1 + \Gamma} \right\} e^{\alpha d}$$

$$n = \left( \frac{n_0 + n_0/\Gamma + n\Gamma - n_0/\Gamma}{1 + \Gamma} \right) e^{\alpha d}$$

$$n + n\Gamma = n_0 e^{\alpha d} + n\Gamma e^{\alpha d}$$

$$n + n\Gamma - n\Gamma e^{\alpha d} = n_0 e^{\alpha d}$$

$$n(1 + \Gamma - \Gamma e^{\alpha d}) = n_0 e^{\alpha d}$$

$$n = \frac{n_0 e^{\alpha d}}{1 - \Gamma(e^{\alpha d} - 1)} \quad \text{--- (3)}$$

$\therefore$  Current produced due to this number of electrons reaching at anode is



$$I = \frac{I_0 e^{\alpha d}}{1 - r(e^{\alpha d} - 1)}$$

— (4)

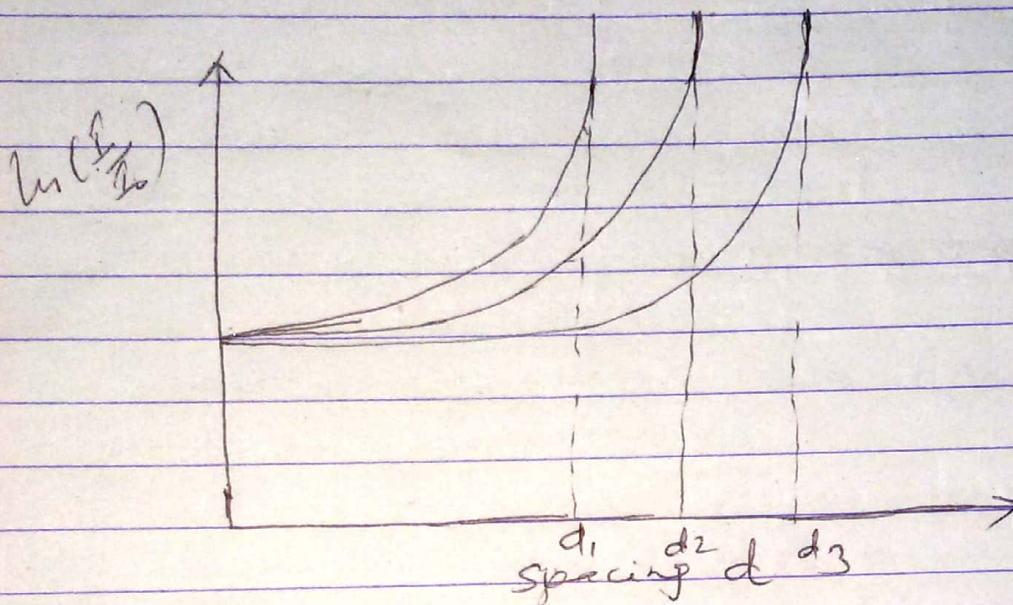


Fig: Growth of current in Townsend discharge