

1. R&N P 3.16

a. states: The current combination of wooden pieces with orders, flippings and choices of connectors.

Initial state: A empty board without any pieces.

Actions: Add a piece to previous connectable ~~connector~~ pieces

Transition model: The ~~re~~ resulting state after adding a new piece.

Goal test: A railway has no overlapping tracks and no loose ends without pieces left.

cost: The number of wooden pieces.

b. I will choose DFS. ~~The~~ This problem has a big state space only when depth reach 32, the problem will be solved. BFS or iterative deeping will take too much memory or step cost.

c. The function of a 'fork' is to create or merge splits. The 4 forks are 2 by 2 matched. Without any fork, these tracks will not have a no loose end.

d. Assume every piece is unique. There will be $12 + 16 \times 2 + 2 \times 2 + 2 \times 2 \times 2$ selections of pieces and flippings. On top of this, there will be at most 3 choices of connectors. Max branching factor = $3 \times (12 + 16 \times 2 + 2 \times 2 + 2 \times 2 \times 2) = 168$
maximum depth will be 32 total size = 168^{32}

If pieces are not unique total size = $\frac{168^{32}}{12! 16! 2! 2!}$

2. R&N Problem 3.8

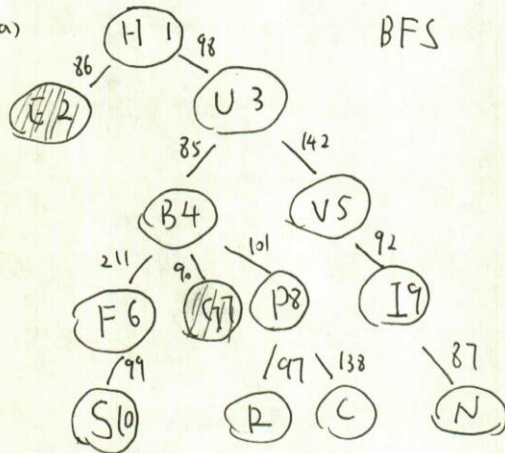
- a. If actions can have arbitrarily large negative cost, we need to explore all state space because left actions could lead to lower cost.
- b. It helps ^{for tree} because it will provide a upper bound C_n . C is the best ~~se~~ case. However, It can not guarantee no loop for graph, which ~~doesn't~~ doesn't help.
- c. The agent will go into a continuous loop.
- d. Humans are not willing to visit a place several times, which means the cost to visit the same place will be higher than first visit. We can add a function that the cost is relative to the times visited to avoid looping.
- e. people drink alcohol and alcohol addict people to drink.

EGCS 592

XINRUI ZHANG

Project 1

(a)



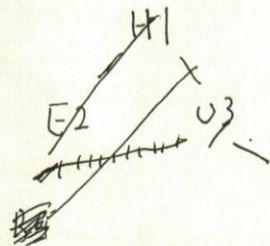
BFS

$H \rightarrow U \rightarrow B \rightarrow F \rightarrow S$

Cost = 493

not optimal

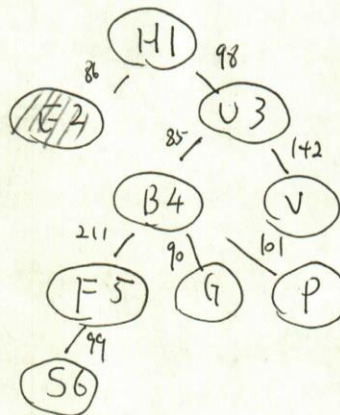
(b). DFS



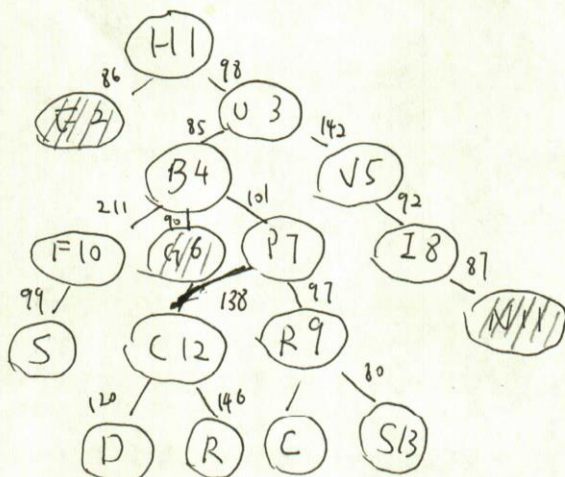
$H \rightarrow U \rightarrow B \rightarrow F \rightarrow S$

Cost = 493

not optimal



(c).



$H \rightarrow U \rightarrow B \rightarrow P \rightarrow R \rightarrow S$

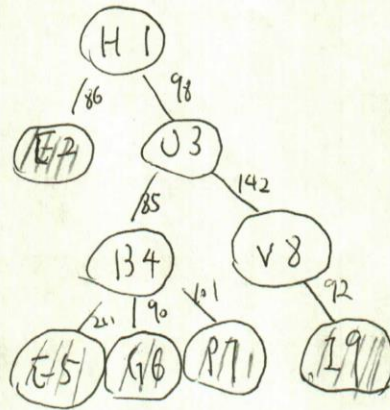
Cost = 461

optimal

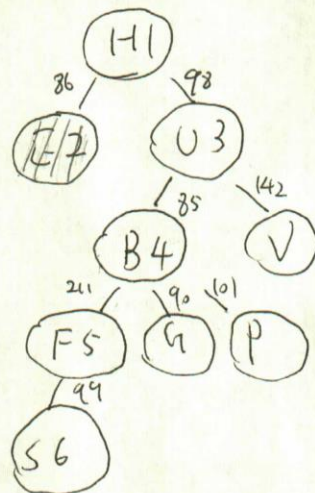
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cd. IDS

depth = 3



depth = 4



$H1 \rightarrow U3 \rightarrow B4 \rightarrow F5 \rightarrow S6$
cost = 493

not optimal