Acceptance by NPDAs

Configuration: A configuration is an element Qx Zxp* and tells us "everything" about the current

The start configuration is always (s, x, 1) start state imputstriby

situation.

The next config. relation denoted by describes how the machine can move

from one config to another.

((4,00,A), (42,8)) E then Yyez*, PET* (91, ay, AB) (92, y, 8B)

If $((41, 2, A), (42, 8)) \in 8$ Yyez*, YPET* (9, y, AP) (9, y, 8B)

$$\begin{array}{cccc}
C & \stackrel{\circ}{\longrightarrow} & \stackrel{\hookrightarrow}{\hookrightarrow} & \stackrel{\hookrightarrow}{\hookrightarrow} & \stackrel{\hookrightarrow}{\longrightarrow} & \stackrel{\longrightarrow}{\longrightarrow} & \longrightarrow$$

$$M$$
 accepts $X \iff (S, X, L) \xrightarrow{*} M (9, E, 8)$
for some $9 \in F$

There is another way/convention for acceptance which is defined based on empty stack rather than accept state. In that convention, we don't need F.

M accept $X \iff (s, x, \bot) \xrightarrow{\#} (q, \varepsilon, \varepsilon)$ These two definitions are "equivalent so we use the former convention.

CFGs vs NPDAs

X If A = L(G) for some (FG G, then we can always find an NPDA

then we can always find an NPDA M such that L(M) = L(G).

* In fact, we can find M with only 2 states!

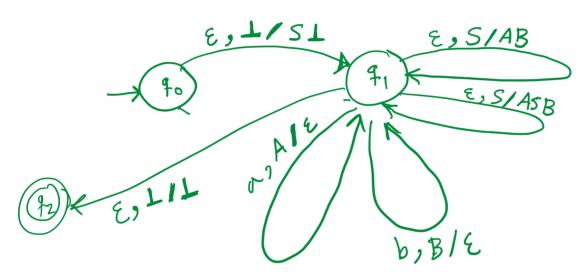
S -> ASB | AB

L(6)= 3 a " 6": n> 13

A -3 a

乃つり

(4, 5 L) e (4, 5 L)



* For every NPDA M, F a CFG G such that L(M)=L(G). (proof?)

CFG & MPDAS

Deterministic PDAS (DPDA)

E-transitions * ho

* 8 is a function (rather than a relation)

* The end of the input string is marked by -

x=abca+

* It is very easy to check

if * is accepted by a DPDA.

(no need for CKY).

* Some languages can be described by CFGs/NPDAs but not with DPDAs.

* DPDAs are closed under complementation.

A <-> Z *-A

[we can switch accept with non-accept states]