Your Title Your Subtitle

Your name

Email: XXX@xxx.cuhk.edu.hk Office: Pavilion of Harmony, CUHK

The Chinese University of Hong Kong

March 27, 2024





- Cite and Footnote
- 2 Text, Lists, Tables and Figures
- 3 Columns, Code, Links and Footnote
- 4 Equations and Blocks
- 6 References



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Cite and Footnote I



Attention Is All You Need^[1]

^[1] Vaswani et al., "Attention is All you Need", 2017.

Cite and Footnote II



Long Short-Term Memory^[2]

Short name (CUHK) Short title March 27, 2024 5/21



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Text and lists



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Text and lists



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$$i\hbar\frac{\partial}{\partial t}|\Psi(t)\rangle=\hat{H}|\Psi(t)\rangle$$



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Short name (CUHK)



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Figure



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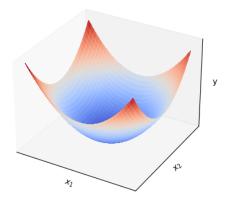


Figure 1: Convex Surface

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Table



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Index	Areas (m^2)	Rent (HKD)
1	40	134072
2	92	182241
3	37	134731
4	124	204325
5	88	187375



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Columns



- Sed ut perspiciatis unde omnis iste natus error sit voluptatem accusantium doloremque laudantium.
- Nemo enim ipsam voluptatem quia voluptas sit aspernatur aut odit aut fugit.
- Totam rem aperiam, eaque ipsa quae ab illo inventore veritatis et quasi architecto beatae vitae dicta sunt explicabo.

Columns



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Figure 2: Lenna



Algorithm 1 An algorithm with caption

```
Require: n > 0
Ensure: y = x^n
  y \leftarrow 1
   X \leftarrow x
   N \leftarrow n
   while N \neq 0 do
        if N is even then
            X \leftarrow X \times X
            N \leftarrow \frac{N}{2}
        else if N is odd then
            y \leftarrow y \times X
            N \leftarrow N-1
        end if
   end while
```

Links



- Beamer (LaTex) Wikipedia
- Please refer to page 2.
- https://en.wikipedia.org/wiki/Beamer_(LaTeX)

Footnote



Beamer is a LaTeX document class for creating presentation slides, with a wide range of templates and a set of features for making slideshow effects. It supports pdfLaTeX, LaTeX + dvips, LuaLaTeX and XeLaTeX. The name is taken from the German word "Beamer" as a pseudo-anglicism for "video projector".

¹https://en.wikipedia.org/wiki/Beamer_(LaTeX)



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Example



Example

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Theorem



Theorem

 $\mathbf{X}^T\mathbf{X}$ is invertible \iff \mathbf{X} has linearly independent columns.

Theorem



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 $\mathbf{X}^T\mathbf{X}$ is invertible \iff \mathbf{X} has linearly independent columns.

Proof.

Firstly, note that $\mathbf{X}^T\mathbf{X} \in \mathbf{R}^{n \times n}$. We denote $N(\mathbf{X})$ as the kernel (nullspace) of \mathbf{X} , and $R(\mathbf{X})$ as the range (column space) of \mathbf{X} . We prove $\mathbf{X}^T\mathbf{X}$ and \mathbf{X} share the same kernel such that once $N(\mathbf{X}) = 0$, $N(\mathbf{X}^T\mathbf{X}) = 0$ and vice versa.



Proof.

1) Prove $N(\mathbf{X}) \subset N(\mathbf{X}^T\mathbf{X})$

$$\forall v \in N(\mathbf{X}), \mathbf{X}^T \mathbf{X} v = \mathbf{X}^T 0 = 0$$

$$\implies v \in N(\mathbf{X}^T\mathbf{X}) \implies N(\mathbf{X}) \subset N(\mathbf{X}^T\mathbf{X}).$$



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2) Prove
$$N(\mathbf{X}^T\mathbf{X}) \subset N(\mathbf{X})$$

$$\forall v \neq 0 \in N(\mathbf{X}^T \mathbf{X}), \ \mathbf{X}^T \mathbf{X} v = 0 \implies v \in N(\mathbf{X}^T) \text{ or } \mathbf{X} v \in N(\mathbf{X}^T).$$

However, we have $R(\mathbf{X}) \perp N(\mathbf{X}^T)$ and $\mathbf{X}v \in R(\mathbf{X})$,

$$\implies \mathbf{X}v \perp N(\mathbf{X}^T) \implies \mathbf{X}v \notin N(\mathbf{X}^T) \implies v \in N(\mathbf{X}^T)$$

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1), 2)
$$\Longrightarrow$$
 $N(X^TX) = N(X)$



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- [1] Ashish Vaswani et al. "Attention is All you Need". In: Advances in Neural Information Processing Systems. Ed. by I. Guyon et al. Vol. 30. Curran Associates, Inc., 2017.
- [2] Sepp Hochreiter and Jürgen Schmidhuber. "Long Short-Term Memory". In: Neural Computation 9.8 (Nov. 1997), pp. 1735–1780. ISSN: 0899-7667.

Reference Links



- Overleaf Documentation
- Learn LaTeX in 30 Minutes
- LaTeX Beamer Overleaf
- Beamer Presentations: A Tutorial for Beginners