HW11

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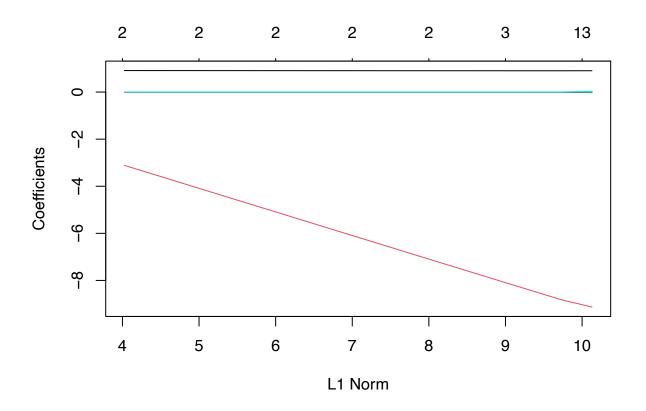
```
##Problem 1
data = read.csv("used_car.csv")
library(caret)
## Loading required package: ggplot2
## Loading required package: lattice
folds <- createFolds(data$price, 10)</pre>
folds <- createFolds(data$price, 10)</pre>
rmse <- matrix(0, 10, 2)
for (k in 1:10) {
  train <- data[-folds[[k]], ]</pre>
  validation <- data[folds[[k]], ]</pre>
  fit1 = lm(price ~ . , data = data)
  pred1 <- predict(fit1, newdata = validation)</pre>
  rmse[k, 1] <- sqrt(mean((validation$price - pred1)^2))</pre>
  fit2 = lm(log(price) \sim ., data = data)
  pred2 <- predict(fit2, newdata = validation)</pre>
  rmse[k, 2] <- sqrt(mean((validation$price - exp(pred2))^2))</pre>
}
#fit1 and fit 2 RMSE scores
print(rmse)
##
              [,1]
                       [,2]
## [1,] 1586.786 1934.863
## [2,] 1571.835 1850.644
## [3,] 1629.137 1987.352
## [4,] 1605.368 1915.405
## [5,] 1615.490 1890.475
## [6,] 1582.400 1771.555
## [7,] 1593.941 1773.516
## [8,] 1611.223 1864.247
## [9,] 1638.860 1887.941
## [10,] 1556.380 1748.235
```

```
#fit1 and fit2 mean RMSE
colMeans(rmse)
## [1] 1599.142 1862.423
\#https://stackoverflow.com/questions/18047896/column-standard-deviation-r
#fit1 and fit2 RMSE standard deviation
apply(rmse, 2,sd)
## [1] 25.74122 77.77630
##Problem 2 #Procedure 1 already uses a model selection process at step 1. The folds may be redundant
and can overfit. Procedure 2 independently creates different folds to get candidate models.
##Problem 3 a) True, as lambda decreases (towards model 2), beta ridge decreases so the ratio (beta ridge
vs beta ols) approaches 1 b) True, model 1 has a higher lambda (increases penalty term and therefore bias)
c) True, in sample SSE/training decreases when lambda decreases d) True, we cannot determine test errors
with the current given information
##Problem 4 a)Yes, I expect collinearity because brozek and siri are derived in a similar formula and body
fat may be spread out on the various body measurements.
data = data(fat, package = "faraway")
help(fat)
## No documentation for 'fat' in specified packages and libraries:
## you could try '??fat'
##??faraway::fat
  b)
library(glmnet)
## Loading required package: Matrix
## Loaded glmnet 4.1-6
data(fat, package = "faraway")
x <- model.matrix(brozek ~ ., data = fat)[, -1]</pre>
y <- fat$brozek
  c)
#fat.df <- data.frame(fat)
index <- sample(nrow(fat), round(nrow(fat) * 0.8))</pre>
xtrain <- x[index, ]</pre>
```

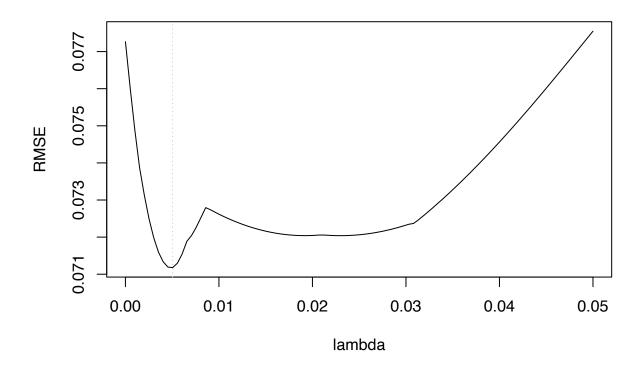
```
ytrain <- y[index]
xvalidation <- x[-index, ]
yvalidation <- y[-index]
grid = seq(0, 0.05, length = 100)
fit.lasso <- glmnet(x, y, alpha = 1, lambda = grid)
rmse <- rep(0, length(grid))
for (i in 1:length(grid)) {
   pred <- predict(fit.lasso, s = grid[i], newx = xvalidation)
   rmse[i] <- sqrt(mean((yvalidation - pred)^2))
}
min(rmse) #optimal rmse</pre>
```

[1] 0.07117786

plot(fit.lasso)



```
plot(grid, rmse, "l", xlab = "lambda", ylab = "RMSE")
abline(v = grid[which.min(rmse)], col = "gray", lty = 3)
```



```
fit.lasso.cv <- cv.glmnet(x, y, alpha = 1, lambda = grid)
fit.lasso.cv$lambda.min</pre>
```

[1] 0.03787879

d) Yes, lambda changes a lot because there are a lot of collinear terms, which results in a lower beta values