

# Ontology and Taxonomy

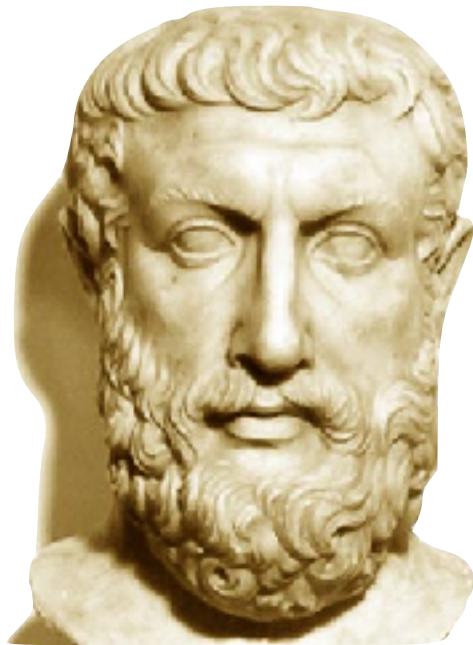
Computational Linguistics

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# Ontology

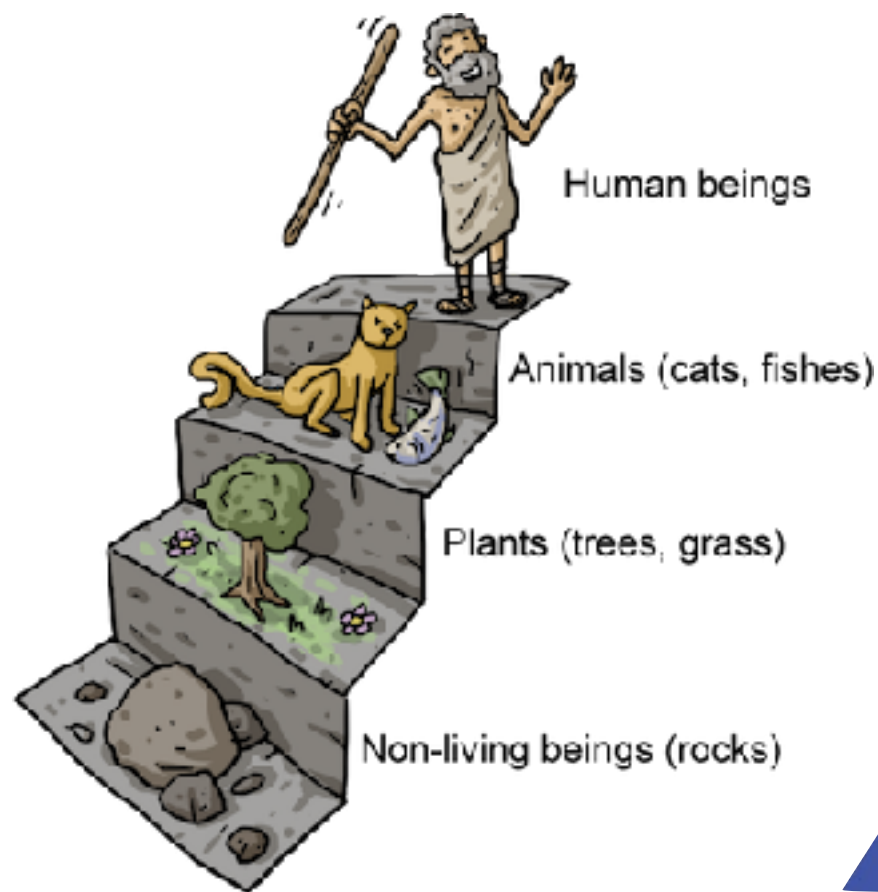


Nature of being, becoming, existence, or reality,  
as well as the **basic categories** of being and their **relations**.

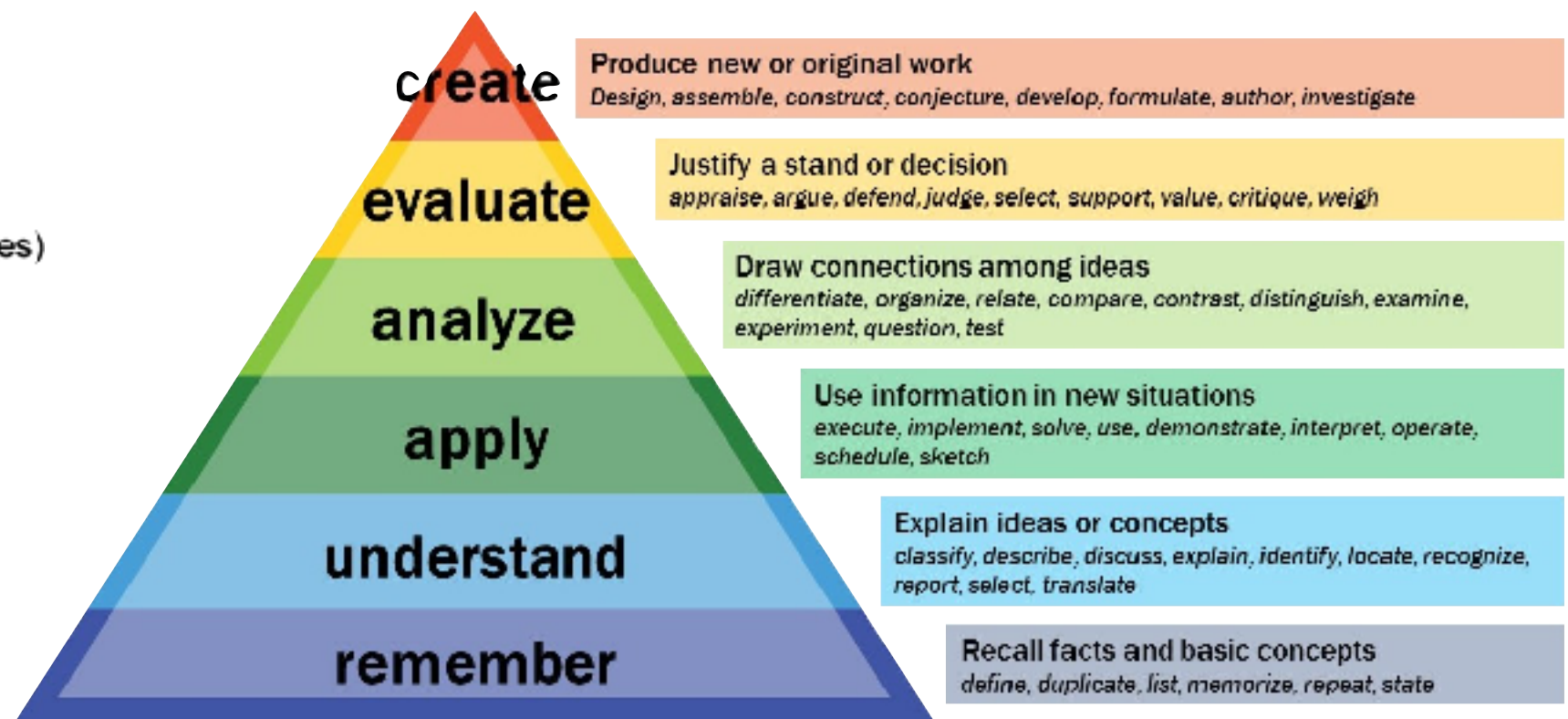
**Types, properties, and interrelationships** of the entities  
that fundamentally exist for a particular domain of discourse.

# Taxonomy

The science of **classification** according to a pre-determined system, with the resulting **catalog** used to provide a **conceptual framework** for discussion, analysis, or information retrieval.



## Bloom's Taxonomy



# WordNet

A lexical database that groups nouns, verbs, adjectives and adverbs into sets of **cognitive synonyms** (synsets) interlinked by **conceptual-semantic** and **lexical relations**.

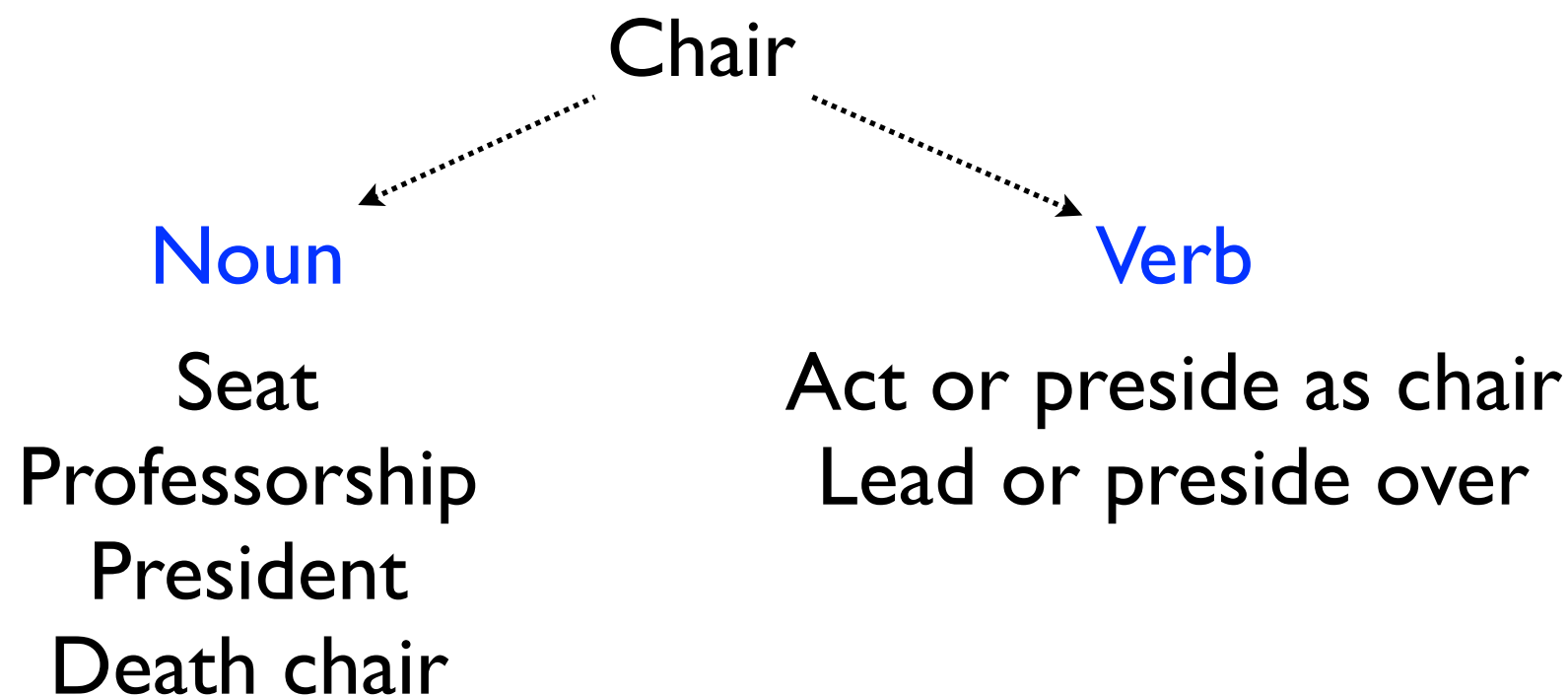
Synonymy, Antonymy, Hyponymy, Meronymy

POS	Words	Synsets	Senses
Noun	117,798	82,115	146,312
Verb	11,529	13,767	25,047
Adjective	21,479	18,156	30,002
Adverb	4,481	3,621	5,580
Total	155,287	117,659	206,941

<http://wordnet.princeton.edu>

# Word Sense

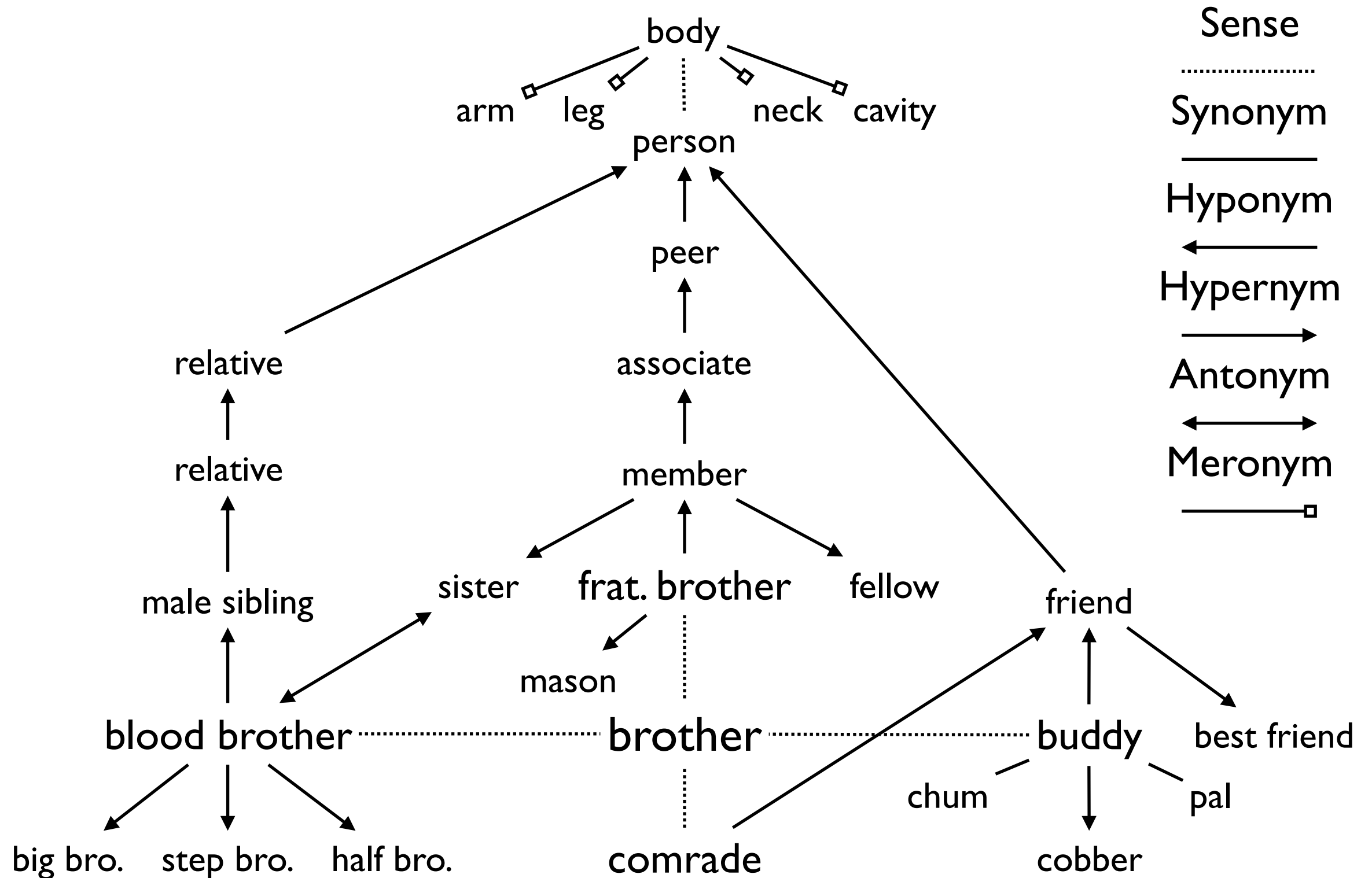
A **word** can have multiple meanings (senses).



How **fine-grained** do word senses need to be?

**Automatically** distinguish word senses?

# Lexical Relation



# Entailment

If ( $V_1$  is true), then ( $V_2$  must be true).

If (A is **snoring**), then (A must be **sleeping**).

Unless  $V_1$  and  $V_2$  are synonyms, the converse is not true.

If (A is **sleeping**), then (A must be **snoring**).

The contradiction is true.

If (A is **not sleeping**), then (A must **not** be **snoring**).

Temporal inclusion

$T(V_1) \subseteq T(V_2)$  : If (A is **snoring**), then (A must be **sleeping**).

$T(V_1) \supseteq T(V_2)$  : If (A **bought** B), then (A must have **paid** for B).

$T(V_1) = T(V_2)$  : If (A is **marching**), then (A must be **walking**).

# Hyponym

(To  $E_1$ ) is a kind of (to  $E_2$ ).

Noun

A **horse** is a **kind of** an **animal**.

Verb

**Ambling** is a **kind of** **walking**.

Multiple hyponyms

A **mule** is a **kind of** a **donkey** and a **horse**.

**Ambling** is a **kind of** **walking** and **being slow**.



# Troponym

(To  $V_1$ ) is (to  $V_2$ ) in some particular manner.

(To shout) is (to talk) loud.

(To amble) is (to walk) in slow, relaxed manner.

Troponyms  $\rightarrow$  “entailments with temporal inclusions”.

(To amble)  $\rightarrow$  (To walk)

(To amble)  $\subseteq$  (To walk)

## Co-Troponym

Siblings differentiated by their manner.

To walk/run is to move at a pace/fast.

# Backward Presupposition

## Backward Presupposition

If A **failed/succeeded** in B, then A must have **done** B.

If A **forgot** B, A must have **known** B”

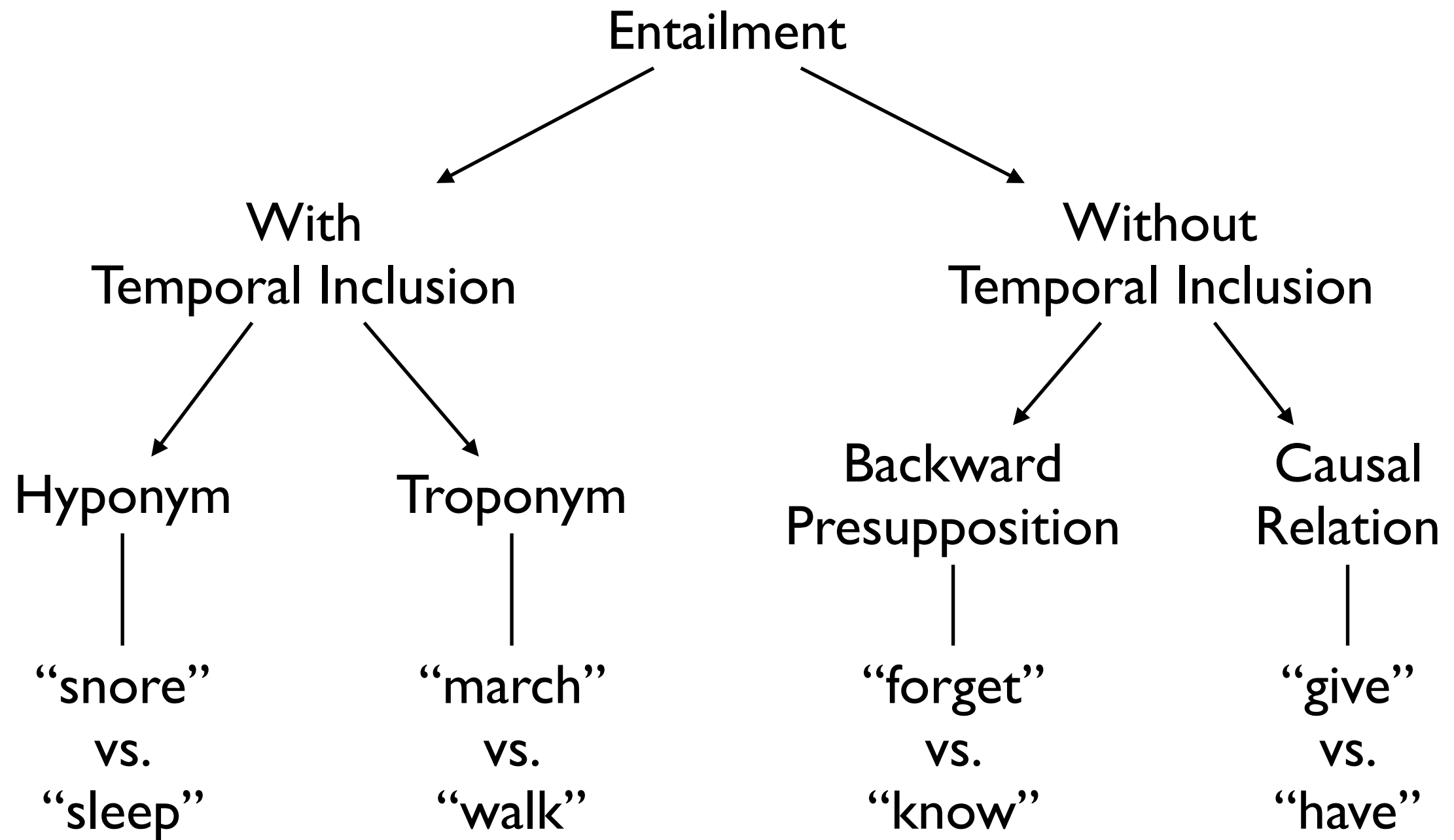
If A is **rejected** for B, A must have **applied** for B.

## Causative Relations

(V1 causes V2)  $\rightarrow$  (V1 entails V2).

(**Give** A to B) entails (B **have** A).

# Entailment



# WordNet Similarity

Path Lengths

Wu and Palmer, 1994

Leacock and Chodorow, 1998

Resnik, 1995

Jiang and Conrath, 1997

Lin, 1998

<http://ws4jdemo.appspot.com>

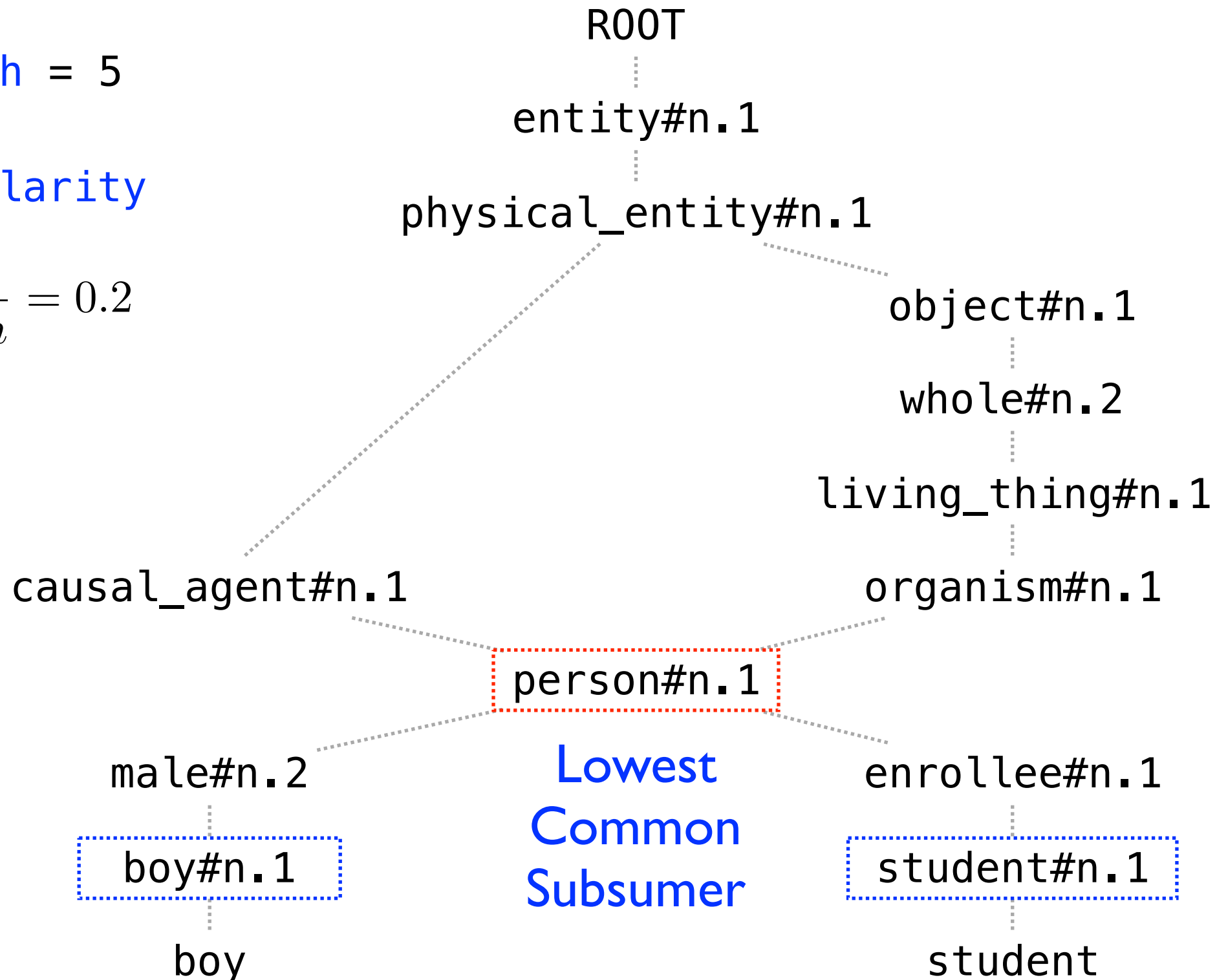


# Path Length

Path = 5

Similarity

$$\frac{1}{path} = 0.2$$

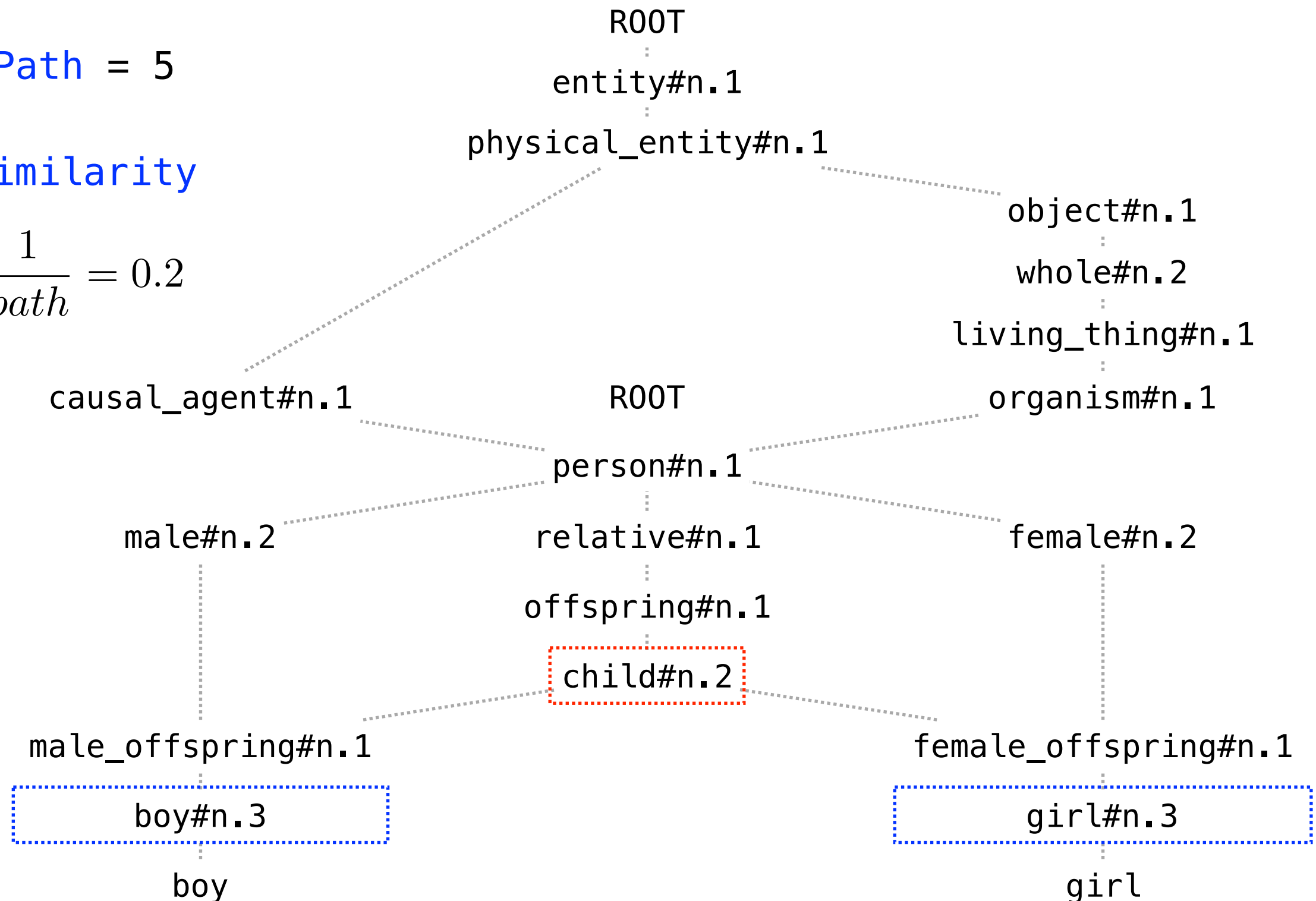


# Path Length

Path = 5

Similarity

$$\frac{1}{path} = 0.2$$



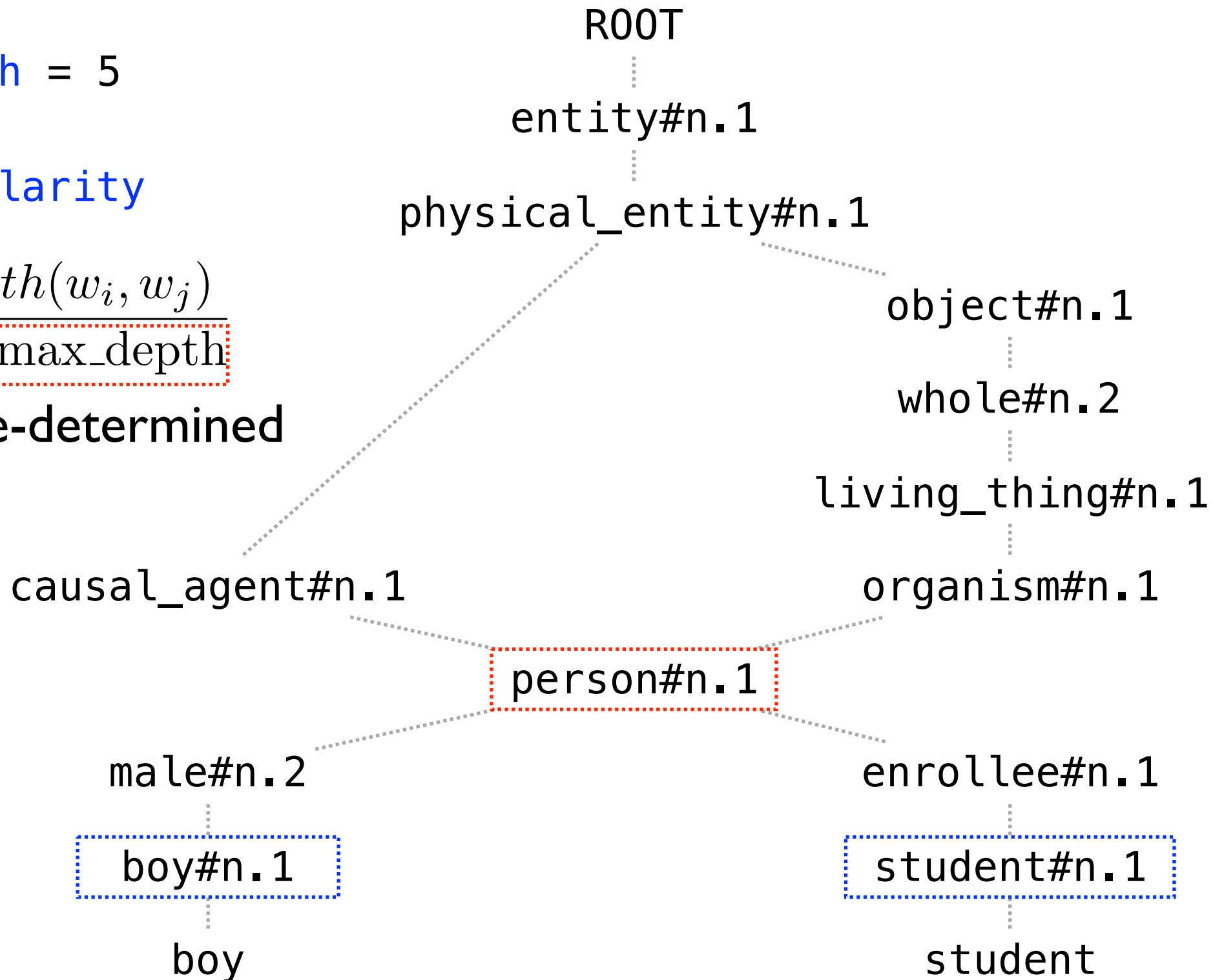
# Leacock and Chodorow, 1998

Path = 5

Similarity

$$-\log \frac{\text{path}(w_i, w_j)}{2 \cdot \text{max\_depth}}$$

pre-determined

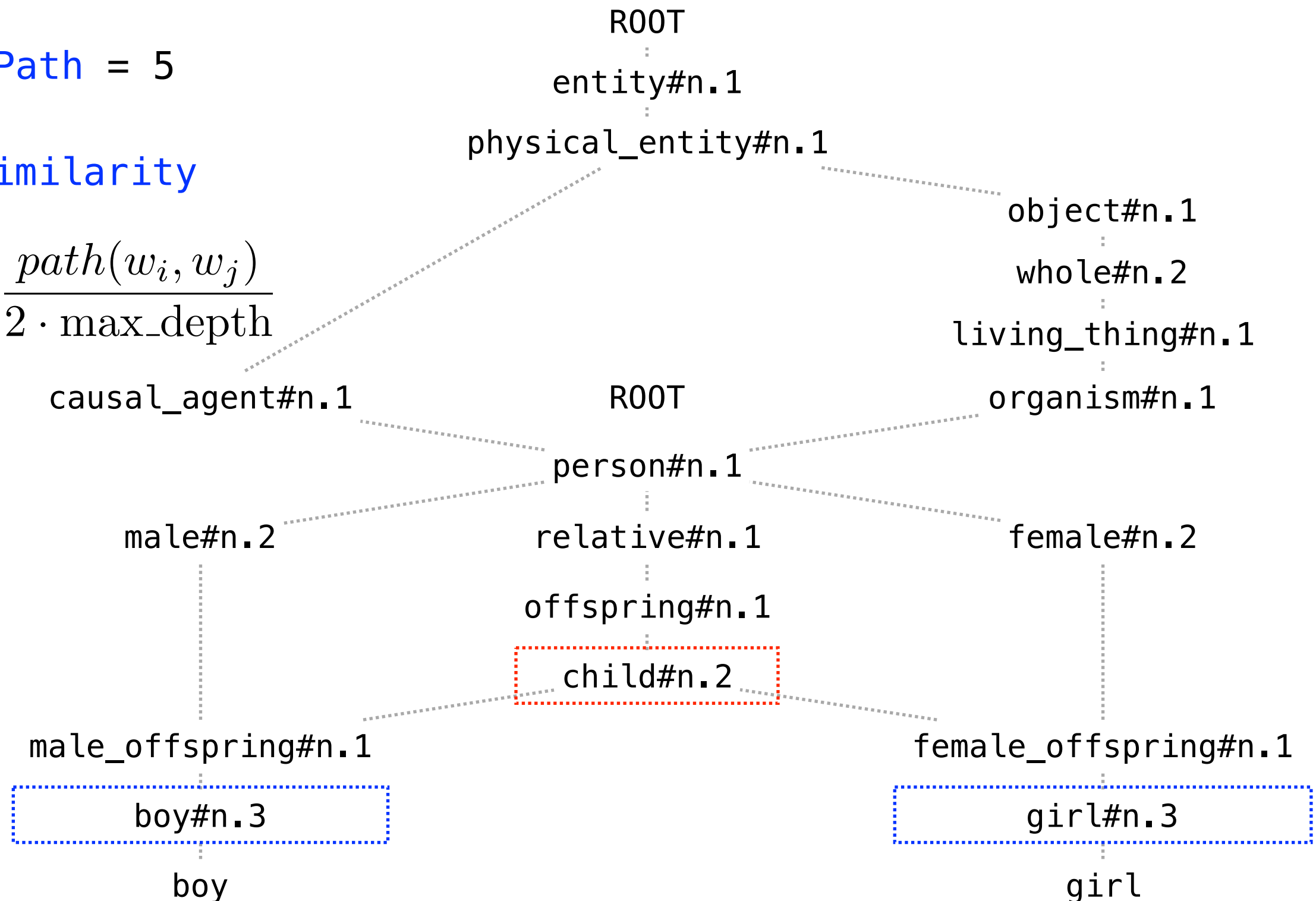


# Leacock and Chodorow, 1998

Path = 5

Similarity

$$-\log \frac{\text{path}(w_i, w_j)}{2 \cdot \text{max\_depth}}$$

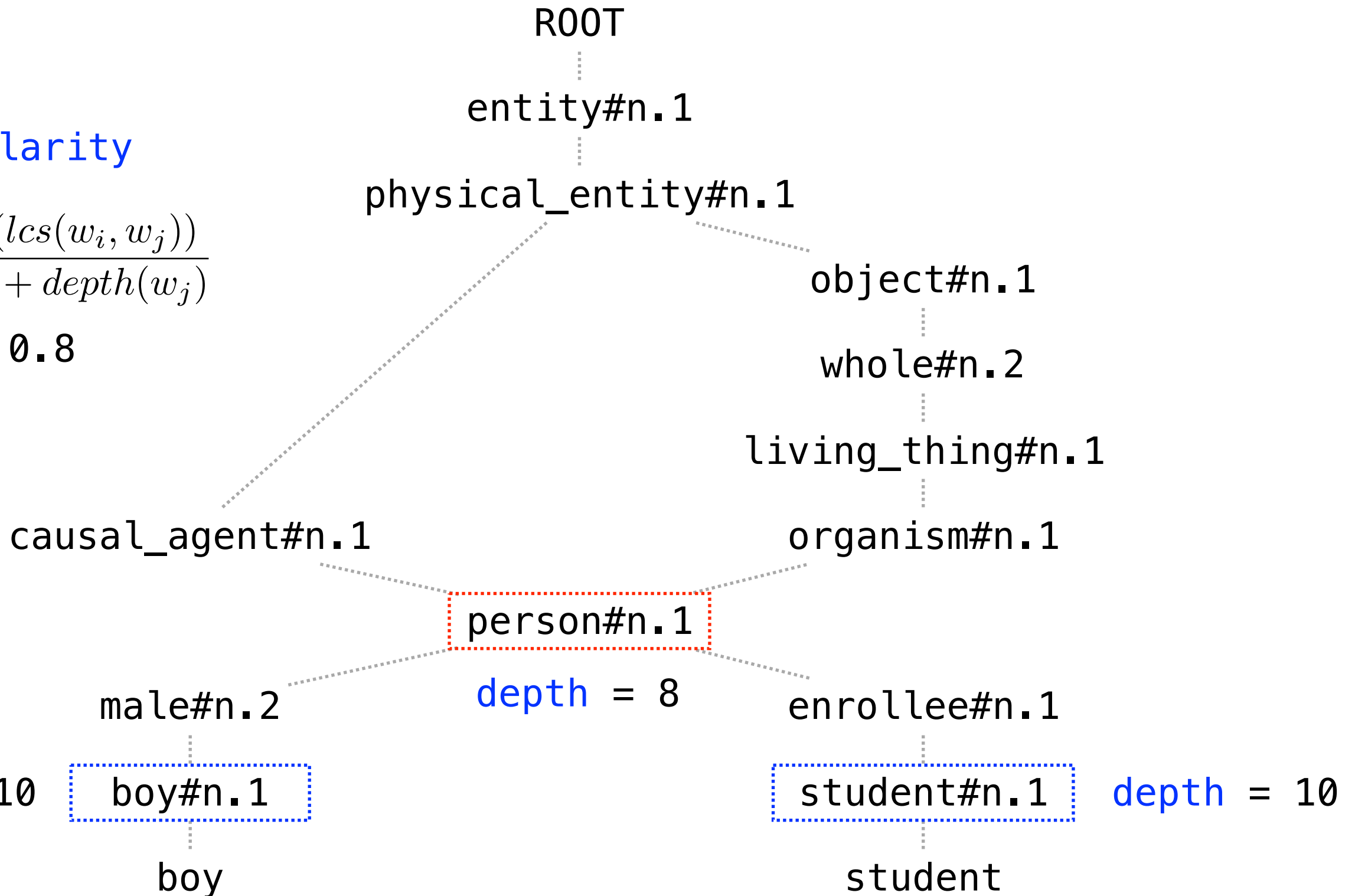




# Wu & Palmer, 1994

## Similarity

$$\frac{2 * \text{depth}(\text{lcs}(w_i, w_j))}{\text{depth}(w_i) + \text{depth}(w_j)} = 0.8$$

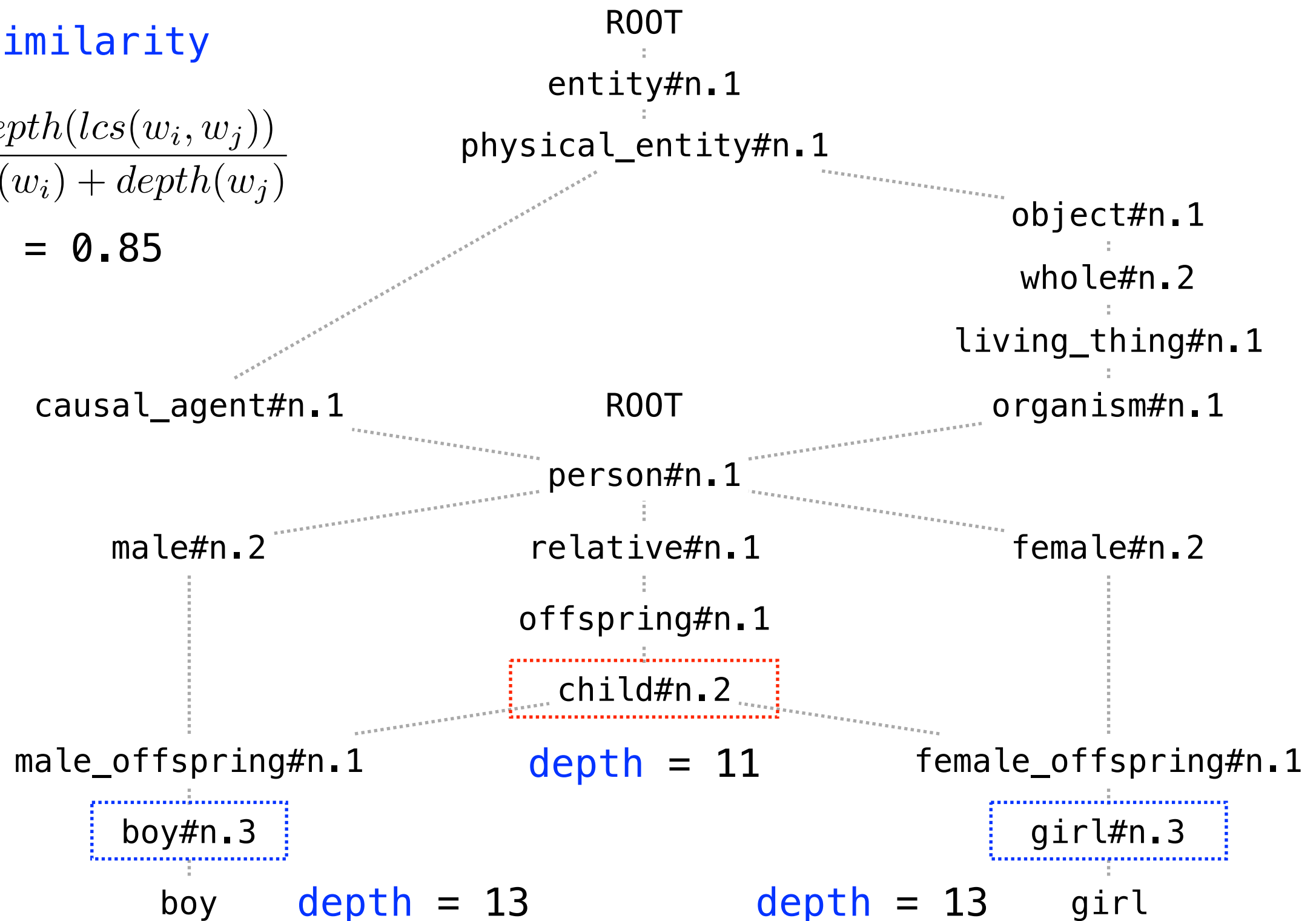


# Wu & Palmer, 1994

## Similarity

$$\frac{2 * \text{depth}(\text{lcs}(w_i, w_j))}{\text{depth}(w_i) + \text{depth}(w_j)}$$

= 0.85



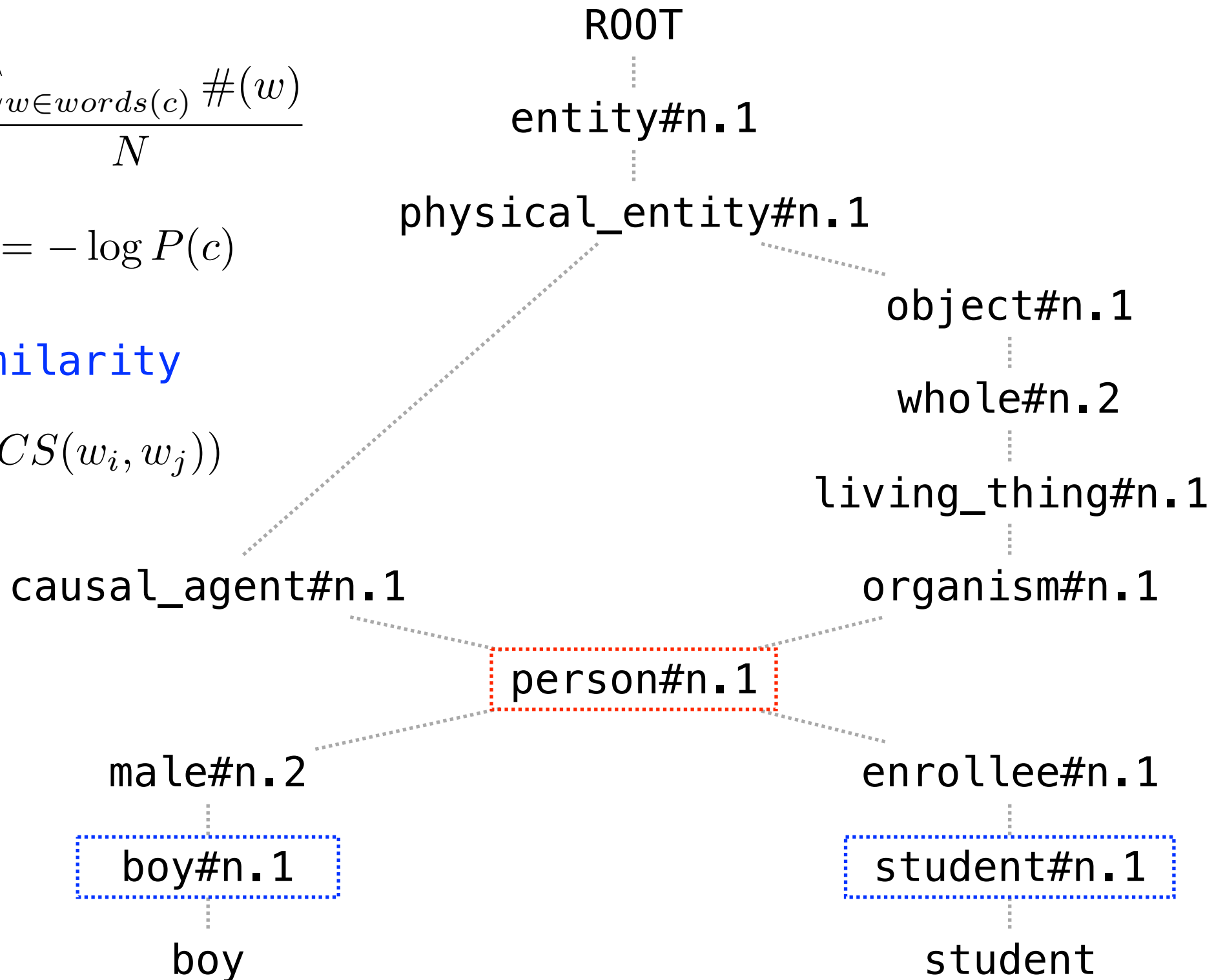
# Resnik, 1995

$$P(c) = \frac{\sum_{w \in words(c)} \#(w)}{N}$$

$$IC(c) = -\log P(c)$$

Similarity

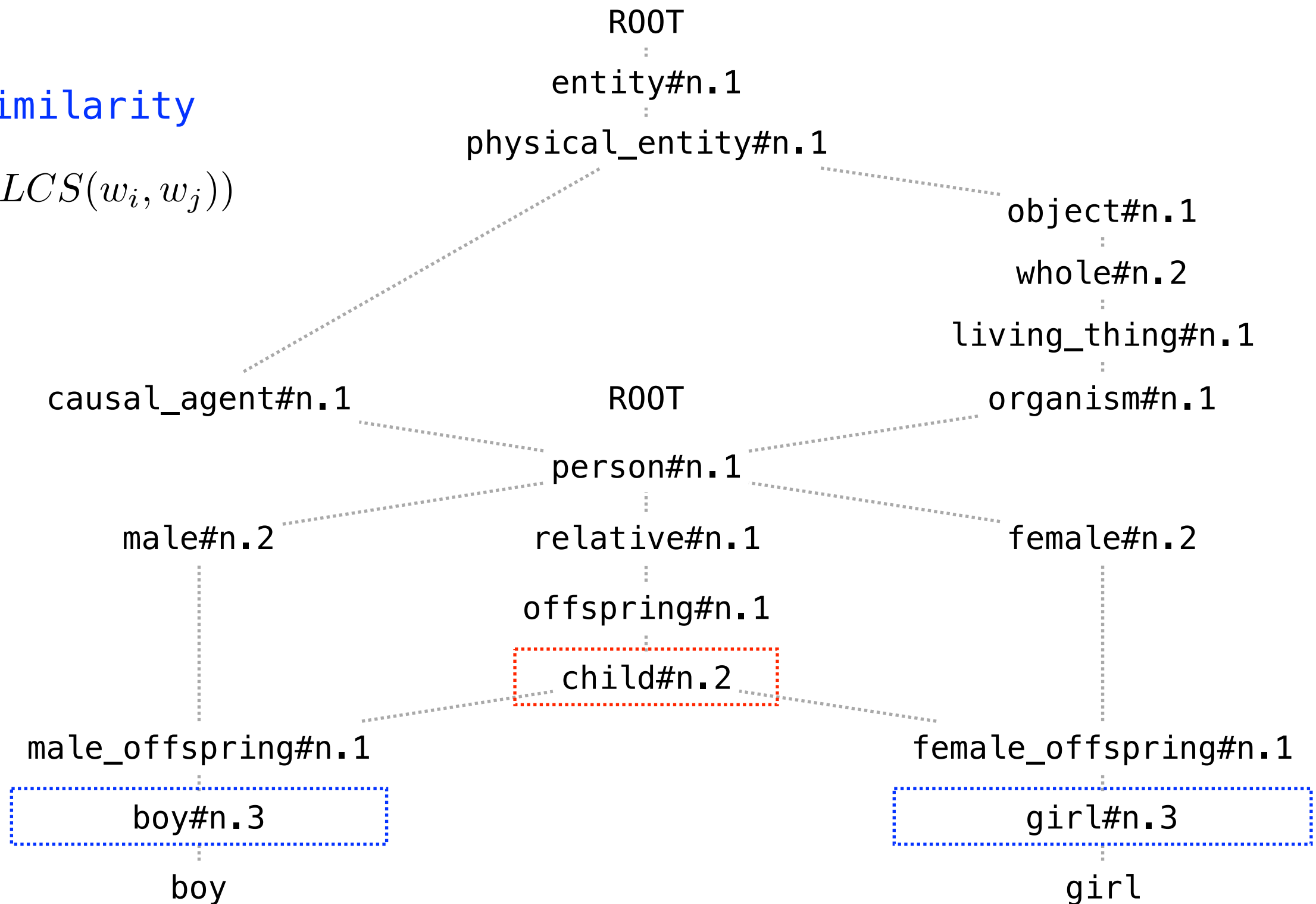
$$IC(LCS(w_i, w_j))$$



# Resnik, 1995

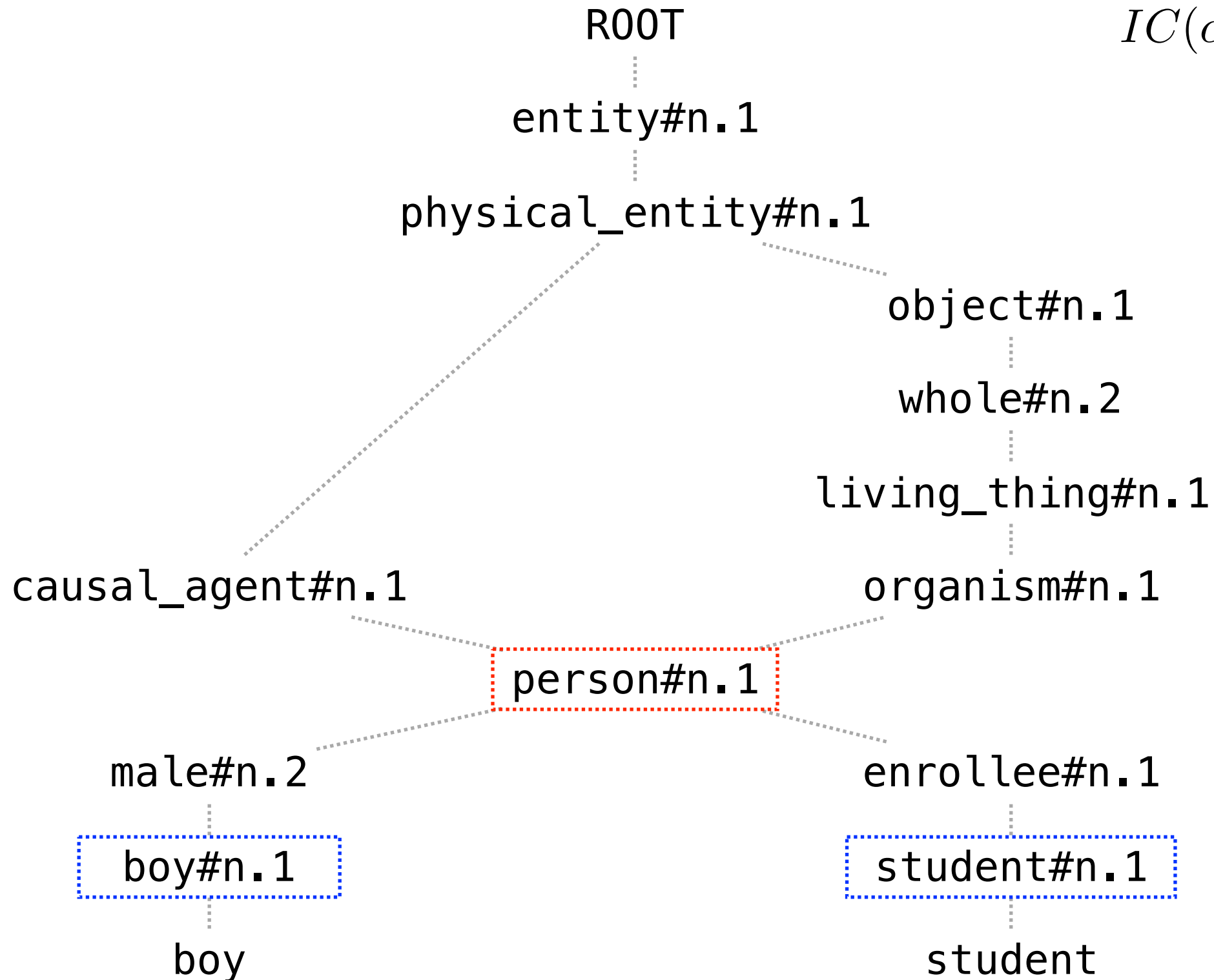
## Similarity

$$IC(LCS(w_i, w_j))$$



$$(IC(c_i) + IC(c_j)) - 2 \cdot IC(LCS(c_i, c_j))$$

$$\frac{IC(LCS(w_i, w_j))}{IC(c_i) + IC(c_j)}$$



$$(IC(c_i) + IC(c_j)) - 2 \cdot IC(LCS(c_i, c_j))$$

$$\frac{IC(LCS(w_i, w_j))}{IC(c_i) + IC(c_j)}$$

