```
##########EX3
rm(list=ls())
danceability <- read.table('danceability.txt', header=TRUE)</pre>
head(danceability)
mod1 < -lm(danceability \sim loudness + energy + tempo, data =
danceability)
summary(mod1)
mod1$coefficients
sigma2=sum (mod1$residuals^2) /mod1$df
sigma2
summary(mod1)$sigma #0.9350057
shapiro.test(mod1$residuals) # p-value = 0.6654 gaussiani
par(mfrow = c(2,2))
plot(mod1)
vif(mod1)
#loudness
          energy
                     tempo
#2.282505 2.279888 1.001943
library(car)
linear Hypothesis (mod1, rbind(c(0,1,0,0),
                             c(0,0,1,0)), c(0,0)) #2.112e-06 *** ***
influisce
mod2 <-lm(danceability \sim loudness + tempo, data = danceability)
summary(mod2)
mod2$coefficients
summary(mod2)$sigma
shapiro.test(mod2$residuals) # p-value = 0.6654 gaussiani
x11()
par(mfrow = c(2,2))
plot(mod2)
lmm1 = lmer(danceability ~ loudness + tempo + (1|genre),
            data = danceability)
summary(lmm1)
print(vc <- VarCorr(lmm1), comp = c("Variance", "Std.Dev."))</pre>
help(get variance)
sigma2 eps <- as.numeric(get variance residual(lmm1))</pre>
sigma2 eps
sigma2 b <- as.numeric(get variance random(lmm1))</pre>
sigma2 b
# Another way to interpret the variance output is to note percentage of the
student variance out
# of the total, i.e. the Percentage of Variance explained by the Random
Effect (PVRE).
\# This is also called the intraclass correlation (ICC), because it is also
an estimate of the within
# cluster correlation.
PVRE <- sigma2 b/(sigma2 b+sigma2 eps)
PVRE #0.1034443
x11()
```

```
dotplot(ranef(lmm1))  # the equal length of the interval is due to the
fact that all schools have the same number of obs

# Random intercepts and fixed slopes: (beta_0+b_0i, beta_1, beta_2)
coef(lmm1)
head(coef(lmm1)$school_id)
```