

COMPUTATIONAL BIOLOGY

Instituto Superior Técnico

2017/2018

BC_LAB# 4 - PROBABILISTIC MODELS

Group I (10 points)

CpG islands are regions of DNA characterized by a large number of adjacent cytosine and guanine nucletoides linked by phosphodiester bonds. Additionally, CpG islands appear in some 70% of promoters of human genes (40% of mammalian genes). Unlike CpG sites in the coding region of a gene, in most instances the CpG sites in CpG islands are unmethylated if genes are expressed. This observation led to the speculation that methylation of CpG sites in the promoter of a gene may inhibit the expression of a gene. (Wikipedia, retrieved Feb 2007).

- 1. Consider the DNA sequence in file *genome.tx*t. By using tools from the "Sequence Manipulation Suite (http://www.bioinformatics.org/sms2/)" and CpGPlot available at (http://www.ebi.ac.uk/Tools/emboss/cpgplot/index.html?) the EMBL-EBI web site, characterize your genomic sequence and detect regions that are rich in the CpG pattern.
- a. (6 points) Present and comment results from the following tools: CpGPlot and CpG Islands; DNA stats and ORF Finder.
 - b. (2 points) Compare the genomic sequence in file *genome.tx*t with the ones available at the Genbank Nucleotide database.
 - c. (2 points) Compare the CpG islands identification results with the annotation of the most homologous sequence retrieved from the Genbank.

Group II (10 points)

- 2. Formally, an HMM M is defined by: an alphabet of emitted symbols; a set of (hidden) states; a matrix of state transition probabilities and a matrix of emission probabilities. Consider an HMM model with three states, to identify DNA coding regions. State 1 corresponds to the Start Site signal, state 2 corresponds to an Exon region and state 3 corresponds to an Intro region. Initial probabilities for all the three states are equal and transitions from all the states to an end state are also equal.
 - a) (1 point) Using a graphical representation, detail this model considering the transition probabilities: a11 = 0.6; a12 = 0.4; a22=0.5; a21=0.25; a23 = 0.25; a33=0.5; a31=0.25; a32=0.25 and the emission probabilities: eA = 0.4; eT = eG = 0.3 and eC = 0 for state 1; eA = eT = 0.1 e eC = eG = 0.4 for state 2; and eA = 0.4; eT = 0.3; eC = 0.3;
 - b) (5 points) Using the previous HMM model and considering the DNA sequence X = CATGCGGGTTATAAC, build a program to compute the most probable sequence of states that generates sequence X. Use the programming language of your choice.

Input:

The sequence X generated by the HMM described in 2.

Output:

A path that maximizes $P(X|\pi)$ over all possible paths π

- c) (1 point) Which algorithm should be used if we need to compute the probability of this sequence being generated by this model? Justify.
- d) (3 points) Using the previous HMM model and considering the previous DNA sequence X, compute the probability P(X). Adapt the algorithm developed in b) to compute this probability.