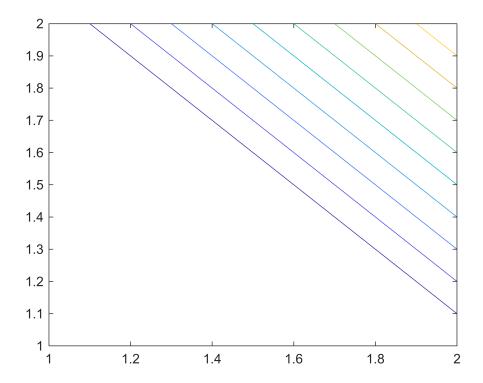
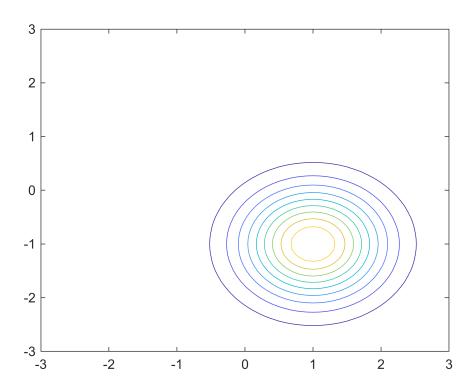
```
%% Q1 Display contour plots for an AND unit
clear;
x =[0 1];
y =[0 1]';
[X, Y] = meshgrid(x, y);
contour(and(X, Y))
```



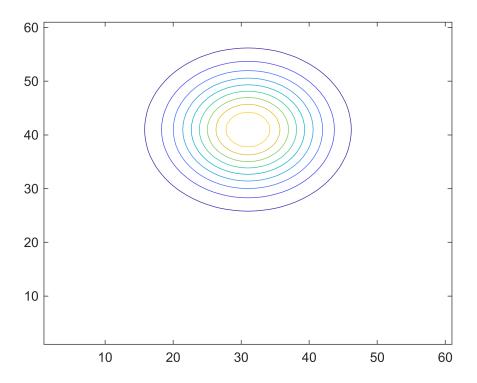
```
%% Q2 Create a contour plot for a Gaussian (radial unit), showing circular contours

clear;
% code from SingleUnit.ppt Pg. 26
[x, y]=meshgrid(-3:.1:3);
for j=1:61
    for k=1:61
        z(j,k)=rbu([x(j,k),y(j,k)],[1,-1]);
    end
end
figure Name Gaussian1
contour(x,y,z)
```

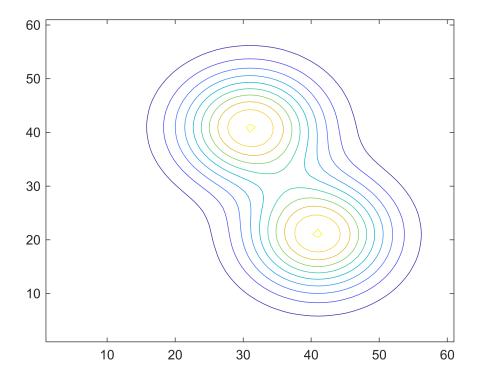


```
%% Q3 Create a function that will plot a contour plot of the sum of two Gaussians.
[x, y]=meshgrid(-3:.1:3);
for a=1:61
    for b=1:61
        z1(a,b)=rbu([x(a,b),y(a,b)],[0,1]); % picked a different proto
    end
end

figure Name Gaussian2
contour(z1);
```



zSum = z+z1; % add them together
figure Name Gaussian1+2
contour(zSum)



```
\%\% Q3 Find weight and bias parameters for an LTU that computes the NAND function. (demonstrate
clear;
x = [0 \ 0 \ 1 \ 1; \ 0 \ 1 \ 0 \ 1];
t = [1 1 1 0];
net = perceptron;
net = train(net,x,t);
net.IW
ans = 1 \times 1 cell array
   {[-2 -1]}
net.b
ans = 1×1 cell array
   {[2]}
%% Q4 Find weights and bias parameters for a 6-input unit that responds with a 1 to (0 0 1 1 0
clear;
% generate all possible combination of a input 6
x=ff2n(6)';
t = zeros(1,64);
t(14)=1; % output of 0 0 1 1 0 1 == 1
net = perceptron;
net = train(net,x,t);
net.b
ans = 1×1 cell array
   {[-3]}
net.IW
ans = 1×1 cell array
   {[-3 -4 1 1 -4 1]}
%% Q5* Find weights and bias parameters for a 6-input unit that responds with a 1 to (0 0 1 1 0
clear;
% generate all possible combination of a input 6
x=ff2n(6)'
x = 6 \times 64
                                                                      0 . . .
    0
          0
               0
                     0
                          0
                                0
                                     0
                                           0
                                                0
                                                      0
                                                           0
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               0
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                                           0
                                                1
                                                      1
                                                           1
                                                                 1
                                                                      1
    0
          0
               0
                     0
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                                                            0
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                                                                       1
    0
          0
               1
                     1
                          0
                                0
                                      1
                                           1
                                                0
                                                      0
                                                            1
                                                                 1
                                                                       0
```

0 1 0 1 0 1 0 1 0 1 0

```
t = zeros(1,64);
t(14)=1; % output of 0 0 1 1 0 1 == 1
t(46)=1; % output of 1 0 1 1 0 1 == 1

net = perceptron;
net = train(net,x,t);
```

Network Diagram

Training Results

Training finished: Met performance criterion

Training Progress

Unit	Initial Value	Stopped Value	Target Value	
Epoch	0	14	1000	<u></u>
Elapsed Time	-	00:00:02	-	
Performance	0.969	0	0	Ŧ

Training Algorithms

Data Division: Training Only dividetrain

Training: Cyclical Weight/Bias Rule trainc

Performance: Mean Absolute Error mae

Calculations: MATLAB

Training Plots

Performance Training State

Confusion

net.b

```
ans = 1×1 cell array {[-7]}
```

ans = 1×1 cell array

```
net.IW
```

```
{[0 -5 3 3 -5 1]}

%% Attachment
% Radial units funciton from SingleUnit.ppt Pg. 25
```

```
function rr = rbu( ss, proto )
% radial basis unit
% exponential of negative squared distance bewteen ss and proto
rr = exp(-sum((ss-proto).*(ss-proto)));
end
% LTU funciton from SingleUnit.ppt Pg. 17
function rr = ltu( ss, upar )
xx = upar.w*ss+upar.b ;
rr = (xx>=0)+0;
end
% LTU field funciton from SingleUnit.ppt Pg. 18
function rc = ltufield(unit,gpts)
[xc,yc]=meshgrid(gpts);
rc=unit.w(1)*xc+unit.w(2)*yc + unit.b;
figure
contourf(xc,yc,rc,[0 0],'ShowText','on');
hold on
plot([0 unit.w(1)],[0 unit.w(2)],'LineWidth',3)
quiver(0,0,unit.w(1),unit.w(2),0,'LineWidth',3,MaxHeadSize=0.9)
axis equal
end
% LTU field funciton from SingleUnit.ppt Pg. 32
function rf = rfieldltu( w,b,xpts,ypts )
plot([0 w(1)],[0 w(2)])
hold on
[xf, yf]=meshgrid(xpts,ypts);
vf=w(1)*xf+w(2)*yf+b;
rf=vf;
contour(xf,yf,rf,[0 0])
end
```