

INTRODUCTION À PYTHON¹

1ÈRE NSI

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Lycée PÉRIER of Marseille

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BULLET LIST

BULLET LIST, NON INCRÉMENTAL

- Eat Oranges
- Drink Coffee
- Drink Water

BULLET LIST NON ORDONNÉE, INCREMENTALE

- Eat Oranges

C'est moi²

BULLET LIST

BULLET LIST, NON INCRÉMENTAL

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LISTES ORDONNÉES

LISTE ORDONNÉE, NON INCREMENTALE

- 1 Fraises
- 2 Framboises
- 3 Kiwis

LISTE ORDONNÉE, INCRÉMENTALE

- 1 Fraises

C'est moi³

LISTES ORDONNÉES

LISTE ORDONNÉE, NON INCREMENTALE

- 1 Fraises
- 2 Framboises
- 3 Kiwis

LISTE ORDONNÉE, INCRÉMENTALE

- 1 Fraises
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C'est moi³

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LISTE ORDONNÉE, INCRÉMENTALE

- 1 Fraises
 - 2 Framboises
 - 3 Kiwis
- C'est moi³

alert part with *emphasis*.

MATH FORMULA

$$\sqrt{2} \approx 1.414..$$

CODE SOURCE

PYTHON CODE

```
5  for i in range(100):  
6      if i%2==0:  
7          print("Pair!")  
8  
9  while i<10:  
10     i += 1  
11  
12  def maFonction(x):  
13     print("Hello",x)
```



FIGURE 1: Image 1



FIGURE 2: Image 1

NORMAL BLOC

- item 1
- item 2

EXAMPLE BLOC

Simmons Dormitory is composed of brick.

ALERT BLOCK

Simmons Hall \neq Simmons Dormitory.

THEOREM AND PROOF (SIMPLE)

THEOREM

There is no largest prime number

PROOF.

- Suppose p were the largest prime

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There is no largest prime number

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- Suppose p were the largest prime
- Let q be ... first p numbers

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- Let q be ... first p numbers
- Then $q + 1$ is not divisible ...

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- Suppose p were the largest prime
- Let q be ... first p numbers
- Then $q + 1$ is not divisible ...
- Thus $q + 1$ is a prime ... p .

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- Let q be ... first p numbers
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THEOREM & PROOF (MEDIUM)

THEOREM

There is no largest prime number.

PROOF.

- ① Suppose p were the largest prime number.
- ② But $q + 1$ is greater than 1, thus divisible by some prime number not in the first p numbers. □

THEOREM & PROOF (MEDIUM)

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- ① Suppose p were the largest prime number.
- ② Let q be the product of the first p numbers.
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THEOREM & PROOF (MEDIUM)

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There is no largest prime number.

PROOF.

- ① Suppose p were the largest prime number.
- ② Let q be the product of the first p numbers.
- ③ Then $q + 1$ is not divisible by any of them.
- ④ But $q + 1$ is greater than 1, thus divisible by some prime number not in the first p numbers. □



Vertical Aligned AND ZOOMED Emoticons:

this Line {zoom=1.6; vAlign} {zoom=2; vAlign} {zoom=3; vAlign} {zoom=5;
vAlign} {zoom=7; vAlign} {zoom=3; vAlign} {zoom=5; vAlign} is vAligned

- Use itemize a lot—with

- Use itemize a lot—with
- Use very short sentences or short phrases.

- Apple

- Apple
- Peach

UNCOVER ITEMS

- Apple
- Peach
- Plum

UNCOVER ITEMS

- Apple
- Peach
- Plum
- Orange

$$A =$$

$$\begin{aligned} A &= B \\ &= C \end{aligned}$$

UNCOVER EQUATIONS

$$\begin{aligned} A &= B \\ &= C \\ &= D \end{aligned}$$

SLIDE 3

- Bullet 1
- Bullet 2
 - Bullet 2.1
 - Bullet 2.2
- Bullet 3

- Bullet 1
- Bullet 2
 - Bullet 2.1
 - Bullet 2.2
- Bullet 3

Accedat 1 huc suavitas quaedam oportet sermonum atque morum, haudquaquam mediocre condimentum amicitiae. Tristitia autem et in omni re severitas habet illa quidem gravitatem, sed amicitia remissior esse debet et liberior et dulcior et ad omnem comitatem facilitatemque proclivior.