Deep Learning — Assignment 4

Fourth assignment for the 2023 Deep Learning course (NWI-IMC070) of the Radboud University.

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Instructions:

- Fill in your names and the name of your group.
- Answer the questions and complete the code where necessary.
- Keep your answers brief, one or two sentences is usually enough.
- Re-run the whole notebook before you submit your work.
- Save the notebook as a PDF and submit that in Brightspace together with the .ipynb notebook file.
- The easiest way to make a PDF of your notebook is via File > Print Preview and then use your browser's print option to print to PDF.

Note:

• The models in this assignment take a while to train. It is faster on a GPU (e.g., on Google Colab), but still doable on a CPU. Plan ahead to leave enough time to analyse your results.

Objectives

In this assignment you will

- 1. Implement an LSTM module from scratch.
- 2. Use the built-in LSTM module from PyTorch.
- 3. Compare fully connected and recurrent neural networks in an experiment.
- 4. Experiment with data augmentation.

Required software

If you haven't done so already, you will need to install the following additional libraries:

• torch and torchvision for PyTorch,

• d21 , the library that comes with Dive into deep learning book.

All libraries can be installed with pip install.

```
In [1]: %matplotlib inline
   import csv
   import glob
   import re
   import numpy as np
   import scipy.io
   import scipy.signal
   import matplotlib.pyplot as plt
   import torch
   from d2l import torch as d2l

# fix the seed, so outputs are exactly reproducible
   torch.manual_seed(12345);
```

4.1 Dataset: Atrial fibrillation classification on ECG recordings (1 point)

In this assignment we will work with data from the PhysioNet Computing in Cardiology Challenge 2017 to classify atrial fibrillation in electrocardiograms (ECGs). Atrial fibrillation is an abnormal heart rhythm, which can be recognized as irregular patterns in ECG recordings.

(a) Download the training dataset from the challenge website and extract the files.

```
In [2]: !mkdir -p data
!wget -c -0 data/training2017.zip https://physionet.org/files/challenge-2017/1.0.0/
!cd data/; unzip -qo training2017.zip

--2023-09-29 11:03:06-- https://physionet.org/files/challenge-2017/1.0.0/training20
17.zip
Resolving physionet.org (physionet.org)... 18.18.42.54
Connecting to physionet.org (physionet.org)|18.18.42.54|:443... connected.
HTTP request sent, awaiting response... 200 OK
Length: 99226822 (95M) [application/zip]
Saving to: 'data/training2017.zip'

data/training2017.z 100%[===============]] 94.63M 1.25MB/s in 76s
2023-09-29 11:04:23 (1.25 MB/s) - 'data/training2017.zip' saved [99226822/99226822]
```

The dataset consists of a number of recordings and corresponding labels. We use a subset of the dataset that includes only the samples with a normal rhythm (label N or class 0) and those with atrial fibrillation (label A or class 1).

(b) Run the code to load the data.

```
In [2]: class ECGDataset(torch.utils.data.Dataset):
            # labels: 'N', 'A', 'O'
            def __init__(self, directory, max_length=18286, class_labels=('N', 'A', 'O')):
                 super(). init ()
                 self.class_labels = class_labels
                 self.load_data(directory, max_length)
            def load_data(self, directory, max_length):
                 label map = \{\}
                with open('%s/REFERENCE.csv' % directory, 'r') as f:
                    for line in csv.reader(f):
                         label_map[line[0]] = line[1]
                 samples = []
                 lengths = []
                 labels = []
                for file in sorted(glob.glob('%s/*.mat' % directory)):
                     subject_id = re.match('.+(A[0-9]+)\.mat', file)[1]
                    label = label_map[subject_id]
                    if label not in self.class_labels:
                         # skip this label
                         continue
                    mat_data = scipy.io.loadmat(file)
                    sample = mat_data['val'][0]
                    if len(sample) < 4000:</pre>
                         # skip short samples
                         continue
                     samples.append(np.pad(sample, (0, max_length - len(sample))))
                    lengths.append(len(sample))
                    labels.append(self.class_labels.index(label_map[subject_id]))
                 # concatenate
                 samples = np.vstack(samples)
                 lengths = np.stack(lengths)
                labels = np.stack(labels)
                # convert to PyTorch tensors
                 self.samples = torch.tensor(samples, dtype=torch.float32)
                 self.lengths = torch.tensor(lengths, dtype=torch.long)
                 self.labels = torch.tensor(labels, dtype=torch.long)
            @property
            def class_proportions(self):
                 return torch.mean((torch.arange(len(self.class labels))[None, :] ==
                                    self.labels[:, None]).to(torch.float), axis=0)
            def __getitem__(self, index):
                1 = self.lengths[index]
                x = self.samples[index, :1]
                y = self.labels[index]
                 return x, y
            def __len__(self):
                 return self.samples.shape[0]
```

```
data = ECGDataset('data/training2017', class_labels=('N', 'A'))
```

The recordings have different lengths (between 30 to 60 seconds). There are more "normal" recordings than recordings that show atrial fibrillation.

(c) Print some statistics of the data.

```
In [3]: print('Number of examples: %d' % len(data))
    print()
    print('Minimum length: %d' % torch.min(data.lengths))
    print('Median length: %d' % torch.median(data.lengths))
    print('Maximum length: %d' % torch.max(data.lengths))
    print()
    print('Class distribution:', data.class_proportions.numpy())
```

Number of examples: 5622

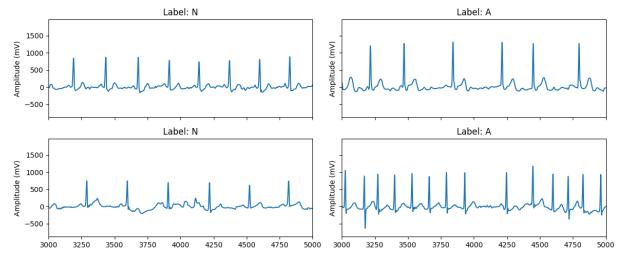
Minimum length: 4004 Median length: 9000 Maximum length: 18286

Class distribution: [0.87709 0.12290999]

Each example has a 1D vector that represents the ECG measurement over time.

(d) Run the code to plot two recordings from each class.

```
fig, axes = plt.subplots(nrows=2, ncols=2, sharex=True, sharey=True, figsize=(12, 5
for i, idx in enumerate([0, 3, 1, 4]):
    x, y = data[idx]
    ax = axes[i // 2][i % 2]
    ax.plot(x)
    ax.set_title('Label: %s' % data.class_labels[y])
    ax.set_xlim(3000, 5000)
    ax.set_ylabel('Time (frames)')
    ax.set_ylabel('Amplitude (mV)')
plt.tight_layout()
```



(e) The class distribution in this dataset is quite unbalanced. What consequences could this have? (1 point)

The model might become biased towards the majority class, which mean it's less likely to correctly label the minority class. The model might not learn the underlying patterns of the minority class.

4.2 Feature extraction

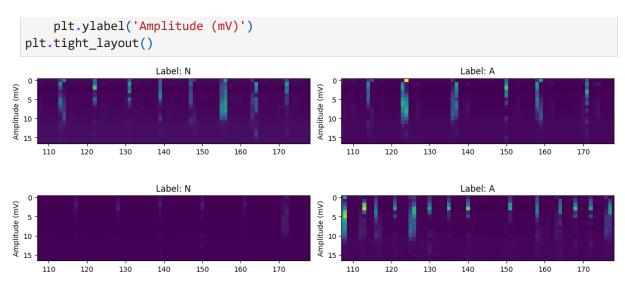
To simplify our poblem a bit, we will convert the 1D ECG signals to spectrograms. A spectrogram is a summary of the frequencies in small windows of the recording. These features will make it easier to train a classification model.

(a) Run the code to compute the spectrograms.

```
In [5]: class ECGSpectrumDataset(ECGDataset):
            NPERSEG = 32
            NOVERLAP = 32 // 8
            def __init__(self, *args, **kwargs):
                # initialize the original dataset to load the samples
                super().__init__(*args, **kwargs)
                # compute and store the spectrograms to replace the samples
                self.compute_spectrum()
            def compute_spectrum(self):
                Replaces the samples in this dataset with spectrograms.
                f, t, Sxx = scipy.signal.spectrogram(self.samples.numpy(), scaling='spectru
                                                      nperseg=self.NPERSEG, noverlap=self.NO
                # normalize the measurements for each frequency
                Sxx = Sxx - np.mean(Sxx, axis=(0, 2), keepdims=True)
                Sxx = Sxx / np.std(Sxx, axis=(0, 2), keepdims=True)
                # replace the existing samples in the dataset with the computed spectrogram
                self.samples = torch.tensor(Sxx.transpose(0, 2, 1))
                # recompute the length of each samples to account for the number of windows
                self.lengths = (self.lengths - self.NPERSEG) // (self.NPERSEG - self.NOVERL
        data_spectrum = ECGSpectrumDataset('data/training2017', class_labels=('N', 'A'))
```

(b) Plot the spectrograms for the four samples from the previous plot.

```
In [6]: plt.figure(figsize=(12, 5))
for i, idx in enumerate([0, 3, 1, 4]):
    x, y = data_spectrum[idx]
    plt.subplot(2, 2, i + 1)
    plt.imshow(x.T)
    plt.title('Label: %s' % data.class_labels[y])
    # show roughly the same segments as in the previous plot
    plt.xlim(3000 // 28, 5000 // 28)
```



The spectrogram data has 17 frequency bins for each window. We will use these as our input features. We normalized the data for each frequency to zero mean, unit variance.

(c) Print the statistics of the spectrum dataset and check the shape of the first sample.

Mean value: 0.000327 Standard deviation: 1.003635

Shape of first sample: torch.Size([320, 17])

4.3 Splitting training and validation sets

We will split our dataset in separate training and validation sets (80% – 20%).

(a) Run the code to create a random split.

```
In [8]: train_samples = int(0.8 * len(data))
  val_samples = len(data) - train_samples
  data_train_original, data_val_original = torch.utils.data.random_split(data_spectru
  print('data_train:', len(data_train_original))
  print('data_val: ', len(data_val_original))
```

data_train: 4497
data_val: 1125

4.4 Creating a balanced dataset by resampling

As you have seen, the dataset contains far more normal recordings than recordings with atrial fibrillation. We will create a balanced dataset by including multiple copies of the atrial fibrillation samples.

In this assignment we will also use a balanced validation set. This is something you may or may not want to do in practice, because it means that your validation set is no longer representative of the test data. The advantage is that the accuracy on a balanced validation set is easier to compare with the accuracy on the training set.

(a) Run the code to create balanced training and validation sets.

```
In [9]: def balance_dataset(dataset):
            # collect labels from the source dataset
            labels = torch.zeros((len(dataset),), dtype=torch.long)
            for i, (x, y) in enumerate(dataset):
                labels[i] = y
            indices = torch.arange(len(dataset), dtype=torch.long)
            unique_labels = np.unique(labels.numpy())
            # count the number of samples per class
            n = [torch.sum((labels == label).to(torch.long)).item()
                 for label in unique_labels]
            # perhaps the dataset is already balanced?
            if len(np.unique(n)) == 1:
                return dataset
            print('Samples per class:', n)
            for i, label in enumerate(unique_labels):
                # we will add more samples unless every class has the same number of sample
                while n[i] < max(n):</pre>
                    extra samples = max(n) - n[i]
                    print('- Repeating %d samples for class %d' % (extra_samples, label))
                    # take a random subset of samples from this class
                    idxs = torch.where(labels == label)[0]
                    idxs = idxs[torch.randperm(idxs.shape[0])]
                    idxs = idxs[:extra_samples]
                    # add these indices to the list
                    indices = torch.cat((indices, idxs))
                    n[i] += len(idxs)
            # return the subset as a new torch dataset
            return torch.utils.data.Subset(dataset, indices)
```

```
print('Balancing the training set')
data_train = balance_dataset(data_train_original)
print('Balancing the validation set')
data_val = balance_dataset(data_val_original)
```

```
Balancing the training set
Samples per class: [3952, 545]
- Repeating 3407 samples for class 1
- Repeating 2862 samples for class 1
- Repeating 2317 samples for class 1
- Repeating 1772 samples for class 1
- Repeating 1227 samples for class 1
- Repeating 682 samples for class 1
- Repeating 137 samples for class 1
Balancing the validation set
Samples per class: [979, 146]
- Repeating 833 samples for class 1
- Repeating 687 samples for class 1
- Repeating 541 samples for class 1
- Repeating 395 samples for class 1
- Repeating 249 samples for class 1
- Repeating 103 samples for class 1
```

4.5 Splitting recordings into chunks

The recordings in our dataset all have different lengths and are generally quite long. To simplify training, we will split them into smaller chunks of 40 time steps each. This means that each recording will have multiple chunks in the dataset.

(a) Run the code to create the pre-chunked dataset.

```
In [10]: class ChunkedDataset(torch.utils.data.TensorDataset):
             def __init__(self, source_dataset, chunk_size=40):
                 super().__init__()
                 self.make_chunks(source_dataset, chunk_size)
             def make_chunks(self, source_dataset, chunk_size):
                 all_x, all_y = [], []
                 for x, y in source_dataset:
                     for chunk in range(x.shape[0] // chunk_size):
                         offset = chunk * chunk_size
                         all_x.append(x[offset:offset + chunk_size])
                         all_y.append(y)
                 self.tensors = (torch.stack(all_x), torch.tensor(all_y))
         chunked_data_train = ChunkedDataset(data_train_original)
         chunked_data_val = ChunkedDataset(data_val_original)
         # rebalance to compensate for any differences in length
         chunked_data_train = balance_dataset(chunked_data_train)
         chunked_data_val = balance_dataset(chunked_data_val)
         print('chunked data train:', len(chunked data train))
         print('chunked_data_val: ', len(chunked_data_val))
```

```
Samples per class: [33999, 4806]
- Repeating 29193 samples for class 1
- Repeating 24387 samples for class 1
- Repeating 19581 samples for class 1
- Repeating 14775 samples for class 1
- Repeating 9969 samples for class 1
- Repeating 5163 samples for class 1
- Repeating 357 samples for class 1
Samples per class: [8427, 1314]
- Repeating 7113 samples for class 1
- Repeating 5799 samples for class 1
- Repeating 4485 samples for class 1
- Repeating 3171 samples for class 1
- Repeating 1857 samples for class 1
- Repeating 543 samples for class 1
chunked_data_train: 67998
chunked_data_val:
                    16854
```

4.6 Preparing data loaders

As in the previous assignments, we will use the PyTorch DataLoader class to divide our datasets in minibatches.

(a) Run the code to create the data loaders. Look at the shape of the first minibatch.

```
In [11]:
    batch_size = 192
    chunked_loaders = {
        'train': torch.utils.data.DataLoader(chunked_data_train, shuffle=True, batch_si
        'val': torch.utils.data.DataLoader(chunked_data_val, batch_size=batch_size),
    }

# print the x and y shapes for one minibatch
for (x, y) in chunked_loaders['train']:
    print(x.shape, y.shape)
    break
```

torch.Size([192, 40, 17]) torch.Size([192])

4.7 Implementing an LSTM (5 points)

Time series data such as the ECG recordings are a good target for recurrent neural networks (see Section 9.4 of the D2L book).

The class below implements an RNN layer in PyTorch, using the equations discussed in Section 9.4.2 of the book.

(a) Read through the code to see how the RNN works.

```
In [12]: class RNN(torch.nn.Module):
    """RNN module.

This implements an RNN module as discussed in Sections 9.4 and 9.5 of the
```

```
the D2L book (http://d2l.ai/chapter_recurrent-neural-networks/rnn.html and
http://d21.ai/chapter_recurrent-neural-networks/rnn-scratch.html).
Parameters:
   num_inputs: scalar, the number of inputs to this module
   num hiddens: scalar, the number of hidden units
Input and output: see the forward function.
def __init__(self, num_inputs, num_hiddens):
    super().__init__()
    self.num_inputs = num_inputs
    self.num_hiddens = num_hiddens
    self.initialize_parameters()
def initialize_parameters(self):
    """Initializes the parameters of the RNN module.
    This initializes the bias vector b_h and weight matrices W_xh and W_hh.
    def triple():
        return (torch.nn.Parameter(torch.normal(0, 0.01, size=(self.num inputs,
                torch.nn.Parameter(torch.normal(0, 0.01, size=(self.num_hiddens
                torch.nn.Parameter(torch.zeros(size=(self.num_hiddens,))))
    # parameters for the rnn
    self.W_xh, self.W_hh, self.b_h = triple()
def forward(self, inputs):
    """Computes the forward pass of the RNN module.
       inputs: a tensor of shape (samples, steps, input features)
                giving the input for each sample at each step
    Output:
       outputs: a tensor of shape (samples, steps, hidden features)
                providing the hidden values at the end of each step
                a tuple (hiddens,)
       state:
                the state of the RNN at the end of the last step,
                with hiddens a tensor of shape (samples, hidden_features)
    batch_size = inputs.shape[0]
    # initialize state
    state = (torch.zeros(size=(batch_size, self.num_hiddens),
                         dtype=inputs.dtype, device=inputs.device),)
    # run steps
    outputs = []
    for step in range(inputs.shape[1]):
        state = self.one_step(inputs[:, step], state)
        outputs.append(state[0])
    # concatenate outputs
    outputs = torch.stack(outputs, axis=1)
```

```
return outputs, state
     def one step(self, x, state):
         """Run a single step of the RNN module.
         Input:
            x:
                   a tensor of shape (samples, input features)
                   giving the input for each sample at the current step
            state: a tuple (hiddens,)
                   the state of the RNN at the end of the previous step,
                   with hiddens a tensor of shape (samples, hidden_features)
         # extract current state
         (h,) = state
         # see http://d2l.ai/chapter_recurrent-neural-networks/rnn-scratch.html#rnn-
         # new hidden
         h = torch.tanh(torch.mm(x, self.W_xh) + torch.mm(h, self.W_hh) + self.b_h)
         # return the state
         return (h,)
     def __repr__(self):
         return ('RNN(num_inputs=%d, num_hiddens=%d)' %
                 (self.num_inputs, self.num_hiddens))
 # quick sanity check
 rnn = RNN(3, 5)
 print(rnn)
 print('Parameters:')
 for name, param in rnn.named_parameters():
     print(' - %s:' % name, tuple(param.shape))
RNN(num_inputs=3, num_hiddens=5)
Parameters:
 - W xh: (3, 5)
 - W_hh: (5, 5)
 - b_h: (5,)
```

The design of the LSTM module is more complex than that of the RNN, but it follows a similar pattern of looping over all steps in the input. You can use the RNN implementation as a basis for an LSTM module.

(b) Implement the LSTM module below.

(5 points)

The equations and code in Section 10.1 can provide some inspiration. Be aware that the book uses (steps, samples, ...) instead of (samples, steps, ...) as the shapes for the input and output variables, so you probably cannot copy code directly. Use the RNN implementation above and adapt this to the LSTM equations from the book.

```
In [32]: class LSTM(torch.nn.Module):
    def __init__(self, num_inputs, num_hiddens):
```

```
super().__init__()
    self.num_inputs = num_inputs
    self.num hiddens = num hiddens
    self.initialize_parameters()
def initialize parameters(self):
    def triple():
        return (torch.nn.Parameter(torch.normal(0, 0.01, size=(self.num_inputs,
                torch.nn.Parameter(torch.normal(0, 0.01, size=(self.num hiddens
                torch.nn.Parameter(torch.zeros(size=(self.num_hiddens,))))
    # parameters for the Lstm
    self.W_xi, self.W_hi, self.b_i = triple() # Input gate
    self.W_xf, self.W_hf, self.b_f = triple() # Forget gate
    self.W xo, self.W ho, self.b o = triple() # Output gate
    self.W_xc, self.W_hc, self.b_c = triple() # Input node
def forward(self, inputs):
    # TODO implement the forward pass of the LSTM
    batch_size = inputs.shape[0]
   # initialize state
    H = torch.zeros(size=(batch_size, self.num_hiddens), dtype=inputs.dtype, de
   C = torch.zeros(size=(batch_size, self.num_hiddens), dtype=inputs.dtype, de
    # run steps
    outputs = []
    for step in range(inputs.shape[1]):
        H, C = self.one_step(inputs[:, step], H, C)
        outputs.append(H)
    # concatenate outputs
    outputs = torch.stack(outputs, axis=1)
    return outputs, (H, C)
def one_step(self, x, H, C):
    """Run a single step of the LSTM module.
    Input:
              a tensor of shape (samples, input features)
      x:
              giving the input for each sample at the current step
       state: a tuple (hiddens,)
              the state of the RNN at the end of the previous step,
              with hiddens a tensor of shape (samples, hidden_features)
    # extract current state
    # see http://d2l.ai/chapter_recurrent-neural-networks/rnn-scratch.html#rnn-
    I = torch.sigmoid(torch.mm(x, self.W_xi) + torch.matmul(H, self.W_hi) + sel
    F = torch.sigmoid(torch.mm(x, self.W xf) + torch.matmul(H, self.W hf) + sel
    0 = torch.sigmoid(torch.mm(x, self.W_xo) + torch.matmul(H, self.W_ho) + sel
    C_tilde = torch.sigmoid(torch.mm(x, self.W_xc) + torch.matmul(H, self.W_hc)
    C = F * C + I * C_{tilde}
    H = 0 * torch.tanh(C)
    # new hidden
```

```
# return the state
         return H, C
     def _repr_(self):
         return ('LSTM(num_inputs=%d, num_hiddens=%d)' %
                  (self.num_inputs, self.num_hiddens))
 # quick sanity check
 1stm = LSTM(3, 5)
 print(lstm)
 for name, param in lstm.named_parameters():
     print(' - %s:' % name, tuple(param.shape))
LSTM()
 - W_xi: (3, 5)
 - W_hi: (5, 5)
 - b_i: (5,)
 - W_xf: (3, 5)
 - W hf: (5, 5)
 - b_f: (5,)
 - W_xo: (3, 5)
 - W_ho: (5, 5)
 - b_o: (5,)
 - W_xc: (3, 5)
 - W_hc: (5, 5)
 - b_c: (5,)
```

4.8 Defining the training loop

As last week, we need to define some functions to run the train the models.

(a) Run the code to define the functions.

```
In [14]: def accuracy(y_hat, y):
             # Computes the mean accuracy.
             # y_hat: raw network output (before sigmoid or softmax)
                     shape (samples, classes)
                     shape (samples)
             # y:
             if y_hat.shape[1] == 1:
                 # binary classification
                 y_hat = (y_hat[:, 0] > 0).to(y.dtype)
             else:
                 # multi-class classification
                 y_hat = torch.argmax(y_hat, axis=1).to(y.dtype)
             correct = (y_hat == y).to(torch.float32)
             return torch.mean(correct)
In [15]: def train(net, data_loaders, epochs=100, lr=0.01, device=d21.try_gpu()):
             # Trains the model net with data from the data_loaders['train'] and data_loader
             net = net.to(device)
             optimizer = torch.optim.Adam(net.parameters(), lr=lr)
```

```
animator = d21.Animator(xlabel='epoch',
                        legend=['train loss', 'train acc', 'validation loss',
                        figsize=(10, 5))
timer = {'train': d21.Timer(), 'val': d21.Timer()}
for epoch in range(epochs):
    # monitor loss, accuracy, number of samples
    metrics = {'train': d21.Accumulator(3), 'val': d21.Accumulator(3)}
    for phase in ('train', 'val'):
        # switch network to train/eval mode
        net.train(phase == 'train')
        for i, (x, y) in enumerate(data_loaders[phase]):
            timer[phase].start()
            # move to device
            x = x.to(device)
            y = y.to(device)
            # compute prediction
            y_hat = net(x)
            if y_hat.shape[1] == 1:
                # compute binary cross-entropy loss
                loss = torch.nn.BCEWithLogitsLoss()(y_hat[:, 0], y.to(torch.flo
            else:
                # compute cross-entropy loss
                loss = torch.nn.CrossEntropyLoss()(y_hat, y)
            if phase == 'train':
                # compute gradients and update weights
                optimizer.zero_grad()
                loss.backward()
                optimizer.step()
            metrics[phase].add(loss * x.shape[0],
                               accuracy(y_hat, y) * x.shape[0],
                               x.shape[0])
            timer[phase].stop()
    animator.add(epoch + 1,
        (metrics['train'][0] / metrics['train'][2],
         metrics['train'][1] / metrics['train'][2],
         metrics['val'][0] / metrics['val'][2],
         metrics['val'][1] / metrics['val'][2]))
train_loss = metrics['train'][0] / metrics['train'][2]
train_acc = metrics['train'][1] / metrics['train'][2]
val_loss = metrics['val'][0] / metrics['val'][2]
          = metrics['val'][1] / metrics['val'][2]
val_acc
examples_per_sec = metrics['train'][2] * epochs / timer['train'].sum()
```

4.9 Constructing some networks (5 points)

In the next experiments you will train different network architectures to see how they perform on the ECG dataset.

The input to all networks has the shape (samples, time steps, features) = (mb_size, 40, 17). The output should be a single feature, shape (mb_size, 1), that will be used in a binary cross-entropy loss function. (The networks should not include the final sigmoid activation function.)

Some simple baselines:

- FullyConnectedNet: A simple fully connected network that takes all features.
- MeanSpectrumNet: A fully connected network that works on the mean spectrum over all time steps.

A convolutional network:

• ConvNet: This network does a convolution over the time steps, using the 17 input features as channels.

Some recurrent models:

- RNNNet: A recurrent network with a simple RNN module.
- LSTMNet: A recurrent network with a more advanced LSTM module.
- TorchLSTMNet: The same model, but using the PyTorch implementation of the LSTM.

FullyConnectedNet

(a) Check the implementation of the following baseline architecture:

- Linear layer: network inputs to 512 units followed by a ReLU.
- Linear layer: 512 to 256 units followed by a ReLU.
- Linear layer: 256 to the network output.

```
torch.nn.Linear(inputs, 512),
             torch.nn.ReLU(),
             torch.nn.Linear(512, 256),
             torch.nn.ReLU(),
             torch.nn.Linear(256, outputs)
         )
     def forward(self, x):
         # x shape: (samples, steps, inputs)
         return self.linear(x)
 net = FullyConnectedNet(40 * 17)
 print(net)
FullyConnectedNet(
  (linear): Sequential(
    (0): Flatten(start_dim=1, end_dim=-1)
    (1): Linear(in_features=680, out_features=512, bias=True)
    (2): ReLU()
    (3): Linear(in_features=512, out_features=256, bias=True)
    (4): ReLU()
    (5): Linear(in_features=256, out_features=1, bias=True)
  )
)
```

MeanSpectrumNet

(b) Check the implementation of the following baseline architecture:

- Compute the mean spectrum (mean over the steps dimension).
- Linear layer: network inputs to 128 units followed by a ReLU.
- Linear layer: 128 to 64 units followed by a ReLU.
- Linear layer: 64 to the network output.

```
In [17]: class MeanSpectrumNet(torch.nn.Module):
             def __init__(self, inputs=17, outputs=1):
                 super().__init__()
                 self.net = torch.nn.Sequential(
                     torch.nn.Linear(inputs, 128),
                     torch.nn.ReLU(),
                     torch.nn.Linear(128, 64),
                     torch.nn.ReLU(),
                     torch.nn.Linear(64, outputs),
                 )
             def forward(self, x):
                 # x shape: (samples, steps, inputs)
                 # compute the mean over all steps
                 x = torch.mean(x, axis=1)
                 return self.net(x)
         net = MeanSpectrumNet()
         print(net)
```

```
MeanSpectrumNet(
    (net): Sequential(
        (0): Linear(in_features=17, out_features=128, bias=True)
        (1): ReLU()
        (2): Linear(in_features=128, out_features=64, bias=True)
        (3): ReLU()
        (4): Linear(in_features=64, out_features=1, bias=True)
    )
)
```

ConvNet

(c) Complete the implementation of the following architecture:

(1 point)

Convolution over the steps, using frequencies as channels:

- 1D-convolution: network inputs to 32 channels, kernel size 3, ReLU.
- Average pooling: 2.
- 1D-convolution: 32 to 64 channels, kernel size 3, ReLU.
- Average pooling: 2.
- 1D-convolution: 64 to 128 channels, kernel size 3, ReLU.
- AdaptiveAvgPool1d(1): Compute the mean for each channel over all steps.
- Flatten.
- Linear layer: 128 to the network output.

```
In [18]: class ConvNet(torch.nn.Module):
             def __init__(self, inputs=1, outputs=1):
                 super().__init__()
                 self.net = torch.nn.Sequential(
                     # TODO add the convolutional and pooling layers
                     torch.nn.Conv1d(inputs, 32, kernel_size=3),
                     torch.nn.ReLU(),
                     torch.nn.Conv1d(32, 64, kernel_size=3),
                     torch.nn.ReLU(),
                     torch.nn.Conv1d(64, 128, kernel_size=3),
                     torch.nn.ReLU(),
                     torch.nn.AdaptiveAvgPool1d(1),
                     torch.nn.Flatten(),
                     torch.nn.Linear(128, outputs),
                 )
             def forward(self, x):
                 # x shape: (samples, steps, inputs)
                 # swap the steps and inputs dimensions, so we can convolve over
                 # the steps use the frequencies as channels
                 x = x.transpose(2, 1)
                 return self.net(x)
         net = ConvNet()
```

RNNNet

(d) Check the implementation of the following architecture:

- RNN: network input to 128 hidden units.
- Use the final hidden state from the RNN.
- Linear layer: 128 to 128 units followed by a ReLU.
- Linear layer: 128 to the network output.

```
In [19]: class RNNNet(torch.nn.Module):
             def __init__(self, inputs=17, outputs=1):
                 super().__init__()
                 self.rnn = RNN(inputs, 128)
                 self.linear = torch.nn.Sequential(
                     torch.nn.Linear(128, 128),
                     torch.nn.ReLU(),
                     torch.nn.Linear(128, outputs)
                 )
             def forward(self, x):
                 # x shape: (samples, steps, inputs)
                 out, (h,) = self.rnn(x)
                 # use the final RNN hidden state as input
                 # for the fully connected part
                 return self.linear(h)
         net = RNNNet()
         print(net)
        RNNNet(
          (rnn): RNN(num_inputs=17, num_hiddens=128)
          (linear): Sequential(
            (0): Linear(in_features=128, out_features=128, bias=True)
            (1): ReLU()
            (2): Linear(in_features=128, out_features=1, bias=True)
          )
        )
```

LSTMNet

(e) Implement the following architecture: (see RNNNet for an example) (2 points)

- LSTM: network input to 128 hidden units.
- Use the final hidden state from the LSTM.
- Linear layer: 128 to 128 units followed by a ReLU.
- Linear layer: 128 to the network output.

```
In [30]: class LSTMNet(torch.nn.Module):
    def __init__(self, inputs=17, outputs=1):
        super().__init__()
```

```
self.lstm = LSTM(inputs, 128)
         self.linear = torch.nn.Sequential(
             torch.nn.Linear(128,128),
             torch.nn.ReLU(),
             torch.nn.Linear(128,outputs)
         )
     def forward(self, x):
         # x shape: (samples, steps, inputs)
         # TODO call the LSTM layer and then the linear network
                (see RNNNet for an example)
         out, (h, ) = self.lstm(x)
         return self.linear(h)
 net = LSTMNet()
 print(net)
LSTMNet(
  (lstm): LSTM()
  (linear): Sequential(
    (0): Linear(in_features=128, out_features=128, bias=True)
    (1): ReLU()
    (2): Linear(in_features=128, out_features=1, bias=True)
  )
```

TorchLSTMNet

Implementing your own modules can be fun and good learning experience, but it is not always the most efficient solution. The built-in LSTM implementation from PyTorch is much faster than our own version.

(f) Implement a network similar to LSTMNet using the PyTorch torch.nn.LSTM module.
(2 points)

```
net = TorchLSTMNet()
print(net)

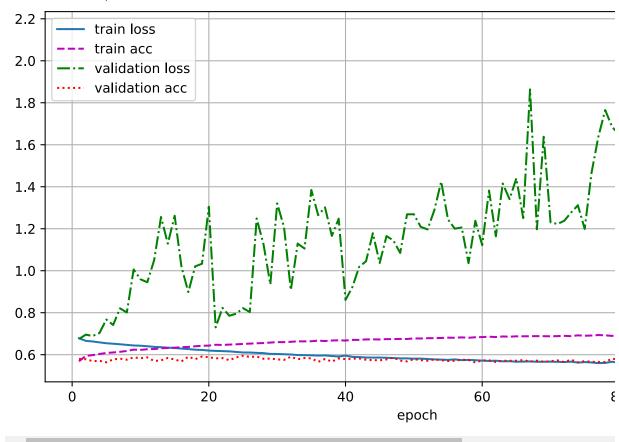
TorchLSTMNet(
  (1stm): LSTM(17, 128, batch_first=True)
  (1inear): Sequential(
     (0): Linear(in_features=128, out_features=128, bias=True)
     (1): ReLU()
     (2): Linear(in_features=128, out_features=1, bias=True)
    )
)
```

4.10 Experiments

(a) Train the models on the chunked dataset.

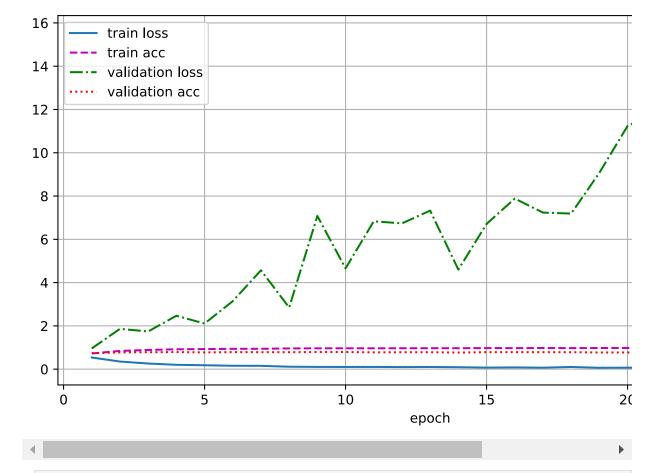
```
In [19]: train(MeanSpectrumNet(), chunked_loaders, epochs=100, lr=0.01)
```

train loss 0.554, train acc 0.699, val loss 2.154, val acc 0.572 143021.0 examples/sec on cuda:0



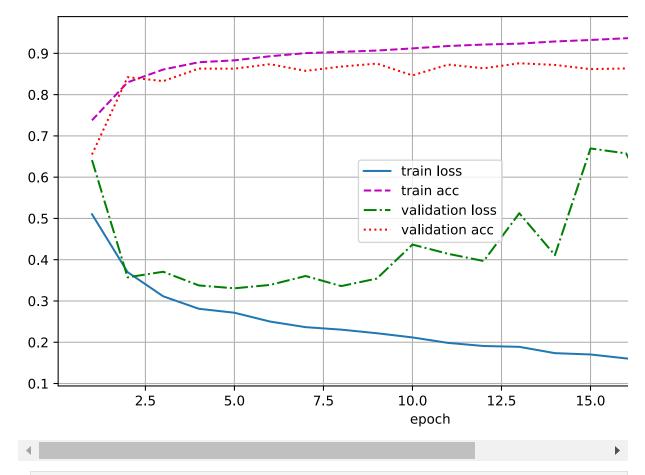
In [20]: train(FullyConnectedNet(40 * 17), chunked_loaders, epochs=25, lr=0.01)

train loss 0.047, train acc 0.986, val loss 12.708, val acc 0.776 135843.0 examples/sec on cuda:0



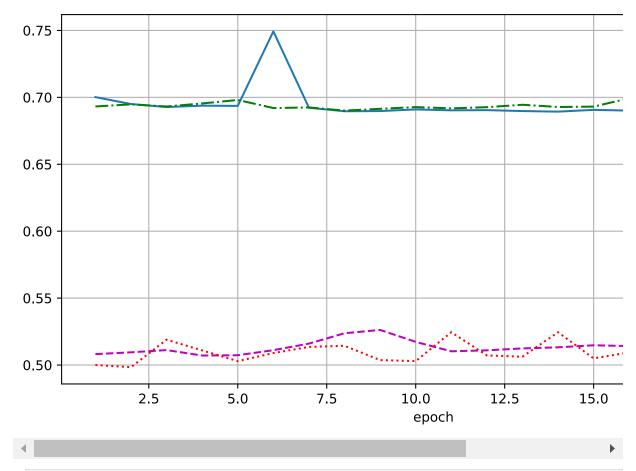
In [40]: train(ConvNet(17), chunked_loaders, epochs=20, lr=0.01)

train loss 0.135, train acc 0.948, val loss 0.672, val acc 0.860 38111.9 examples/sec on cuda:0 $\,$



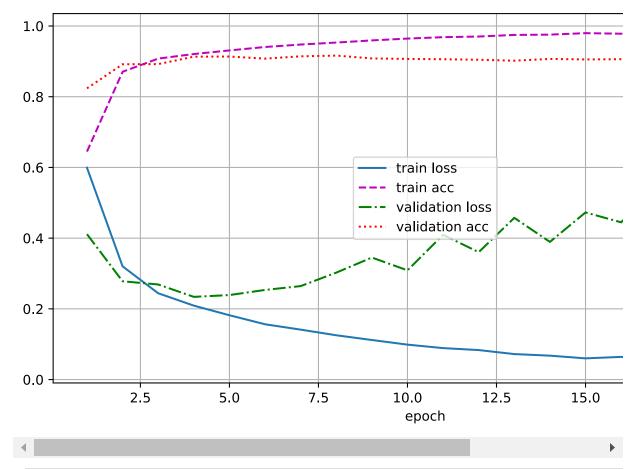
In [22]: train(RNNNet(17), chunked_loaders, epochs=20, lr=0.01)

train loss 0.692, train acc 0.504, val loss 0.694, val acc 0.499 22107.3 examples/sec on cuda:0 $^{\circ}$



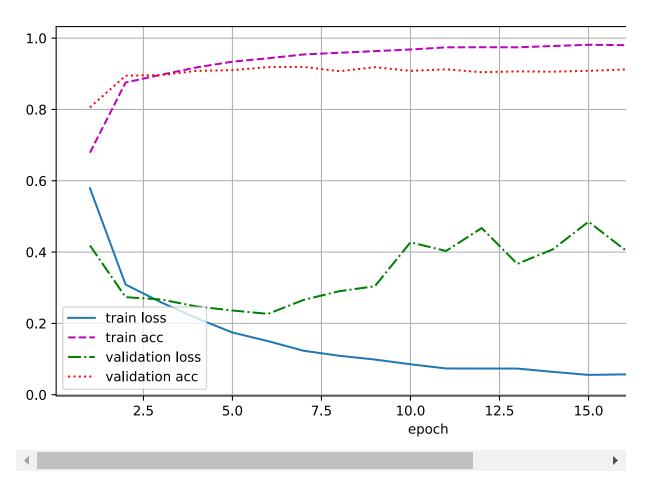
In [41]: train(LSTMNet(17), chunked_loaders, epochs=20, lr=0.01)

train loss 0.038, train acc 0.988, val loss 0.591, val acc 0.900 5561.5 examples/sec on cuda:0 $\,$



In [29]: train(TorchLSTMNet(17), chunked_loaders, epochs=20, lr=0.01)

train loss 0.052, train acc 0.982, val loss 0.505, val acc 0.905 101645.4 examples/sec on cuda:0



4.11 Discussion (11 points)

(a) Briefly discuss and compare the performance of the models in your experiments. Which worked best and why? (2 points)

- MeanSpectrumNet: Really bad performance overall.
- FullyConnectedNet: Validation accuracy could be better, overall better than MeanSpectrumNet
- ConvNet: Almost exact same performance as FullyConnectedNet, but slower training time
- *RNNNet*: The worst performing net in this experiment.
- (Torch)LSTMNet: By far the best performance >90% on both train and validation set. LSTMNet was created to work best for sequential data such as signals. They can also capture long term dependencies in the data.

(b) Why do some of those models generalize better than others? (2 points)

Some models generalize better than other due to their complexity and architecture which gives them the ability to find more complex underlying patterns. It is also due to the type of data we are working on, for example convolutional neural network will almost certainly perform better on classifying images than just a fully connected neural network. On signals

Istmnet will certainly perform better than e.g. MeanSpectrumNet due to the nature of the data we are woking with.

(c) How does your LSTM implementation compare with the PyTorch implementation?
(1 point)

The performance is relatively the same but pytorch implementation is much faster.

(d) Your RNN model probably didn't work well. Why is that model more difficult to train than the LSTM? (1 point)

RNN does not mitigate vanishing gradient problem really well which we can see by the losses remaining almost the same throughout the training.

(e) The convolutional network and the LSTM in these experiments both work on the time dimension. What is an advantage of the convolutional network over the LSTM?

(1 points)

CNNs take in consideration what happened before and after (in time series) hence the good performance. Convolutional network are faster than the LSTM and require less parameters.

(f) What is an advantage of the LSTM over a convolutional network? (1 points)

LSTM can capture long-term dependencies that CNNs can't.

(g) For reasons of speed, we used a fairly small window of 40 time steps. Suppose that we would make this window much larger. How do you think this would affect each model?

(2 points)

LSTM would benefit the most given it's designed to capture long-term dependencies. Other networks would most likely perform better due to the fact that our data is more varied making it easire for each network to capture patterns, but Istm would be the best at that!

(h) One of the difficulties with recurrent networks is that inputs from early steps are quite far away from the final result. How would you suggest to reduce that problem?

(1 point)

Use skip connections to retain information from earlier in the sequence. Or use a bidirectional RNN which learn patterns from both sides of the sequence.

4.12 Data augmentation

Especially if your dataset is small, data augmentation can help to improve the performance of your network.

We have an easy way to add some data augmentation to the ECG dataset. In our preprocessing, we divided each recording into small chunks of 40 time steps, which we then reused in every epoch. We can add more variation to the training set by creating chunks at random positions.

The DataLoader class in PyTorch has a collate_fn parameter to which we can pass a function. This function is called for each minibatch in each epoch. We will use this to extract a random chunk from each sample.

The function random_chunk_collate_fn takes a minibatch of samples, chooses a random offset for each sample, extracts a small chunk at that position, and then concatenates and returns the result.

We construct a new DataLoader for our training set:

torch.Size([192, 40, 17]) torch.Size([192])

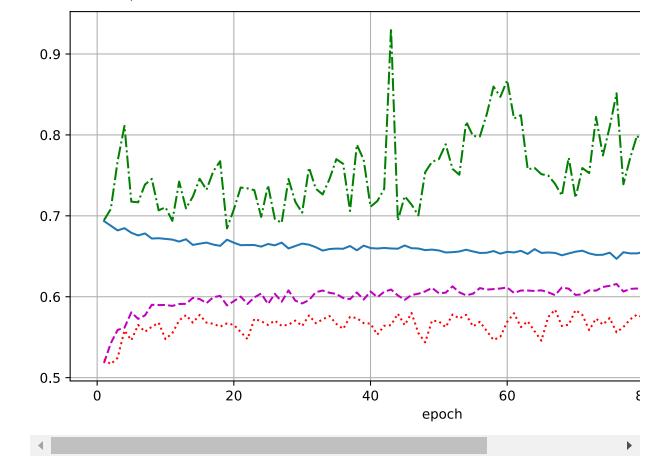
Observe that the pre-chunked dataset was much larger than the new dataset with on-the-fly chunking. You might want to increase the number of training epochs a bit to make sure that the network sees a similar number of examples.

Let's see how this data augmentation method affects the performance of your networks.

(a) Train the MeanSpectrumNet, FullyConnectedNet, ConvNet and TorchLSTMNet from the previous experiments on data from the random_chunk_loaders .

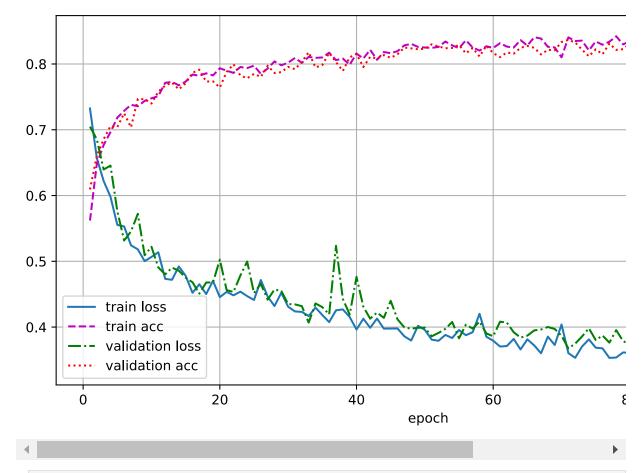
In [36]: train(MeanSpectrumNet(), random_chunk_loaders, epochs=100, lr=0.01)

train loss 0.652, train acc 0.612, val loss 0.706, val acc 0.567 127419.0 examples/sec on cuda:0



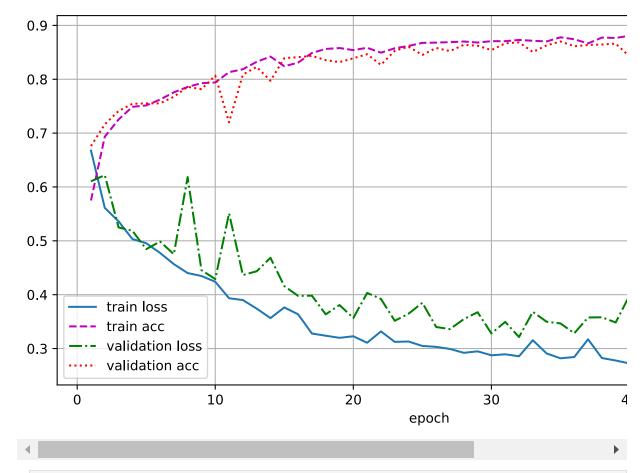
In [37]: train(FullyConnectedNet(40 * 17), random_chunk_loaders, epochs=100, lr=0.01)

train loss 0.385, train acc 0.821, val loss 0.412, val acc 0.800 103074.8 examples/sec on cuda:0



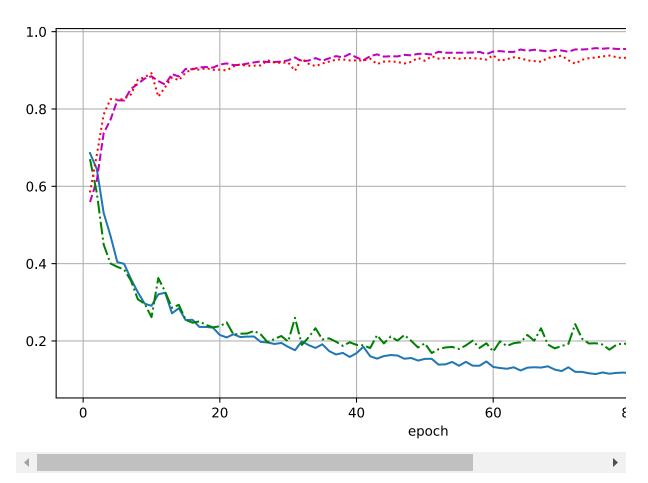
In [38]: train(ConvNet(17), random_chunk_loaders, epochs=50, lr=0.01)

train loss 0.264, train acc 0.887, val loss 0.347, val acc 0.872 50907.4 examples/sec on cuda:0 $\,$



In [39]: train(TorchLSTMNet(17), random_chunk_loaders, epochs=100, lr=0.01)

train loss 0.105, train acc 0.961, val loss 0.208, val acc 0.930 $86417.8\ examples/sec$ on cuda:0



4.13 Discussion (9 points)

(a) How does the data augmentation influence the training and validation results? Can you explain this? (2 points)

TODO: Your answer here.

(b) Why does the data augmentation affect some models more than others? (1 point)

TODO: Your answer here.

(c) Should we also do data augmentation on the validation set? Why, or why not? (1 point)

TODO: Your answer here.

(d) Data augmentation is often a good way to add some domain knowledge to your model. Based on your knowledge of ECGs, why is (or isn't) our augmentation method a good idea? (1 point)

TODO: Your answer here.

(e) Give an example of another suitable augmentation method and explain why it would work for this data. (2 points)

TODO: Your answer here.

(f) Give an example of an augmentation method that might be suitable for other data but would probably not work here. Explain why. (2 points)

TODO: Your answer here.

The end

Well done! Please double check the instructions at the top before you submit your results.

This assignment has 31 points.

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