Exam 1 Notes

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1 Kurtosis

The value of Kurtosis will tell you how pointy or flat a distribution is. Positive numbers mean it is really pointy, while negative numbers mean it is really flat. A Kurtosis value of 0 means that it is around normal. To find the Kurtosis value, you will need the mean and standard deviation. You can also find the Standard Error of these values as well. The data should one numerical variables.

1.1 Relavent R-Commands

Use scripts from class. See R-Script

2 Skew

The Value of Skew will tell you how far your data is skewed. If the value is positive, that means there is a skew to the left. If the value is negative, that means there is a skew to the right. The type of data should be one numerical value.

2.1 Relavent R-Commands

Use scripts from class. See R-Script

3 KS-Test

Can be used to compare two numerical variables.

3.1 Relavent R-Commands

- ks.test(data,distribution)
  - If we are comparing against a normal distribution, we use:
    ks.test(dataset, pnorm, mean, sd)
  - Alternatively, if we are comparing against a uniform distribution, we use:
    ks.test(dataset, punif, mean, sd)

- ks.test(data1, data2)

4 Wilcoxon Sign-Rank Test

Paired numerical data. Can be good for cause-and-effect. For ties, ignore the the values. For ties in the ranking, take the average of the rankings.

4.1 Relavent R-Commands

- wilcox.test(data1, data2, paired=TRUE).

5 Binomial (like coin-fipping)

One categorical variables with two levels (yes or no, black or white, 1's or 0's, heads of tails). Success-Failure condition: $np \geq 10$ and $n * (1 - p) \geq 10$.

5.1 Relavent R-Commands

- binom.test(x,n,p, alternative=??), ? can be "greater", "less", "two-sided".

6 Sign Test

Paired numerical data. Can be good for cause-and-effect. For ties, ignore them.

The notation for binomial distribution is as follows:
- $P(X = k) = \mathrm{dbinom}(k, n, p)$
- $P(X \leq k) = \mathrm{pbinom}(k, n, p)$
- We use $X \ B(n, p)$ to denote that X is a binomial distribution with n trials and a probability of p for a success.

6.1 Relavent R-Commands

- binom.test

7 Combinatorics

It is the number of different ways certain combinations can be created between two numbers. One formula is called 'n Choose k'. The formula for this is: $\frac{n!}{k!(n-k)!}$.

An example of a question for n choose k would be "How many ways can you draw exactly six cards from a pack of 10 cards?", where $n = 10$ and $k = 6$; hence, 'n choose k'.

To find the number of possible outcomes there are, we can use exponents. For example, if we want to find how many possible outcomes there are for coin flips, we would use 2^n, where n is the number of trials we want to use.