

# B4M35KO, BE4M35KO

## Practical Test – Production Planning

### 1 Test Assignment

Your task is to plan a production of  $m = 13$  product types on  $n = 4$  machines. Each machine is able to produce all the product types. The production of one piece of product type  $j$  on machine  $i$  takes  $p_{i,j}$  hours and costs  $c_{i,j}$  dollars. The aim is to decide how many products of each type  $j$  will be produced on each machine  $i$  such that:

- a) The total cost of the production cannot be larger than  $C$ .
- b) Each product of type  $j \in \{1, \dots, m\}$  is produced at least  $t_j$  times;
- c) Machine  $i = 4$  produces each product type in batches of 6, i.e., the number of produced products for every  $j = 1, \dots, m$  must be from a set  $\{0, 6, 12, 18, 24, 30, \dots\}$ .
- d) Sum of the production costs on machines  $i = 2$  and  $i = 4$  cannot be larger than value  $C_{2,4}$ .
- e) The total number of products produced on each machine  $i \in \{1, \dots, n\}$  is at most  $e_i$ .
- f) We are interested in optimal schedule which minimizes the absolute difference of the total production time on machines  $i = 1$  and  $i = 4$ .

The task is to implement an **Integer Linear Programming formulation in Gurobi Solver** of this problem and find an optimal solutions for the given set of test cases.

Your program will be called with two arguments: the first one is absolute path to input file and the second one is the absolute path to output file (the output file has to be created by your program).

#### 1.1 Input File

The input file has the following form:

```
C
C2,4
e1   e2   ...   en
t1   t2   ...   tm
c1,1 c1,2 ... c1,m
c2,1 c2,2 ... c2,m
⋮
cn,1 cn,2 ... cn,m
p1,1 p1,2 ... p1,m
p2,1 p2,2 ... p2,m
⋮
pn,1 pn,2 ... pn,m
```

All the values are integers and space separated. The public instances can be found on the course page on CourseWare.

## 1.2 Output File

The output file has the following form:

obj

$x_{1,1}$   $x_{1,2}$   $\cdots$   $x_{1,m}$

$x_{2,1}$   $x_{2,2}$   $\cdots$   $x_{2,m}$

$\vdots$

$x_{n,1}$   $x_{n,2}$   $\cdots$   $x_{n,m}$

The first line of the output file contains the value of the objective function. The rest of the file contains the matrix  $X$  where  $x_{i,j}$  represents the number of product of type  $j$  produced on machine  $i$ . In the case when there is no feasible solution the output file should consist of value -1 only. All the values must be integers and space separated.

**Hint:** Handle the resulting integer values carefully. Always round the value of integer variables!

## 2 Assignment Evaluation (**max. 8 points**)

Upload your code to the BRUTE. If your program will be able to pass all the tests you will obtain full 8 points. Supported programming languages are C++, Java and Python (see <https://cw.fel.cvut.cz/wiki/courses/ko/start> for more details).