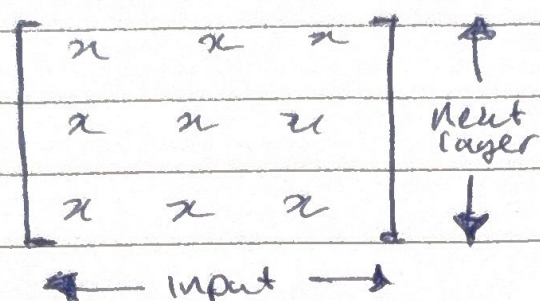


Bot Academy - NN from scratch

Weights structure

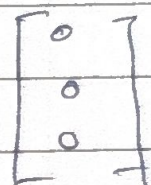


rows = next layer

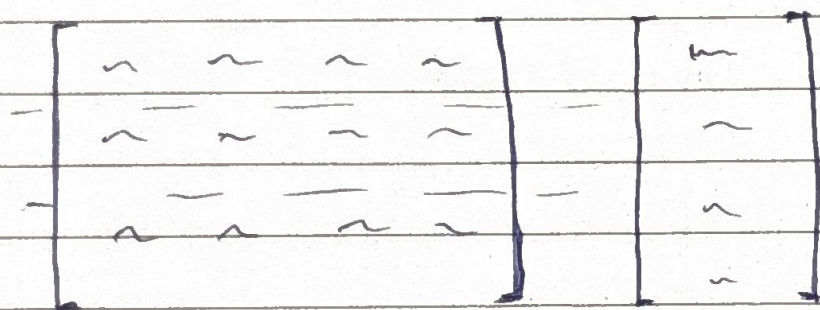
cols = current layer

`np.random.uniform(0, 1, (n, y))`

for bias = A column - rows = next layer
col = current



logic = the input layer is store as a col, hence



recall that matrix
multi goes
LHS rows by
RHS cols

therefore the weights are initialized as the
input or current neurons across the cols

Another trick to remember is that when
reading matrix multiplication you read
from right to left

Start with image & convert to column

the next matrix thus needs to match this
→ input weights across the top

init weights layers as random & small

init bias values as zeros

(for whole network layers)

Mnist data: from data import get-^{mnist}~~mnist~~

^{60k, 10}
images, labels = get-mnist()

↳ (60,000 by 784) Pixels/features as cols

labels are not encoded: (60k, 10)

training params: learn rate, epochs ↗ loops

▶ for epoch in range(epochs):

then loop through each sample/image

▶ for img, L in ~~zip~~ zip(images, labels):

recall the get-mnist has sample in row/vector form but we are going to do matrix vector multiplication. Hence we need the input img to be col wise (and the label)

▶ img.shape += (1,) } Reshape

▶ L.shape += (1,)

img.shape = 784

img.shape = 784, 1

Adds dimension

now do ff using inputs & weights using $mn + b$

▶ bias + weights @ input

not right to left

▶ $n = 1 / (1 + n.p. \exp(-h.p.e))$

normalize the values between 0-1 to avoid huge values (Sigmoid activation)

After feedforward comes the cost function

- Check if output is correct or not (counter)

(Not important for training but good code practise for transparency/information)

Backprop

output

label

very important to use
easy/care cost function

$$1 \left\{ \begin{array}{l} \text{delta-o} = 0 - L^{\vee} \quad \Delta \\ \text{w-h-o} = -LR \times \text{delta-o} @ \text{np-trans}(h) \\ \text{b-h-o} = -LR \Delta \text{delta-o} \end{array} \right.$$

1. Read Right to Left
2. Update the weights
4. Start w/ hidden layer neurons as vector
5. Negativ learn rate @ minimise cost
6. $+$ to recover init original weights

Notes: h = hidden layer neurons: $b + w @ 1m3$
the dimension output = $(20, 1)$, as column

δ_{n-0} is also a column (error)

the transpose turns h for col to row
why?

Why?
 $(10, 1) @ (1, 20) = (10, 20) = \underline{\text{same shape as we need}}$
 Errors neurons

the RHS is manipulate to get the correct output
= gradient matrix

MM retains shape 1 LHS 2 RHS

Second Backprop layer:

delta-h is the only thing different item of the process

(1) need the deriv of the sigmoid first
 $(h * (1-h))$

Also vary per activation used

(2) get weights & transpose

(3) MM between weights & delta-o

(4) (3) * (1)
 previous Sig Deriv

Repeat the same steps as before

$w_{i-h} = -LR * \text{delta-h} @ \text{np.transpose(img)}$

Code for running code