

# 6.2 AS - lec 6 - Ashby P2 - Dyn Syst Approach

(1)

Ashby was ground breaking in dynamical systems

## Lecture structure

- \* Ashby & approach to cybernetics
- \* Some general dynamical systems theory
- \* Modelling systems as state determined (Deterministic Modelling)

Deterministic = outcomes are precisely determined by model paras & initial condition.

- \* Same Input = Same Output
- \* No randomness or prob involved

↳ This is in contrast to stochastic modelling which produces a range of possible associated probabilities which accounts for random & noise

## Ashby

Ashby, radio club, book Design for a brain

## Ashby's methods

- Operational
- State-determined Dynamical systems
  - Variables, states, parameters
  - Phase space & fields
  - State determined systems



Ashby worked on homeostasis, ultrastability and adaption

Demonstrated them w/ his homeostat machine

### Design to brain

~~was~~ Ashby's works were not generally focused on evolution but instead life time adaption

Distinguished two kinds of acting in nervous sys:

- \* Hardwired or reflex behaviours (Evolution)

- \* learned ~~As~~ Behaviours (Ashby's focus)

Begins Book w/ pointy contradiction

- (1) brain resembles machine

- (2) living org behaves in a purpose & adaptive way

How can a machine be machine & adaptive

Ashby's goal of book was to show how sys can be both mechanistic in nature but produce behaviour which is adaptive



## introducing ashbys methods

### Operation Approach:

Rejects subjective descriptions, objective form must be shown - things that can be directly observed

- \* use precise definitions
- \* not discuss anything that can't be measured or observed object
  - ↳ testable hypothesis

### Dynamical Systems approach

Ashby modelled adaptive systems as dynamical systems which has states that change over-time

→ key underpin of research @ Sussex

often comprise of multiple equations which specify how the change of one variable is defined by state of every variable

### Variables, states, Parameters

- \* Variable is a measurable quantity
- \* State = instantaneous values of all variables of the system
- \* A var not included in a system is a parameter



## States & phases space

if the state of a system is an  $n$ -dimensional vector

we can define an  $n$ -dimensional space of all possible states

in dynamical systems known as phase space

- Phase portraits to measure