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AS-~~XXXXX~~ 5.1 Positive Feedback

* Pos feedback is very different to neg feedback

* Negs are assoc w/ stability

* Pos feedbacks are assoc w/ instabil & growth

Delays can make negs behave like positive

Pos can often lead to expo growth

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An example = speaker, microphone, feedback loop

Millennium bridge swaying - walking pattern

Population models = Pos (birth) + Neg (Death)

→ more pop = more able to give birth = Pos feed

Neg feedback Acting like Positive

"Sensors" have delay.

- Can result in info in wrong direction
if delay counts

Summary

Pos isn't inherently bad but needs to be controlled

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5.2 Stigmergy & chaos

- * Pos = can be dangerous but fun due to growth & self-org
- * Stigmergy intro - often involves pos feedback
- * Systems w/ non-linear feedback may be chaotic
- * Chaos can be surprisingly useful

↳ Will give example of first self-adaptive sys

Stigmergy → PP Grasse (1959)

"Stigmergy is an indirect, mediated mechanism of coordination between agents - in which the trace of an action left on a medium stimulates the performance of a subsequent action"

Artifacts of previous behaviour influence future behaviour

A way to concept this would be the agent is imparting a store of memory into the environment

Ants use pheromones to communicate via env
- Trails to follow - mark on env

Double bridge experiment - asymmetric

- Ants follow path collectively & converge on path
- Asymmetric will converge on short path
- Ants will follow stronger concentration
- Hence shorter will have more pheromones over time
- Pheromone builds up more slowly

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Some ants leave phores or pheromones over their find food
- pos feedback

Human Paths as a result of stigmergy

Pathological Stigmergy - Ants Death circle

Lecture 5 - Part 1 END

More Stigmergy \rightarrow then onto chaos

Ants are self-adaptive systems
Pheromones

Positive feedback being halted to avoid exponential growth
using thresholding points - feedback until point reached

Chaos

Deterministic chaos

Definition: Feldman

* A Dynamical Sys is Chaotic if it has all props

(1) Its time ev is given by determin func (not random)

(2) orbits are bounded (cannot grow to infin)

(3) orbits ^{sensitive} depend on initial conditions (will diverge even if ^{start} close)

(4) orbits are aperiodic (don't repeat)

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$$x_{t+1} = R x_t (1 - x_t)$$

logistic map

All Pops reach stable level given R

large R will create oscillations

x_{t+1}

$$= R x_t (1 - x_t)$$

very large will vary chaotically

Sensitive to start points

- may start same but diverge over time



even for fully deterministic system, still impossible to predict behaviour due to lack of precision

Bifurcation

~~Bifurcation~~ plot

- Parameter Sweep

Chaotic systems can be used as pseudo random number generators

Central Pattern Generation

Kangaroo jumping pattern - stable, repeating

Stable & efficient locomotion

Shim & Husbands - CPG

Summary

4 types of feedback in this module:

- (1) Neg
- (2) Pos
- (3) Non-lin
- (4) feedback from envs (sensory loop)