## **Rolodex Problem**

\*I evaluated and plotted the solution in python, since the MATLAB solution was printed verbatim in the textbook.  $E\{X\}$  converged fairly quickly, so I used infinity = 1e3.

```
from math import factorial
import matplotlib.pyplot as plt
inf = int(1e3)
def f(x):
  return\ float(x)
def product(iterable):
  prod = 1
  for n in iterable:
     prod *= n
  return prod
def npr(n, r):
  assert 0 \le r \le n
  return product(range(n - r + 1, n + 1))
def ncr(n, r):
  assert 0 \le r \le n
  if r > n // 2:
    r = n - r
  return npr(n, r) // factorial(r)
def rolodex(n):
  so = 0.0
  for r in range(n, inf):
     si = 0.0
     for i in range(n):
       p1 = f(ncr(n,i))
       p2 = f((-1)**i)
       p3 = (1.0 - f((i+1))/f(n))**f((r-1))
       si += p1*p2*p3
     so += f(r)*si
  return so
if __name__=="__main__":
  X,Y = [],[]
  for i in range(1,51):
     X.append(i)
     Y.append(rolodex(i))
  plt.scatter(X, Y)
  plt.axis([0,50,0,250])
  plt.grid()
  plt.title('Average number of Rolodex tries to call all students at least once')
  plt.xlabel('Number of students in the class')
  plt.ylabel('Expected number of Rolodex tries')
  plt.show()
```

