

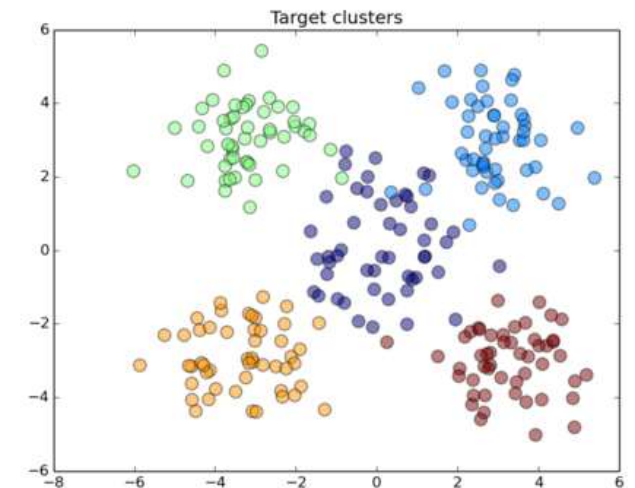
Swarm intelligence

THE PRACTICALITY OF CLASSIFICATION BASED ON BIOLOGICAL SYSTEMS



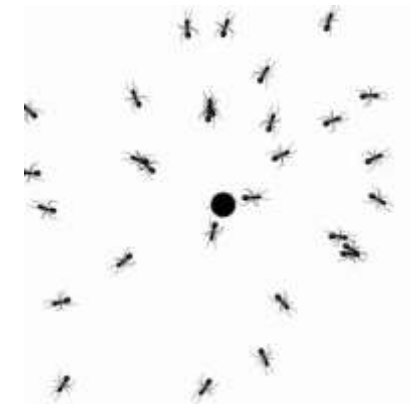
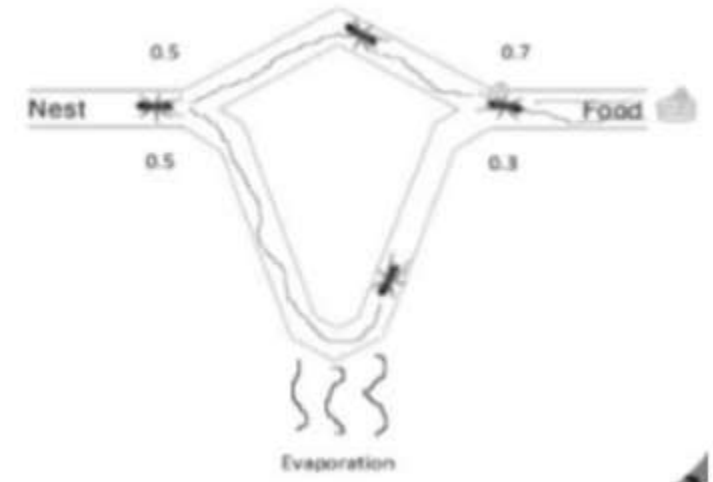
The Clustering Problem

- ▶ Clustering – Partitioning datasets into meaningful subclasses
- ▶ Unsupervised Learning Problem
- ▶ Utilised in many professions from business to medicine
- ▶ Clustering is computationally expensive
- ▶ Utilises heuristic information, but yet to be a generic solution



Ant Colony Optimisation

- ▶ Utilises swarm intelligence for parallelisation
- ▶ Each agent is its own entity
- ▶ Information passed via pheromone
- ▶ Begins with inherent randomness
- ▶ Allows for emergent shortest path optimisation
- ▶ Randomness is key



Understanding The Equation

- ▶ *P denotes the amount of pheromone*
- ▶ *i and j denote the nodes for k to traverse*
- ▶ *Pheromone regulation T*
- ▶ *Alpha and Beta are heuristic values for desirability of n*

$$\rho_{ij}^k = \frac{[t_{ij}]^{\alpha} * [n_{ij}]^{\beta}}{\sum l \in N_i^k [t_{il}]^{\alpha} * [n_{il}]^{\beta}}$$

Fig. 3 ACO Solution Equation
(Shekhawat, Poddar & Boswal 2009)

Mathematics To Code

```
for iteration -> n
    set initial population;
    set initial pheromone concentration;
    initialise pheromone matrix;
    calculate initial edge desirability;
    set evaporation rate;

    create_colony;
    calculate_fitness;
    update_elite_fitness;
    update_pheromone_matrix;
end
```

Fig. 6 ACO Compact Pseudocode

```
% Calc the average of the distances between all edges in graph * #NO edges
% Pheromone concentration
tau0 = 10*1/( graph.n * mean(graph.edges(:) ));

% Create pheromone matrices
tau = tau0 * ones(graph.n, graph.n);

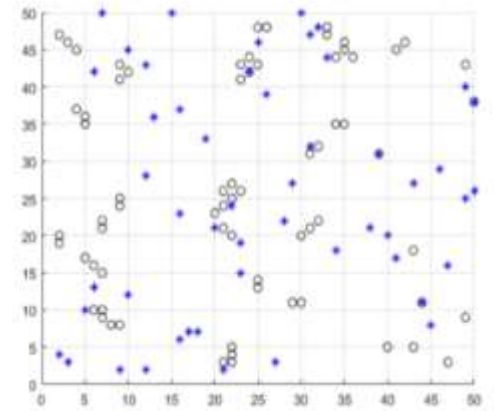
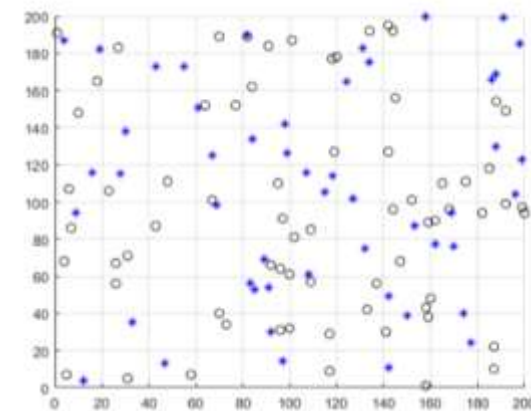
% Edge desirability: shorter is more desirable
% Can be reversed to find the longest path via graph.edges
eta = 1 ./graph.edges;

% Evaporation rate
rho = 0.15;

% Pheromone param
alpha = 1;
% Desirability param
beta = 2;
```

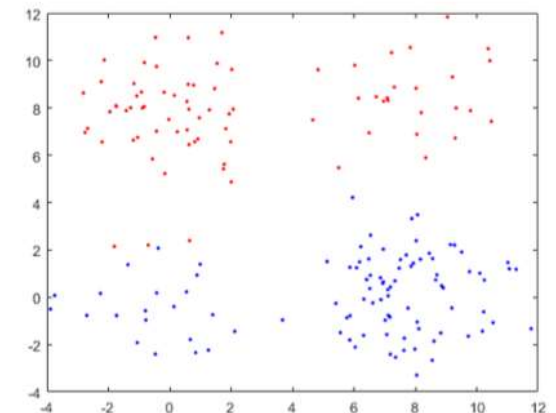
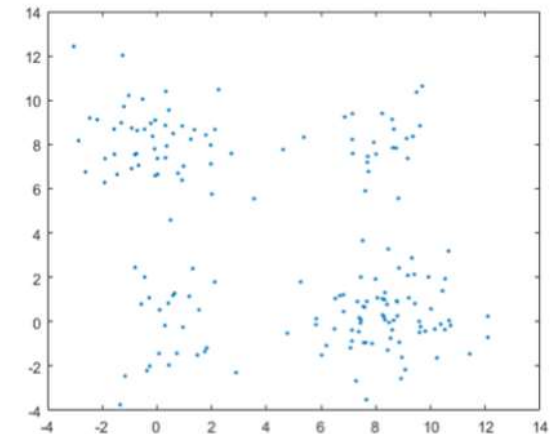
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- [illegible]

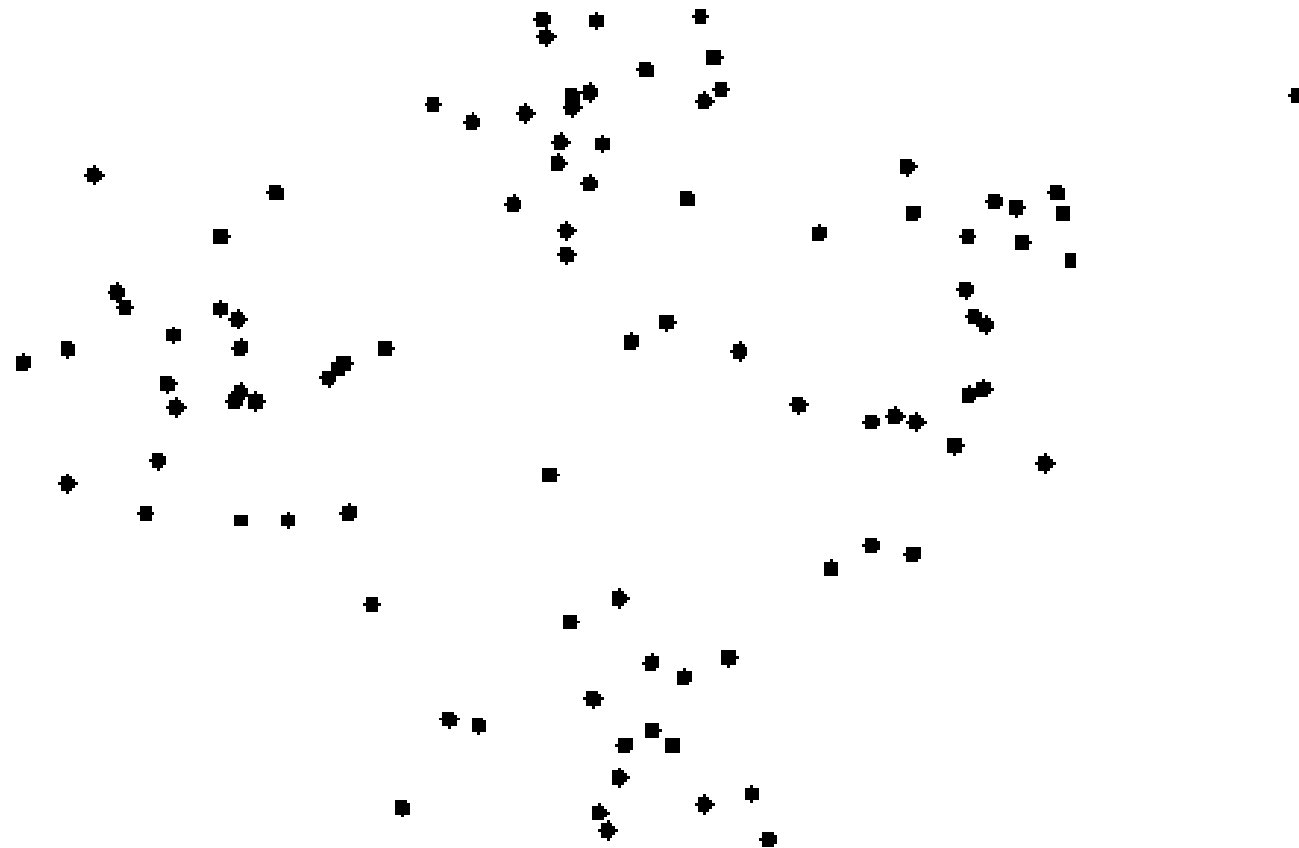


K-means

- ▶ Offers Faster Convergence
 - ▶ Utilises centroid based clustering
 - ▶ Point k selected
 - ▶ Nodes (x) calculated distance in regards of k and x
 - ▶ Node assignment to cluster j
-
- ▶ Not a biological algorithm or generic solution
 - ▶ Possibility of a hybrid k-means

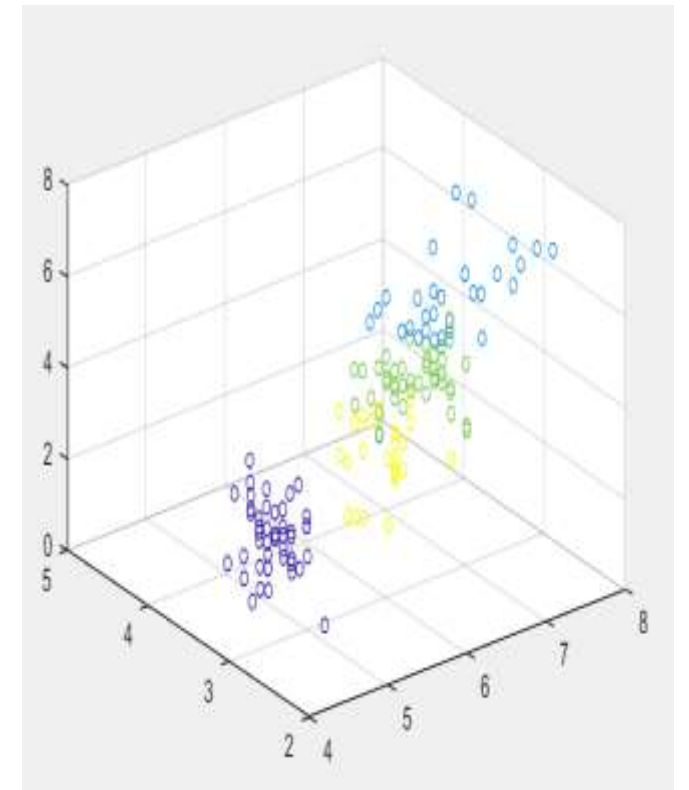


K-means Example



Ant Centroid Clustering

- ▶ Superior convergence to Ant Colony
- ▶ Utilises ACO methodologies
- ▶ Applies K-means style centroids via fitness
- ▶ Outperformed by K-means
- ▶ Similar Results to K-means
- ▶ Some datasets have drastic fluctuations between iterations



Ant Clustering1

```
%% Main ACC

generation_limit = no_generations;

% Set Parameters
dataset_items = size(dataset, 1);
features = size(dataset, 2);

clusters = 2;
population = 10;

eta = .1;
beta = .1;
alpha = .1;
delta = 1;

pd = .9;

% Evaporation Rate
rho = 0.5;
tau0 = ones(dataset_items, clusters) * 0.001;
tau = [];
lsr = 0.2;

% Best Solutions
elite = [];
global_elite = [];
total_elite = round(population*0.2);

% fitness
best_fitness = zeros(generation_limit,1);
current_best_fitness = zeros(generation_limit,1);
```

```
while i <= generation_limit
    tau = tau0./repmat(sum(tau,2),1,clusters);
    tours = zeros(population, dataset_items+delta);
    best_tour = [];

    % Begin Tours
    for ant = 1 : population
        for item = 1 : dataset_items

            r = rand();
            if r > pd
                r2 = rand();
                c = 0;
                t_size = sort(tau(item,:));

                for j = 1: t_size
                    c = c + t_size(j);
                    if r2 < c
                        disc = find(tau(item,:) == t_size(j));
                        % Update Tours
                        if size(disc,2) == 1
                            tours(ant,item) = disc;
                        else
                            tours(ant,item) = disc9floor(rand()*size(disc(2)+delta));
                        end
                        break;
                    end
                end
            end
        end
    end
```

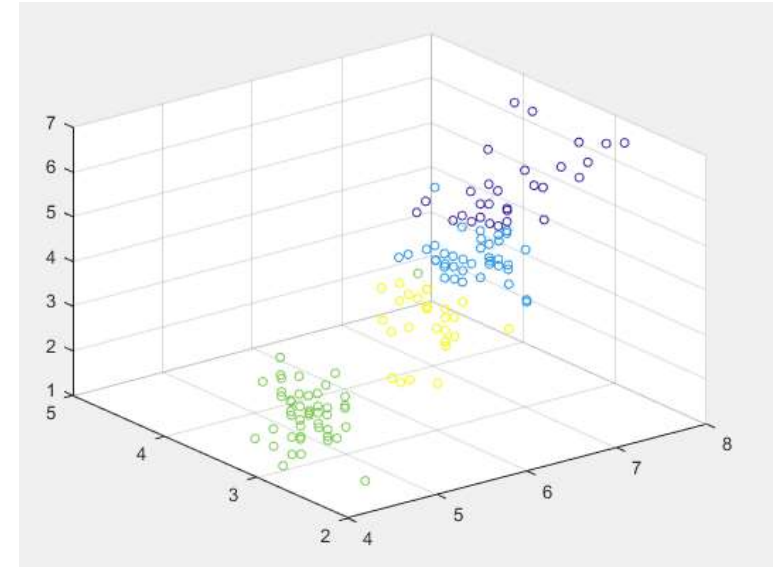
Ant Clustering 2

```
else
    % Explore Pheromone Trails
    disc = find(tau(item,:) == max(tau(item,:)));
    if size(disc, 2) == 1
        tours(ant,item) = disc;
    else
        tours(ant,item) = disc(floor(rnd()*size(disc,2)+delta));
    end
end
end
```

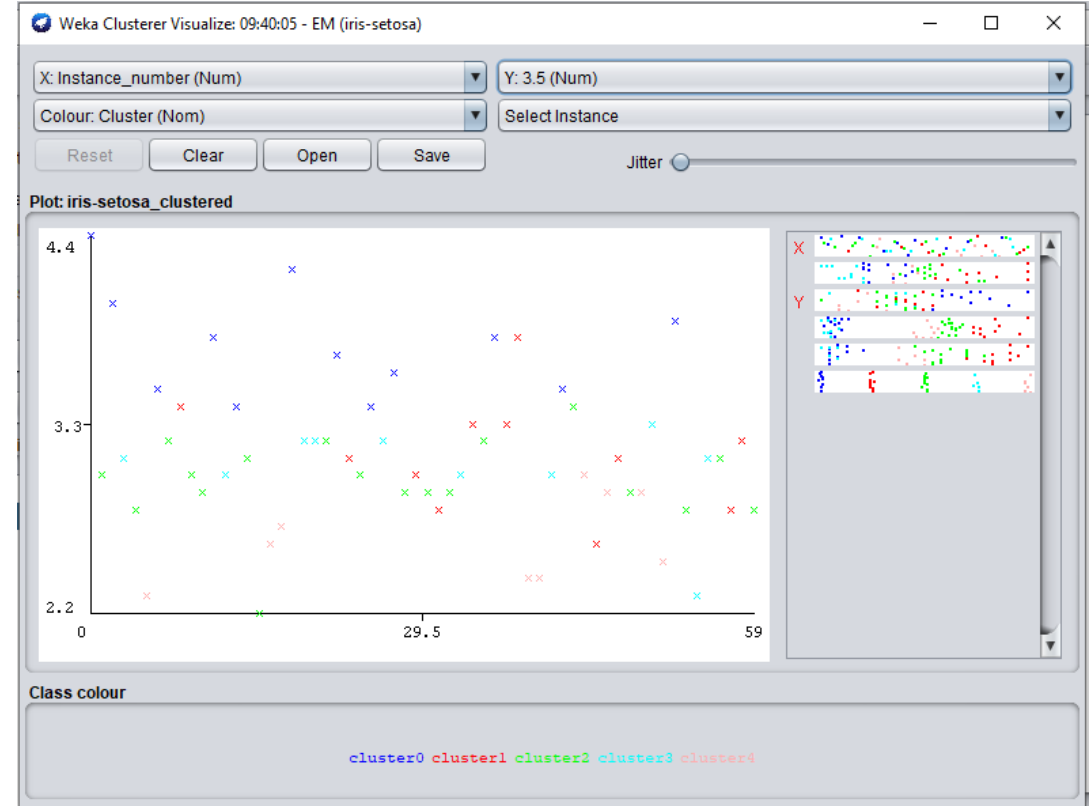
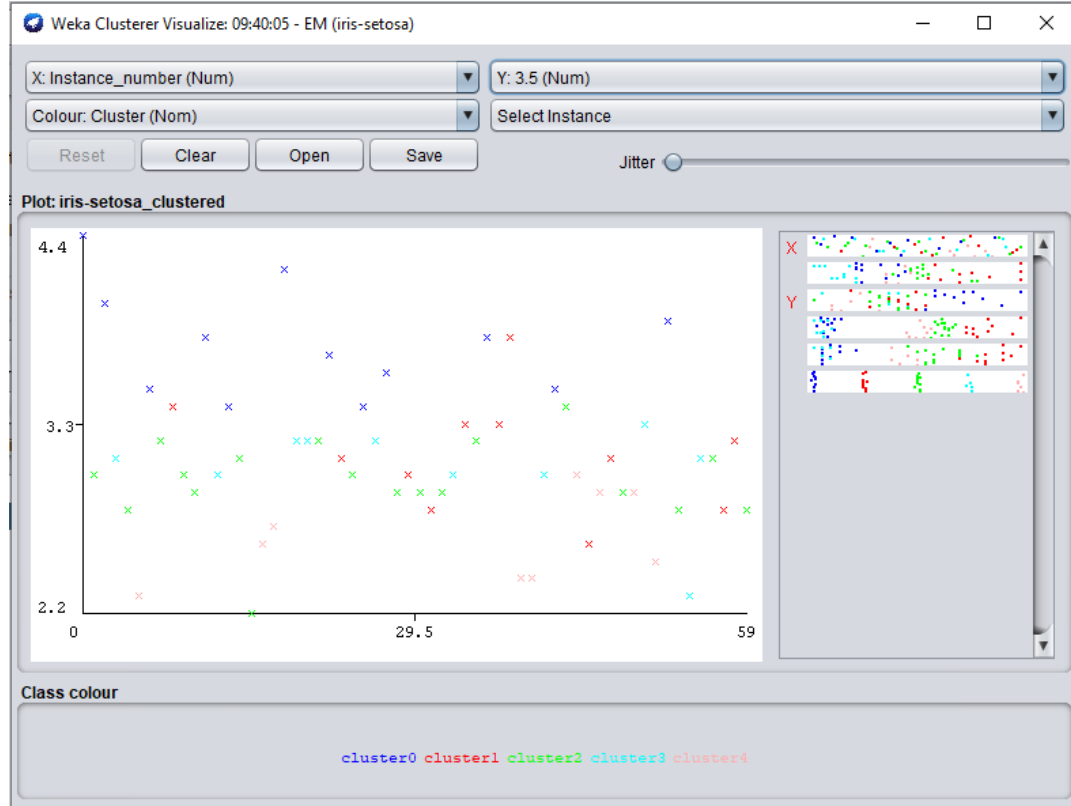
```
% Calc Fitness with Centroid
centroid = (weighted_average'*dataset_items)./repmat(sum(weighted_avg,1)',1,features);
for item = 1 : dataset_items
    ed = sqrt(sum((dataset_items(item, :) - centroid(solutions(ant,item),:)).^2));
    tours(ant,end) = tours(ant,end)+ed;
end
end
```

Ant Clustering 3

- ▶ Iterates over the dataset
- ▶ Creates path solutions utilising ACO
- ▶ Explore Pheromone Trails
- ▶ Sets a weighted average dependent on tour data
- ▶ Randomly selects centroids within data
- ▶ Partitions the data calculating the Euclidean distance



Weka Iris-setosa



Datasets

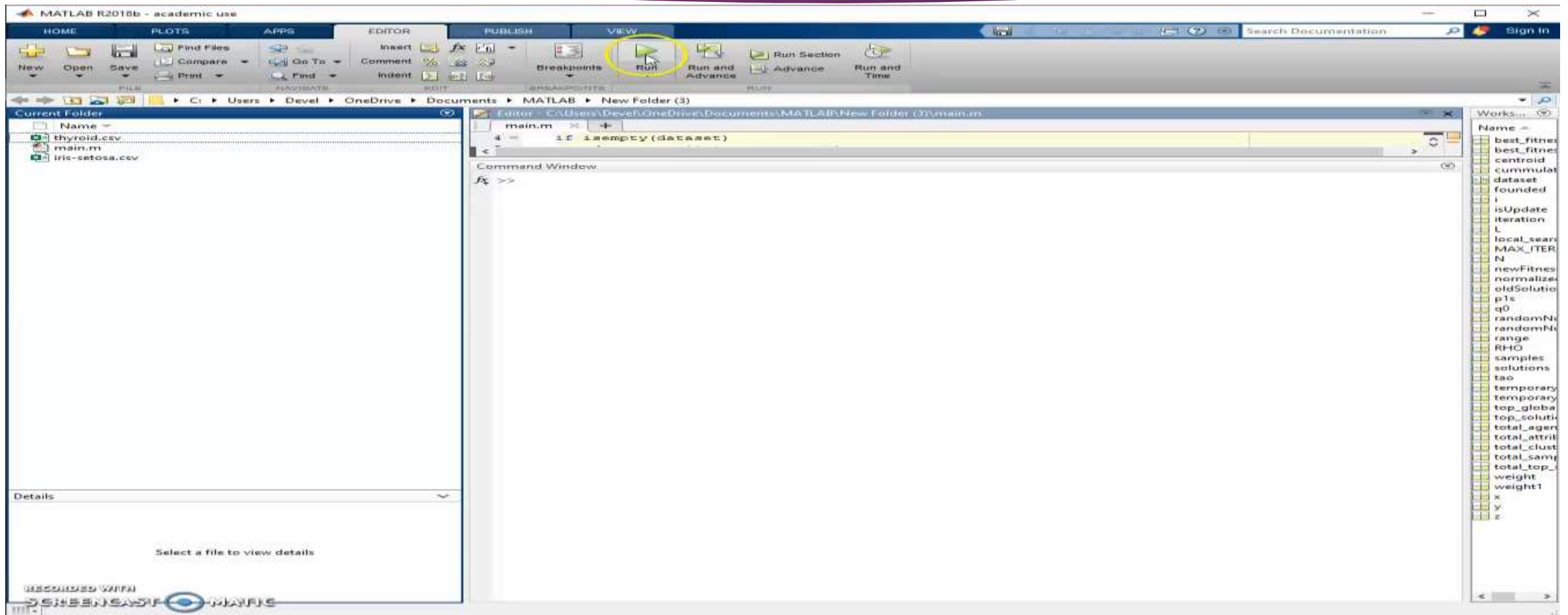
Iris-Setosa

	A	B	C	D
1	5.1	3.5	1.4	0.2
2	4.9	3	1.4	0.2
3	4.7	3.2	1.3	0.2
4	4.6	3.1	1.5	0.2
5	5	3.6	1.4	0.2
6	5.4	3.9	1.7	0.4
7	4.6	3.4	1.4	0.3
8	5	3.4	1.5	0.2
9	4.4	2.9	1.4	0.2
10	4.9	3.1	1.5	0.1
11	5.4	3.7	1.5	0.2
12	4.8	3.4	1.6	0.2
13	4.8	3	1.4	0.1
14	4.3	3	1.1	0.1
15	5.8	4	1.2	0.2
16	5.7	4.4	1.5	0.4
17	5.4	3.9	1.3	0.4
18	5.1	3.5	1.4	0.3
19	5.7	3.8	1.7	0.3
20	5.1	3.8	1.5	0.3
21	5.4	3.4	1.7	0.2
22	5.1	3.7	1.5	0.4
23	4.6	3.6	1	0.2
24	5.1	3.3	1.7	0.5
25	4.8	3.4	1.9	0.2
26	5	3	1.6	0.2
27	5	3.4	1.6	0.4
28	5.2	3.5	1.5	0.2
29	5.2	3.4	1.4	0.2
30	4.7	3.2	1.6	0.2
31	4.8	3.1	1.6	0.2
32	5.4	3.4	1.5	0.4
33	5.2	4.1	1.5	0.1
34	5.5	4.2	1.4	0.2

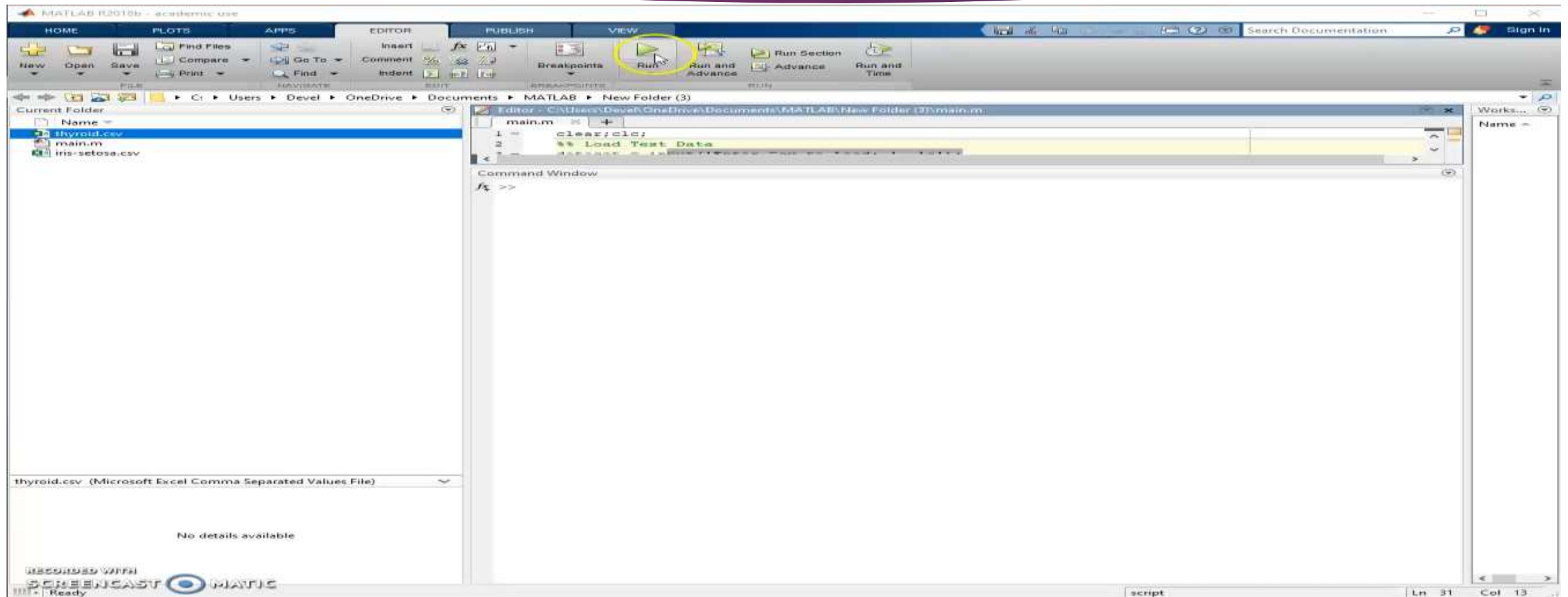
Thyroid

	A	B	C	D	E
1	107	10.1	2.2	0.9	2.7
2	113	9.9	3.1	2	5.9
3	127	12.9	2.4	1.4	0.6
4	109	5.3	1.6	1.4	1.5
5	105	7.3	1.5	1.5	-0.1
6	105	6.1	2.1	1.4	7
7	110	10.4	1.6	1.6	2.7
8	114	9.9	2.4	1.5	5.7
9	106	9.4	2.2	1.5	0
10	107	13	1.1	0.9	3.1
11	106	4.2	1.2	1.6	1.4
12	110	11.3	2.3	0.9	3.3
13	116	9.2	2.7	1	4.2
14	112	8.1	1.9	3.7	2
15	122	9.7	1.6	0.9	2.2
16	109	8.4	2.1	1.1	3.6
17	111	8.4	1.5	0.8	1.2
18	114	6.7	1.5	1	3.5
19	119	10.6	2.1	1.3	1.1
20	115	7.1	1.3	1.3	2
21	101	7.8	1.2	1	1.7
22	103	10.1	1.3	0.7	0.1
23	109	10.4	1.9	0.4	-0.1
24	102	7.6	1.8	2	2.5
25	121	10.1	1.7	1.3	0.1
26	100	6.1	2.4	1.8	3.8
27	106	9.6	2.4	1	1.3
28	116	10.1	2.2	1.6	0.8
29	105	11.1	2	1	1
30	110	10.4	1.8	1	2.3
31	120	8.4	1.1	1.4	1.4
32	116	11.1	2	1.2	2.3
33	110	7.8	1.9	2.1	6.4
34	90	8.1	1.6	1.4	1.1

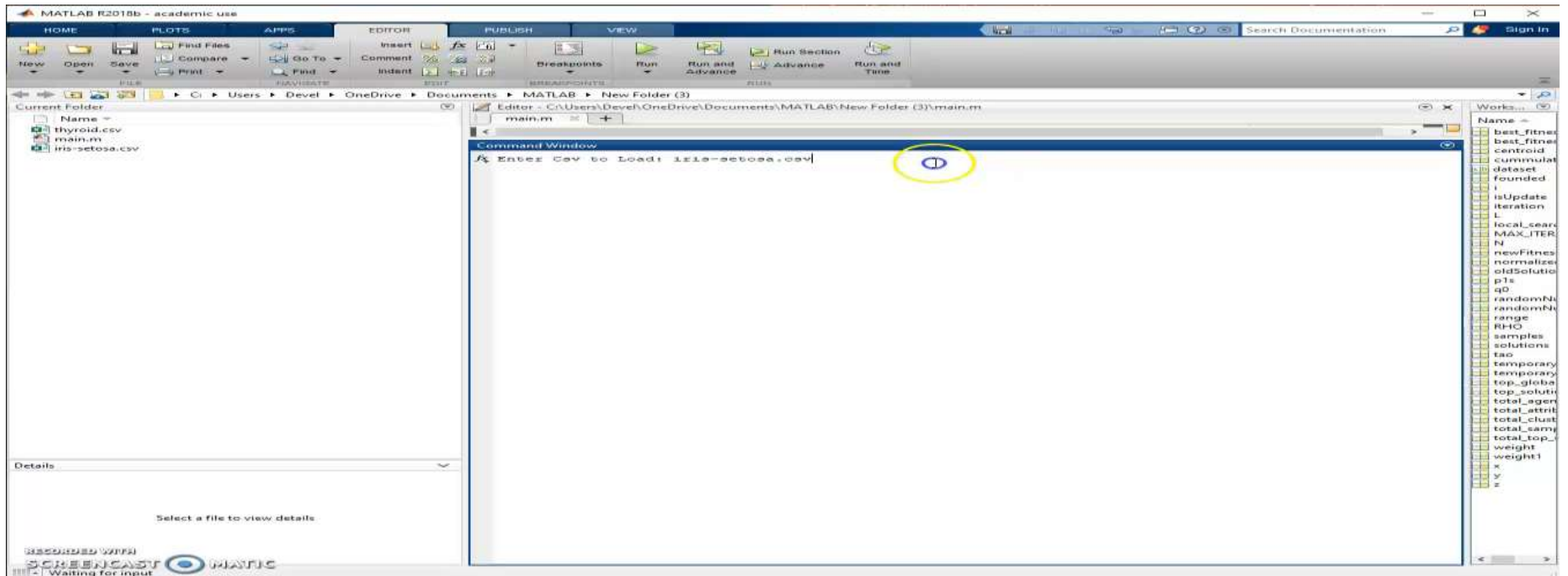
Iris-Setosa: Ants 20 Generation 100



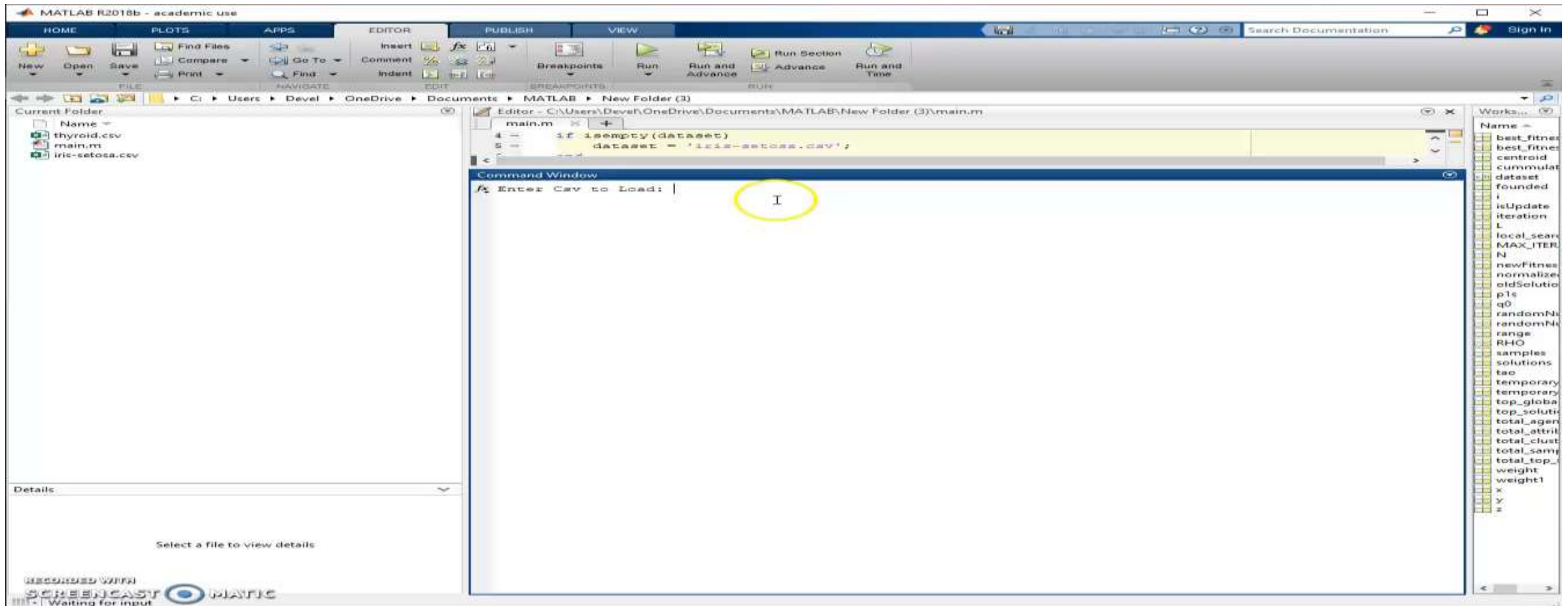
Iris-Setosa: 100 Ants Gen 500



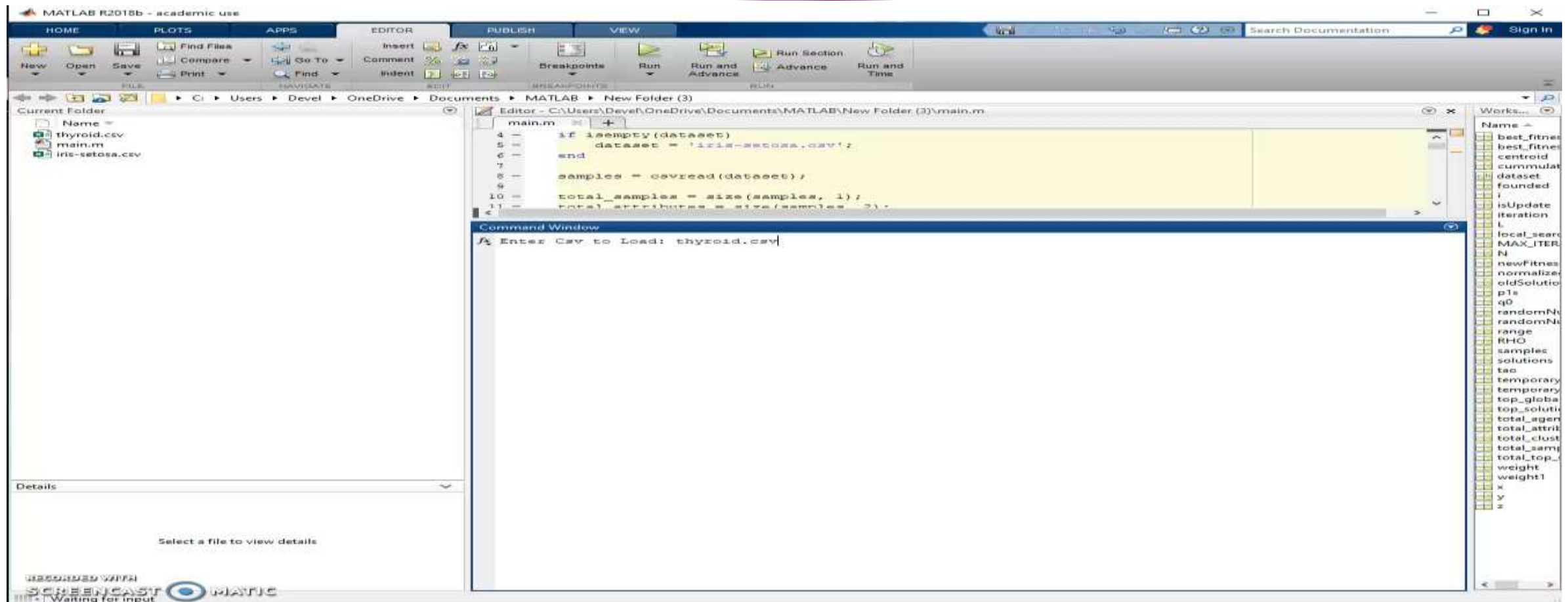
Iris-Setosa: Ants 200 Gen 2000: 372907



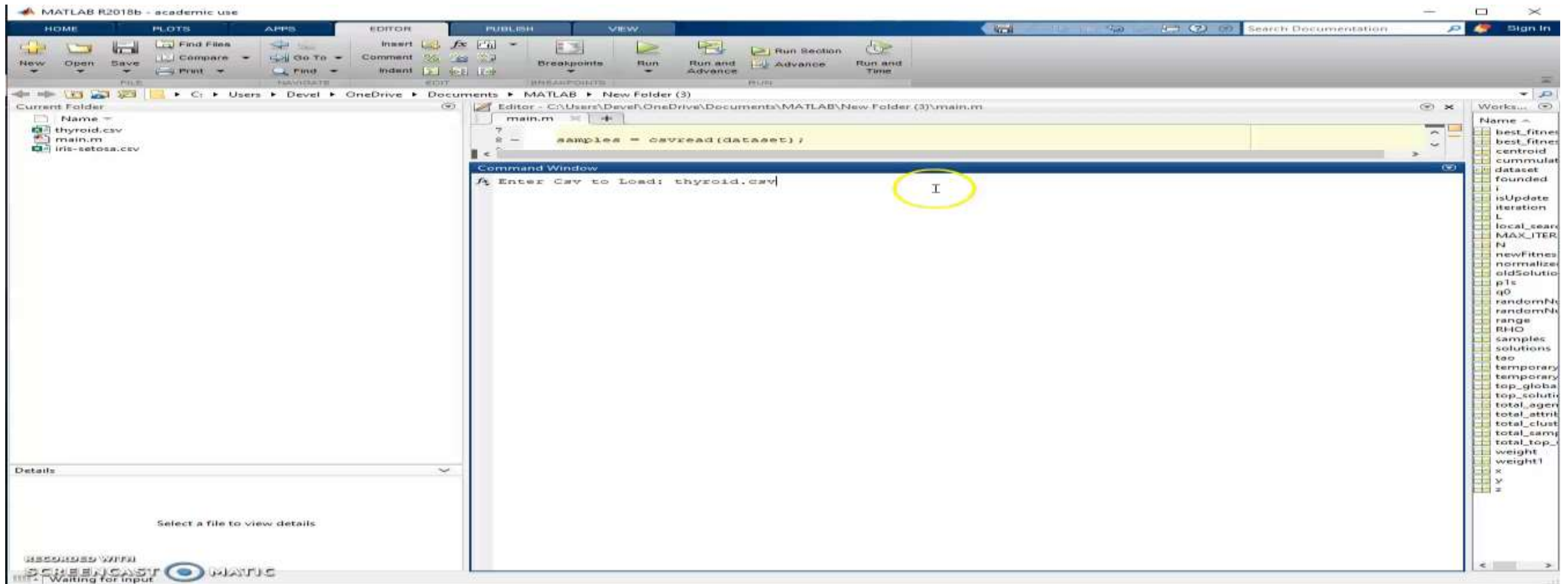
Thyroid: Ants 10 gen 500



Thyroid: Ants 100 Gen 1000



Thyroid: Ants 25 Gen 100



Fuzzy Logic

- ▶ Based on natural thinking processes
- ▶ Allows for definitive circumstances with intermediate responses
- ▶ C-means is an example of Fuzzy Logic in a clustering algorithm
- ▶ Fuzzy Logic could be applied to ACC
- ▶ K-means ACO provides adequate solution in reasonable time frame

Next Steps

- ▶ Research into Fuzzy Implementation
- ▶ Comparison of Fuzzy Logic to the base algorithms
- ▶ Improve centroid based solution via Fuzzy Logic
- ▶ Continuation of the implementation within java for clustering/feature selection

Conclusion

- ▶ K-means remains the best for simplicity and reliability
- ▶ Nature inspired algorithm cluster data effectively
- ▶ AC is the best for time-constrained solutions

- ▶ Fuzzy Logic could improve performance and reliability as seen in c-means
- ▶ Alternative solution could be to investigate the use of biological inspired algorithms for training neural networks weighting