



#### **Content Page**

1 2 3
Quantum Research 2D Implementation 3D Implementation





## Quantum Research

Readups on things related to QM

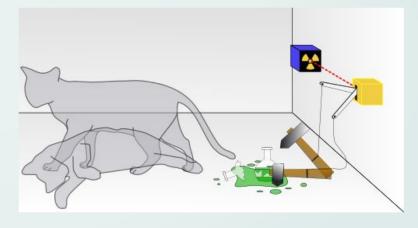




#### 1) Schrodinger's Cat

The Schrödinger's cat **demonstrates** the behaviour of quantum particles (in a state of superposition), that it can be in **multiple** states/places at once, only collapsing into a fixed state/place upon **observation** 

This thought experiment gives rise to various other interpretations, which I will cover later

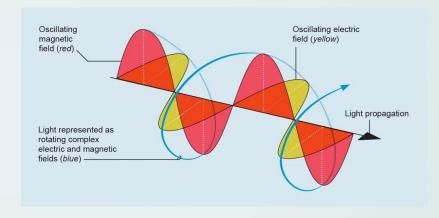




#### 2) Complex Series



When dealing with quantum mechanics, **predictions** to a behaviour will be needed to be made. However, just by pure real numbers, this prediction will oftentimes not work. Furthermore, it is also useful in **graphical representations** of quantum particles as it allows both the amplitude and phase information to be stored



The above image is just one example of its application. For a light wave, having complex will allow it to be displayed 3 dimensionally and hence able to understand it's movement and behaviours better

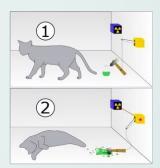


# 3) Different Interpretations - Copenhagen Interpretation



Copenhagen Interpretation tells us that quantum particles are in a state of superposition until being observed, which causes the superpositional wave collapses down into one single particle/state and is observed by us.



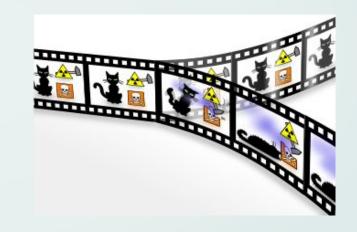




## 3) Different Interpretations - Many World Interpretation



Many World Interpretation suggests that all the possibilities exists, just that they exist in different universes, all connected by a huge and complex wave function. We are only entangled to one part of this complex wave, hence we can only observe one outcome. All of the other outcomes will exist in a separate universe

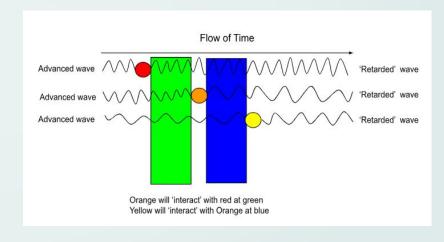




## 3) Different Interpretations - Transactional Interpretation



Transactional Interpretation suggests that the **future** particles will **affect the outcome** in **past**. This is because every particle will admit 2 waves, one retarded wave going forward in time and one advanced wave going backwards. They will interact with each other, causing the future to affect the present





## 3) Different Interpretations - Ensemble Interpretation



Ensemble Interpretation suggests that everything will affect every other similar things simultaneously, and the results are based on other similar experiments that was done in the past, both consciously and subconsciously. Hence, there is no state of superposition since everything is being determined by other similar experiments



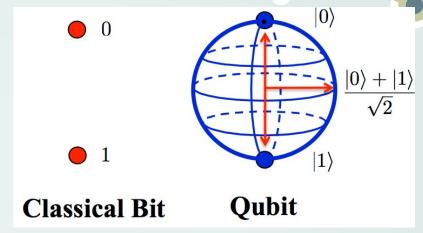
#### Part 2:

Simulation using Qiskit



#### 4) Qubit

Qubits are essentially bits but used for quantum computing instead of classical computing. It has more processing power and is faster at running the algorithms as compared to classical bits due to its ability to display superposition. However, currently, it takes too much energy to ensure qubits run effectively, hence it is not being widely used



The picture below shows the difference between a classical bit and a qubit. Unlike classical bit which shows two fixed states, whereas for a qubit it has a probability cloud of the possible states.



#### 5) Quantum Logic Gates

Quantum logic gates are the main foundation of quantum computing, able to **manipulate qubits** in order to process data. The ones that I focused on are the **Pauli XYZ gates, Hadamard Gate and CNOT Gates** 

Operator	Gate(s)		Matrix		
Pauli-X (X)	$-\mathbf{x}$	-—	$\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$		
Pauli-Y (Y)	$- \boxed{\mathbf{Y}} -$		$\begin{bmatrix} 0 & -i \\ i & 0 \end{bmatrix}$		
Pauli-Z (Z)	$- \boxed{\mathbf{z}} -$		$\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$		
Hadamard (H)	$- \boxed{\mathbf{H}} -$		$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$		
Phase (S, P)	$-\mathbf{s}$		$\begin{bmatrix} 1 & 0 \\ 0 & i \end{bmatrix}$		
$\pi/8~(\mathrm{T})$	$-\mathbf{T}$		$\begin{bmatrix} 1 & 0 \\ 0 & e^{i\pi/4} \end{bmatrix}$		
Controlled Not (CNOT, CX)			$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$		
Controlled Z (CZ)		<b>_</b>	$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \end{bmatrix}$		
SWAP		_ <del>*</del> _	$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$		
Toffoli (CCNOT, CCX, TOFF)			$\begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0$		



qc.draw("mpl")

### 6) 2D Simulation-Schrodinger's Cat

```
#QuantumRegister is used to create a quantum register with n qubits,
#ClassicalRegister is used to create a classical register with n bits,
#QuantumCircuit is used to create a quantum circuit with qubits and bid
from qiskit import QuantumRegister, ClassicalRegister, QuantumCircuit

#radiioactive particle = rp, quantum circuit = qc
rp = QuantumRegister(1, name="RP")
qc = QuantumCircuit(rp)

#Here, we will implement a Hadamard gate on the radioactive particle.
#This will put the particle in a superposition state, where it can be :
#either the |0\) or |1\) state with 50\% probability each.
qc.h(rp[0])
```

```
#Next. we will implement a classical bit in order to capture the
                                                                   cat = QuantumRegister(1, name="cat")
#measurement of the radioactive particles.
                                                                   qc = QuantumCircuit(rp, cat)
qc.measure all()
                                                                   #similar to before, a Hadamard gate is on the radioactive particle.
from qiskit aer import AerSimulator
                                                                   qc.h(rp[0])
#Here, we will use the AerSimulator to simulate the quantum circ
                                                                   #Next, we will implement a controlled-NOT gate, where the radioactive
#The default number of simulation for qiskit is 1024.
                                                                   #particle is the control qubit, and the cat is the target qubit.
backend = AerSimulator()
                                                                   #This will entangle the radioactive particle and the cat.
result = backend.run(qc).result()
                                                                   #The initial state of the cat is |0\rangle, and after the entanglement,
                                                                   #if the radioactive particle is 1), NOT(cat), causing the cat to be
#The result of the simulation is stored in the counts variable,
                                                                   #in the |1 state, else it remains in the |0 state.
#and displayed as a dictionary.
                                                                   qc.cx(rp[0], cat[0])
#At the same time, this will test whether the gate is truely wor
print(result.get_counts())
                                                                   qc.draw("mpl")
```

```
#This is similar to the above section
qc.measure_all()

result = backend.run(qc).result()

print(result.get_counts())
```

```
qc.draw("mpl")
env = QuantumRegister(5, name='environment_')

qc = QuantumCircuit(rp, cat, env)

qc.h(rp)

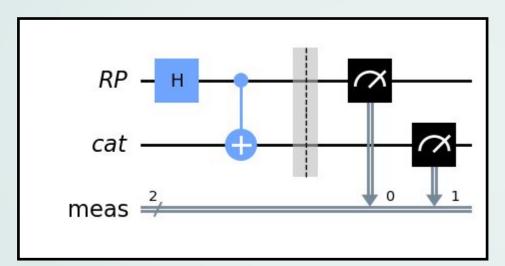
qc.cx(rp, cat)

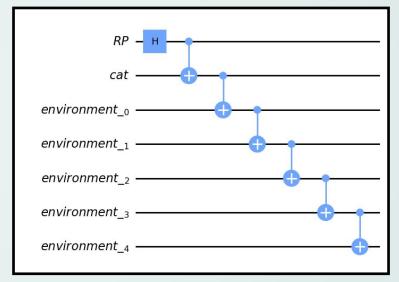
qc.cx(cat, env[0])
qc.cx(env[0], env[1])
qc.cx(env[1], env[2])
qc.cx(env[2], env[3])
qc.cx(env[3], env[4])

qc.draw("mpl")
```



## 6) 2D Simulation-Schrodinger's Cat







### 6) 2D Simulation-Schrodinger's Cat

00>	11)	Total
508	516	1024
520	504	1024
527	497	1024
507	517	1024

Average |0 $\rangle$  count:  $\frac{508+520+527+507}{4} \approx 515$ 

Average |1 $\rangle$  count:  $\frac{509+489+531+508}{4} \approx 509$ 

% of  $|0\rangle$ :  $\frac{515}{1024} \times 100\% \approx 50.3\%$ 

% of |1\):  $\frac{509}{1024} \times 100\% \approx 49.7\%$ 

Note: this will get closer to 50% each if ran more times





## 6) 2D Simulation-Alice Bob Charlie Experiment

```
from qiskit import QuantumCircuit, QuantumRegister, ClassicalRegister, Aer, transpile, assemble, execute

# Create named quantum registers for Alice, Bob, and Charlie
alice = QuantumRegister(1, "Alice")
bobs = QuantumRegister(2, "Bob_")
charlie = QuantumRegister(1, "Charlie")

# Create a classical register for measurement outcomes

cr1 = ClassicalRegister(2, "Measurement 1")
cr2 = ClassicalRegister(2, "Measurement 2")

# Create a quantum circuit with three qubits for Alice, Bob, and Charlie  # Make Alice and Charlie support  # Make Alice and Charlie  # Make Alice  # Make Alice
```

qc = QuantumCircuit(alice, bobs, charlie, cr1, cr2)

```
# Create a quantum circuit with three qubits for Alice, Bob, and Charlie
qc = QuantumCircuit(alice, bobs, charlie, cr1, cr2)

# Make Alice and Charlie superposition
qc.h(alice)
qc.h(charlie)

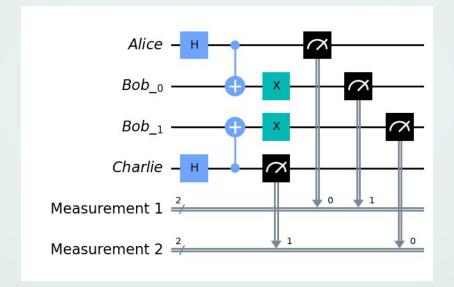
# Entangle Alice and Bob
qc.cx(alice, bobs[0])

# Entangle Bob and Charlie
qc.cx(charlie, bobs[1])

#Ensuring that the measurements of bob is the opposite of alice and charlie
qc.x(bobs[0])
qc.x(bobs[1])
```



## 6) 2D Simulation-Alice Bob Charlie Experiment







## 6) 2D Simulation-Alice Bob Charlie Experiment



01 01	01 10	10 10	10 01	Total
238	262	259	265	1024
257	251	245	271	1024
272	252	250	250	1024
224	257	272	271	1024

These measurements will show that the 4 possible measurements all have a 25% chance of getting picked, since we assume that Alice and Charlie have no biases over which direction of polarisation they pick. Of course, this is a simplification of the actual experiment, so no imaginary numbers are seen.



## 6) 2D Simulation-Delayed Double Slit Experiment

```
# Create quantum registers and classical registers
par = QuantumRegister(1, 'Particle') # Particle qubit
temp = OuantumRegister(1, 'Temp')
                                     # Temporary qubit
scr = ClassicalRegister(1, 'screen') # Classical register for screen measurement
det = ClassicalRegister(1, 'detector') # Classical register for detector measurement
# Create a quantum circuit
qc = QuantumCircuit(par, temp, scr, det)
                  det present = True
                  # If the detector is not present, measure Particle (P) directly
                  if not det present:
                       qc.measure(par, scr)
                  # If the detector is present, manipulation is needed
                  else:
                       qc.h(par)
                       qc.cx(par, temp)
                       qc.h(par)
                       qc.measure(temp, det)
                       qc.h(temp)
                       qc.cx(temp, par)
                       gc.measure(par. scr)
```

from qiskit import QuantumCircuit, QuantumRegister, ClassicalRegister, Aer, transpile, assemble

```
backend = Aer.get_backend('qasm_simulator')

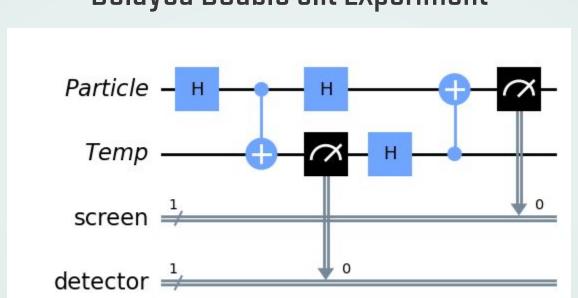
# Compile the circuit
qc_compiled = transpile(qc, backend)

# Run the simulation
result = backend.run(assemble(qc_compiled)).result()

# Display the results
counts = result.get_counts(qc)
if det_present:
    print('P T number')
else:
    print('P number')
for keys, values in counts.items():
    print('{} {}'.format(keys, values))
print('Measurement results:", counts)
```



## 6) 2D Simulation-Delayed Double Slit Experiment





### 6) 2D Simulation-Delayed Double Slit Experiment

10/11	01/00	Total
514	510	1024
502	522	1024
537	507	1024
521	523	1024

Where the photon particle state is represented as the first number of the pair.



## Part 3: With Unity

#### **Short Clip**

https://drive.google.com/file/d/1uBCqX7hoSUbXU7wpB9PXdzXLMrWKhll X/view?usp=drive\_link

#### **Codes: Wave Motion**

```
void Update()
{
    if (!GetComponent(InputNovement>().IsObserved())
    {
        NoveForward();
        ApplyTransverseNave();
    }
}
!reference
void MoveForward()
{
    // Move the sphere forward along its local z-axis
    transform.Translate(Vector3.forward * forwardSpeed * Time.deltaTime);
}
!reference
void ApplyTransverseNave()
// Calculate transverse wave motion along the xz-plane
float waveNotion = waveAmplitude * Mathf.Sin(Time.time * waveFrequency);
// Calculate the target position with transverse wave motion
Vector3 targetPosition = new Vector3(transform.position.x, originalY + waveNotion, transform.position.z);
```

#### Codes: Observed Motion + Detector

```
void MoveObserved()
{
    Debug.Log("this is activated");
    // Move the sphere forward along the z-axis when observed
    transform.Translate(Vector3.forward * moveSpeed * Time.deltaTime);
}

0 references
public void ToggleObserved()
{
    isObserved = !isObserved;
}
```

```
using UnityEngine;
public class InputMovement : MonoBehaviour
    public float moveSpeed = 5.0f;
    4 references
    private bool isObserved = false;
    public bool IsObserved()
        return isObserved;
    void Update()
        if (isObserved)
            MoveObserved();
```

```
Oreferences

public Camera firstCamera;

2 references

public Camera firstCamera;

2 references

public Camera firstCamera;

2 references

public Camera thirdCamera;

4 references

public Camera thirdCamera;

4 references

private int currentCameraIndex = 0;

O references

void Start()

{
    // Ensure only the first camera is initially active

    SwitchCamera(currentCameraIndex);

}

O references

void Update()

{
    // Check for user input or any condition to switch betwee

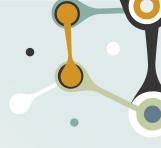
    if (Input.GetKeyDown(KeyCode.C))

    {
        // Increment the camera index and loop back to 0 if
        currentCameraIndex = (currentCameraIndex + 1) % 3;
```

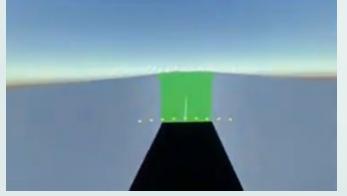
```
void SwitchCamera(int cameraIndex)
    // Disable all cameras
   firstCamera.enabled = false;
    secondCamera.enabled = false;
    thirdCamera.enabled = false:
    // Enable the selected camera
    switch (cameraIndex)
       case 0:
            firstCamera.enabled = true:
           break;
        case 1:
            secondCamera.enabled = true:
           break:
        case 2:
           thirdCamera.enabled = true:
           break;
```



### Day 9-10: 23rd-24th Nov













#### **Thank You**