

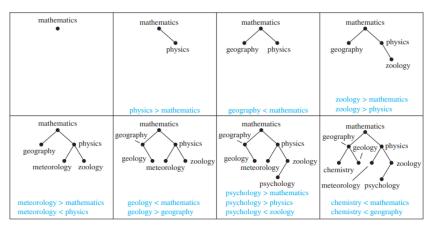
## Ch11.2 Applications of Trees (Week 16)

How should items in a list be stored to that an item can be easily located?

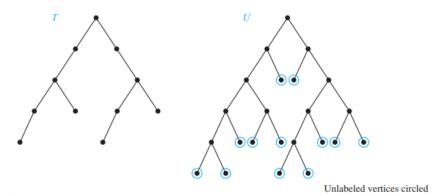
What series of decision should be made to find an object with a certain property in a collection of objects of a certain type?

## **Binary Search Trees**

→ each vertex is labeled with a key, compare the keys already in the tree, > go right, < go left



Form a binary search tree using alphabetical order



Adding unlabeled vertices to make a binary search tree full

## ALGORITHM 1 Locating an Item in or Adding an Item to a Binary Search Tree.

procedure insertion(T: binary search tree, x: item)

**return**  $v \{v = \text{location of } x\}$ 

{a vertex not present in T has the value null }
while  $v \neq null$  and  $label(v) \neq x$ if x < label(v) then
if left child of  $v \neq null$  then v := left child of velse add new vertex as a left child of v and set v := nullelse
if right child of  $v \neq null$  then v := right child of velse add new vertex as a right child of v and set v := nullif root of T = null then add a vertex v to the tree and label it with xelse if v is null or  $label(v) \neq x$  then label new vertex with x and let v be this new vertex