

GSCI1801A

# Information Science

## Lecture 1: Computer and Architecture, and Basic Operations in Computer Science

Asst. Prof. Chawanat NAKASAN | 2021-10-05

# Agenda

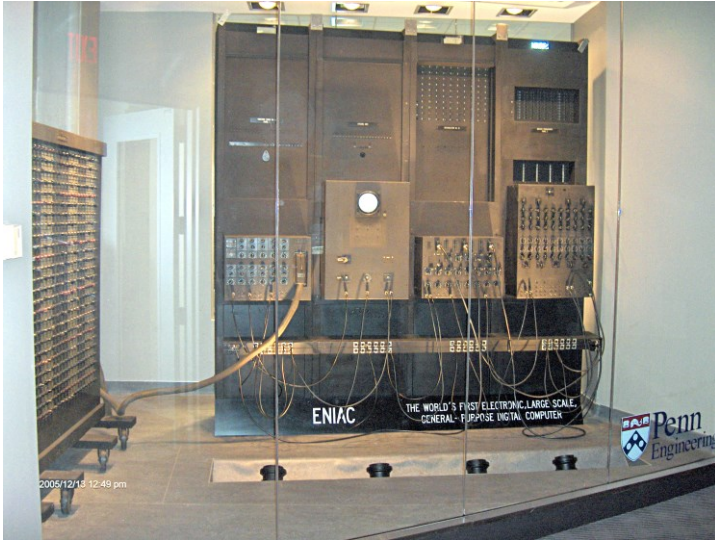
- What's a computer?
- What's inside a computer?
  - Explanation of various components
- Computer Architecture
- Binary Number System
- Arithmetic Operations
- Logical Operations

# What's a computer?

- a machine that can be programmed to manipulate symbols. Its principal characteristics are:
  - It responds to a specific set of instructions in a well-defined manner.
  - It can execute a prerecorded list of instructions (a program).
  - It can quickly store and retrieve large amounts of data.

[https://www.cs.cmu.edu/~fgandon/lecture/uk1999/computers\\_types/](https://www.cs.cmu.edu/~fgandon/lecture/uk1999/computers_types/)

# How fast is a computer?



ENIAC, 1945 (USA)

Speed: 5,000 cycles per second

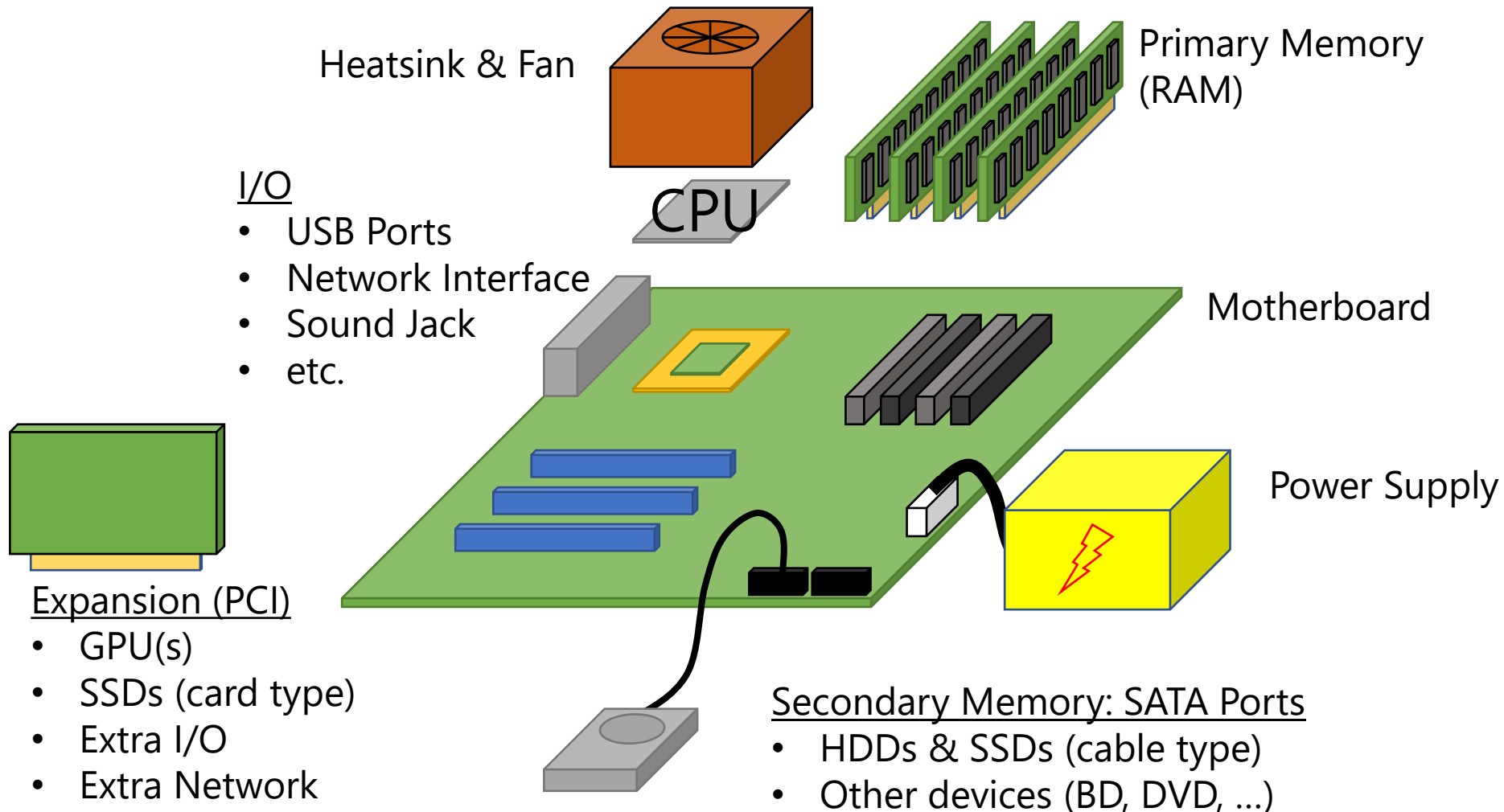


ABCI, 2018 (Japan)

Speed: 37 PFLOPS (high precision real numbers)

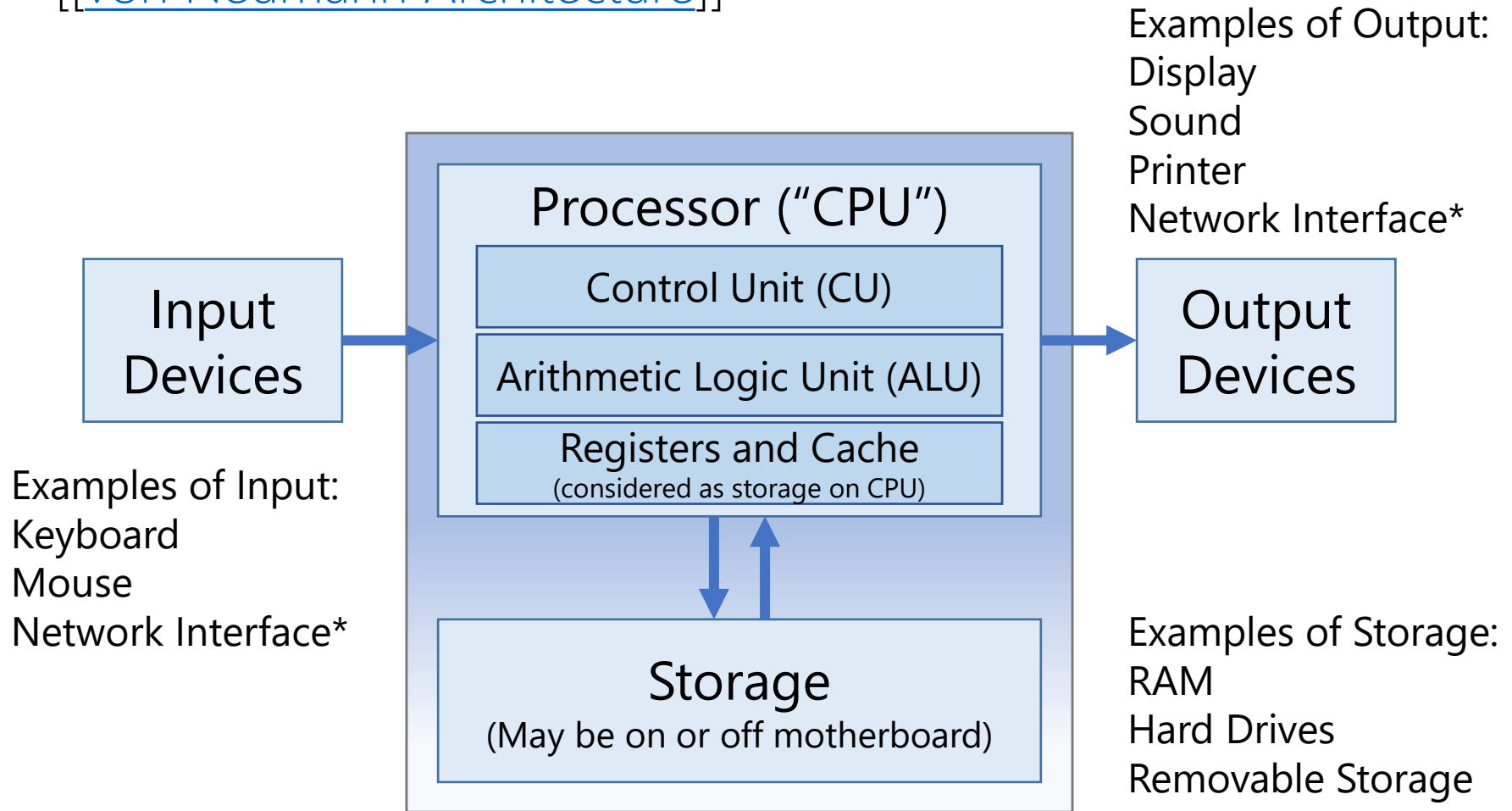
In less than a century, world-leading computers got faster by at least 7 billion-fold.

# What's in a (typical) computer?



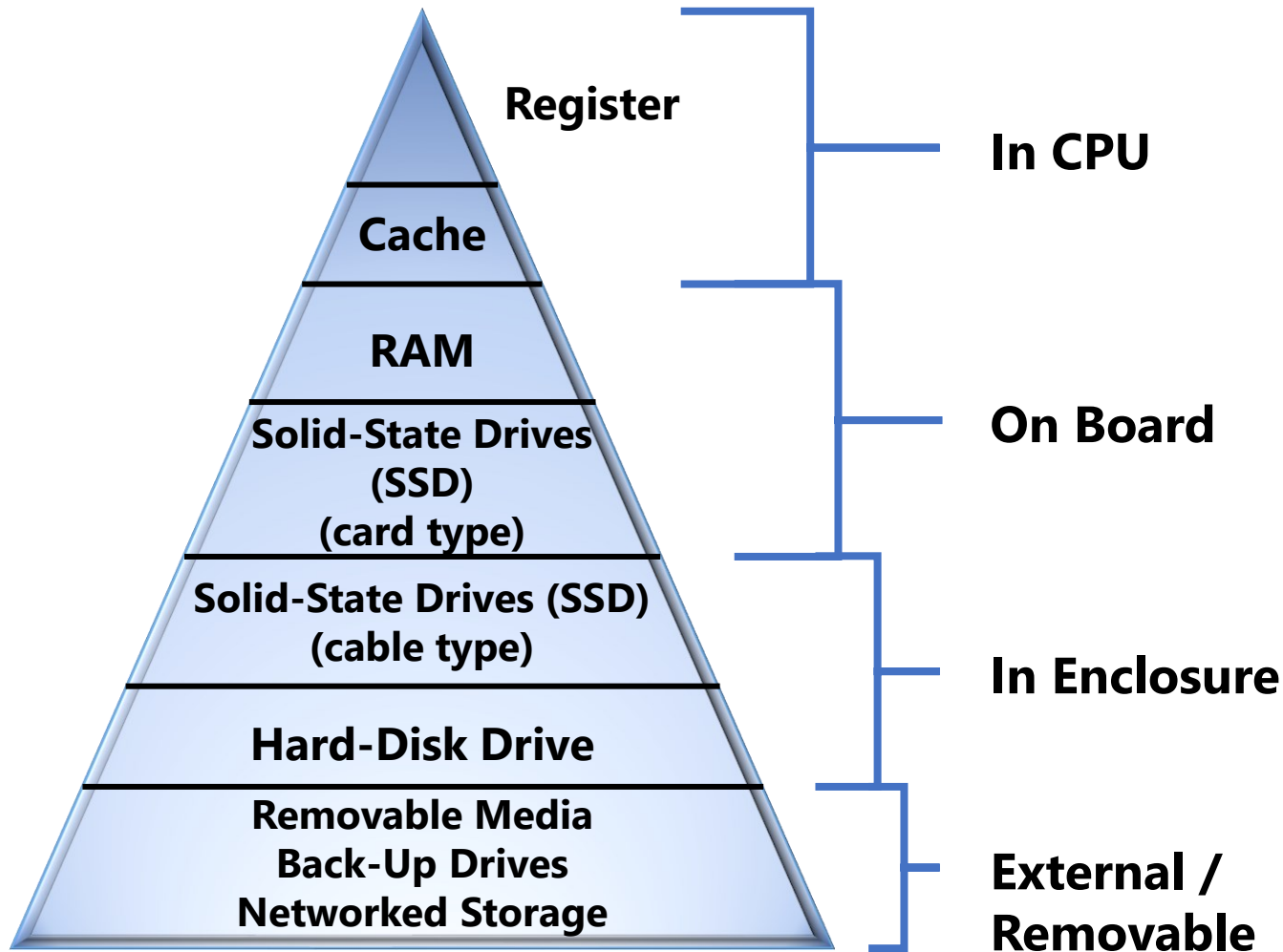
# Basic Computer Architecture

[[[von Neumann Architecture](#)]]

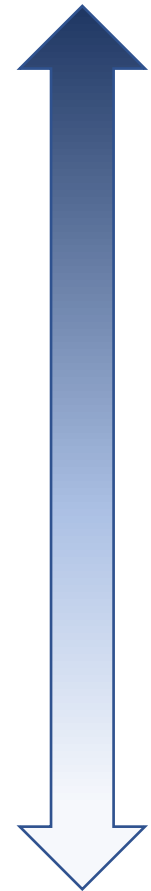


\*Network Interface is a funny oddball and will be *greatly* explained later!

# Memory Hierarchy



*faster, smaller,  
more expensive*

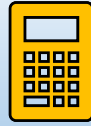


*slower, larger  
more affordable*

# Binary number system



# Binary Number System



Conversion from/to  
Decimal



Representing negative  
numbers



Why it's easier than  
decimal?



Binary systems in the  
nature

# What is decimal number?

4,482,692,653

4 , 0 0 0 , 0 0 0 , 0 0 0  
4 0 0 , 0 0 0 , 0 0 0  
8 0 , 0 0 0 , 0 0 0  
2 , 0 0 0 , 0 0 0  
6 0 0 , 0 0 0  
9 0 , 0 0 0  
2 , 0 0 0  
6 0 0  
5 0  
3

$4 \times 10^9$   
 $4 \times 10^8$   
 $8 \times 10^7$   
 $2 \times 10^6$   
 $6 \times 10^5$   
 $9 \times 10^4$   
 $2 \times 10^3$   
 $6 \times 10^2$   
 $5 \times 10^1$   
 $3 \times 10^0$

Now, what is binary number?

**11101010**

1 0 0 0 0 0 0 0

1 0 0 0 0 0 0

1 0 0 0 0 0

0 0 0 0 0

1 0 0 0

0 0 0

1 0

0

>> This part is decimal

$$1 \times 2^7 = 128$$

$$1 \times 2^6 = 64$$

$$1 \times 2^5 = 32$$

$$0 \times 2^4 = 0$$

$$1 \times 2^3 = 8$$

$$0 \times 2^2 = 0$$

$$1 \times 2^1 = 2$$

$$0 \times 2^0 = 0$$

 234

# Indicating Numbers by Bases

Using Subscripts

10001101<sub>2</sub>

10001101<sub>10</sub>

**0b**10001101

10001101

Programming Style

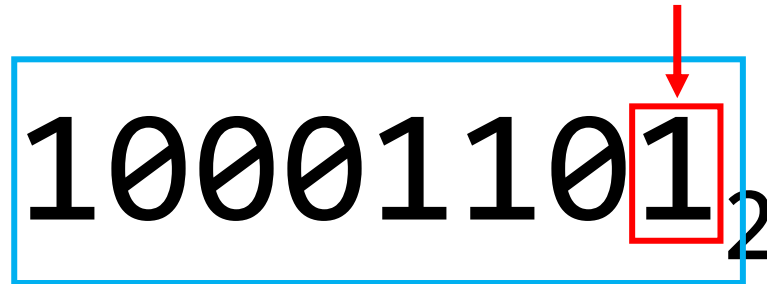
Binary Numbers ("bin")

Decimal Numbers ("dec")

# A Bit and a Byte

Bit is the smallest digital information possible.

This is a bit.



10001101<sub>2</sub>

8 bits make a byte.

A lot more meaningful data in computers are in bytes, such as characters (1 or 2 bytes) and numbers (1-8 bytes).

Files are almost never stored by individual bits.

# Conversion Methods

## Binary to Decimal

- Position value method (earlier)

## Decimal to Binary

- Position value method
- Short division method

# Decimal to Binary by Short Division

$$223 = ?_2$$

2		223	Remainder
		<hr/>	↓
		112	1

# Decimal to Binary by Short Division

$$223 = ?_2$$

		Remainder
2	223	↓
2	112	1
	56	0

Please continue dividing until you reach 1.

The first student to show their work gets a  
**participation point.**

**In-class:** Raise your hand.

**Online:** Use "raise hand" function in WebEx.



# Decimal to Binary by Short Division

$$223 = ?_2$$

10100001<sub>2</sub>

		Remainder
2	223	
2	112	1
2	56	0
2	28	0
2	14	0
2	7	0
2	4	1
2	2	0
	<u>1</u>	

Read back upwards

# Quick Detour

Binary's brothers: the oct and the hex

10001101<sub>2</sub>

0b10001101

215<sub>8</sub>

0215

8C<sub>16</sub>

0x8C

Binary Numbers ("bin")

Octal ("oct")

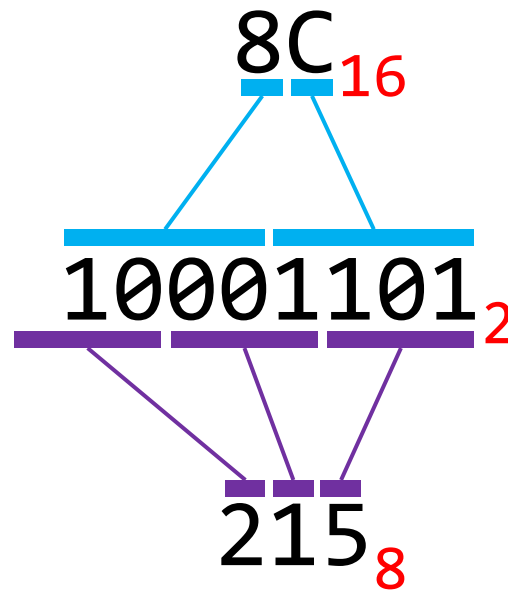
Hexadecimal ("hex")

# Quick Detour

## Binary's brothers: the oct and the hex

- bin  $\Leftrightarrow$  hex and bin  $\Leftrightarrow$  oct conversion is very easy!

$16 = 2^4$  so one digit in oct = 4 digits in bin.

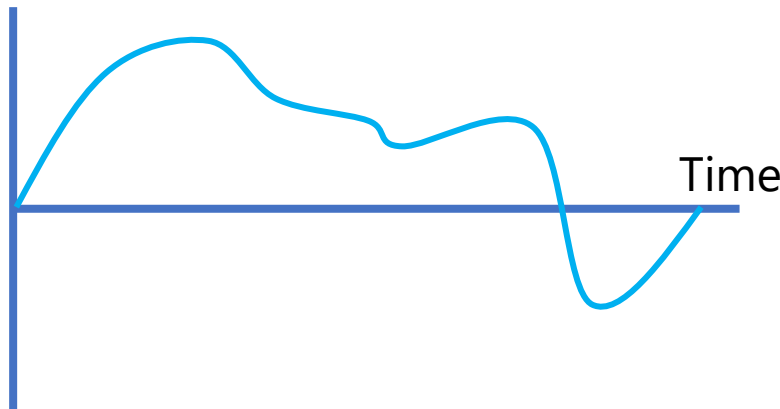


$8 = 2^3$  so one digit in oct = 3 digits in bin.

# Analog and Digital ... where binary is used, a lot.

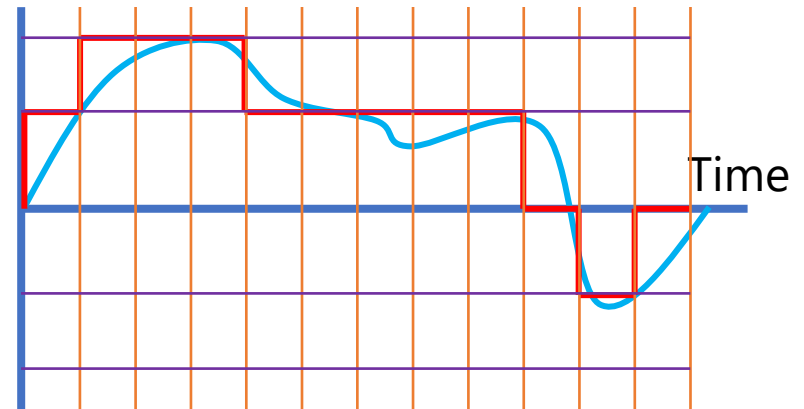
- Computers are actually trillions of *electronic switches* and *signals*.
- Electronic systems can work on either:

Voltage (V)



Analog System

Voltage (V)



Digital System

Conversion from  $A \Rightarrow D$  involves *sampling* and *quantization*.

# Discussion

Are digital computers “accurate”?

How do they work with natural information like noise and light?

# Sampling Example

- Accurate quantization and sampling requires *more bits*.

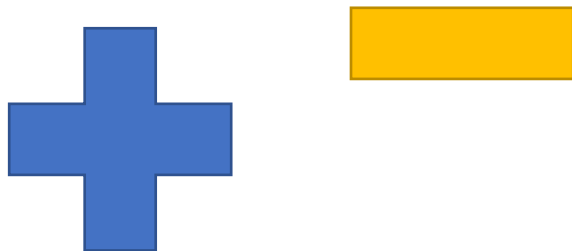


Software used: Audacity 2.1.2 © Audacity Team; Data: generated using this software.

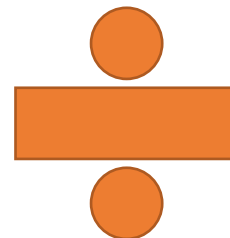
# Arithmetic Operations

- Addition
- Subtraction
- Multiplication
- Division and Modulo (same operation!)

Note: We'll discuss addition and multiplication today.



It doesn't end like you think ...



# Addition

$$36 + 29 = 100110_2 + 011101_2$$

$$\begin{array}{r} 100110_2 \\ + 011101_2 \\ \hline \hline \end{array}$$

Learn More:

<https://www.sciencedirect.com/topics/computer-science/binary-addition>



# Two kinds of operations in adding

Carrying 1

$$\begin{array}{r} 11_2 \\ + 01_2 \\ \hline 0_2 \\ \hline \hline \end{array}$$

Adding

The diagram illustrates the process of adding two binary numbers, 11<sub>2</sub> and 01<sub>2</sub>. The numbers are aligned vertically with a horizontal line below them. A blue arrow labeled 'Carrying 1' points upwards from the rightmost column (the 1s place) to the leftmost column (the 2s place). The result of the addition, 0<sub>2</sub>, is shown below the horizontal line, with a double underline underneath it. A blue arrow labeled 'Adding' points downwards from the rightmost column towards the result line.

# Discussion

Is binary arithmetic easier than decimal? Why?

# Negative Numbers in Digital Logic: 2's Complement

- There are no minus signs in digital logic, so John von Neumann invented something cool: Two's Complement.

$$81 = 01010001_2$$

Flip all bits

$$10101110_2$$

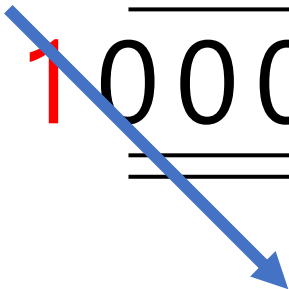
Then add 1

$$10101111_2 = -81 \dots ?$$

For this to work,  
we need another  
zero bit up front.

# 2's Complement (cont.)

Now try it.

$$\begin{array}{r} 01010001_2 \\ + 10101111_2 \\ \hline 100000000_2 \\ \hline \hline \end{array}$$


Disregard this bit. If we are working with 8-bit computer, it has no place.

Participation Point!  
Can someone help  
me add this?

# Why computers do not really have subtraction?

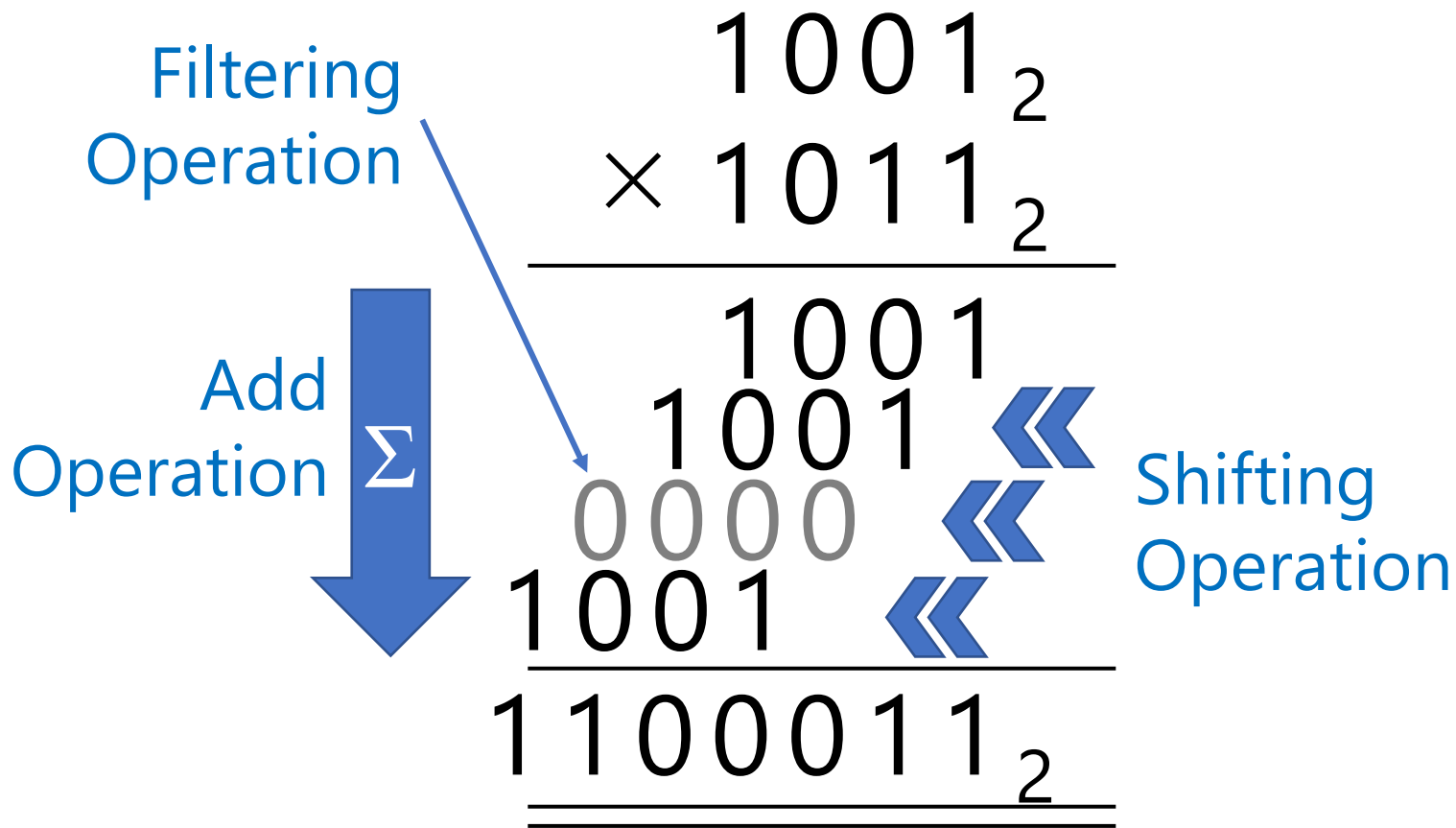
- Addition = Add and Carry operations
- Subtraction (arithmetic) = Subtract and Borrow operations
- Subtraction (computer) =  
2's Complement and Addition {Add & Carry}!

# Multiplication: Decimal

$$\begin{array}{r} 22 \\ \times 34 \\ \hline 88 \\ 66 \\ \hline 748 \end{array}$$

$22 \times 4$   
 $22 \times 3$

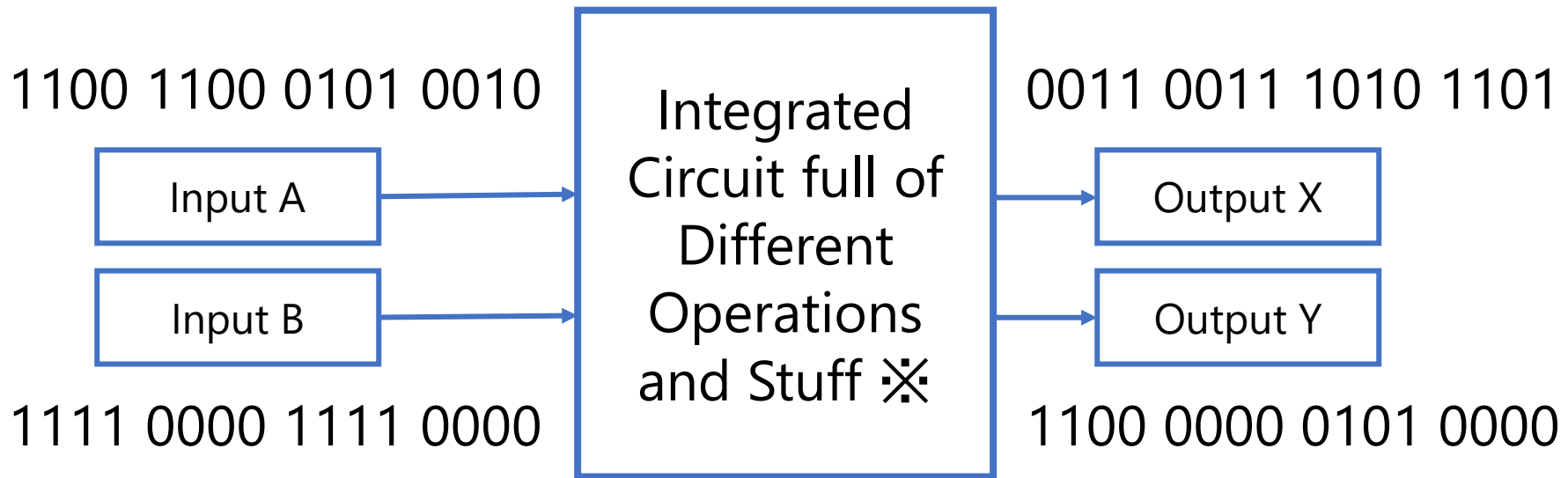
# Multiplication: Binary



EASIER than decimal multiplication!

# Logical Operations

- Work on each bit at a time.
- Good for signal control and manipulation.

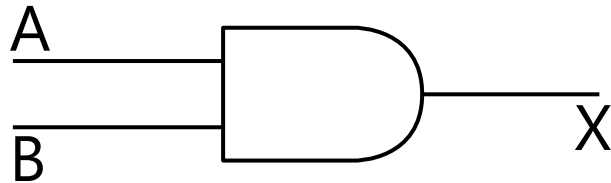


**Bonus point!: What are Output X and Y, logically?**

✂ This is traditionally called a black box. Black in this case means "cannot see the inside."

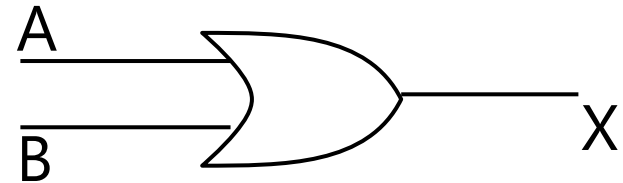


# Logical Operators and Logic Gates



AND Gate

A	B	$X = A \wedge B$
0	0	0
0	1	0
1	0	0
1	1	1

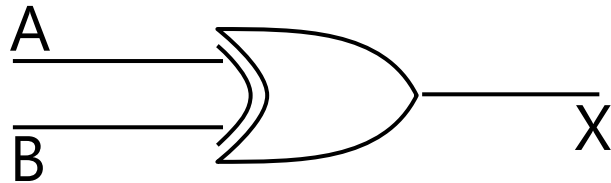


OR Gate

A	B	$X = A \vee B$
0	0	0
0	1	1
1	0	1
1	1	1

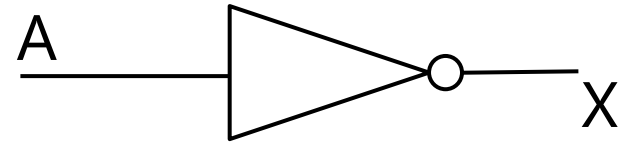
※ You can also use "X = A AND B" and "X = A OR B" respectively.

# Logical Operators and Logic Gates



XOR Gate

A	B	$X = A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

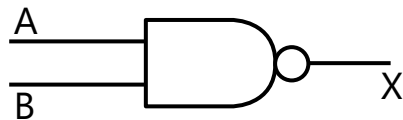


Inverter ("NOT")

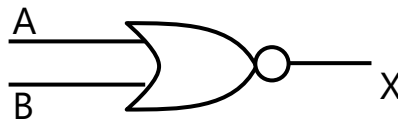
A	$X = \neg A$
0	1
1	0

# NAND, NOR, and XNOR

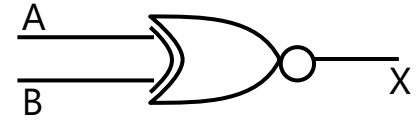
- They provide opposite results from AND, OR, XOR respectively.



**N**AND Gate



**N**OR Gate



X**N**OR Gate

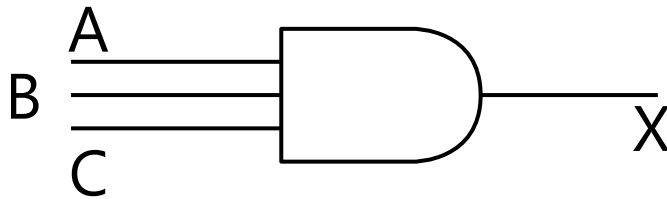
A	B	$X = \neg(A \wedge B)$
0	0	1
0	1	1
1	0	1
1	1	0

A	B	$X = \neg(A \vee B)$
0	0	1
0	1	0
1	0	0
1	1	0

A	B	$X = \neg(A \oplus B)$
0	0	1
0	1	0
1	0	0
1	1	1

# Multiple-Input Gates

- Both logical math and logic gates can extend to more than two operands (where it makes sense).

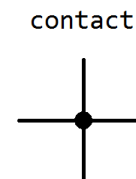


A	B	C	$X = A \wedge B \wedge C$
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	0
1	0	0	0
1	0	1	0
1	1	0	0
1	1	1	1

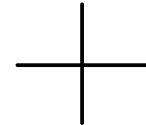
# 4-way crossovers in Electrical Diagrams

- This is how to correctly draw 4-way crossovers in electrical diagrams (and logic gate diagrams).
- This class follows either old or recommended style.
- Jumping is always better than no-dot crossing, but sometimes it is inconvenient in most drawing tools.
- (Three-way junctions should also have dots, but PPT can't draw them automatically.)

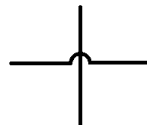
Old style



no contact

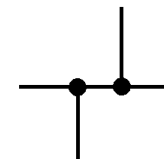


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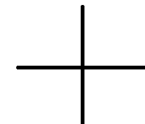


Recommended style

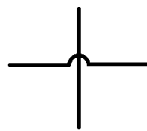
contact



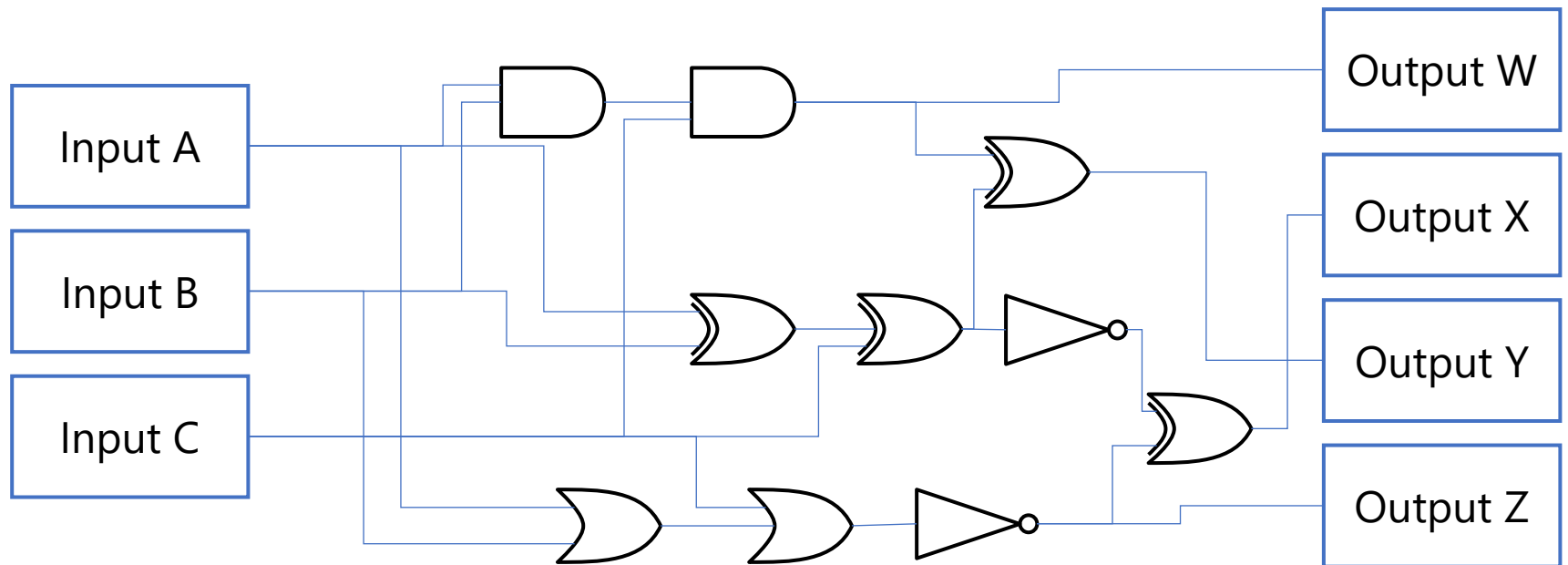
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no contact

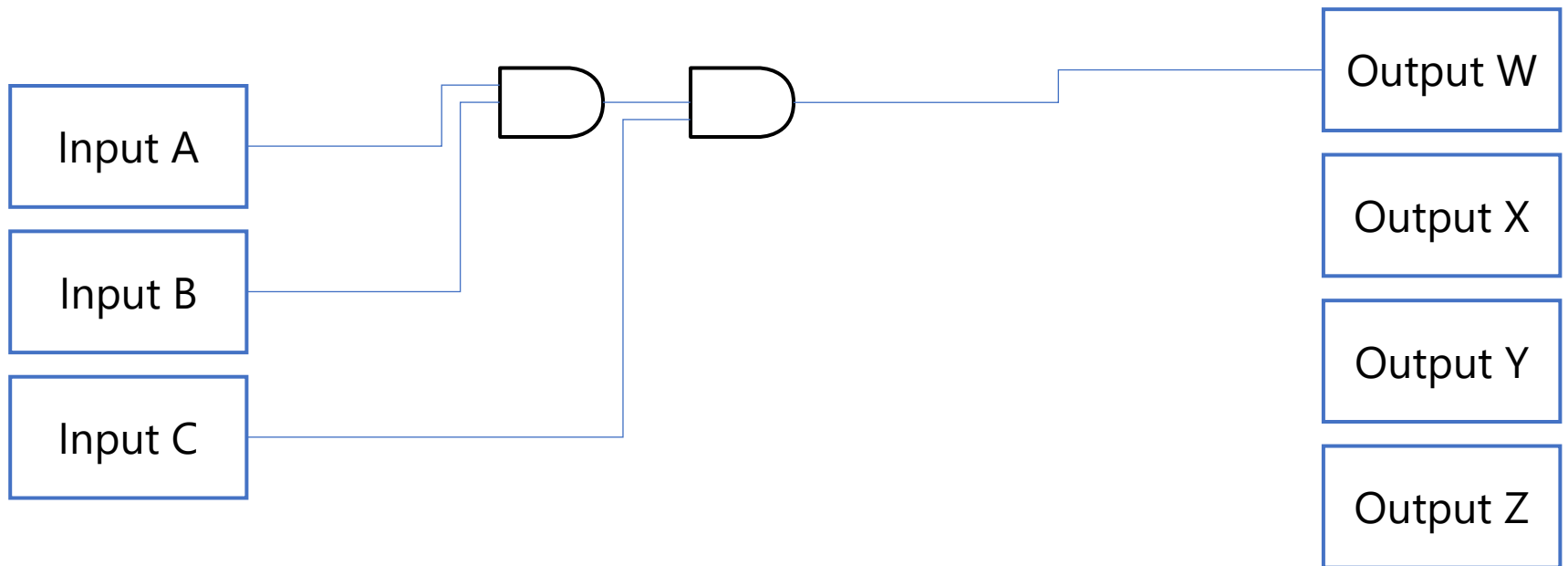


Combining them together, we can achieve a lot of results.



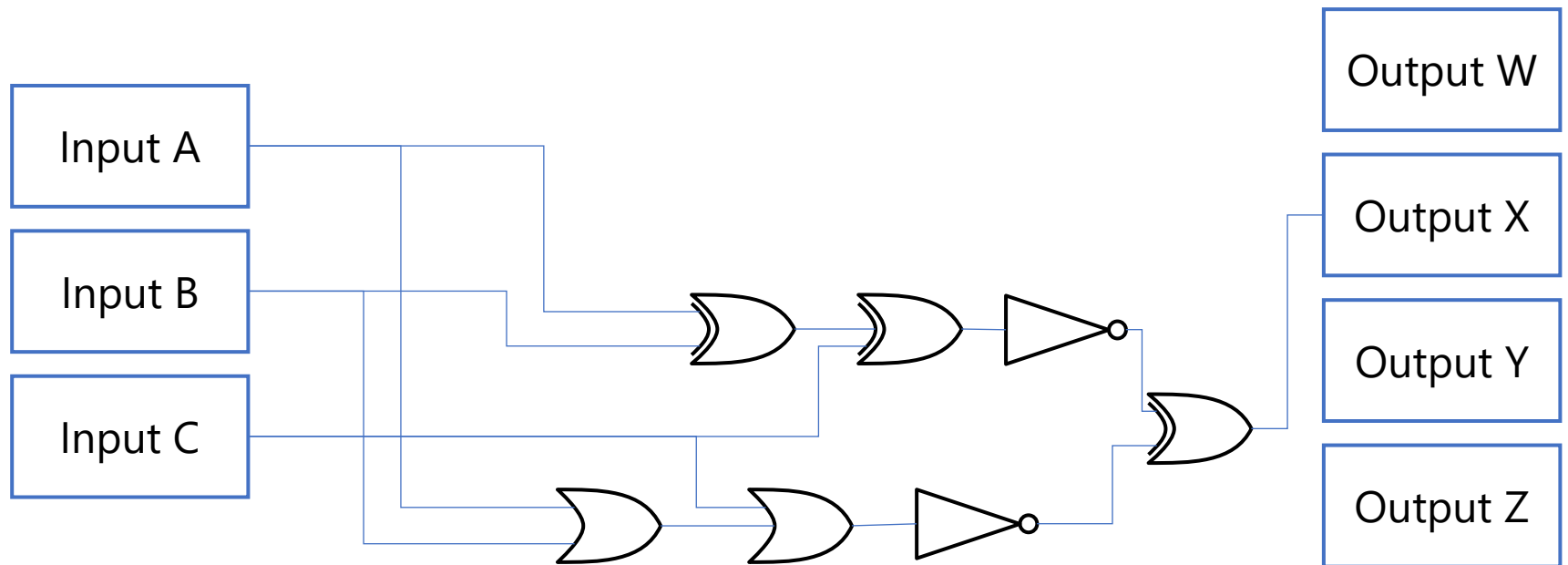
**Bonus Point: What is this circuit?  
Explain in human language!**

Hint: Trace one output at a time.



$$W = (A \wedge B) \wedge C$$

Hint: Trace one output at a time.



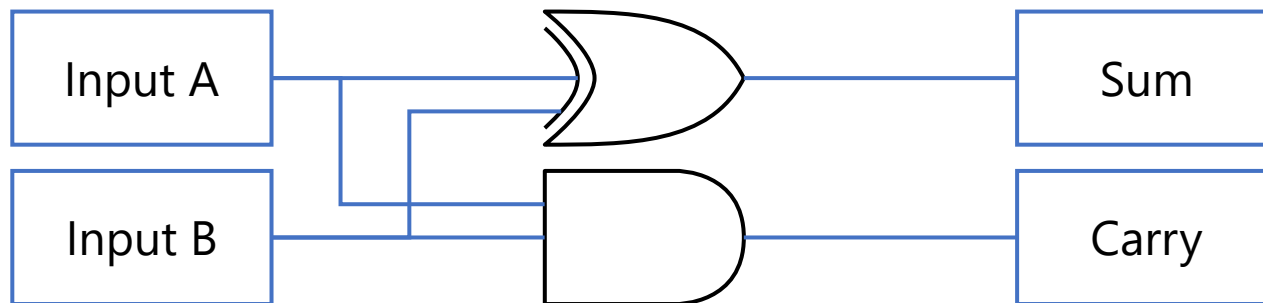
Download the slide from LMS  
and try later from your home 😊



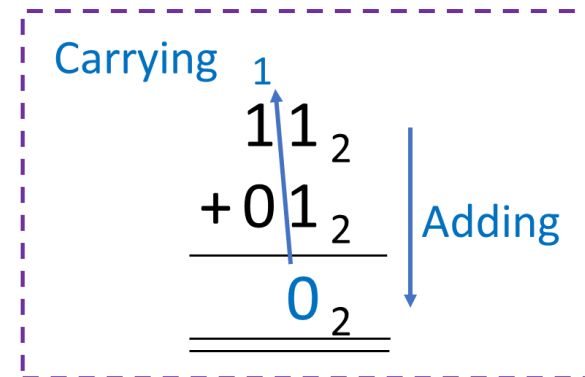
# Logic Gate Simulation

- You can try various tools for logic gate simulation if you want to understand them better.
- We'll be using many kinds of simulators throughout the class, and you can also use them for your reports too. Get used to them 😊
- <https://circuitverse.org/simulator>
- <https://academo.org/demos/logic-gate-simulator/>

# Logic to Arithmetic: Half Adders

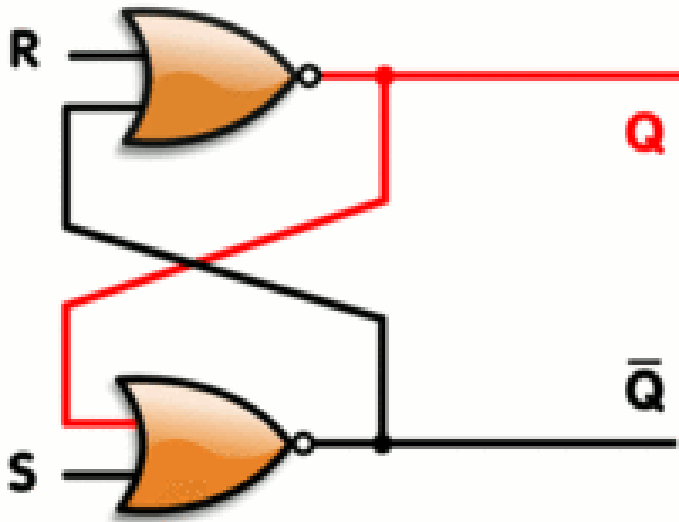


A	B	$C = A \wedge B$	$S = A \oplus B$
0	0	0	0
0	1	0	1
1	0	0	1
1	1	1	0



Circuit contains both adding and carrying!

# Logic to Operations: SR Latch



S (Set)	R (Reset)	$Q$	$\bar{Q}$
0	0	Keep State	
1	0	1	0
0	1	0	1
1	1	Invalid	

※ The official KU textbook uses the term “RS Flip-Flop” which is the same.  
The difference is that the textbook illustrates a NAND SR Latch. Here we use NOR SR Latch.  
They both achieve same results.

# Wait! Is that memory?



## A Little Bit!

We just (re)discovered 1 bit of memory!

- It took humanity about 300 years from [the first definition of electricity by William Gilbert](#) to [creating the first flip-flop](#).
- (A modern smartphone with 256 GB memory contains about 2,048,000,000,000 bits.)

# In-Class Activity

Create a circuit diagram and a truth table for the following expression:

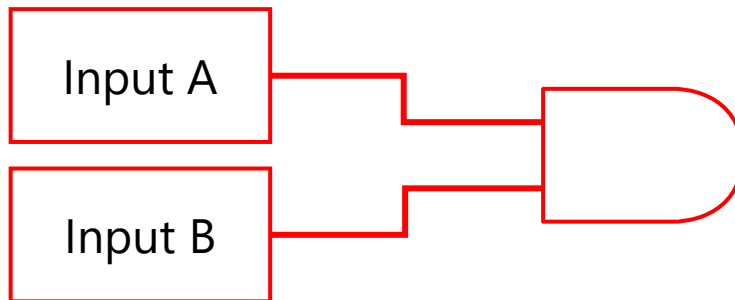
$$X = (A \wedge B) \vee C$$

# In-Class Activity

$$X = (A \wedge B) \vee C$$

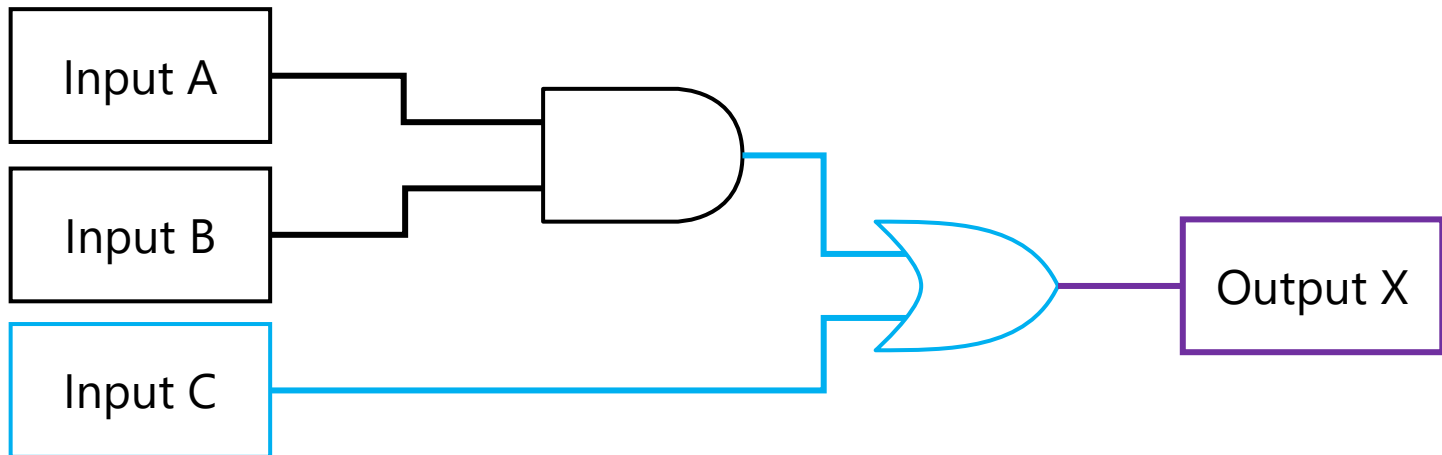
# In-Class Activity

$$X = (A \wedge B) \vee C$$



# In-Class Activity

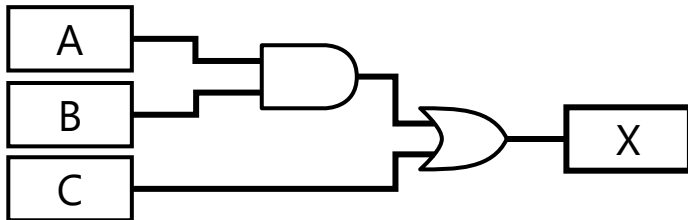
$$X = (A \wedge B) \vee C$$





# In-Class Activity

$$X = (A \wedge B) \vee C$$



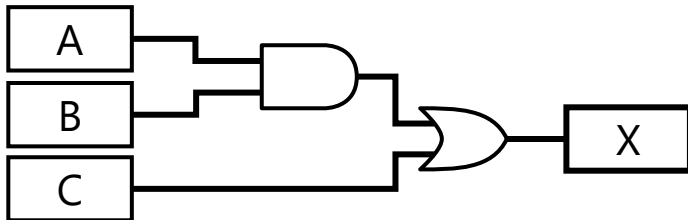
Copy Here

A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0				
0				
0				
0				
1				
1				
1				
1				

Paste Here

# In-Class Activity

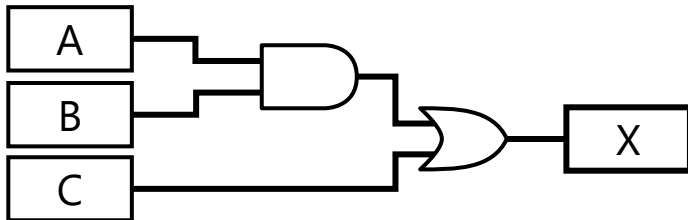
$$X = (A \wedge B) \vee C$$



A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0	0			
0	0			
0	1			
0	1			
1	0			
1	0			
1	1			
1	1			

# In-Class Activity

$$X = (A \wedge B) \vee C$$

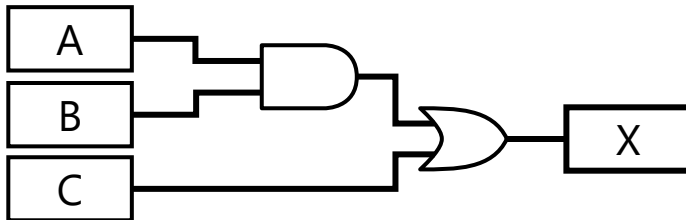


A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

# In-Class Activity

If C is 1, then X is immediately 1.

$$X = (A \wedge B) \vee C$$

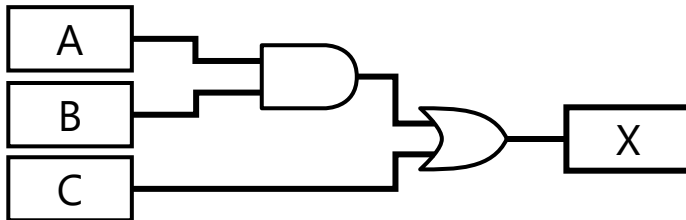


A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0	0	0		
0	0	1		1
0	1	0		
0	1	1		1
1	0	0		
1	0	1		1
1	1	0		
1	1	1		1

# In-Class Activity

Fill in the logic  
for A AND B.

$$X = (A \wedge B) \vee C$$

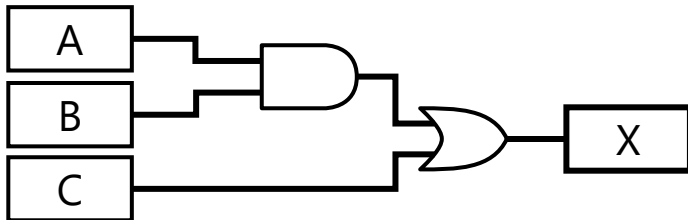


A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0	0	0	0	
0	0	1	0	1
0	1	0	0	
0	1	1	0	1
1	0	0	0	
1	0	1	0	1
1	1	0	1	
1	1	1	1	1

# In-Class Activity

Compute the rest of the logic.

$$X = (A \wedge B) \vee C$$

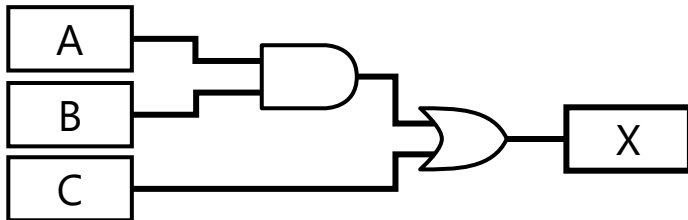


A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0	0	0	0	0
0	0	1	0	1
0	1	0	0	0
0	1	1	0	1
1	0	0	0	0
1	0	1	0	1
1	1	0	1	1
1	1	1	1	1

# In-Class Activity

Done.

$$X = (A \wedge B) \vee C$$

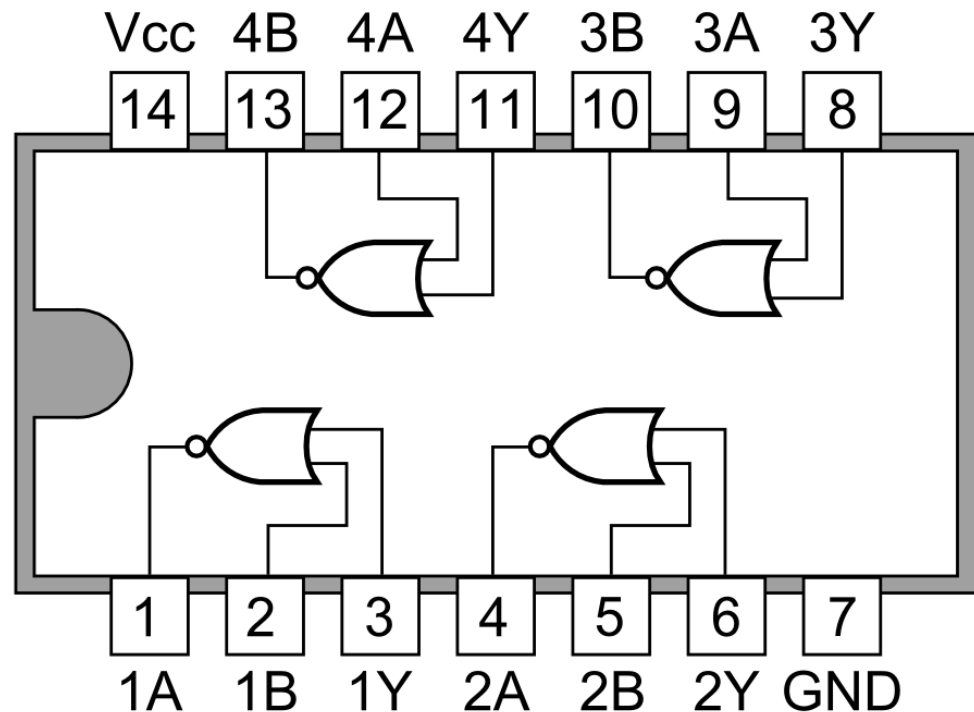


A	B	C	$A \wedge B$	$(A \wedge B) \vee C$
0	0	0	0	0
0	0	1	0	1
0	1	0	0	0
0	1	1	0	1
1	0	0	0	0
1	0	1	0	1
1	1	0	1	1
1	1	1	1	1

## Logic gates in ICs

- This is the 7400 IC.
- You may notice the dot at the end of OR. This is the NOR gate.
- There are hundreds of millions of these gates in a CPU.

### 7402 Quad 2-input NOR Gates





# Binary in the Nature

- There is one important that work “similar” to binary. It’s actually our DNA.

Standard genetic code									
1st base	2nd base								3rd base
	T		C		A		G		
T	TTT	(Phe/F) Phenylalanine	TCT	(Ser/S) Serine	TAT	(Tyr/Y) Tyrosine	TGT	(Cys/C) Cysteine	T
	TTC		TCC		TAC		TGC		C
	TTA		TCA		TAA	Stop (Ochre) <sup>[B]</sup>	TGA	Stop (Opal) <sup>[B]</sup>	A
	TTG <sup>[A]</sup>		TCG		TAG	Stop (Amber) <sup>[B]</sup>	TGG	(Trp/W) Tryptophan	G
C	CTT	(Leu/L) Leucine	CCT	(Pro/P) Proline	CAT	(His/H) Histidine	CGT	(Arg/R) Arginine	T
	CTC		CCC		CAC		CGC		C
	CTA		CCA		CAA	(Gln/Q) Glutamine	CGA		A
	CTG <sup>[A]</sup>		CCG		CAG		CGG		G
A	ATT	(Ile/I) Isoleucine	ACT	(Thr/T) Threonine	AAT	(Asn/N) Asparagine	AGT	(Ser/S) Serine	T
	ATC		ACC		AAC		AGC		C
	ATA	ACA	AAA		(Lys/K) Lysine	AGA	(Arg/R) Arginine	A	
	ATG <sup>[A]</sup>	(Met/M) Methionine	ACG			AAG		AGG	G
G	GTT	(Val/V) Valine	GCT	(Ala/A) Alanine	GAT	(Asp/D) Aspartic acid	GGT	(Gly/G) Glycine	T
	GTC		GCC		GAC		GGC		C
	GTA		GCA		GAA	(Glu/E) Glutamic acid	GGA		A
	GTG		GCG		GAG		GGG		G

[https://en.wikipedia.org/wiki/DNA\\_codon\\_table](https://en.wikipedia.org/wiki/DNA_codon_table)

# Wait, what?

- There are 4 bases, right? We can try to represent:

DNA Base	Binary
T	00
C	01
A	10
G	11

Note: This is a simplification.

Standard genetic code			
		2nd base	
		C	A
CT	(Ser/S) Serine	TAT	(Tyr/Y) Tyrosine
CC		TAC	
CA		TAA	Stop (Ochre) <sup>[B]</sup>
CG		TAG	Stop (Amber) <sup>[B]</sup>
CT	(Pro/P) Proline	CAT	(His/H) Histidine
CC		CAC	
CA		CAA	(Gln/Q) Glutamine
CG		CAG	
CT	(Thr/T) Threonine	AAT	(Asn/N) Asparagine
CC		AAC	
CA		AAA	(Lys/K) Lysine
CG		AAG	
CT	(Leu/L) Leucine	GAT	(Asp/D) Aspartic acid
CC		GAC	
CA		GAA	(Glu/E) Glutamic acid
CG		GAG	

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# Store DNA information in binary!

※  
atgagagcgggtccatctccttgcggtgagc



30 bases

DNA Base	Binary
T	00
C	01
A	10
G	11



60 bits = ~ 8 bytes

100011 101110  
110111 110001  
011000 010001  
010000 110111  
110011 101101

**Human Genome = 3 BILLION bases => 750 Megabytes PER PERSON AT LEAST. (Just the data)**

NOTE AGAIN: This is just a sample hypothetical case!

Download human genome at <https://www.encodegenes.org/human/>  
(FASTA file for ALL regions = 800+ MB compressed)

# And, store binary information in DNA ...

## A DNA-Based Archival Storage System

James Bornholt<sup>†</sup>  
Luis Ceze<sup>†</sup>

Randolph Lopez<sup>†</sup>  
Georg Seelig<sup>†</sup>

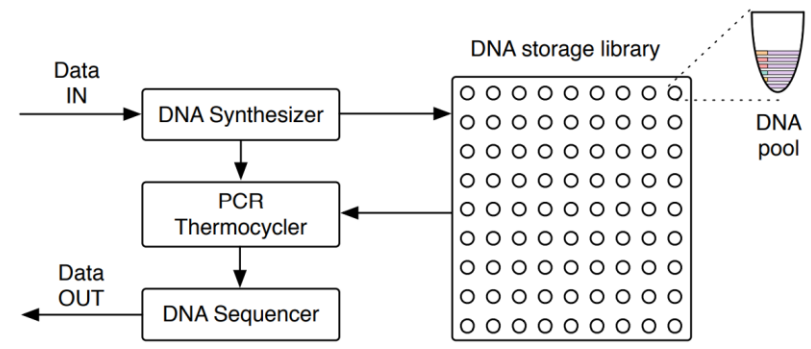
Douglas M. Carmean<sup>‡</sup>  
Karin Strauss<sup>‡</sup>

<sup>†</sup> University of Washington

<sup>‡</sup> Microsoft Research

	<i>Access Time</i>	<i>Durability</i>
Flash	ms	~5 yrs
HDD	10s ms	~5 yrs
Tape	minutes	~15-30 yrs
DNA Storage	10s hrs	centuries

**Figure 2.** DNA storage as the bottom level of the storage hierarchy



**Figure 3.** Overview of a DNA storage system.

# Discussion

How can we represent other things in binary form?  
What do you think about using DNA as data storage?