MolForge~1.0.0-beta Manual

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I. SPIRAL: SPIN-PHONON INTERACTION AND RELAXATION AT THE ATOMISTIC LEVEL

mpirun -
nncoresSpiral.x -spin_cpuncpu-i
 input

Options:

- -i input ; file name of the input file
- -spin_cpu ncpu; Number of mpi processes dedicated to the distribution of spin matrices over cpu; -spin_cpu 1 would use all cores for phonon matrices

A. Define a Spin Hamiltonian

```
&SPIN_H
  &DEF_G kind-i ...... Defines the g-tensor for S_i, optional, multiple blocks can be defined
   g_{21} g_{22} g_{23}
   g_{31} g_{32} g_{33}
 &END
  &DEF_DSI kind-i ...... Defines the single-ion anisotropy tensor D for S_i, optional, multiple blocks
                                     can be defined
   D_{11} D_{12} D_{13}
   D_{21} \ D_{22} \ D_{23}
   D_{31} D_{32} D_{33}
 &END
  &DEF_D2S kind-i\ kind-j\ \dots Defines the anisotropic exchange tensor D for spins S_i\ S_j, optional, multiple
                                     blocks can be defined
   D_{11} D_{12} D_{13}
   D_{21} D_{22} D_{23}
   D_{31} D_{32} D_{33}
 &END
  &DEF_O kind-i l-order ...... Defines coefficients of the single ion crystal field tensor of order l, B_m^l, for spin
                                     S_i, optional, multiple blocks can be defined
    (-l) B_{-l}^l
    (-l+1) B_{-l+1}^{l}
    (l) B_l^l
 &END
  SPINSPIN cutoff ...... Turn on the calculation of dipolar spin-spin interactions for spins closer than
                                      cutoff expressed in Angstrom
  EULER \alpha \beta \gamma \dots
                                     Euler's rotation angles, in radiants, for a rotation of the spin Hamiltonian.
                                      Convention ZYZ.
&END
```

Spiral allows to define a general spin Hamiltonian operator containing up to two-spin interaction terms:

$$\hat{H} = \sum_{i} \left[\vec{\mathbf{s}}_{i} \cdot \mathbf{D}_{i} \cdot \vec{\mathbf{s}}_{i} + \sum_{l=2}^{2|s_{i}|} \sum_{m=-l}^{m=l} B_{m}^{l}(i) \hat{O}_{m}^{l}(\vec{\mathbf{s}}_{i}) + \vec{\mathbf{s}}_{i} \cdot \mathbf{g}_{i} \cdot \vec{\mathbf{B}} \right] + \sum_{ij} \left[\vec{\mathbf{s}}_{i} \cdot \mathbf{D}_{ij} \cdot \vec{\mathbf{s}}_{j} + J_{ij} \vec{\mathbf{s}}_{i} \vec{\mathbf{s}}_{j} \right],$$
(1)

where $\mathbf{D_i}$ is a trace-less Cartesian tensor describing the single-ion anisotropy contribution to the Zero-Field splitting, $\mathbf{D_{ij}}$ is a trace-less Cartesian tensor describing the exchange anisotropy among spin i and spin j, $\mathbf{g_i}$ is the Landè tensor describing the Zeeman interaction with the external field \mathbf{B} , and J_{ij} is the Heisenberg isotropic exchange coupling constant among two spins. Finally, \hat{O}_m^l are generalized single-ion tesseral operators, which describes the zero field splitting at any order, and B_m^l are their coefficients, also know as crystal field parameters. It should be noted that $\mathbf{D_i}$ is equivalent to the set of coefficients $\{B_m^2\}$.

B. Define the Spin Systems

```
&SYSTEM
 &DEF_SPINS
   S kind-id S-value \mu_B . . . . . Define spin kinds: id, spin value and Bohr magneton.
                              Each line defines a new kind of spin
 &END
 &CELL . . . . . Defines the unit-cell
   A a_x \ a_y \ a_z
   B b_x b_y b_z
   C c_x c_y c_z
   &COORD ...... Each line defines one spin kind and Cartesian coordinates.
     S kind-id x_1 y_1 z_1
     S kind-id x_2 y_2 z_2
     S kind-id x_N y_N z_N
   &END
 &END
 B B_x B_y B_z ...................... Defines the external static field in Tesla units
&END
```

C. Define the Vibrational Hamiltonian

&SPH_H &PHONDY TEMP T Phonons temperature in Kelvin K_MESH $Nq_x Nq_y Nq_z \dots$ q-points mesh for Brillouin zone integration SMEAR smear Value of smear to apply to phonons' resonances (cm⁻¹) TYPE_SMEAR type type=1 for Gaussian smearing or type=0 for Lorentzian smearing Filename of the file containing the harmonic force constants (see PHONDY FC2 FC2_FILE documentation for format) MAX_ENER max_ener Energy cutoff for phonons (cm⁻¹) &END &DSI_BATH kind-i Modulation of a single-ion anisotropy tensor FILENAME SPH_FILE Filename of the file containing the Cartesian spin-phonon coupling coefficients NORDER order Order of spin-phonon coupling, 1 or 2 currently implemented &END &D2S_BATH kind-i kind-j..... Modulation of Anisotropic Exchange Tensor FILENAME SPH_FILE Filename of the file containing the Cartesian spin-phonon coupling coefficients NORDER order Order of spin-phonon coupling, 1 or 2 currently implemented &END &G_BATH kind-i Modulation of Landè tensor FILENAME SPH_FILE Filename of the file containing the Cartesian spin-phonon coupling coefficients NORDER order Order of spin-phonon coupling, 1 or 2 currently implemented &END &O_BATH kind-i order-l Modulation of Crystal field operator of order lFILENAME SPH_FILE Filename of the file containing the Cartesian spin-phonon coupling coefficients ORDER order Order of spin-phonon coupling, 1 or 2 currently implemented &END SECULAR Turn on the diagonal approximation of the Redfield equations. Mandatory for PT2 calculations PT2 Turn on the calculation of Raman rates due to second-order time-dependent perturbation theory

&END

D. Build the Hilbert Space

&HILBERT_SPACE

(required for spin-phonon relaxation)

 $MAX_EX \ val \ \dots \dots \ val = -1, 1, \dots, N \ Maximum \ number \ of \ spin \ excitations \ wrt \ to \ the \ fully \ polarized$

state, (val=-1 for the full Hilbert space)

DUMP_FREQ val Print out every val of steps

DUMP_S FLAG FLAG=T or F. Print to disk the expectation values of the Spin operators

DUMP_MI M S_1 S_2 ... S_M Compute and print the spin operators of M selected spins

&END

E. Initialize and Propagate the Dynamics

diagonal levels of $\hat{\rho}$ is assumed Initial spin temperature in Kelvin

&END

Build propagator with time step size Step in ps, and multiply it for itself Nmult

<code>BUILD_PROPAGATOR</code> $Step\ N$. times

PROPAGATE N Propagate the spin dynamics for N number of steps

II. PHONDY: PHONONS DYNAMICS AND LATTICE PROPERTIES FROM AB-INITIO SIMULATIONS

mpirun -n ncores PhonDy.x -option option-arguments

Options:

- -restart fc2-file-name ; See below for the file format
- -nk nk1 nk2 nk3; Number of points for integrating the BZ along each direction
- -smear smear-val; σ value for Gaussian Smearing. Units in cm⁻1
- -dos1p range-min range-max bin-size; units in cm⁻1
- -dos2p $range\text{-}min\ range\text{-}max\ bin\text{-}size}$; units in cm $^-1$
- -path $BZ\ path\ file\ name$; See below for the file format
- -cart_disp $kp\ bn\ nsteps\ step\text{-}size$; Print the atomic displacements for a mode
- $\hbox{-dipole $Dipole-moment-Cartesian-derivatives-file}$

III. TOOLS

A. get_FC: Calculation of lattice force constants

get_FC.x -option option-arguments

Options:

- -xyz filename; name of the file with unit-cell atoms positions
- -cell filename; name of the file with the 3 by 3 matrix with unit-cell parameters
- -n nx ny nz; three integer numbers representing the size of the supercell
- $-{\rm step}\ step_size; one real number representing the size of the displacement for finite differences$
- -gen_disp the lone keyword will activate the generation of all the distorted structures
- $-read_forces\ filename;\ name\ of\ the\ xyz\ file\ (excluded\ the\ column\ of\ lables)\ containing\ all\ the\ forces\ for\ the\ force\ constant\ calculation$

B. get_CF: Crystal Field and Spin Hamiltonian Parameters

The Tool CF.x is used to fit the parameters of a model Hamiltonian from the solutions of a CI ab-initio calculation.

The model Hamiltonian is defined as

$$\hat{H} = \sum_{lm} B_m^l \hat{O}_m^l(\vec{\mathbf{V}}) , \qquad (2)$$

where $l \leq 2|V|$, $-l \leq m \leq l$ and $\vec{\mathbf{V}}$ can either be the total angular momentum $\vec{\mathbf{J}}$ or the spin operator $\vec{\mathbf{S}}$. In the former case \hat{H} corresponds to the Crystal Field Hamiltonian $\hat{H}_{CF}(\vec{\mathbf{J}})$ and in the latter case it corresponds to the spin Hamiltonian $\hat{H}_{SH}(\vec{\mathbf{S}})$.

The generalized operators $\hat{O}_m^l(\vec{\mathbf{V}})$ are defined as Tesseral Tensor Operators (TTO) [App. Mag. Res. (2009), 35, 481-493]

$$\hat{O}_m^l = \hat{Y}_m^l \quad \text{if } l = 0 \tag{3}$$

$$\hat{O}_{m}^{l} = \frac{1}{\sqrt{2}}((-1)^{m}\hat{Y}_{m}^{l} + \hat{Y}_{-m}^{l}) \quad (m > 0)$$
(4)

$$\hat{O}_{-m}^{l} = \frac{i}{\sqrt{2}}((-1)^{m+1}\hat{Y}_{m}^{l} + \hat{Y}_{-m}^{l}) \quad (m > 0)$$
(5)

where $\hat{Y}_m^l(\vec{\mathbf{V}})$ are spherical tensor operators as defined in [J. Mag. Res. (1999) 140, 141-145]. The matrix elements of Y can conveniently be calculated exploiting the Wigner-Eckart theorem employing the definitions of Eqs. 17 and 20 of ref [J. Mag. Res. (1999) 140, 141-145].

The mapping between Eq. 2 and the CI results is performed by minimizing the deviation between the matrix elements of the model Hamiltonian and those of the CI solutions with respect to the basis set of the S (J) eigenfunctions $|S^2M_S\rangle$ ($|J^2M_J\rangle$) as discussed in ref [J. Chem. Theory Comput. (2009) 5, 11, 2977–2984].

The software CF.x reads 6 files: Lx.dat Lz.dat Lz.dat SOCI.dat SOCR.dat, containing the matrix elements of the spin and orbital angular momentum, and spin orbit coupling in the basis of the CI solutions. All these files can

automatically be extracted from output file of a CASSCF simulation carried out with the code ORCA by employing the scripts $get_SH_Orca.x$ or $get_CF_Orca.x$. **NB:** The CASSCF calculation must be carried out with the *printlevel 3* keyword in the rel sub-block of the casscf block.

These scripts work as follows

get_CF_Orca.x 2J+1 $l_max \alpha \beta \gamma$

Options:

2J+1 = integer number, multiplicity of spin states of the model Hamiltonian

l_max = max order or TTO used to defined the model Hamiltonian

 $\alpha \beta \gamma$ (optional) = Euler angles (radiants) for a ZYZ rotation of the TTO coefficients.

the script $get_SH_Orca.x$ works analogously.

Example 1: Fitting of a second order SH for a high-spin (S=3/2) Co(II) single-ion compound get_SH_Orca.x orca.out 4 2

Example 2: Fitting of a second order SH for a high-spin (S=3/2) Co(II) single-ion compound and rotating the SH by π along y

get_SH_Orca.x orca.out 4 2 0.00 3.14 0.00

Example 3: Fitting of a 14th order CF Hamiltonian for the $6H_{15/2}$ term of a Dy(III) single-ion compound

get_CF_Orca.x orca.out 16 14