

## 1.

将单位圆按 $d$ 均分为 $n$ 个面积相等的圆环, 设第 $i$ 个圆环的内径为 $a_i$ , 外径为 $a_{i+1}$ ,  $i = 0, 2, \dots, n - 1$ , 则有

$a_0 = 0$ ,  $\pi(a_{i+1}^2 - a_i^2) = \frac{\pi}{n}$  得  $a_{i+1} = \sqrt{a_i^2 + \frac{1}{n}}$  所以  $a_i = \sqrt{\frac{i}{n}}$  可以将 $d$ 分为 $n$ 个区间

$(a_i, a_{i+1}](i = 0, 2, \dots, n - 1)$ , 其中  $i < d^2 n \leq i + 1$

算法如下:

```
1  n = A.length
2  for i = 1 to n
3      k = [d*d*n]-1
4      do insert A[i] into list B[k]
5  for i = 0 to n - 1
6      do sort list B[i] with insertion sort
7      concatenate the lists B[0], B[1], ..., B[n - 1] together in order
```

## 2.

算法如下:

```
1  let r[0..n] be a new array
2  r[0] = 0
3  for j = 1 to n
4      q = -∞
5      for i = 1 to j
6          q = max(q, p[i] + r[j - i] - c)
7      r[j] = q
8  return r[n]
```