# UCI MACHINE LEARNING REPOSITORY: IRIS DATASET

O Iris dataset é um conjunto de dados multivariado usado e tornado famoso pelo estatístico e biólogo britânico Ronald Fisher no seu artigo de 1936 "The use of multiple measurements in taxonomic problems" como um exemplo de análise discriminante linear. O conjunto de dados contém 3 classes de 50 instâncias cada, onde cada classe se refere a um tipo de planta de íris (Iris setosa, Iris virginica e Iris versicolor). Quatro características foram medidas de cada amostra: o comprimento e a largura das sépalas e das pétalas, em centímetros. Com base na combinação dessas quatro características, Fisher desenvolveu um modelo discriminante linear para distinguir as espécies entre si.

O que envolve definir os objetivos e os critérios de sucesso do projeto, compreender o contexto e o domínio do problema, identificar as fontes e a qualidade dos dados disponíveis, e determinar as técnicas e as ferramentas adequadas para a análise dos dados. O objetivo principal do projeto é classificar as plantas de íris em uma das três espécies com base nas suas características morfológicas, usando métodos de aprendizagem supervisionada. Isso é necessário porque as operações da empresa requerem a separação das mesmas classes, pois as classes setosa e virginica têm aplicações medicinais e são ingredientes em muitos medicamentos. Além disso, as folhas e raízes da classe versicolor são venenosas. Os critérios de sucesso podem ser a precisão, a robustez e a interpretabilidade do modelo de classificação. O contexto e o domínio do problema podem ser explorados através de pesquisas bibliográficas sobre a biologia das plantas de íris, os métodos estatísticos usados por Fisher, e as aplicações práticas da classificação de plantas. As fontes e a qualidade dos dados podem ser avaliadas através da verificação da proveniência, da consistência, da completude e da relevância dos dados. As técnicas e as ferramentas adequadas para a análise dos dados podem ser selecionadas com base na natureza dos dados (numéricos, categóricos, multivariados), no tipo de problema (classificação), na complexidade do modelo (linear, não-linear) e na disponibilidade de recursos computacionais (memória, processamento, armazenamento).

Uma compreensão dos dados referente ao CRISP-DM com a específica relação ao problema á frente pode ser obtida através da aplicação das seis fases do modelo de processo de mineração de dados: compreensão do negócio, compreensão dos dados, preparação dos dados, modelação, avaliação e implementação. Cada fase envolve uma série de tarefas que devem ser realizadas de forma iterativa e flexível, de acordo com os objetivos e requisitos do projeto.

 Na fase de compreensão do negócio, o objetivo é definir o problema a ser resolvido e os critérios de sucesso do projeto. Neste caso, o problema pode ser classificar as espécies de flores Iris com base nas medidas das suas características morfológicas, como o comprimento e a largura das sépalas e das pétalas. Os critérios de sucesso podem ser a accuracy, a precisão e a sensibilidade dos modelos de classificação. Sendo o principal a accuracy do modelo.

2. Na fase de compreensão dos dados, o objetivo é coletar, descrever e explorar os dados disponíveis para o projeto.

```
> head(dataset) # PRINT THE FIRST 10 LINES OF DATA (AS EXAMPLE)
Sepal.Length Sepal.Width Petal.Length Petal.Width Species
2     4.9     3.0     1.4     0.2 setosa
3     4.7     3.2     1.3     0.2 setosa
4     4.6     3.1     1.5     0.2 setosa
5     5.0     3.6     1.4     0.2 setosa
6     5.4     3.9     1.7     0.4 setosa
7     4.6     3.4     1.4     0.3 setosa
```

Neste caso, os dados são provenientes do Iris dataset, um conjunto de dados clássico na área de aprendizado de máquina, que contém 150 instâncias de três espécies de flores Iris (setosa, versicolor e virginica), cada uma com quatro atributos numéricos (comprimento e largura das sépalas e das pétalas).

```
> dim(dataset) # GET DATASET DIMENSIONS (SPACE, ROWS, COLUMNS)
120   5 # O QUE SIGNIFICA QUE O DATASET É UMA TABELA COM 120
LINHAS E 5 COLUNAS.
```

```
> sapply(dataset, class) # SAPPLY() USED TO MAP FUNCTION TO EACH ATTRIBUTE; CLASS FUNCTION RETURNS DATA CLASS TYPE FOR A GIVEN ATTRIBUTE
```

```
Sepal.Length Sepal.Width Petal.Length Petal.Width Species "numeric" "numeric" "numeric" "factor"
```

> levels(dataset\$Species) # LISTS ALL UNIQUE CLASS LEVELS
WITHIN THE SPECIES ATTRIBUTE OF DATASET
"setosa" "versicolor" "virginica"

> percentage <- prop.table(table(dataset\$Species)) \* 100 # CREATE THE PERCENTAGE VARIABLE AND CALCULATE EACH INDIVIDUAL LEVEL

> cbind(freq=table(dataset\$Species), percentage=percentage) # LISTS FREQUENCY AND PERCENTAGE OF EACH INDIVIDUAL CLASS LEVEL WITHIN SPECIES ATTRIBUTE

```
freq percentage
setosa 40 33.33333
versicolor 40 33.33333
virginica 40 33.33333
# Isto significa que cada classe compõem 33.(3)% do dataset.
```

Uma descrição estatística dos dados pode revelar informações como a média, o desvio padrão, o mínimo e o máximo de cada atributo, bem como a distribuição das classes. Uma exploração gráfica dos dados pode revelar informações como a correlação entre os atributos, a separabilidade das classes e a existência de outliers.

```
### MEAN: AVERAGE VALUE ###
> mean(Sepal.Length) # CALCULATE THE MEAN OF THE SEPAL LENGTH
ATTRIBUTE
5.843333
> mean(Sepal.Width) # CALCULATE THE MEAN OF THE SEPAL WIDTH
ATTRIBUTE
3.057333
> mean(Petal.Length) # CALCULATE THE MEAN OF THE PETAL LENGTH
ATTRIBUTE
> mean(Petal.Width) # CALCULATE THE MEAN OF THE PETAL WIDTH
ATTRIBUTE
1.199333
### MEDIAN: MIDDLE VALUE ###
> median(Sepal.Length) # CALCULATE THE MEDIAN OF THE SEPAL
LENGTH ATTRIBUTE
5.8
> median(Sepal.Width) # CALCULATE THE MEDIAN OF THE SEPAL WIDTH
ATTRIBUTE
> median(Petal.Length) # CALCULATE THE MEDIAN OF THE PETAL
LENGTH ATTRIBUTE
4.35
> median(Petal.Width) # CALCULATE THE MEDIAN OF THE PETAL WIDTH
ATTRIBUTE
1.3
### VARIANCE: SPREAD OF DATA ###
> var(Sepal.Length) # CALCULATE THE VARIANCE OF THE SEPAL
LENGTH ATTRIBUTE
0.6856935
> var(Sepal.Width) # CALCULATE THE VARIANCE OF THE SEPAL WIDTH
ATTRIBUTE
0.1899794
> var(Petal.Length) # CALCULATE THE VARIANCE OF THE PETAL
LENGTH ATTRIBUTE
3.116278
> var(Petal.Width) # CALCULATE THE VARIANCE OF THE PETAL WIDTH
ATTRIBUTE
0.5810063
### STANDARD DEVIATION ###
> sd(Sepal.Length) # CALCULATE THE STANDARD DEVIATION OF THE
SEPAL LENGTH ATTRIBUTE
0.8280661
> sd(Sepal.Width) # CALCULATE THE STANDARD DEVIATION OF THE
SEPAL WIDTH ATTRIBUTE
0.4358663
> sd(Petal.Length) # CALCULATE THE STANDARD DEVIATION OF THE
PETAL LENGTH ATTRIBUTE
1.765298
> sd(Petal.Width) # CALCULATE THE STANDARD DEVIATION OF THE
PETAL WIDTH ATTRIBUTE
0.7622377
```

#### ### STATISTICAL SUMMARY ###

> summary(dataset) # CALCULATE THE STATISTICAL SUMMARY OF THE DATASET

Sepal.Length Species	Sepal.Width	Petal.Length	Petal.Width
Min. :4.400	Min. :2.000	Min. :1.000	Min. :0.100
setosa :40			
1st Qu.:5.100	1st Qu.:2.800	1st Qu.:1.600	1st Qu.:0.300
versicolor:40			
Median :5.800	Median :3.000	Median :4.300	Median :1.300
virginica:40			
Mean :5.853	Mean :3.071	Mean :3.778	Mean :1.205
3rd Qu.:6.400	3rd Qu.:3.325	3rd Qu.:5.100	3rd Qu.:1.800
Max. :7.900	Max. :4.400	Max. :6.900	Max. :2.500

## ### ASYMMETRY ###

> skewness(Sepal.Length) # CALCULATE THE SKEWNESS OF THE SEPAL LENGTH ATTRIBUTE (POSITIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LARGER THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS RIGHT-SKEWED; NEGATIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LESS THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS LEFT-SKEWED). SKEWNESS IS A MEASURE OF THE ASYMMETRY OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE ABOUT ITS MEAN; MEANING THAT IT MEASURES THE DEGREE OF DISTORTION FROM THE NORMAL DISTRIBUTION; IN OTHER WORDS, SKEWNESS TELLS YOU THE AMOUNT AND DIRECTION OF SKEW (LEFT OR RIGHT) IN A DATASET.

#### 0.3086407

## attr(,"method")

## "moment"

> skewness(Sepal.Width) # CALCULATE THE SKEWNESS OF THE SEPAL WIDTH ATTRIBUTE (POSITIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LARGER THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS RIGHT-SKEWED; NEGATIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LESS THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS LEFT-SKEWED). SKEWNESS IS A MEASURE OF THE ASYMMETRY OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE ABOUT ITS MEAN; MEANING THAT IT MEASURES THE DEGREE OF DISTORTION FROM THE NORMAL DISTRIBUTION; IN OTHER WORDS, SKEWNESS TELLS YOU THE AMOUNT AND DIRECTION OF SKEW (LEFT OR RIGHT) IN A DATASET.

## 0.3126147

## attr(,"method")

"moment"

> skewness(Petal.Length) # CALCULATE THE SKEWNESS OF THE PETAL LENGTH ATTRIBUTE (POSITIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LARGER THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS RIGHT-SKEWED; NEGATIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LESS THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS LEFT-SKEWED). SKEWNESS IS A MEASURE OF THE ASYMMETRY OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE ABOUT ITS MEAN; MEANING THAT IT MEASURES THE DEGREE OF DISTORTION FROM THE NORMAL DISTRIBUTION; IN OTHER WORDS, SKEWNESS TELLS YOU THE AMOUNT AND DIRECTION OF SKEW (LEFT OR RIGHT) IN A DATASET.

#### -0.2694109

## attr(,"method")

"moment"

> skewness(Petal.Width) # CALCULATE THE SKEWNESS OF THE PETAL WIDTH ATTRIBUTE (POSITIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LARGER THAN THE MEDIAN, AND THE DATA

DISTRIBUTION IS RIGHT-SKEWED; NEGATIVE SKEWNESS INDICATES THAT THE MEAN OF THE DATA VALUES IS LESS THAN THE MEDIAN, AND THE DATA DISTRIBUTION IS LEFT-SKEWED). SKEWNESS IS A MEASURE OF THE ASYMMETRY OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE ABOUT ITS MEAN; MEANING THAT IT MEASURES THE DEGREE OF DISTORTION FROM THE NORMAL DISTRIBUTION; IN OTHER WORDS, SKEWNESS TELLS YOU THE AMOUNT AND DIRECTION OF SKEW (LEFT OR RIGHT) IN A DATASET.

-0.1009166

attr(,"method")

"moment"

### KURTOSIS ###

> kurtosis(Sepal.Length) # CALCULATE THE KURTOSIS OF THE SEPAL LENGTH ATTRIBUTE (IF THE KURTOSIS IS GREATER THAN 3, THEN THE DATASET HAS HEAVIER TAILS THAN A NORMAL DISTRIBUTION (MORE IN THE TAILS) (LEPTOKURTIC DISTRIBUTION); IF THE KURTOSIS IS EQUAL TO 3, THEN THE DATASET HAS HA NORMAL DISTRIBUTION; IF THE KURTOSIS IS LESS THAN 3, THEN THE DATASET HAS LIGHTER TAILS THAN A NORMAL DISTRIBUTION (LESS IN THE TAILS) (PLATYKURTIC DISTRIBUTION)); KURTOSIS IS A MEASURE OF THE "TAILEDNESS" OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE; IN OTHER WORDS, KURTOSIS TELLS YOU THE HEIGHT AND SHARPNESS OF THE CENTRAL PEAK, RELATIVELY TO THAT OF A STANDARD BELL CURVE. -0.6058125

attr(,"method")

"excess"

> kurtosis(Sepal.Width) # CALCULATE THE KURTOSIS OF THE SEPAL WIDTH ATTRIBUTE (IF THE KURTOSIS IS GREATER THAN 3, THEN THE DATASET HAS HEAVIER TAILS THAN A NORMAL DISTRIBUTION (MORE IN THE TAILS) (LEPTOKURTIC DISTRIBUTION); IF THE KURTOSIS IS EQUAL TO 3, THEN THE DATASET HAS HA NORMAL DISTRIBUTION; IF THE KURTOSIS IS LESS THAN 3, THEN THE DATASET HAS LIGHTER TAILS THAN A NORMAL DISTRIBUTION (LESS IN THE TAILS) (PLATYKURTIC DISTRIBUTION)); KURTOSIS IS A MEASURE OF THE "TAILEDNESS" OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE; IN OTHER WORDS, KURTOSIS TELLS YOU THE HEIGHT AND SHARPNESS OF THE CENTRAL PEAK, RELATIVELY TO THAT OF A STANDARD BELL CURVE. 0.1387047

attr(,"method")

"excess"

> kurtosis(Petal.Length) # CALCULATE THE KURTOSIS OF THE PETAL LENGTH ATTRIBUTE (IF THE KURTOSIS IS GREATER THAN 3, THEN THE DATASET HAS HEAVIER TAILS THAN A NORMAL DISTRIBUTION (MORE IN THE TAILS) (LEPTOKURTIC DISTRIBUTION); IF THE KURTOSIS IS EQUAL TO 3, THEN THE DATASET HAS HA NORMAL DISTRIBUTION; IF THE KURTOSIS IS LESS THAN 3, THEN THE DATASET HAS LIGHTER TAILS THAN A NORMAL DISTRIBUTION (LESS IN THE TAILS) (PLATYKURTIC DISTRIBUTION)); KURTOSIS IS A MEASURE OF THE "TAILEDNESS" OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE; IN OTHER WORDS, KURTOSIS TELLS YOU THE HEIGHT AND SHARPNESS OF THE CENTRAL PEAK, RELATIVELY TO THAT OF A STANDARD BELL CURVE. -1.416857

attr(,"method")

"excess"

> kurtosis(Petal.Width) # CALCULATE THE KURTOSIS OF THE PETAL WIDTH ATTRIBUTE (IF THE KURTOSIS IS GREATER THAN 3, THEN THE DATASET HAS HEAVIER TAILS THAN A NORMAL DISTRIBUTION (MORE IN THE TAILS) (LEPTOKURTIC DISTRIBUTION); IF THE KURTOSIS IS EQUAL TO 3, THEN THE DATASET HAS HA NORMAL DISTRIBUTION; IF THE KURTOSIS IS LESS THAN 3, THEN THE DATASET HAS LIGHTER TAILS

THAN A NORMAL DISTRIBUTION (LESS IN THE TAILS) (PLATYKURTIC DISTRIBUTION)); KURTOSIS IS A MEASURE OF THE "TAILEDNESS" OF THE PROBABILITY DISTRIBUTION OF A REAL-VALUED RANDOM VARIABLE; IN OTHER WORDS, KURTOSIS TELLS YOU THE HEIGHT AND SHARPNESS OF THE CENTRAL PEAK, RELATIVELY TO THAT OF A STANDARD BELL CURVE. -1.358179

attr(,"method")

"excess"

### FREQUENT SUB-INTERVAL TABLE ###

> table(cut(Sepal.Length,3)) # FREQUENT SUB-INTERVAL TABLE OF THE SEPAL LENGTH VARIABLE: THE FREQUENT SUB-INTERVAL TABLE IS A TABLE THAT SHOWS THE NUMBER OF OBSERVATIONS THAT FALL INTO EACH OF SEVERAL NON-OVERLAPPING CATEGORIES; IT IS A SPECIAL CASE OF A HISTOGRAM DIVIDED INTO NON-OVERLAPPING INTERVALS; FREQUENT SUB-INTERVAL TABLES ARE USED TO SUMMARIZE CATEGORICAL, COUNT, OR CONTINUOUS DATA.

> table(cut(Sepal.Width,3)) # FREQUENT SUB-INTERVAL TABLE OF THE SEPAL WIDTH VARIABLE: THE FREQUENT SUB-INTERVAL TABLE IS A TABLE THAT SHOWS THE NUMBER OF OBSERVATIONS THAT FALL INTO EACH OF SEVERAL NON-OVERLAPPING CATEGORIES; IT IS A SPECIAL CASE OF A HISTOGRAM DIVIDED INTO NON-OVERLAPPING INTERVALS; FREQUENT SUB-INTERVAL TABLES ARE USED TO SUMMARIZE CATEGORICAL, COUNT, OR CONTINUOUS DATA.

> table(cut(Petal.Length,3)) # FREQUENT SUB-INTERVAL TABLE OF THE PETAL LENGTH VARIABLE: THE FREQUENT SUB-INTERVAL TABLE IS A TABLE THAT SHOWS THE NUMBER OF OBSERVATIONS THAT FALL INTO EACH OF SEVERAL NON-OVERLAPPING CATEGORIES; IT IS A SPECIAL CASE OF A HISTOGRAM DIVIDED INTO NON-OVERLAPPING INTERVALS; FREQUENT SUB-INTERVAL TABLES ARE USED TO SUMMARIZE CATEGORICAL, COUNT, OR CONTINUOUS DATA.

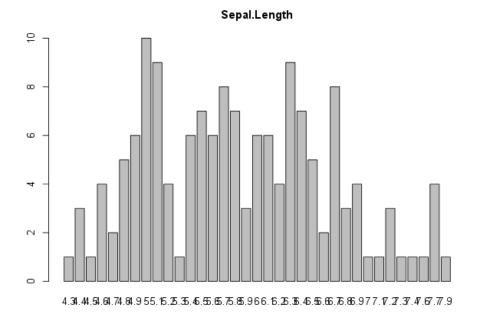
```
(0.994,2.97] (2.97,4.93] (4.93,6.91]
50 54 46
```

> table(cut(Petal.Width,3)) # FREQUENT SUB-INTERVAL TABLE OF THE PETAL WIDTH VARIABLE: THE FREQUENT SUB-INTERVAL TABLE IS A TABLE THAT SHOWS THE NUMBER OF OBSERVATIONS THAT FALL INTO EACH OF SEVERAL NON-OVERLAPPING CATEGORIES; IT IS A SPECIAL CASE OF A HISTOGRAM DIVIDED INTO NON-OVERLAPPING INTERVALS; FREQUENT SUB-INTERVAL TABLES ARE USED TO SUMMARIZE CATEGORICAL, COUNT, OR CONTINUOUS DATA.

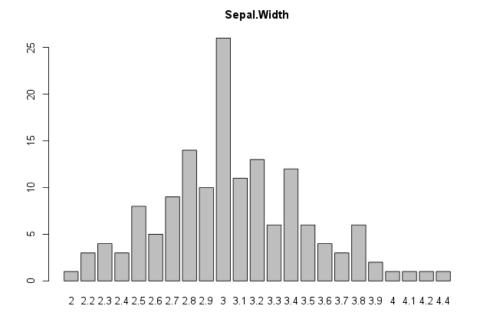
```
### THE PROPORTION OF THE VARIABLES BY SPECIES ###
> prop.table(xtabs(Sepal.Length~Species)) # THE PROPORTION OF
THE SEPAL LENGTH VARIABLE BY SPECIES
Species
setosa versicolor virginica
0.2855676 0.3386195 0.3758129
> prop.table(xtabs(Sepal.Width~Species)) # THE PROPORTION OF
THE SEPAL WIDTH VARIABLE BY SPECIES
Species
setosa versicolor virginica
0.3737462 0.3020061 0.3242477
> prop.table(xtabs(Petal.Length~Species)) # THE PROPORTION OF
THE PETAL LENGTH VARIABLE BY SPECIES
Species
setosa versicolor virginica
0.1296789 0.3778606 0.4924605
> prop.table(xtabs(Petal.Width~Species)) # THE PROPORTION OF
THE PETAL WIDTH VARIABLE BY SPECIES
Species
setosa versicolor virginica
0.06837132 0.36853808 0.56309061
### BARPLOTS ###
```

> barplot(table(Sepal.Length), main="Sepal.Length") # BARPLOT OF

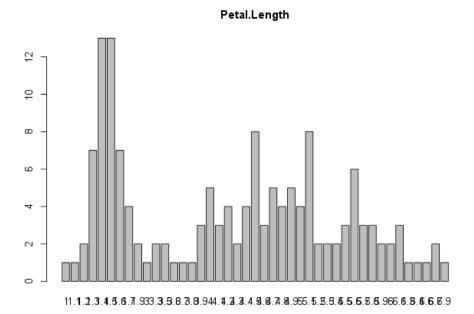
THE SEPAL LENGTH VARIABLE

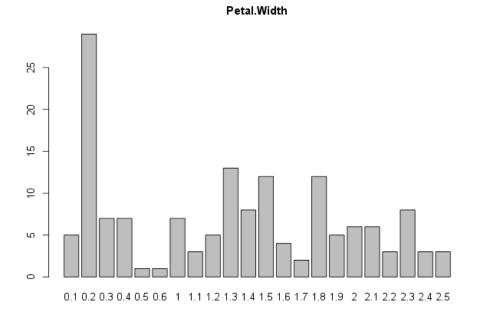


> barplot(table(Sepal.Width), main="Sepal.Width") # BARPLOT OF THE SEPAL WIDTH VARIABLE



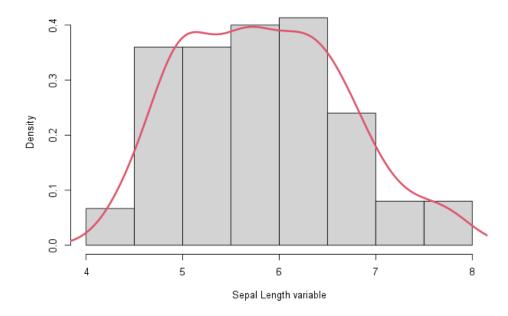
> barplot(table(Petal.Length), main="Petal.Length") # BARPLOT OF THE PETAL LENGTH VARIABLE





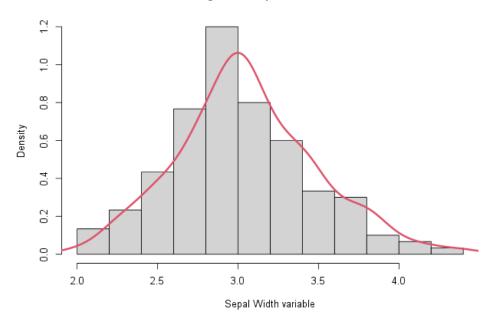
### HISTOGRAMS ###
# CREATE HISTOGRAM OF SEPAL LENGTH VARIABLE
> hist(Sepal.Length, freq = F, xlab = "Sepal Length variable",
main = "Histogram of Sepal length variable")
> lines(density(Sepal.Length), col=2, lwd=3) # ADDING THE DENSITY
CURVE OVER THE POLT

# Histogram of Sepal length variable



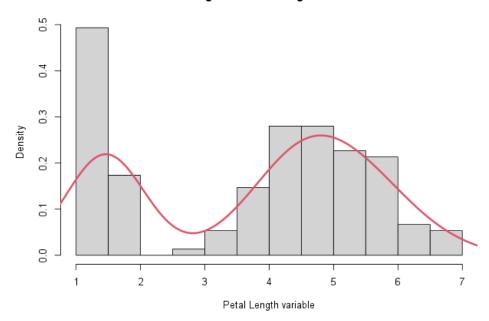
- # CREATE HISTOGRAM OF SEPAL WIDTH VARIABLE
- > hist(Sepal.Width, freq = F, xlab = "Sepal Width variable", main
- = "Histogram of Sepal Width variable")
- > lines(density(Sepal.Width),col=2,lwd=3) # ADDING THE DENSITY CURVE OVER THE POLT

# Histogram of Sepal Width variable



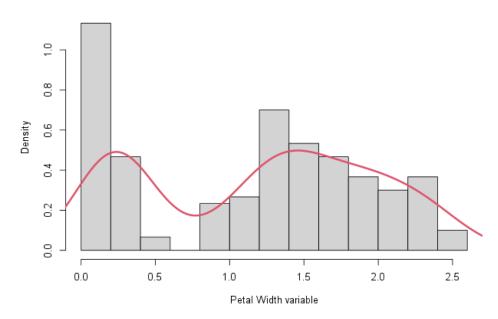
# CREATE HISTOGRAM OF PETAL LENGTH VARIABLE
> hist(Petal.Length,freq = F,xlab = "Petal Length variable",
main = "Histogram of Petal length variable")
> lines(density(Petal.Length),col=2,lwd=3) # ADDING THE DENSITY
CURVE OVER THE POLT

## Histogram of Petal length variable



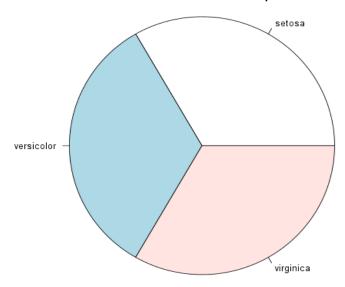
- # CREATE HISTOGRAM OF PETAL WIDTH VARIABLE
- > hist(Petal.Width, freq = F, xlab = "Petal Width variable", main
- = "Histogram of Petal Width variable")
- > lines(density(Petal.Width),col=2,lwd=3) # ADDING THE DENSITY
  CURVE OVER THE POLT

# Histogram of Petal Width variable



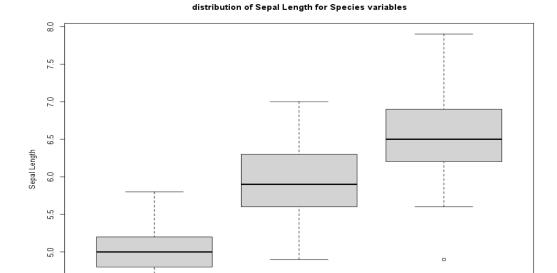
- # NOTICE THE SHAPE OF THE DATA, MOST ATTRIBUTES EXHIBIT A NORMAL DISTRIBUTION.
- # PIE TO SHOW THE SPECIES
- > pie(table(Species), main = "Pie Chart of the Iris data set
  Species", radius = 1)

#### Pie Chart of the Iris data set Species



- ### BOXPLOTS ###
- # COMPARE EACH VARIABLE WITH THE SPECIES VARIABLE
- > boxplot(Sepal.Length~Species, ylab = "Sepal Length", main =

"distribution of Sepal Length for Species variables") # BOXPLOT OF THE SEPAL LENGTH VARIABLE BY SPECIES



> boxplot(Sepal.Width~Species, ylab = "Sepal Width", main =
"distribution of Sepal Width for Species variables") # BOXPLOT
OF THE SEPAL WIDTH VARIABLE BY SPECIES

4.5

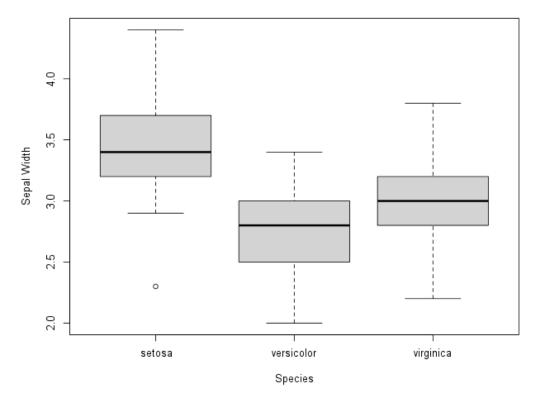
setosa

# distribution of Sepal Width for Species variables

versicolor

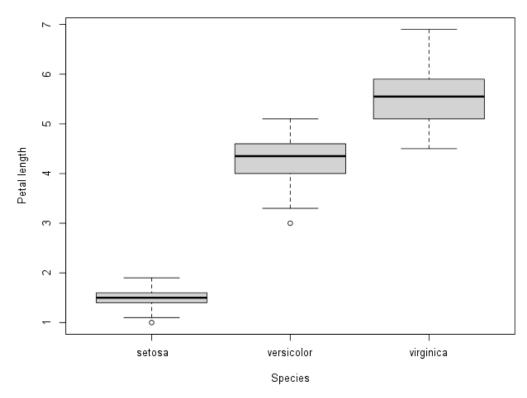
Species

virginica



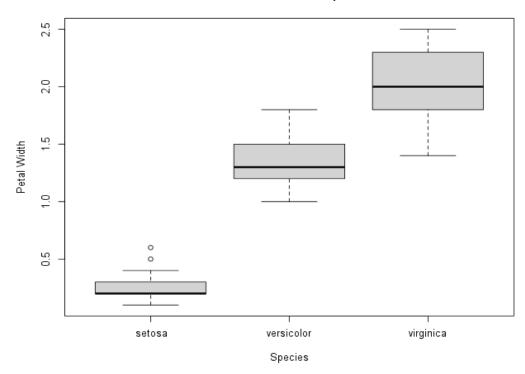
> boxplot(Petal.Length~Species, ylab = "Petal length", main =
"distribution of Petal length for Species variables") # BOXPLOT
OF THE PETAL LENGTH VARIABLE BY SPECIES

# distribution of Petal length for Species variables

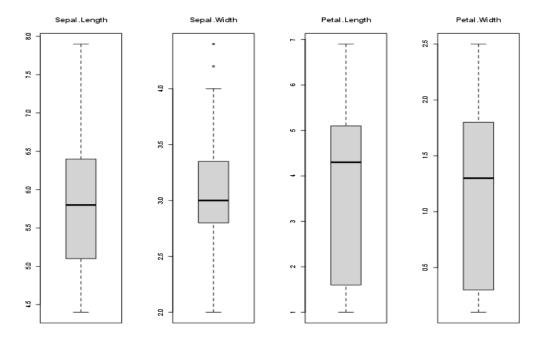


> boxplot(Petal.Width~Species, ylab = "Petal Width", main =
"distribution of Petal Width for Species variables") # BOXPLOT
OF THE PETAL WIDTH VARIABLE BY SPECIES

## distribution of Petal Width for Species variables



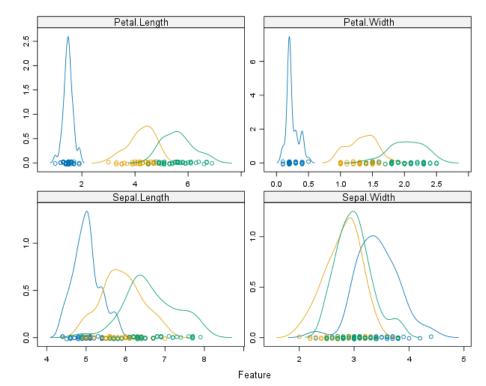
# FEATURE BOXPLOTS:
par(mfrow=c(1,4)) # SET THE PLOT TO 1 ROW AND 4 COLUMNS
for(i in 1:4) { # LOOP THROUGH THE FIRST 4 COLUMNS
 boxplot(x[,i], main=names(iris)[i]) # CREATE BOXPLOT FOR EACH
COLUMN
} # END OF LOOP



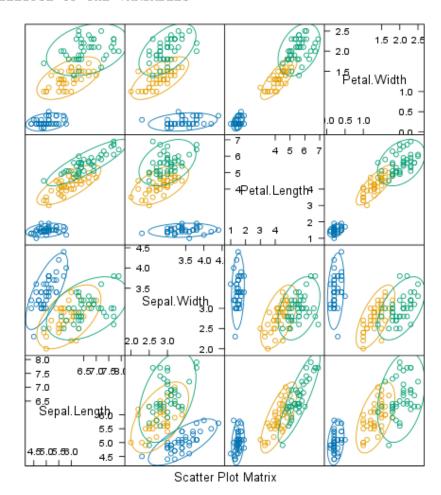
### DENSITY PLOTS ###

> scales <- list(x=list(relation="free"),
y=list(relation="free")) # SET THE SCALES FOR THE PLOT: FREE
SCALES</pre>

> featurePlot(x=x, y=y, plot="density", scales=scales) # CREATE THE PLOT FOR THE DENSITY OF THE VARIABLES



- # GET THE PLOT FOR NUMERIC COLUMNS:
- > pairs(iris[,1:4]) # CREATE THE PLOT FOR THE NUMERIC COLUMNS OF THE DATASET
- > featurePlot(x=x, y=y, plot="ellipse") # CREATE THE PLOT FOR THE ELLIPSE OF THE VARIABLES



# CHECK THE COVARIANCE AND CORRELATION BETWEEN VARIABLES
> cov(dataset[ ,1:4]) # COVARIANCE MATRIX OF THE FIRST 4
COLUMNS; THE COVARIANCE IS A MEASURE OF THE JOINT VARIABILITY
OF TWO RANDOM VARIABLES.

```
Sepal.Length Sepal.Width Petal.Length Petal.Width
Sepal.Length 0.70458754 -0.03152941 1.3079706 0.52155742
Sepal.Width
             -0.03152941 0.18578151
                                       -0.2832269 -0.09905882
              1.30797059 -0.28322689
Petal.Length
                                        3.1030000
                                                   1.26860504
Petal.Width
              0.52155742 -0.09905882
                                        1.2686050 0.55928291
> cor(dataset[ ,1:4]) # CORRELATION MATRIX OF THE FIRST 4
COLUMNS; THE CORRELATION IS A MEASURE OF THE LINEAR ASSOCIATION
BETWEEN TWO RANDOM VARIABLES. (CORRELATION IS POSITIVE WHEN THE
VALUES INCREASE TOGETHER (POSITIVE LINEAR CORRELATION);
CORRELATION IS ~ ZERO WHEN THERE IS NO LINEAR ASSOCIATION
BETWEEN VARIABLES; CORRELATION IN NEGATIVE WHEN THE VALUES
DECREASES TOGETHER (NEGATIVE LINEAR CORRELATION).)
```

```
Sepal.LengthSepal.WidthPetal.LengthPetal.WidthSepal.Length1.00000000 -0.087145940.88458510.8308428Sepal.Width-0.087145941.00000000-0.3730288-0.3073096Petal.Length0.88458509 -0.373028791.00000000.9629855Petal.Width0.83084283 -0.307309610.96298551.0000000
```

3. Na fase de preparação dos dados, o objetivo é selecionar, limpar, transformar e integrar os dados que serão usados na modelação. Neste caso, os dados já estão em um formato adequado para a modelação, pois não apresentam valores ausentes, inconsistências ou ruídos. No entanto, pode-se realizar algumas operações como normalizar ou padronizar os atributos para evitar que alguns tenham mais influência que outros na modelação, ou reduzir a dimensionalidade dos dados para eliminar atributos irrelevantes ou redundantes. Visto que os dados já estão bastante padronizados, normalizados, e ajustados, falta-nos só preparar as variáveis para a análise e modelação dos mesmos.

```
### SPLIT DATA INTO TRAIN/TEST SETS ###
> data_split <- createDataPartition(dataset$Species, p = 0.8,
list = FALSE) # CREATE A 80/20 SPLIT OF THE DATA FOR
TRAINING/TESTING PURPOSES
> test <- dataset[-data_split,] # SET 20% OF DATA AS TEST SET
> dataset <- dataset[data_split,] # SET THE REMAINING 80% OF
DATA FOR TRAINING

### SEPARATE THE TRAINING DATA FROM THE LABELS ###
> x <- dataset[,1:4] # SET THE FIRST 4 COLUMNS AS THE TRAINING
DATA
> y <- dataset[,5] # SET THE 5TH COLUMN AS THE LABELS</pre>
```

4. Na fase de modelação, o objetivo é aplicar técnicas de mineração de dados para construir um ou mais modelos que atendam aos objetivos do projeto. Neste caso, como se trata de um problema de classificação supervisionada, pode-se aplicar técnicas como árvore de decisão, k-nearest-neighbours, regressão logística, rede neural artificial ou máquina de vetores de suporte. Cada técnica possui seus próprios parâmetros que devem ser ajustados para obter o melhor desempenho possível. Além disso, deve-se dividir os dados em conjuntos de treinamento e teste para evitar o sobreajuste dos modelos.

```
# ALGORITHMS ASSESSED USING 10-FOLD CROSS VALIDATION. METRIC
FOR ASSESSMENT IN THIS EXAMPLE IS ACCURACY.
> control <- trainControl(method="cv", number=10) # SET THE
CONTROL FOR THE TRAINING (10-FOLD CROSS VALIDATION)
> metric <- "Accuracy" # SET THE METRIC FOR THE TRAINING
(ACCURACY)
### LINEAR DISCRIMINANT ANALYSIS ###
> set.seed(7) # SET THE SEED FOR REPRODUCIBILITY OF THE RESULTS
> fit.lda <- train(Species~., data=dataset, method="lda",
metric=metric, trControl=control) # TRAIN THE MODEL USING THE
LDA METHOD (LINEAR DISCRIMINANT ANALYSIS)
### CLASSIFICATION AND REGRESSION TREES ###
> set.seed(7) # SET THE SEED FOR REPRODUCIBILITY OF THE RESULTS
> fit.cart <- train(Species~., data=dataset, method="rpart",</pre>
metric=metric, trControl=control) # TRAIN THE MODEL USING THE
CART METHOD (CLASSIFICATION AND REGRESSION TREES)
```

```
### K-NEAREST NEIGHBORS ###
         > set.seed(7) # SET THE SEED FOR REPRODUCIBILITY OF THE RESULTS
         > fit.knn <- train(Species~., data=dataset, method="knn",
         metric=metric, trControl=control) # TRAIN THE MODEL USING THE
         KNN METHOD (K-NEAREST NEIGHBORS)
         ### SUPPORT VECTOR MACHINES ###
         > set.seed(7) # SET THE SEED FOR REPRODUCIBILITY OF THE RESULTS
         > fit.svm <- train(Species~., data=dataset, method="svmRadial",
         metric=metric, trControl=control) # TRAIN THE MODEL USING THE
         SVM METHOD (SUPPORT VECTOR MACHINES)
         ### RANDOM FOREST ###
         > set.seed(7) # SET THE SEED FOR REPRODUCIBILITY OF THE RESULTS
         > fit.rf <- train(Species~., data=dataset, method="rf",</pre>
         metric=metric, trControl=control) # TRAIN THE MODEL USING THE
         RF METHOD (RANDOM FOREST)
5. Na fase de avaliação, o objetivo é avaliar os modelos construídos em termos
   da sua qualidade e relevância para o problema do negócio. Neste caso,
   pode-se usar métricas como accuracy, precisão e sensibilidade para medir o
   quão bem os modelos classificam as espécies de flores Iris. Também pode-se
   usar técnicas como matriz de confusão ou curva ROC para visualizar o
   desempenho dos modelos. Além disso, deve-se verificar se os modelos
   atendem aos critérios de sucesso definidos na fase de compreensão do
   negócio.
         ### SUMMARIZE THE RESULTS ###
         > results <- resamples(list(lda=fit.lda, cart=fit.cart,
         knn=fit.knn, svm=fit.svm, rf=fit.rf)) # CREATE A LIST OF THE
         RESULTS OF THE MODELS
         > summary(results) # SUMMARIZE THE RESULTS
         Call:
           summary.resamples(object = results)
         Models: lda, cart, knn, svm, rf
         Number of resamples: 10
         Accuracy
         Min. 1st Qu. Median Mean 3rd Qu. Max. NA's
         lda 0.833333 0.9375000 1.0000000 0.9666667 1.0000000 1
         cart 0.833333 0.9166667 0.9166667 0.9333333 0.9791667
         knn 0.916667 1.0000000 1.0000000 0.9833333 1.0000000
         svm 0.916667 0.9375000 1.0000000 0.9750000 1.0000000
             0.833333 0.9375000 1.0000000 0.9666667 1.0000000
         Kappa
              Min. 1st Qu. Median Mean 3rd Qu. Max. NA's
         lda 0.750 0.90625 1.000 0.9500 1.00000 1
         cart 0.750 0.87500 0.875 0.9000 0.96875
         knn 0.875 1.00000 1.000 0.9750 1.00000 svm 0.875 0.90625 1.000 0.9625 1.00000
                                                     1
```

rf 0.750 0.90625 1.000 0.9500 1.00000 1

Como se pode observar o melhor modelo é quase em todas as 'runs' o k-nearest-neighbours, ás vezes é equiparado pelo modelo support vector machines. Tendo estes uma média (em accuracy) de 91.6%.

```
### MODEL SUMMARIES ###
> print(fit.lda) # PRINT THE SUMMARY OF THE LDA MODEL
Linear Discriminant Analysis
120 samples
4 predictor
3 classes: 'setosa', 'versicolor', 'virginica'
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 108, 108, 108, 108, 108, 108, ...
Resampling results:
Accuracy
         Kappa
0.9666667 0.95
> print(fit.cart) # PRINT THE SUMMARY OF THE CART MODEL
CART
120 samples
4 predictor
3 classes: 'setosa', 'versicolor', 'virginica'
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 108, 108, 108, 108, 108, 108, ...
Resampling results across tuning parameters:
               Kappa
    Accuracy
ср
0.00 0.9333333 0.9000
0.45 0.7583333 0.6375
0.50 0.3333333 0.0000
Accuracy was used to select the optimal model using the largest
value.
The final value used for the model was cp = 0.
> print(fit.knn) # PRINT THE SUMMARY OF THE KNN MODEL
k-Nearest Neighbors
120 samples
4 predictor
3 classes: 'setosa', 'versicolor', 'virginica'
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 108, 108, 108, 108, 108, 108, ...
Resampling results across tuning parameters:
k Accuracy Kappa
5 0.9750000 0.9625
7 0.9666667 0.9500
9 0.9833333 0.9750
```

Accuracy was used to select the optimal model using the largest

```
value.
The final value used for the model was k = 9.
> print(fit.svm) # PRINT THE SUMMARY OF THE SVM MODEL
Support Vector Machines with Radial Basis Function Kernel
120 samples
4 predictor
3 classes: 'setosa', 'versicolor', 'virginica'
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 108, 108, 108, 108, 108, 108, ...
Resampling results across tuning parameters:
C Accuracy Kappa 0.25 0.950 0.9250
            0.9625
0.50 0.975
1.00 0.975
                0.9625
Tuning parameter 'sigma' was held constant at a value of
0.7667022
Accuracy was used to select the optimal model using the largest
value.
The final values used for the model were sigma = 0.7667022 and
C = 0.5.
> print(fit.rf) # PRINT THE SUMMARY OF THE RF MODEL
Random Forest
120 samples
4 predictor
3 classes: 'setosa', 'versicolor', 'virginica'
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 108, 108, 108, 108, 108, 108, ...
Resampling results across tuning parameters:
mtry Accuracy Kappa
     0.9583333 0.9375
     0.9666667 0.9500
     0.9666667 0.9500
Accuracy was used to select the optimal model using the largest
value.
The final value used for the model was mtry = 3.
### EVALUATE EVERY MODEL ON TEST DATA ###
### LINEAR DISCRIMINANT ANALYSIS ###
> predictions <- predict(fit.lda, test) # PREDICT THE TEST DATA
USING THE LDA MODEL
> confusionMatrix(predictions, test$Species) # CREATE A
CONFUSION MATRIX OF THE PREDICTIONS
Confusion Matrix and Statistics
Reference
Prediction
           setosa versicolor virginica
setosa 10 0 versicolor 0 10 virginica 0 0
                                    0
                                     0
                                   10
```

## Overall Statistics

Accuracy : 1

95% CI: (0.8843, 1)

No Information Rate: 0.3333 P-Value [Acc > NIR]: 4.857e-15

Kappa: 1

Mcnemar's Test P-Value : NA

## Statistics by Class:

	Class:	setosa	Class:	versicolor	Class:
virginica					
Sensitivity		1.0000		1.0000	
1.0000					
Specificity		1.0000		1.0000	
1.0000					
Pos Pred Value		1.0000		1.0000	
1.0000					
Neg Pred Value		1.0000		1.0000	
1.0000					
Prevalence		0.3333		0.3333	
0.3333					
Detection Rate		0.3333		0.3333	
0.3333					
Detection Prevalence		0.3333		0.3333	
0.3333					
Balanced Accuracy		1.0000		1.0000	
1.0000					

### CLASSIFICATION AND REGRESSION TREES ###

> predictions <- predict(fit.cart, test) # PREDICT THE TEST DATA USING THE CART MODEL

> confusionMatrix(predictions, test\$Species) # CREATE A CONFUSION MATRIX OF THE PREDICTIONS

Confusion Matrix and Statistics

## Reference

Prediction setosa versicolor virginica setosa 10 0 0 0 versicolor 0 10 2 virginica 0 0 8

# Overall Statistics

Accuracy: 0.9333

95% CI: (0.7793, 0.9918)

No Information Rate : 0.3333 P-Value [Acc > NIR] : 8.747e-12

Kappa : 0.9

Mcnemar's Test P-Value : NA

Statistics by Class:

Class: setosa Class: versicolor Class:

virginica

Sensitivity 1.0000 1.0000

0.8000		
Specificity	1.0000	0.9000
1.0000		
Pos Pred Value	1.0000	0.8333
1.0000		
Neg Pred Value	1.0000	1.0000
0.9091		
Prevalence	0.3333	0.3333
0.3333		
Detection Rate	0.3333	0.3333
0.2667		
Detection Prevalence	0.3333	0.4000
0.2667		
Balanced Accuracy	1.0000	0.9500
0.9000		

# ### K-NEAREST NEIGHBORS ###

- > confusionMatrix(predictions, test\$Species) # CREATE A CONFUSION MATRIX OF THE PREDICTIONS

Confusion Matrix and Statistics

# Reference

Prediction	setosa	versicolor	virginica
setosa	10	0	0
versicolor	0	10	1
virginica	0	0	9

## Overall Statistics

Accuracy: 0.9667

95% CI: (0.8278, 0.9992)

No Information Rate : 0.3333 P-Value [Acc > NIR] : 2.963e-13

Kappa : 0.95

Mcnemar's Test P-Value : NA

# Statistics by Class:

1.0000	1.0000
1 0000	0.0500
1.0000	0.9500
1 0000	0 0001
1.0000	0.9091
1.0000	1.0000
0.3333	0.3333
0.3333	0.3333
0.3333	0.3667
1.0000	0.9750
	0.3333 0.3333 0.3333

Também se concluí que o modelo mais sensível e com menos falsos positivos e negativos é o k-nearest-neighbours. Ou seja, tal modelo será utilizado pela empresa, para o negócio previsto.

### SUPPORT VECTOR MACHINES ###

> confusionMatrix(predictions, test\$Species) # CREATE A CONFUSION MATRIX OF THE PREDICTIONS

Confusion Matrix and Statistics

#### Reference

Prediction	setosa	versicolor	virginica
setosa	10	0	0
versicolor	0	9	2
virginica	0	1	8

## Overall Statistics

Accuracy: 0.9

95% CI : (0.7347, 0.9789)

No Information Rate : 0.3333 P-Value [Acc > NIR] : 1.665e-10

Kappa : 0.85

Mcnemar's Test P-Value : NA

# Statistics by Class:

	Class:	setosa	Class:	versicolor	Class:
virginica					
Sensitivity		1.0000		0.9000	
0.8000					
Specificity		1.0000		0.9000	
0.9500					
Pos Pred Value		1.0000		0.8182	
0.8889					
Neg Pred Value		1.0000		0.9474	
0.9048					
Prevalence		0.3333		0.3333	
0.3333					
Detection Rate		0.3333		0.3000	
0.2667					
Detection Prevalence		0.3333		0.3667	
0.3000					
Balanced Accuracy		1.0000		0.9000	
0.8750					

<sup>###</sup> RANDOM FOREST ###

Confusion Matrix and Statistics

## Reference

Prediction	setosa	versicolor	virginica
setosa	10	0	0

<sup>&</sup>gt; predictions <- predict(fit.rf, test) # PREDICT THE TEST DATA USING THE RF MODEL

```
versicolor 0 10 2 virginica 0 0 8
```

Overall Statistics

Accuracy: 0.9333

95% CI : (0.7793, 0.9918)

No Information Rate : 0.3333 P-Value [Acc > NIR] : 8.747e-12

Kappa : 0.9

Mcnemar's Test P-Value : NA

Statistics by Class:

	Class:	setosa	Class:	versicolor	Class:
virginica					
Sensitivity		1.0000		1.0000	
0.8000					
Specificity		1.0000		0.9000	
1.0000					
Pos Pred Value		1.0000		0.8333	
1.0000					
Neg Pred Value		1.0000		1.0000	
0.9091					
Prevalence		0.3333		0.3333	
0.3333					
Detection Rate		0.3333		0.3333	
0.2667					
Detection Prevalence		0.3333		0.4000	
0.2667					
Balanced Accuracy		1.0000		0.9500	
0.9000					

- 6. Na fase de implementação, o objetivo é colocar os modelos em uso prático no ambiente do negócio. Neste caso, os modelos podem ser usados para classificar novas instâncias de flores Iris que não fazem parte do conjunto de dados original. Os modelos devem ser monitorados e atualizados periodicamente para garantir que continuem produzindo resultados confiáveis e relevantes. Logo, uma possível proposta de implementação de negócio em relação as aplicações médicas das classes setosa e virginica, das flores Iris, e a precaução contra a classe venenosa, versicolor, da flor Iris são a:
  - ...exploração empresarial das aplicações médicas das classes setosa e virginica, e a precaução contra a classe versicolor, por parte de um laboratório de análise e produção de produtos naturais derivados das flores Iris. Este laboratório poderia usar o modelo K-Nearest-Neighbours para identificar as espécies das flores coletadas, e extrair os princípios ativos de cada uma delas. Por exemplo, a classe setosa poderia fornecer corantes naturais para cosméticos ou alimentos, a classe virginica poderia fornecer substâncias anti-inflamatórias ou antioxidantes para medicamentos ou suplementos, e a classe versicolor poderia fornecer toxinas ou alérgenos para testes ou vacinas. Tal laboratório poderia vender esses produtos para indústrias

farmacêuticas, alimentícias ou cosméticas, ou para instituições de pesquisa ou saúde.